

Overview on Spin Alignment and Spin Correlation

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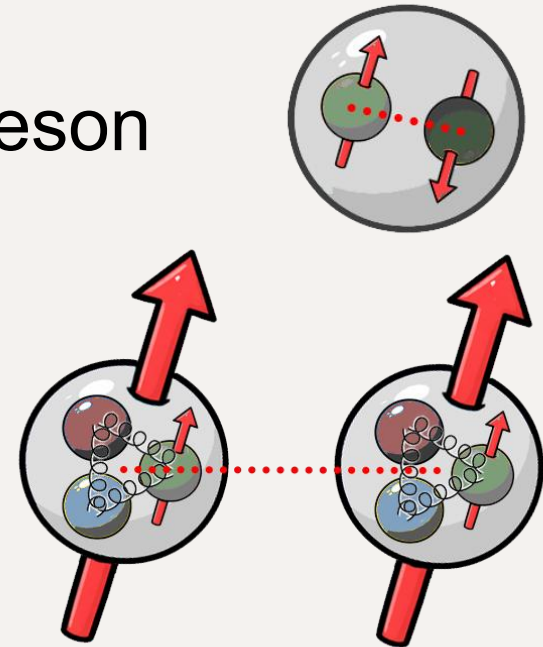


International Symposium on Spin Polarization
in Relativistic Heavy Ion Collisions 2026

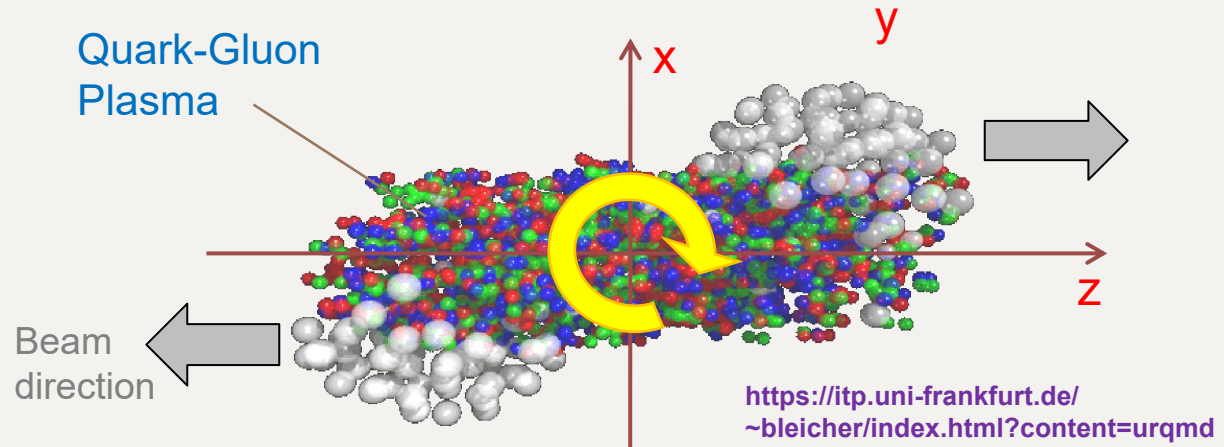
May 11-14, 2026



- Spin polarization in HIC
- Spin alignment of vector meson
- Hyperon spin correlation
- Summary



Strongly interacting matter with vorticity and magnetic fields



Initial orbital angular momentum



Vorticity field
Magnetic field
Strong field



Polarized quark/gluon



Spin polarization for baryons,
 Λ , Σ^0 , Δ^{++} , Ω^- , ...

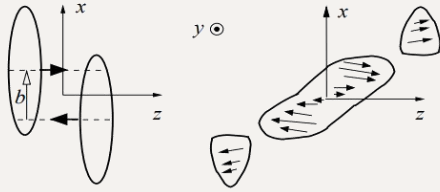
Spin alignment for vector mesons,
 ϕ , K^{*0} , ρ^0 , ...

S. A. Voloshi, nucl-th/0410089

Z.-T. Liang, X.-N. Wang, PRL 94, 102301 (2005) [Erratum: PRL 96, 039901 (2006)]; PLB 629, 20 (2005)

F. Becattini, F. Piccinini, J. Rizzo, PRC 76, 044901 (2007)

Spin polarization



$$P_q = -\pi\mu p/4E(E + m_q)$$

Quark global polarization
(Spin-orbit coupling)

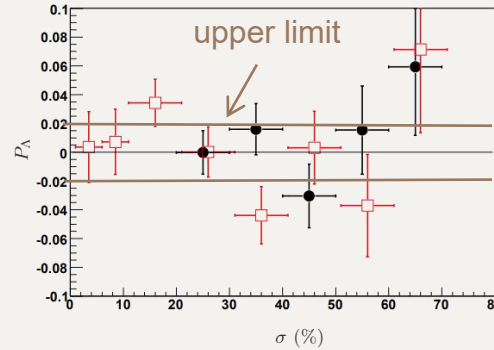
Liang & Wang, PRL 2005

$$\mathbf{\Pi}_0 = \frac{1}{2} \tanh \frac{\omega}{2T} \left[\frac{\varepsilon}{m} \hat{\omega} - \frac{\hat{\omega} \cdot \mathbf{p} \mathbf{p}}{m(\varepsilon + m)} \right]$$

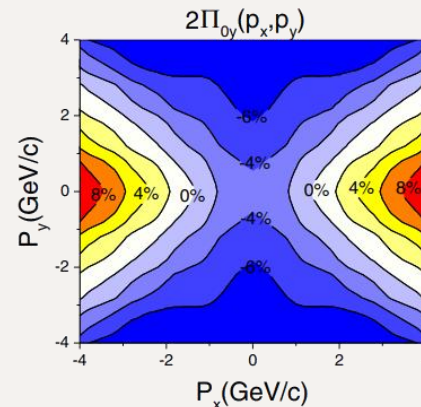
$$\omega^\alpha = \frac{1}{4} \epsilon^{\alpha\mu\nu\sigma} u_\mu (\partial_\nu u_\sigma - \partial_\sigma u_\nu)$$

Hydrodynamic description
(Vorticity-induced polarization)

Becattini, Piccinini, Rizzo, PRC 2008



First measurement
STAR, PRC 2007



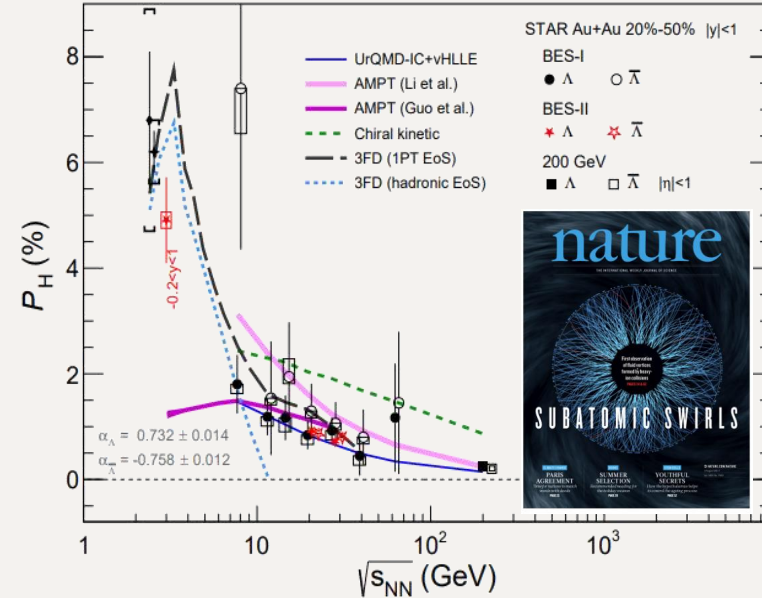
Hydrodynamic simulation

Becattini, Csernai, Wang PRC 2013

(other early simulations

Becattini, Inghirami, et. al., EPJC 2015;

Karpenko & Becattini, EPJC 2017)



Recent review

Becattini, Buzzegoli, Niida, Pu, Tang, JMPE 2024

“Spin sign puzzle”
for local polarization

➔ Talk by F. Becattini

Spin alignment



- Spin density matrix for a vector meson ($J^P = 1^-$)

$$\rho_{rs}^{S=1} = \begin{pmatrix} \rho_{+1,+1} & \rho_{+1,0} & \rho_{+1,-1} \\ \rho_{0,+1} & \rho_{00} & \rho_{0,-1} \\ \rho_{-1,+1} & \rho_{-1,0} & \rho_{-1,-1} \end{pmatrix}$$

$$= \frac{1}{3} + \frac{1}{2} P_i \Sigma_i + T_{ij} \Sigma_{ij}$$

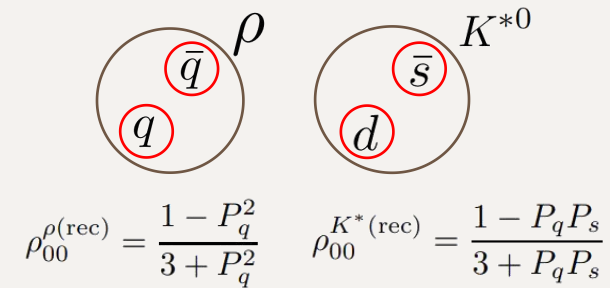
Spin alignment
= 1/3 for unpolarized meson

Vector polarization
(3 components, not measurable, parity odd)

Tensor polarization
(5 components, measurable, parity even)

- A meson's spin is determined by its constituent q & \bar{q}

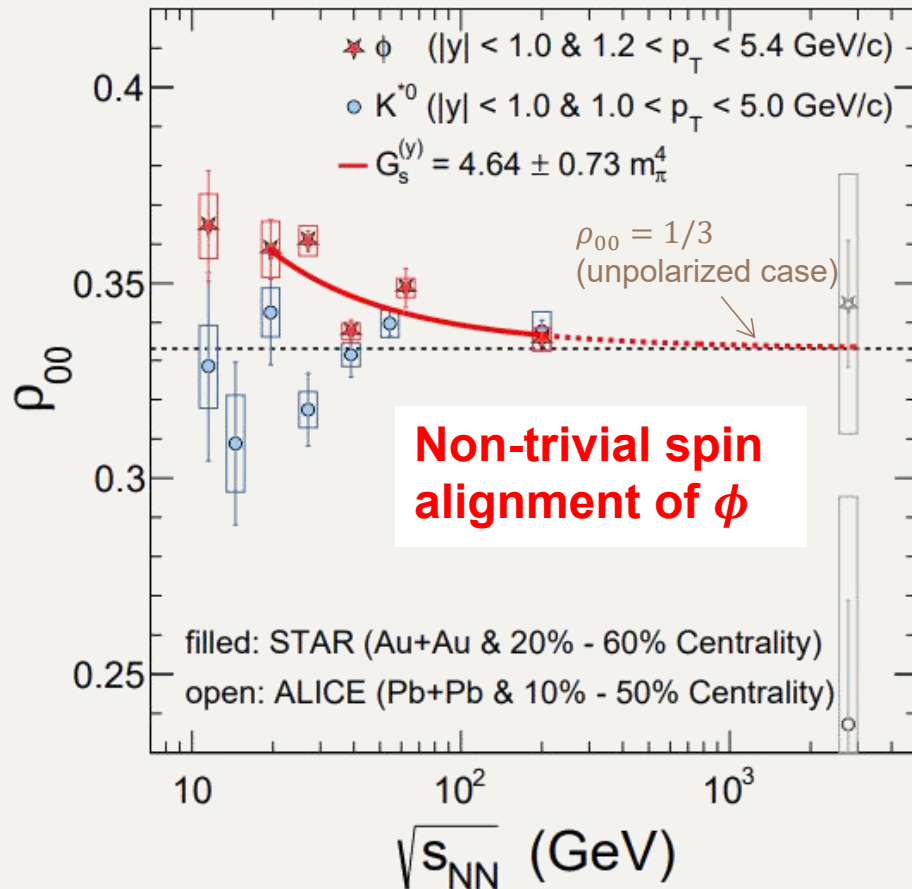
Z.-T. Liang & X.-N. Wang, PLB 629, 20 (2005)



Processes	Examples	Polar angle distribution $W(\theta)$	Spin is converted to
Strong p -wave decay	$K^{*0} \rightarrow K^+ + \pi^-$ $\phi \rightarrow K^+ + K^-$	$\frac{3}{4} [1 - \rho_{00} + (3\rho_{00} - 1) \cos^2 \theta]$	OAM
Dilepton decay	$J/\psi \rightarrow \mu^+ + \mu^-$	$\frac{3}{8} [1 + \rho_{00} + (1 - 3\rho_{00}) \cos^2 \theta]$	Spin

K. Schilling, P. Seyboth, G. E. Wolf, NPB 15, 397 (1970) [Erratum-ibid. B 18, 332 (1970)].
P. Faccioli, C. Lourenco, J. Seixas, H. K. Wohri, EPJC 69, 657-673 (2010)

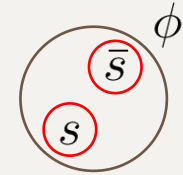
Global spin alignment



Experiment: STAR, Nature 614, 244 (2023)

Theory prediction: XLS, L. Oliva, Q. Wang, PRD 101, 096005 (2020); PRD 105, 099903 (2022) (erratum)

Non-relativistic spin coalescence



Spin triplet $\left\{ \begin{array}{l} \uparrow\uparrow \\ (\uparrow\downarrow + \downarrow\uparrow)/\sqrt{2} \\ \downarrow\downarrow \end{array} \right.$

In global OAM direction, spins of constituent quark/antiquark tend to align oppositely ??

$$\langle P_s^y P_{\bar{s}}^y \rangle < 0$$

Quark/antiquark are globally polarized

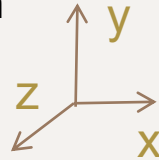
Z.-T. Liang, X.-N. Wang, PLB 629, 20 (2005)

Quark spin correlation



- Local polarization

$$(P^x, P^y, P^z)$$



- Spin correlation in quantization direction

$$\uparrow\uparrow \quad \rho_{00}^y < \frac{1}{3}$$

$$(\uparrow\downarrow + \downarrow\uparrow)/\sqrt{2} \quad \rho_{00}^y > \frac{1}{3}$$

- Spin correlation in transverse direction

$$\rightarrow\rightarrow = \frac{1}{2}(\uparrow\uparrow + \downarrow\downarrow) + \frac{1}{\sqrt{2}} \left[\frac{1}{\sqrt{2}}(\uparrow\downarrow + \downarrow\uparrow) \right]$$

$$\left\{ \begin{array}{l} S_y = +1 \quad 1/4 \\ S_y = 0 \quad 1/2 \\ S_y = -1 \quad 1/4 \end{array} \right.$$

$$\rho_{00}^y > \frac{1}{3} \quad \begin{cases} \langle P_q^x P_{\bar{q}}^x \rangle > 0 \\ \langle P_q^y P_{\bar{q}}^y \rangle = 0 \end{cases}$$

$$\frac{1}{\sqrt{2}}(\rightarrow\leftarrow + \leftarrow\rightarrow) = \frac{1}{\sqrt{2}}(\uparrow\uparrow - \downarrow\downarrow)$$

$$\left\{ \begin{array}{l} S_y = +1 \quad 1/2 \\ S_y = 0 \quad 0 \\ S_y = -1 \quad 1/2 \end{array} \right.$$

$$\rho_{00}^y < \frac{1}{3}$$

- Spin alignment \longleftrightarrow Anisotropy of spin correlation

Non-relativistic

$$\rho_{00} = \frac{1}{3} + \frac{4}{9} \left[\frac{1}{2} \langle \mathbf{P}_q^T \cdot \mathbf{P}_{\bar{q}}^T \rangle - \langle P_q^L P_{\bar{q}}^L \rangle \right]$$

X.-L. Xia, X.-G. Huang, PLB 817, 136325 (2021)
J.-H. Chen, Z.-T. Liang, Y.-G. Ma, XLS, Q. Wang,
Sci.China Phys.Mech.Astron. 68, 211001 (2025).

- Internal spin-spin interaction $\left\{ \begin{array}{l} \text{Significant } q\bar{q} \text{ spin correlation} \\ \text{No spin alignment} \end{array} \right.$

$$\Delta H = -\mathbf{S}_q \cdot \mathbf{S}_{\bar{q}} = -\frac{1}{2} [(\mathbf{S}_q + \mathbf{S}_{\bar{q}})^2 - \mathbf{S}_q^2 - \mathbf{S}_{\bar{q}}^2] \quad \text{Independent of } S_y$$

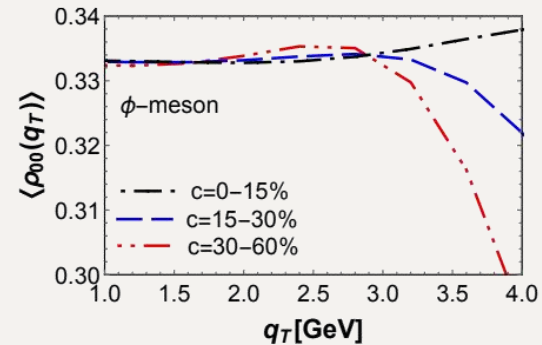
- Spin alignment induced by vorticity and magnetic field

$$\langle P_{q/\bar{q}} \rangle \approx \frac{1}{2} \langle \omega_y \rangle \pm \frac{Q_s}{2m_s T} \langle B_y \rangle \longrightarrow \rho_{00}^\phi \approx \frac{1}{3} - \frac{1}{9} \langle \omega_y \rangle^2 + \frac{Q_s^2}{9m_s^2 T^2} \langle B_y \rangle^2$$

$\lesssim 0.02$ $\lesssim 0.1 m_\pi^2$ $\sim 10^{-4}$ $\sim 10^{-5}$

- Hydrodynamic contributions to spin alignment are of $O(\partial^2)$

Numerical calculation including $O(\partial^2)$ contributions
 A. Kumar, D.-L. Yang, P. Gubler, PRD 109, 5 (2024)

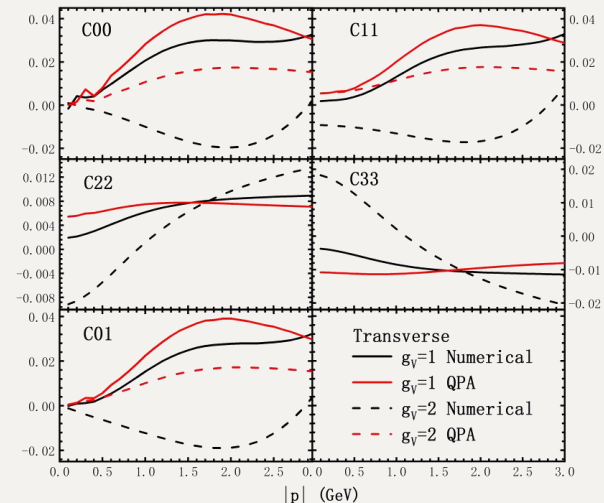


- Shear-induced spin alignment $O(\partial)$ contribution

$$\delta \rho_{00}(\mathbf{p}) = \delta \rho_{00}^{(\xi=0)}(\mathbf{p}) + \xi_{\mu\nu} C^{\mu\nu}(\mathbf{p})$$

Coefficient is $\sim 10^{-2}$

D. Wagner, N. Weickgenannt, E. Speranza, PRR 5, 013187 (2023)
 F. Li, S. Liu, arXiv: 2206.11890
 W.-B. Dong, Y.-L. Yin, XLS, S.-Z. Yang, Q. Wang, PRD 109, 5 (2024)



- Effective Lagrangian with strong interaction mediated by scalar and vector mesons

$$\mathcal{L}_{\text{eff}}(x) = \bar{\psi}(x) [i\partial \cdot \gamma - (m_0 + g_\sigma \sigma) - \boxed{g_V \gamma \cdot V}] \psi(x) + \frac{1}{2} (\partial_\mu \sigma \partial^\mu \sigma - m_\sigma^2 \sigma^2) + \frac{1}{2} m_V^2 V_\mu V^\mu - \frac{1}{4} V^{\mu\nu} V_{\mu\nu}$$

$$: \begin{pmatrix} \frac{\omega + \rho^0}{\sqrt{2}} & \rho^+ & K^{*+} \\ \rho^- & \frac{\omega - \rho^0}{\sqrt{2}} & K^{*0} \\ K^{*-} & \bar{K}^{*0} & \boxed{\phi} \end{pmatrix}$$

$$\partial_\mu V^{\mu\nu} + m_V^2 V^\nu = J^\nu \longrightarrow \phi^\mu \approx -(g_\phi / m_\phi^2) J_s^\mu$$

current-field identity in vector dominance model

Vector ϕ field might be generated from $s - \bar{s}$ asymmetry in their PDFs, or fluctuating strangeness current

- Polarization of s/\bar{s} in a thermal equilibrium system

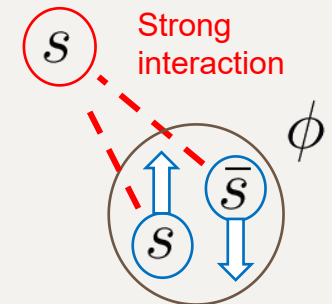
$$P_{s/\bar{s}}^\mu(x, p) \approx \frac{1}{4m_s} \epsilon^{\mu\nu\rho\sigma} p_\nu \left[\omega_{\rho\sigma} \pm \frac{Q_s}{(u \cdot p)T} F_{\rho\sigma} \pm \frac{g_\phi}{(u \cdot p)T} F_{\rho\sigma}^\phi \right] + \dots$$

Thermal vorticity field (rotation and acceleration)

Classical electromagnetic field

Vector ϕ field

$$\frac{g_\phi^2}{4\pi} \sim \mathcal{O}(1) \gg \frac{e^2}{4\pi}$$



L. P. Csernai, J. I. Kapusta, T. Wellwe, PRC 99, 2 (2019)
XLS, L. Oliva, Q. Wang, PRD 101, 9 (2020)

- Kadanoff-Baym equation \longrightarrow Matrix-form Boltzmann equation

$$k \cdot \partial_x f_{\lambda_1 \lambda_2}^V(x, \mathbf{k}) = \frac{1}{8} [\epsilon_\mu^*(\lambda_1, \mathbf{k}) \epsilon_\nu(\lambda_2, \mathbf{k}) C_{\text{coal}}^{\mu\nu}(x, \mathbf{k}) - f_{\lambda_1 \lambda_2}^V(x, \mathbf{k}) C_{\text{diss}}(x, \mathbf{k})]$$

Dilute gas approximation
 $f_q \sim f_{\bar{q}} \sim f_V \ll 1$

Meson polarization vectors

Coalescence kernel

Dissociation kernel
 (independent of quark distributions)

$$C_{\text{coal}}^{\mu\nu}(x, \mathbf{k}) = \int \frac{d^3 \mathbf{p}'}{(2\pi\hbar)^2} \frac{1}{E_{\mathbf{p}'}^{\bar{q}} E_{\mathbf{k}-\mathbf{p}'}^q} \delta(E_{\mathbf{k}}^V - E_{\mathbf{p}'}^{\bar{q}} - E_{\mathbf{k}-\mathbf{p}'}^q) \times \text{Tr} \{ \Gamma^\nu (p' \cdot \gamma - m_{\bar{q}}) [1 + \gamma_5 \gamma \cdot P^{\bar{q}}(x, \mathbf{p}')] \times \Gamma^\mu (k - p') \cdot \gamma + m_q [1 + \gamma_5 \gamma \cdot P^q(x, \mathbf{k} - \mathbf{p}')] \} \times f_{\bar{q}}(x, \mathbf{p}') f_q(x, \mathbf{k} - \mathbf{p}')$$

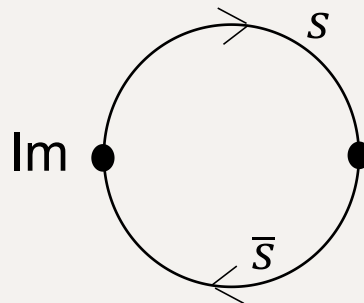
Energy conservation

$q\bar{q}V$ vertex

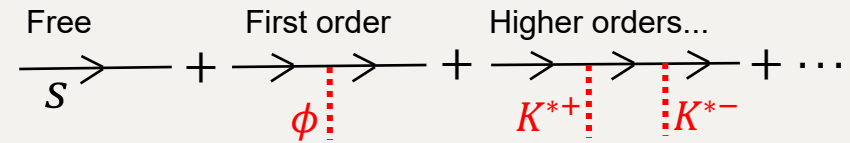
Polarizations of quark/antiquark

XLS, L.Oliva, Z.-T.Liang, Q.Wang, X.-N.Wang, PRD 109, 036004 (2024).

- Cutting rule:** Probability of $s + \bar{s} \rightarrow \phi$ is related to



Quark's full propagator



$$\propto (\gamma \cdot p + m)(1 + \gamma_5 \gamma \cdot P_q)$$

ϕ meson spin alignment



- Spin alignment of ϕ meson measured along direction of ϵ_0

$$\rho_{00} \approx \frac{1}{3} + C_1 \left[\frac{1}{3} \omega' \cdot \omega' - (\epsilon_0 \cdot \omega')^2 \right] + C_1 \left[\frac{1}{3} \epsilon' \cdot \epsilon' - (\epsilon_0 \cdot \epsilon')^2 \right] - \frac{4g_\phi^2}{m_\phi^2 T_h^2} C_1 \left[\frac{1}{3} \mathbf{B}'_\phi \cdot \mathbf{B}'_\phi - (\epsilon_0 \cdot \mathbf{B}'_\phi)^2 \right] - \frac{4g_\phi^2}{m_\phi^2 T_h^2} C_2 \left[\frac{1}{3} \mathbf{E}'_\phi \cdot \mathbf{E}'_\phi - (\epsilon_0 \cdot \mathbf{E}'_\phi)^2 \right]$$

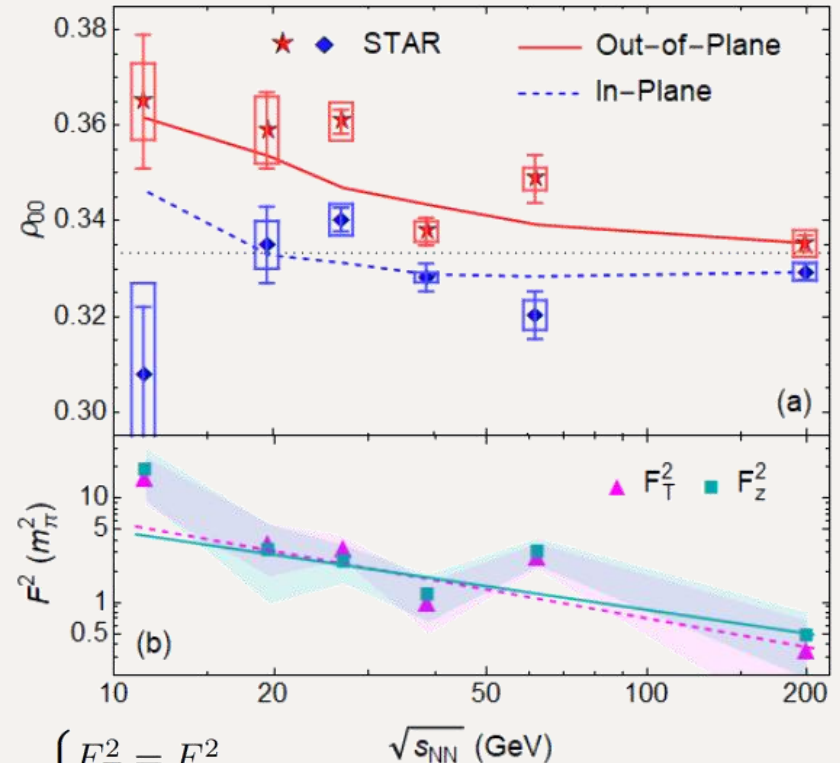
} small

↑
Fields in lab frame
Lorentz transform

$$\langle g_\phi^2 \mathbf{B}_\phi^i \mathbf{B}_\phi^j / T_h^2 \rangle = \langle g_\phi^2 \mathbf{E}_\phi^i \mathbf{E}_\phi^j / T_h^2 \rangle = F^2 \delta^{ij} + \Delta \hat{\mathbf{a}}^i \hat{\mathbf{a}}^j \begin{cases} F_T^2 = F^2 \\ F_z^2 = F^2 + \Delta \end{cases}$$

- Cancellation for mixing terms (because of CP and reflection symmetries)
- All field contributions appear quadratically, spin alignment measures **anisotropy of fluctuations in meson's rest frame**

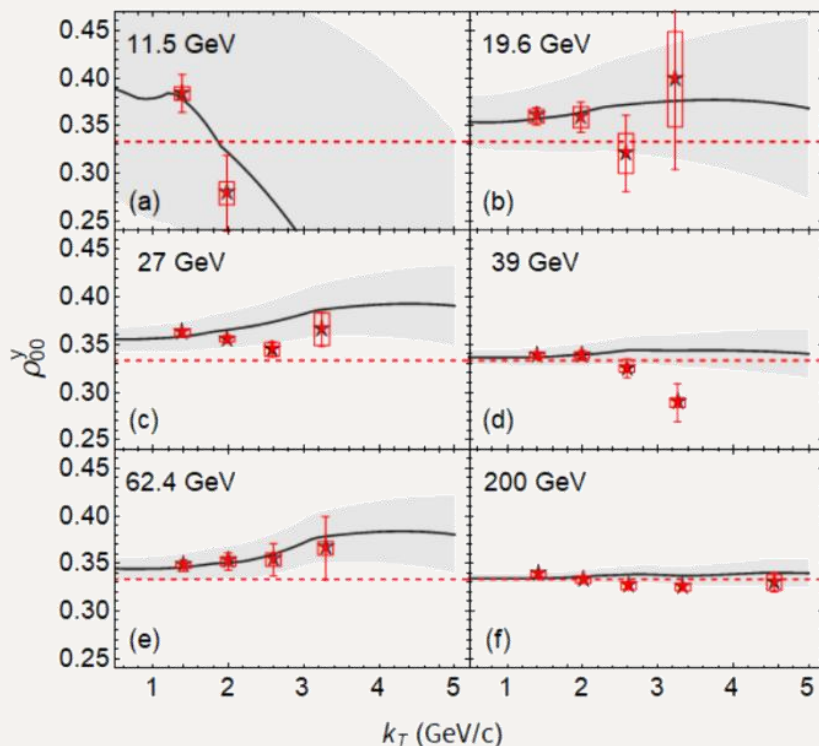
XLS, L.Oliva, Z.-T.Liang, Q.Wang, X.-N.Wang, PRL 131, 042304 (2023); PRD 109, 036004 (2024).



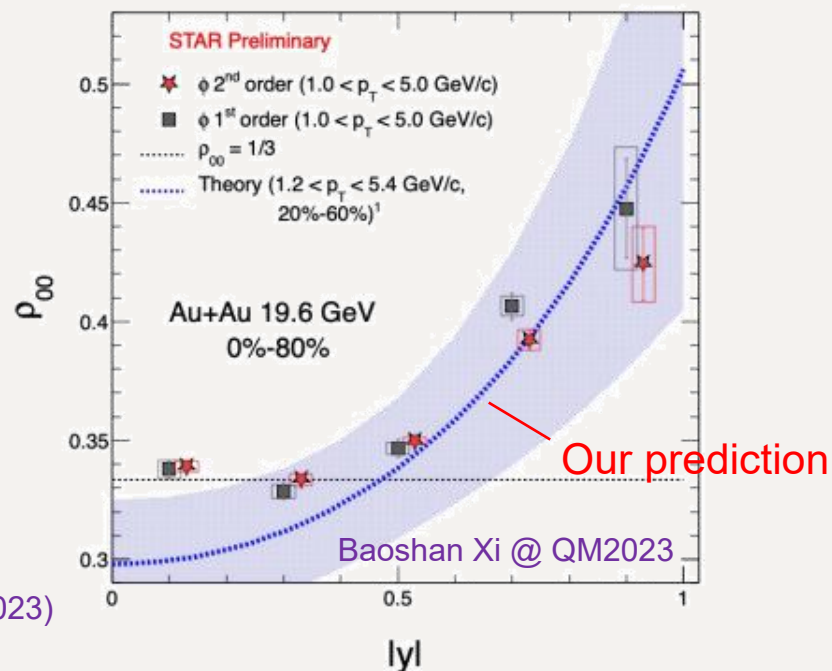
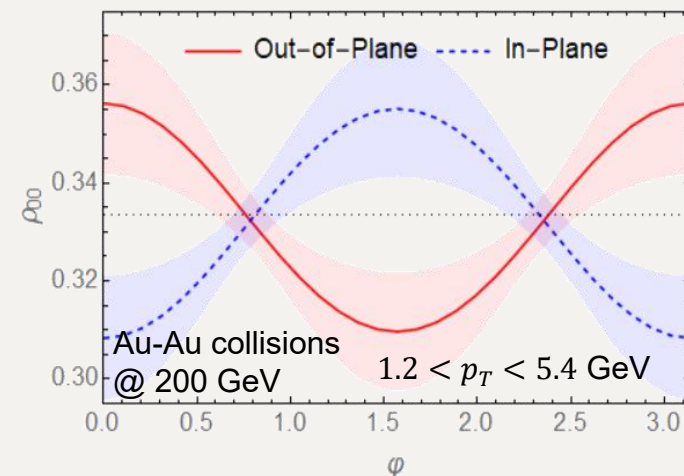
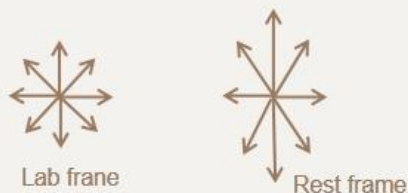
ϕ meson spin alignment



• Predictions for differential measurements



• Anisotropy induced by motion relative to background



XLS, L.Oliva, Z.-T.Liang, Q.Wang, X.-N.Wang, PRL 131, 042304 (2023)
XLS, S. Pu, Q. Wang, PRC 108, 054902 (2023).

- Color field (QCD) $\xrightarrow[\text{Low temperature}]{\text{Effective description}}$ Vector meson field
- Early stage / heavy quarkonium
- Freeze-out stage, light vector meson

- Global spin alignment induced by glasma fields / QGP color field fluctuations

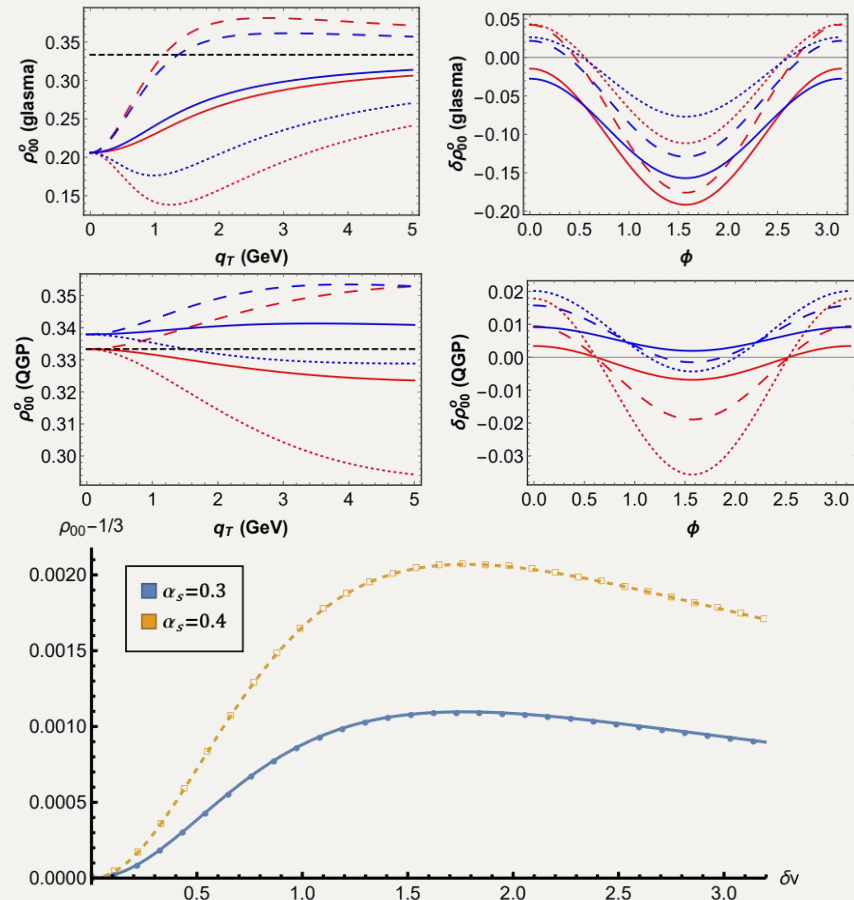
A. Kumar, B. Mueller, D.-L. Yang, PRD 107, 7 (2023); PRD 108,1 (2023)
 D.-L. Yang, X. Yao, PR 110, 7 (2024)
 D.-L. Yang, PRD 111, 5 (2025)

➡ Talk by D.-L. Yang

- In meson's rest frame, chromomagnetic field becomes anisotropic, leading to spin-dependent dissociation rates

Z. Chen, S. Lin, PRD 111, 7 (2025)
 G. Yan, S. Lin, PRD 113, 5 (2026)

➡ Talk by Shu Lin



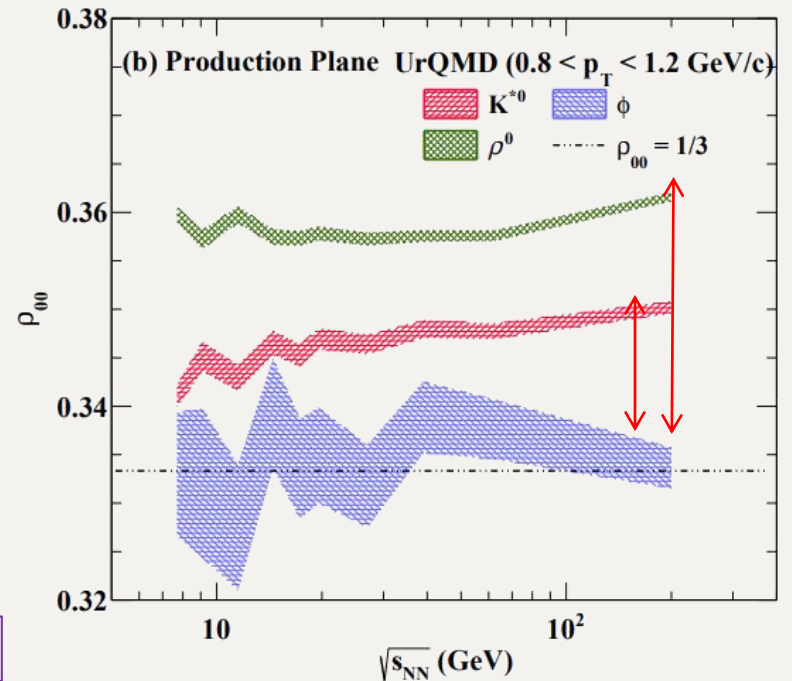
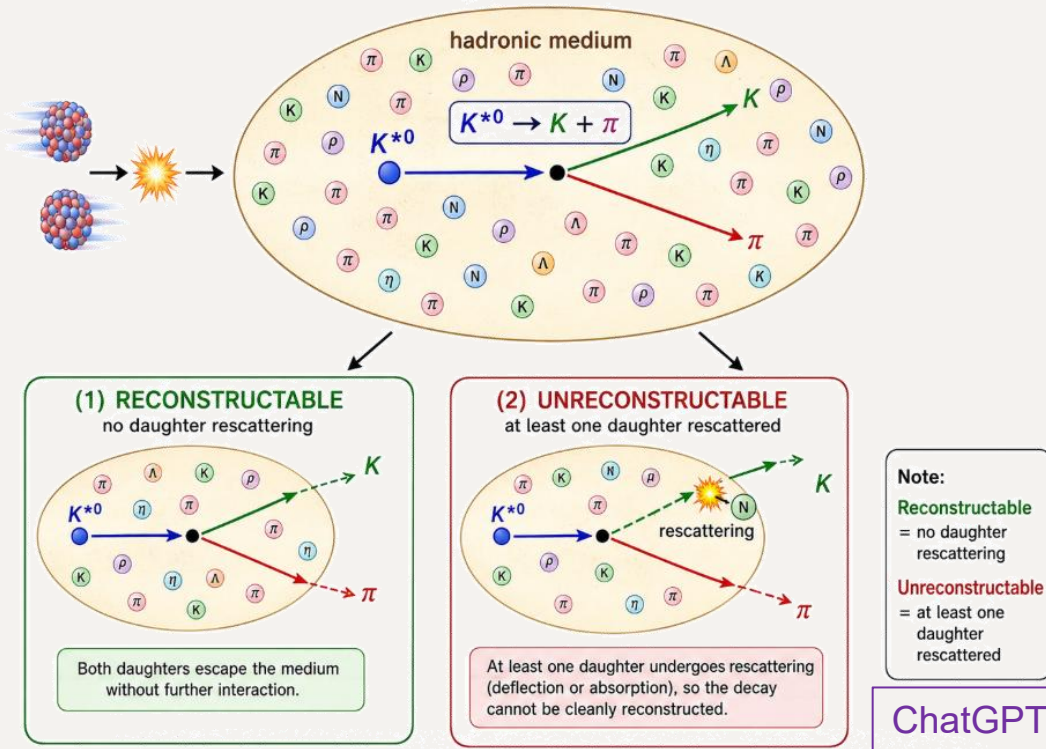
Rescattering effect

- For K^{*0} or ρ^0 , their lifetimes are comparable to time between chemical freeze-out and kinetic freeze-out

Z. Li, W. Zha, Z. Tang, PRC 106, 6 (2022)
 Z. Liu, Z. Li, W. Zha, Z. Tang, PLB 873, 140161 (2026)

- Significant for spin alignment w.r.t. production plane for K^{*0} or ρ^0

K^{*0} meson decay in a hadronic medium

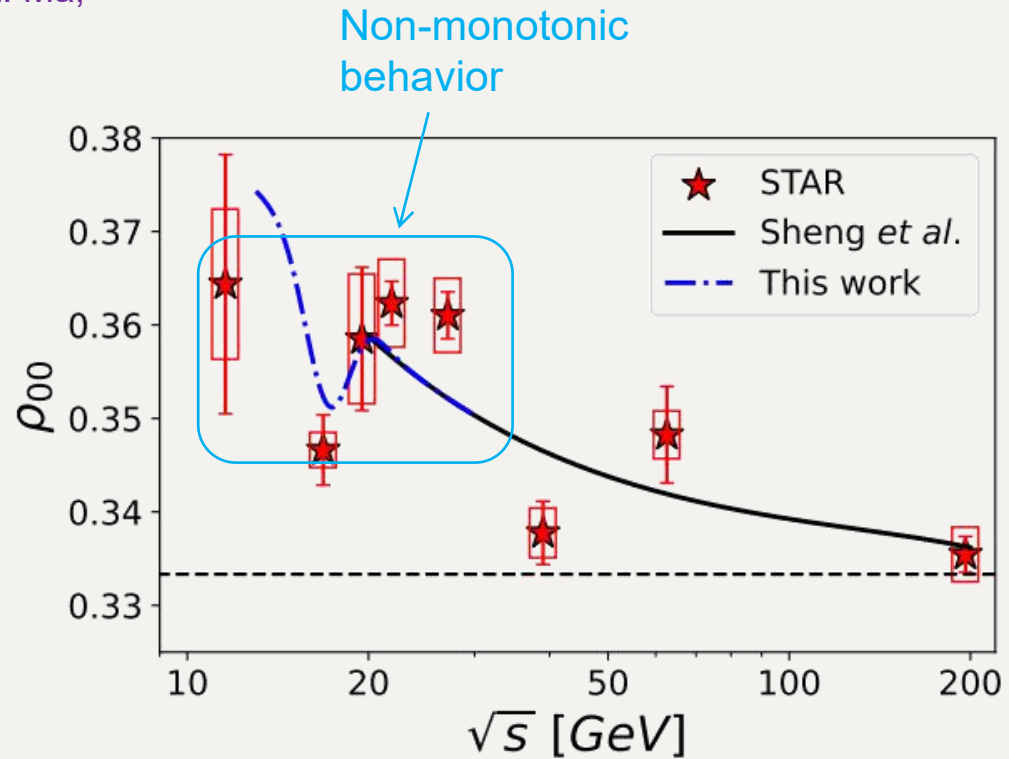
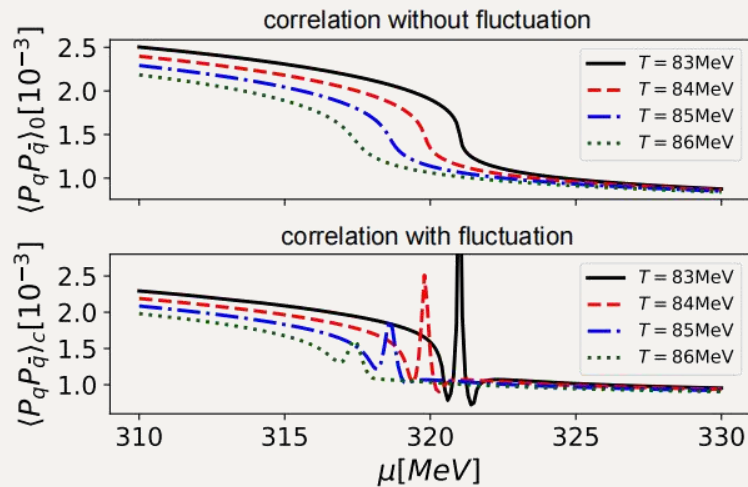


Spin alignment near critical point



- Near QCD critical point, **vorticity-induced** spin correlation can be significantly enhanced

H.-L. Chen, W.-J. Fu, X.-G. Huang, G.-L. Ma,
PRL 135, 3 (2025)

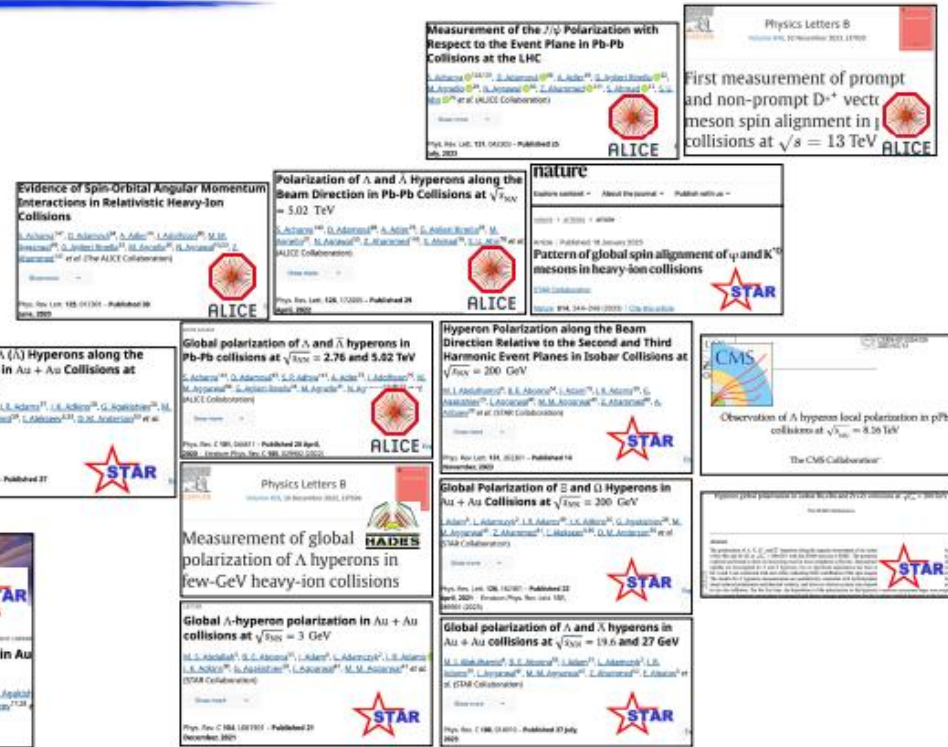


Could strong-field-induced spin alignment show similar behavior??

Rapidly growing topic with new measurements

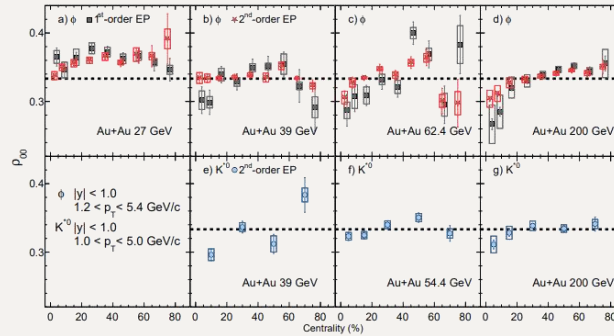
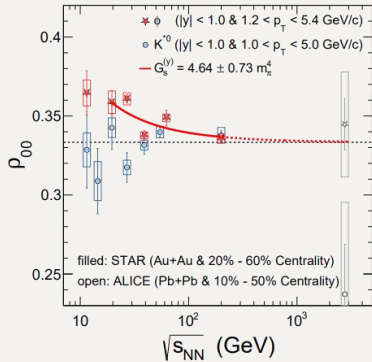
*Only experimental papers in HIC

➔ Talks by D.-Y. Shen, X.-M. Zhang, X.-R. Gou, J.-L. Zhang

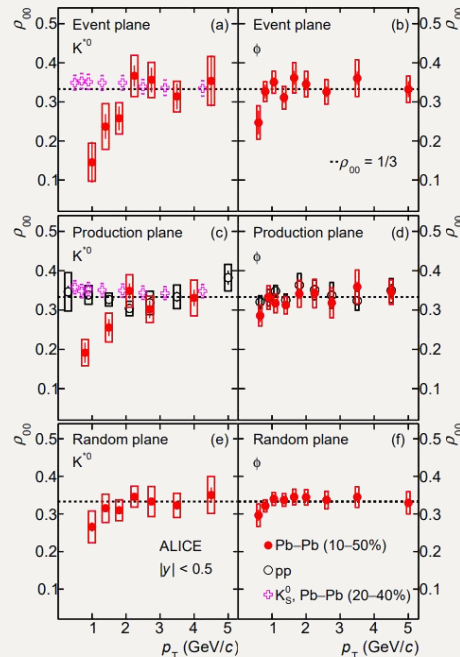
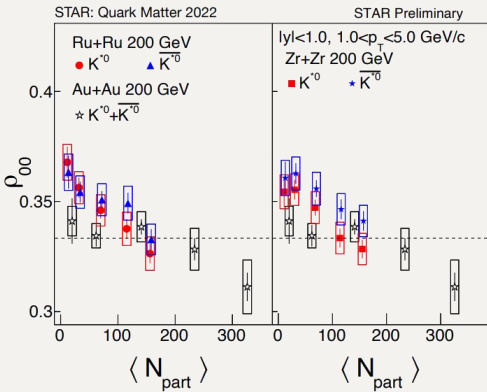


Different colliding systems

- ϕ and K^{*0} @ RHIC
STAR, Nature 614, 244 (2023)



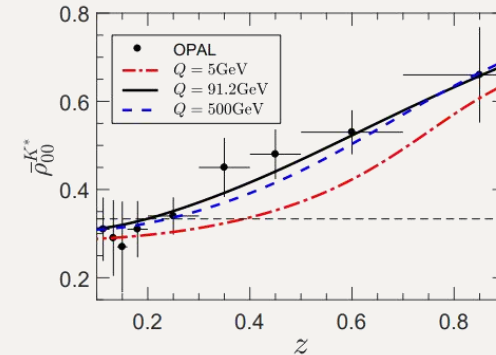
- K^{*0} @ RHIC Isobar
STAR Preliminary @ QM2022



K^{*0} in e^+e^- collisions

Exp.: OPAL, PLB 412, 210 (1997)

Theo.: K.-B. Chen, W.-H. Yang, Y.-J. Zhou, Z.-T. Liang, PRD 95, 3 (2017)

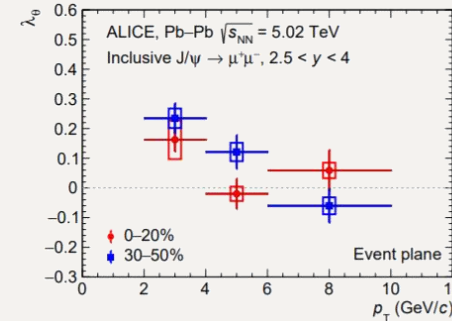
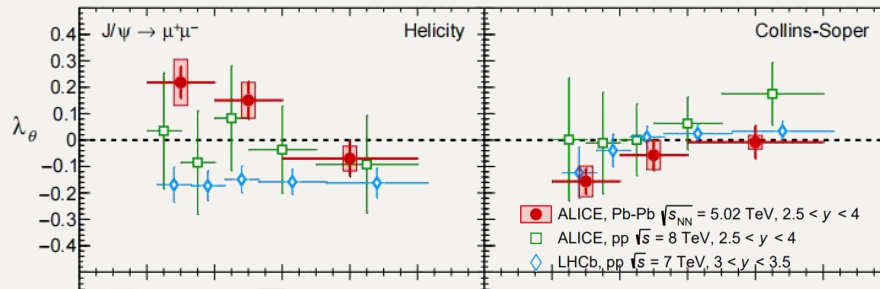


Meson spin alignment varies across different colliding systems

ϕ and K^{*0} @ LHC

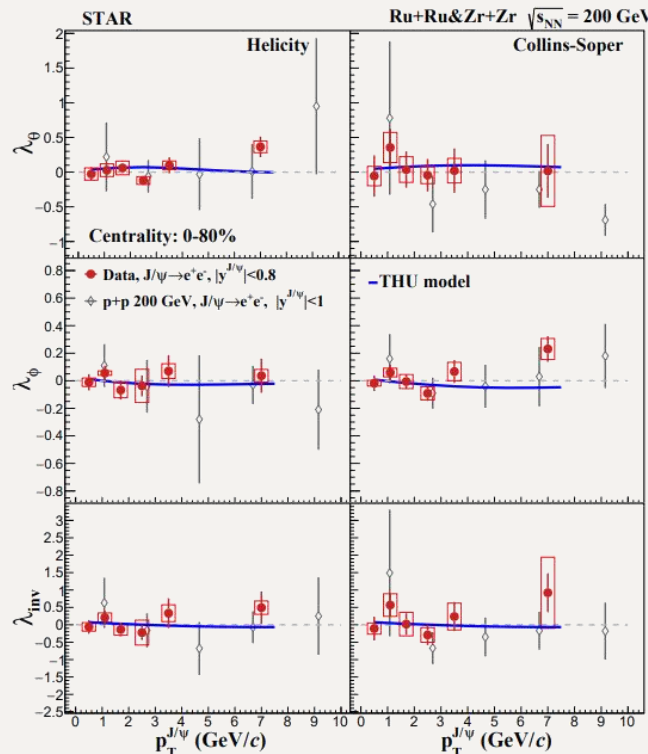
ALICE, PRL 125, 012301 (2020)

- Spin alignment of J/ψ @ LHC ALICE, PLB 815, 136146 (2021); PRL 131, 042303 (2023)

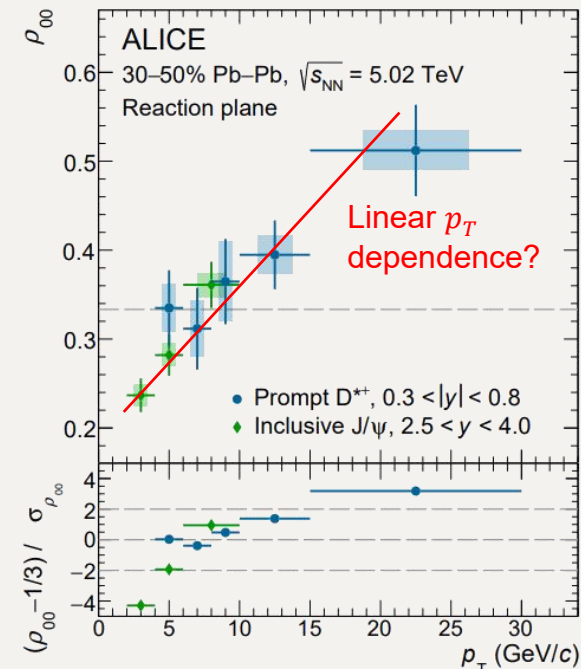


- No spin alignment of J/ψ @ RHIC isobar collisions

STAR, arXiv: 2604.07005



- Spin alignment of D^{*0} @ LHC



Off-diagonal elements



- Off-diagonal elements of spin density matrix

$$\text{Re}\rho_{1,-1}^y \approx \frac{1}{3} \langle P_q^z P_{\bar{q}}^z - P_q^x P_{\bar{q}}^x \rangle$$

$$\text{Im}\rho_{1,-1}^y \approx -\frac{1}{3} \langle P_q^z P_{\bar{q}}^x + P_q^x P_{\bar{q}}^z \rangle$$

$$\text{Re}(\rho_{10}^y - \rho_{-1,0}^y) \approx \frac{\sqrt{2}}{3} \langle P_q^y P_{\bar{q}}^z + P_q^z P_{\bar{q}}^y \rangle$$

$$\text{Im}(\rho_{10}^y - \rho_{-1,0}^y) \approx -\frac{\sqrt{2}}{3} \langle P_q^y P_{\bar{q}}^x + P_q^x P_{\bar{q}}^y \rangle$$

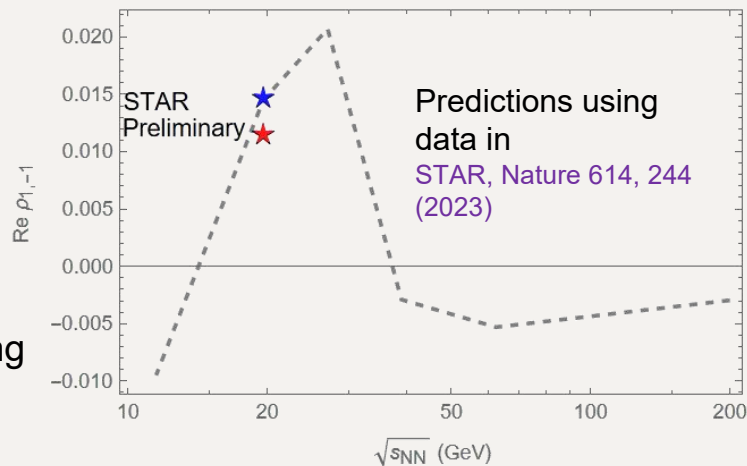
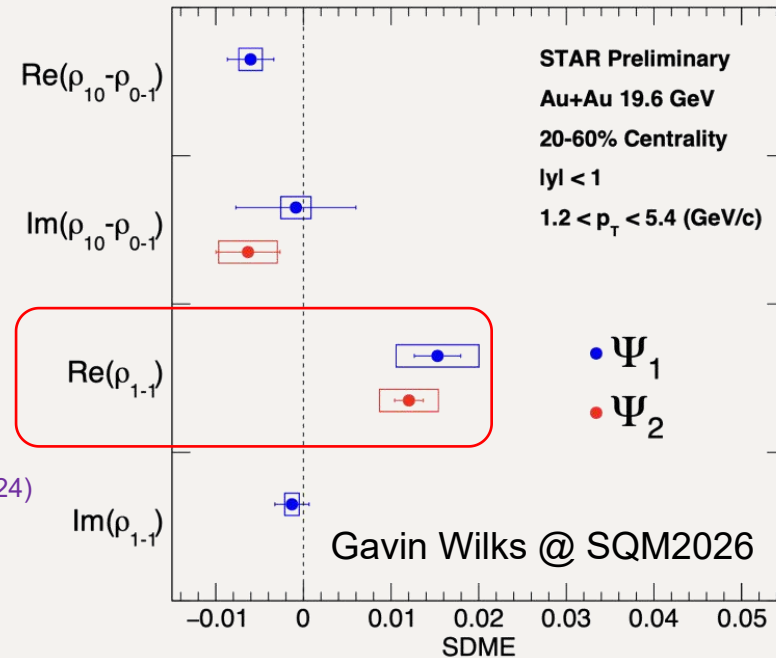
J.-P. Lv, Z.-H. Yu, Z.-T. Liang, Q. Wang, X.-N. Wang, PRD 109, 11 (2024)

J.-H. Chen, Z.-T. Liang, Y.-G. Ma, XLS, Q. Wang, Sci.China Phys.Mech.Astron. 68, 1 (2025)

- This can be easily proven by rotating the density matrix:

$$\text{Re}\rho_{1,-1}^y = \frac{1}{2} \left(\rho_{00}^y - \frac{1}{3} \right) + \left(\rho_{00}^x - \frac{1}{3} \right)$$

- Energy dependence provides a cross-check for previous data
- Differential measurements are important for probing anisotropy of quark spin correlations



Hyperon spin correlation

- Vector meson spin alignment vs. hyperon spin correlation

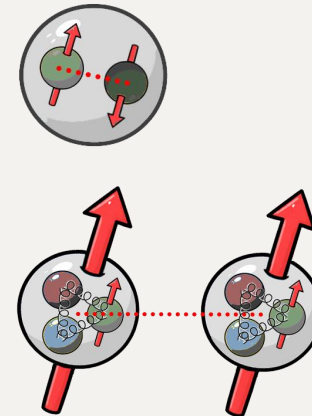
Produced from the same g or γ^* or vacuum spin-triplet state (pp collisions)

Interaction with QGP (AA collisions)

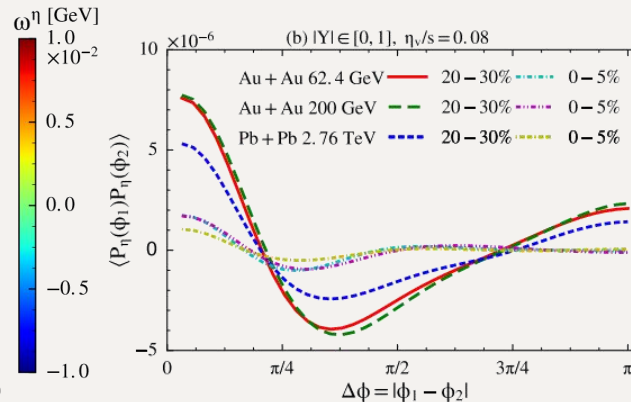
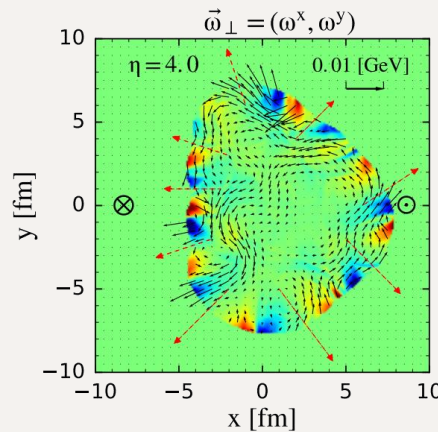


Short range (\approx meson size)

Long/short range



- Hyperon spin correlation induced by local vorticity [$O(\partial^2)$]



Vorticity-induced correlations are small. What about strong interaction?

L.-G. Pang, H. Petersen, Q. Wang, X.-N. Wang, PRL 117, 19 (2016)

Hyperon spin correlation



- Hyperon spin correlation:

$$C_{12}^{\mu\nu}(p_1, p_2) \equiv \langle P_1^\mu(x_1, p_1) P_2^\nu(x_2, p_2) \rangle \quad 4 \times 4 \text{ Lorentz tensor}$$

$$c_{12}^{ab}(p_1, p_2) \equiv n_{1,a}^\mu(p_1) n_{2,b}^\nu(p_2) C_{\mu\nu}^{12}(p_1, p_2), \quad a, b = x, y, z.$$

Correlation between spins in two particle's respective rest frames

$$\frac{9}{\alpha_1 \alpha_2} \langle \cos \theta_a^* \cos \theta_b^* \rangle$$

D. Shen, J. Chen, A. Tang,
arXiv: 2407.21291

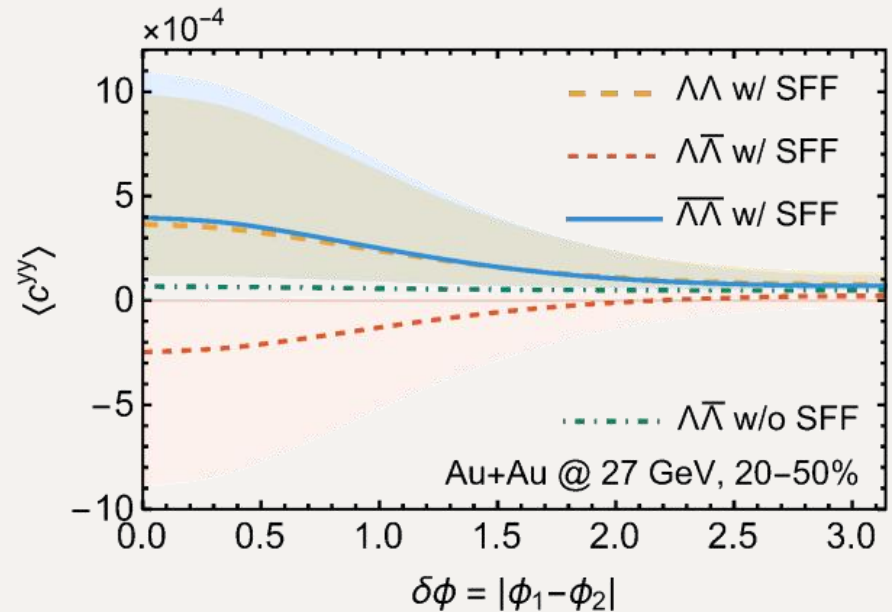
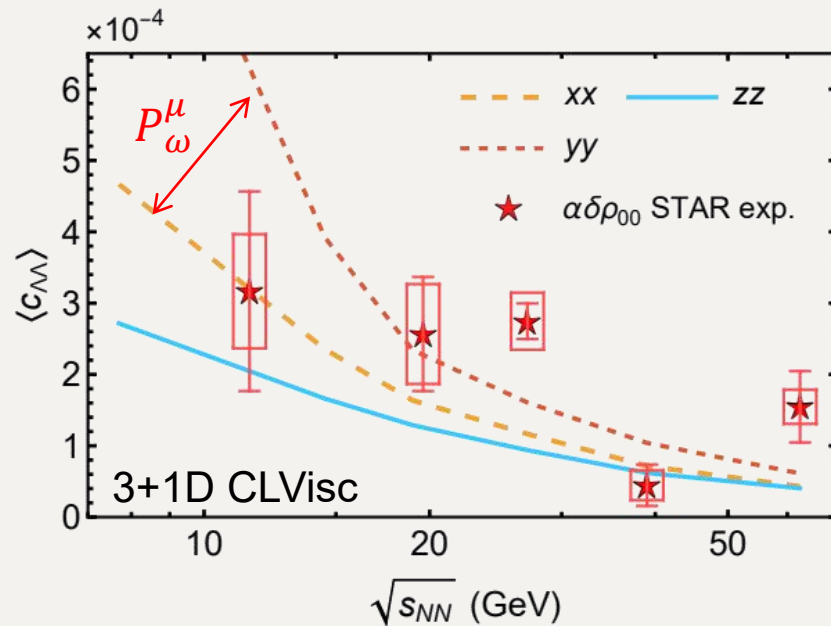
- Relating hyperon polarization to quark polarization

$$P_\Lambda^\mu(x, p) \approx P_s^\mu(x, R_s p)$$

$$P_{s/\bar{s}}^\mu(x, p) = \underbrace{P_\omega^\mu + P_{\text{shear}}^\mu + P_{\text{SHE}}^\mu}_{\text{Hydrodynamic effects}} + \underbrace{P_\phi^\mu}_{\text{Strong force field}}$$

Strong force field
(fluctuation extracted
from ϕ spin alignment)

Hydrodynamic effects



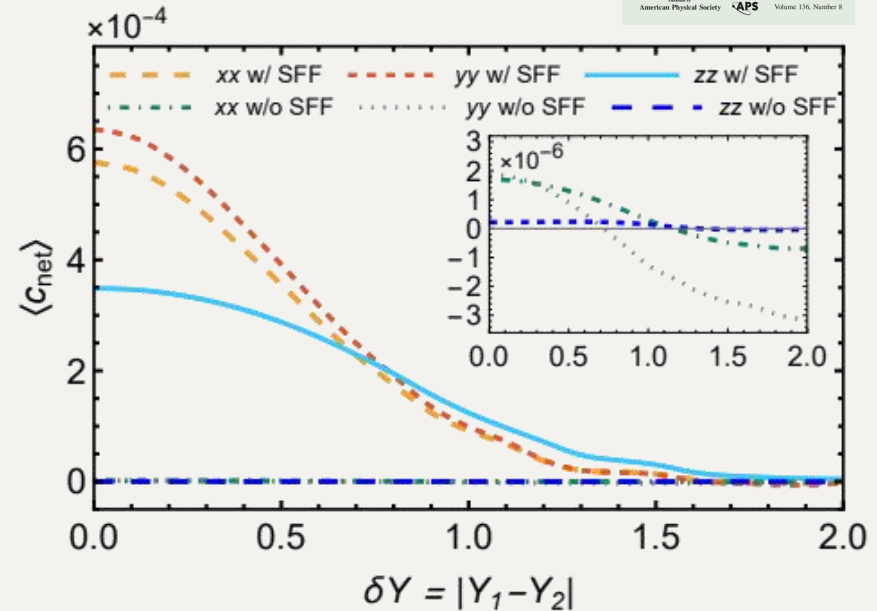
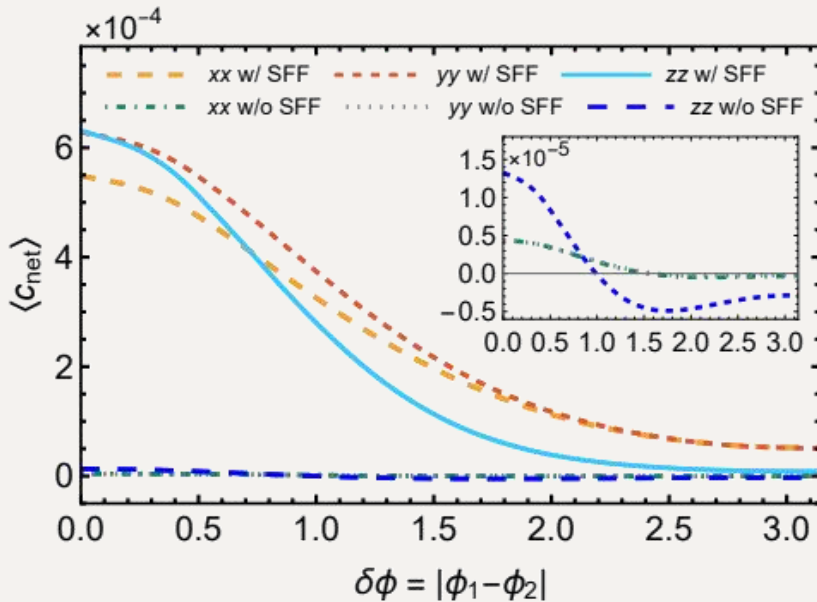
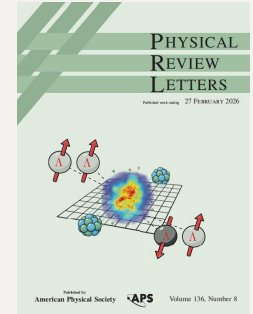
Net spin correlation



- **Net spin correlation:**
difference between “same-sign” and “opposite-sign” pairs

$$c_{\text{net}}^{ab} \equiv \frac{1}{2} (c_{\Lambda\Lambda}^{ab} + c_{\bar{\Lambda}\bar{\Lambda}}^{ab}) - c_{\Lambda\bar{\Lambda}}^{ab}$$

XLS, X.-Y. Wu,
X.-N. Wang,
PRL 136, 8 (2026)



- Spin correlation is small ($\sim 10^{-4}$)
- Converge to zeros at large $\delta\phi$ or δY (short-range)
- Hydrodynamic effect is suppressed by 1-2 orders of magnitude

- Participant nucleons carry random spins



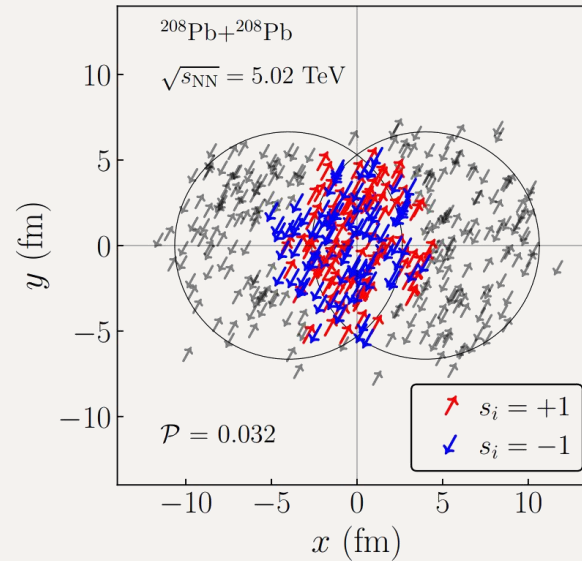
A nonzero initial net spin polarization



Spin correlation of final hadrons

G. Giacalone, E. Speranza, arXiv: 2502.13102

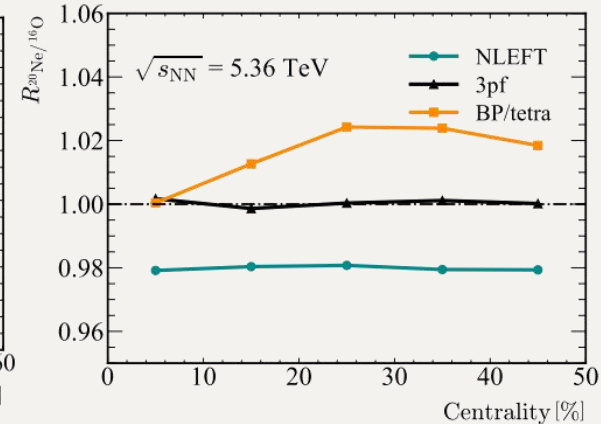
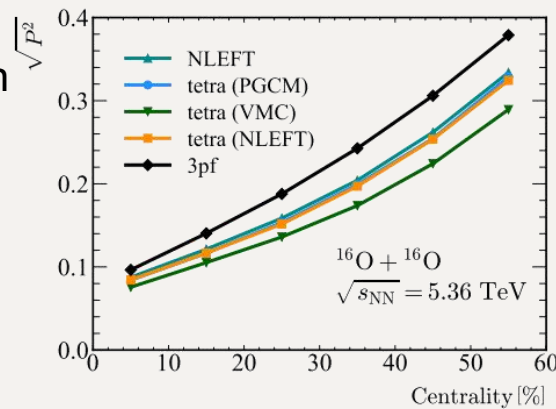
➡ Talk by E. Speranza



- Studying α -cluster structure in light nuclei using spin correlation

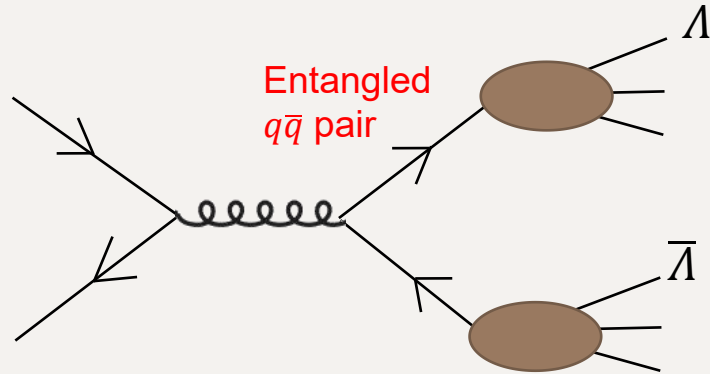
$$R_{20\text{Ne}/16\text{O}} \equiv \frac{\left(\sqrt{\langle \mathcal{P}^2 \rangle}\right)_{\text{scaled}}^{20\text{Ne}+20\text{Ne}}}{\left(\sqrt{\langle \mathcal{P}^2 \rangle}\right)_{\text{scaled}}^{16\text{O}+16\text{O}}}$$

X. Fan, J.-Q. Tao, Z.-F. Jiang, B.-W. Zhang, arXiv:2512.24079



Strong short-range spin–isospin correlation in α

- Hyperon spin correlation in s-channel $q\bar{q} \rightarrow q\bar{q} \rightarrow \Lambda\bar{\Lambda}X$

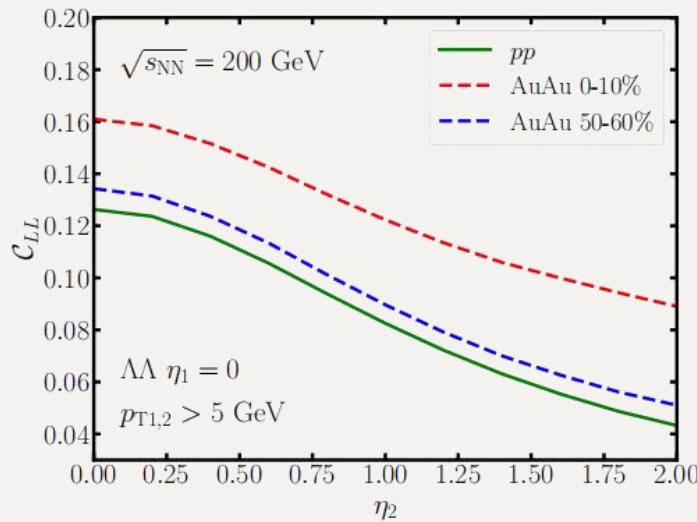
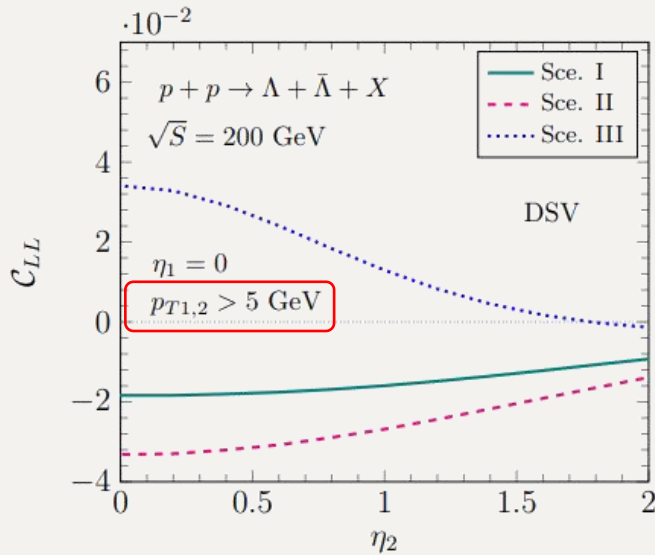


Quark spin transfer to Λ through **spin-dependent fragmentation functions**

→ measurable in $e^+e^- \rightarrow Z^0 \rightarrow q\bar{q} \rightarrow \Lambda X$

- D. Floreian, M. Strtman, W. Vogelsang, PRD 57, 5811 (1998)
- H.-C. Zhang, S.-Y. Wei, PLB 839, 13 (2023)
- X. Li, Z.-X. Chen, S. Cao, S.-Y. Wei, PRD 109, 01 (2024)
- S.-J. Lin, M.-J. Liu, D. Y. Shao, S.-Y. Wei, JHEP 11, 082 (2025)

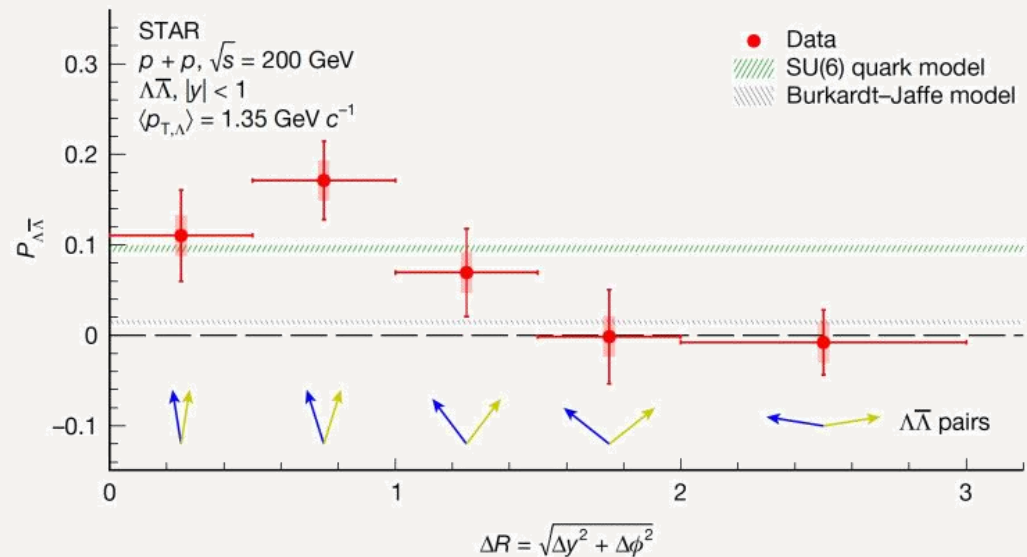
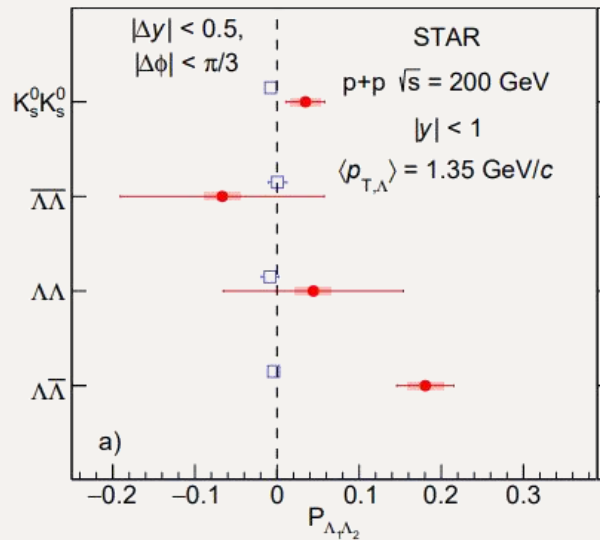
- Λ hyperon helicity correlation in pp & AA collisions



Strong $\Lambda\bar{\Lambda}$ spin correlation (dominated by t -channel)

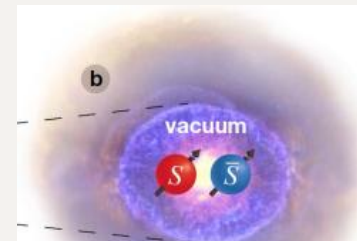
Enhanced correlation in AA collisions

- Hyperon spin correlation in p+p collisions @ RHIC ➔ Talks by X.-R. Gou, J.-L. Zhang



- Significant positive spin correlation for $\Lambda\bar{\Lambda}$
- No significant spin correlation for $\Lambda\Lambda$ and $\bar{\Lambda}\bar{\Lambda}$
- Converge to zero at large ΔR
- Evidence of quark condensate? (virtual pairs in vacuum are in spin triplet states)

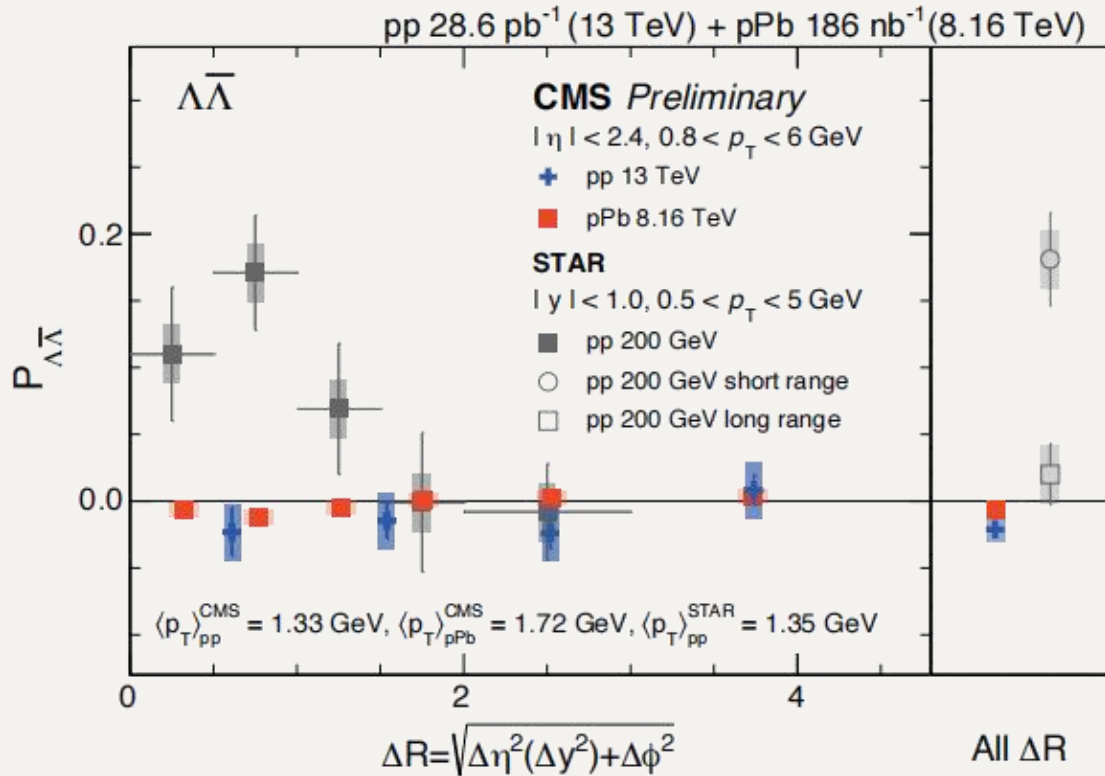
STAR, Nature 650, 44-45 (2026)



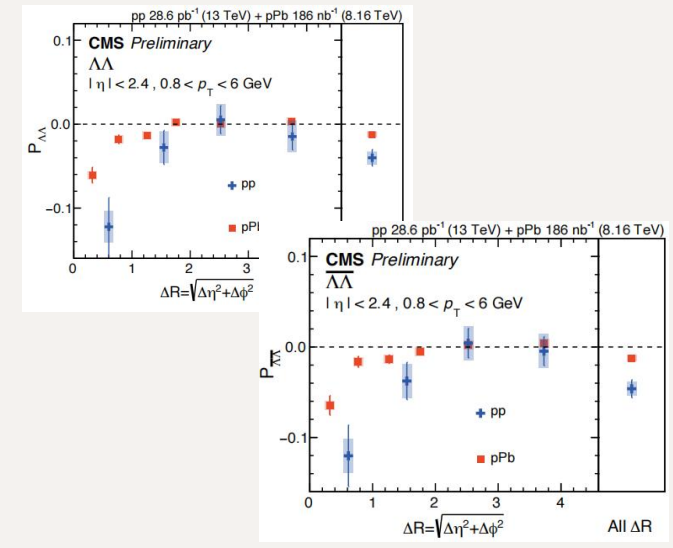
$$J^P = 0^+ \rightarrow L = S = 1$$

$$\langle \mathbf{S}_q \cdot \mathbf{S}_{\bar{q}} \rangle = \frac{1}{2} \langle (\mathbf{S}_q + \mathbf{S}_{\bar{q}})^2 - \mathbf{S}_q^2 - \mathbf{S}_{\bar{q}}^2 \rangle > 0$$

- Hyperon spin correlation in p+p (p+Pb) collisions @ CMS



pp 13 TeV
pp 200 GeV
pPb 8.16 TeV



Jieke Wang @ DIS2026

- $\Lambda\bar{\Lambda}$: Consistent with zero within uncertainties (hint of negative value)
- $\Lambda\Lambda$ & $\bar{\Lambda}\bar{\Lambda}$: Negative spin correlation at small ΔR
- Might be due to different production mechanisms, e.g. fragmentation, $gg \rightarrow s\bar{s}$?

Top-quark pair

- Spin density matrix of a top-quark pair

$$\rho = \frac{\mathbb{I}_4 + \sum_{i=1}^3 (B_i^+ \sigma^i \otimes \mathbb{I}_2 + B_i^- \mathbb{I}_2 \otimes \sigma^i) + \sum_{i,j=1}^3 C_{ij} \sigma^i \otimes \sigma^j}{4}$$

Polarization of t, \bar{t}

Spin correlation

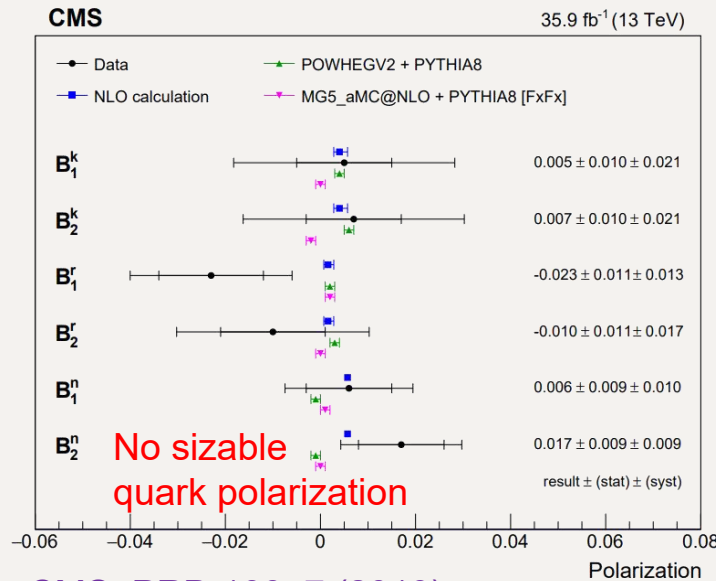
$gg \rightarrow t\bar{t}$ (spin-singlet state)

- Measured through angular distribution

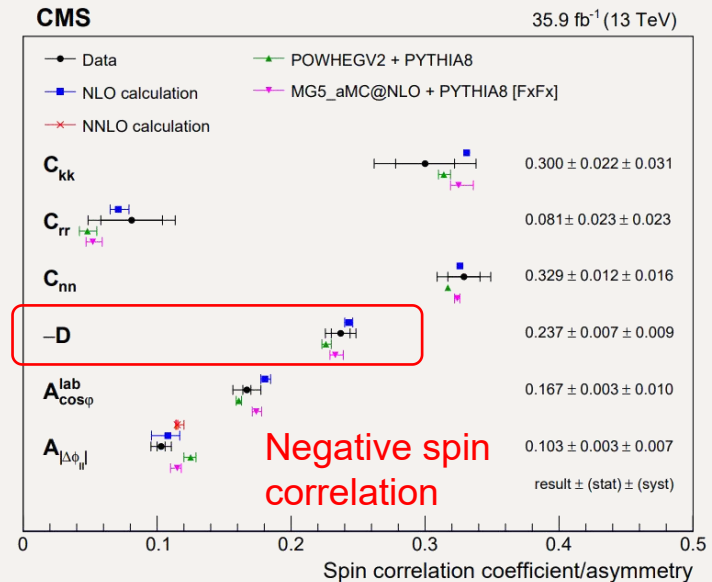
$$\frac{1}{\sigma} \frac{d\sigma}{d\Omega_1 d\Omega_2} = \frac{1}{4\pi^2} (1 + \alpha_1 \mathbf{B}_1 \cdot \hat{e}_1 + \alpha_2 \mathbf{B}_2 \cdot \hat{e}_2 + \alpha_1 \alpha_2 \hat{e}_1 \cdot \mathbf{C} \cdot \hat{e}_2)$$

$t \rightarrow b + W$

Weak decay

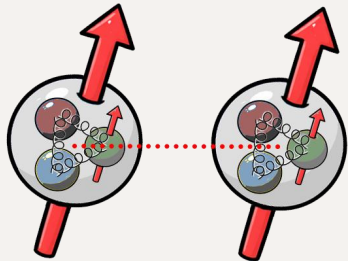


CMS, PRD 100, 7 (2019)



Negative spin correlation

Hyperons and hypernuclei



Λ spin = s quark spin?
 Λ spin correlation = s quark spin correlation?

Valid at leading order in P_q

- Spin correlation between constituent quarks give high order corrections

$$P_\Lambda = P_{sz} - \frac{\delta\rho_\Lambda}{C_\Lambda},$$

$$\delta\rho_\Lambda = c_{iz}^{(us)} P_{di} + c_{iz}^{(ds)} P_{ui} + c_{iiz}^{(uds)}$$

$$C_\Lambda = 1 - c_{ii}^{(ud)} - P_{ui} P_{di}.$$

$$\langle P_\Lambda P_\Lambda \rangle = \langle P_s P_s \rangle + \mathcal{O}[(P_q)^4]$$

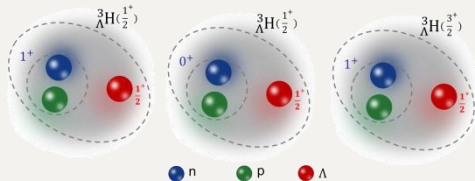
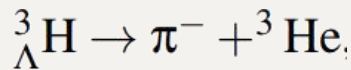
J.-P. Lv, Z.-H. Yu, Z.-T. Liang, Q. Wang, X.-N. Wang, PRD 109, 11 (2024)

also see:

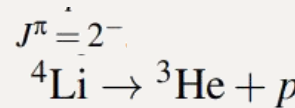
J.-P. Lv, Z.-H. Yu, X.-W. Li, Z.-T. Liang, arXiv:2603.15135

L. Oliva, Q. Wang, X.-N. Wang, arXiv: 2603.10427

- Spin of hypernuclei



Identifying internal spin structure through measuring its global polarization



➔ Talk by K.-J. Sun

$$\frac{dN}{\sin\theta^* d\theta^*} \approx \frac{1}{12} \left\{ 5 \times \frac{1}{2} \left[1 - \frac{7}{30} (\mathcal{P}_N^2 + 4\mathcal{P}_N \mathcal{P}_L + \mathcal{P}_L^2) (3\cos^2\theta^* - 1) \right] \right.$$

$$+ 3 \times \frac{1}{2} \left[1 - \frac{1}{6} (\mathcal{P}_N^2 - 4\mathcal{P}_N \mathcal{P}_L + \mathcal{P}_L^2) (3\cos^2\theta^* - 1) \right] + \frac{1}{2} + 3 \times \frac{1}{2} \left[1 - \frac{2}{3} \mathcal{P}_L^2 (3\cos^2\theta^* - 1) \right] \left. \right\}$$

$$\approx \frac{1}{2} \left[1 - \frac{1}{36} (5\mathcal{P}_N^2 + 8\mathcal{P}_N \mathcal{P}_L + 11\mathcal{P}_L^2) (3\cos^2\theta^* - 1) \right].$$

K.-J. Sun, D.-N. Liu, Y.-P. Zheng, J.-H. Chen, C. M. Ko, PRL 134, 2 (2025)

Y.-P. Zheng, D.-N. Liu, L.-W. Chen, et al. arXiv: 2509.15286

- Vector meson spin alignment
 - ↔ anisotropy of short-range quark spin correlation
 - ↔ strong-field fluctuations (vector meson field or color field)
 - ↑ anisotropy induced by motion of meson relative to QGP or intrinsic anisotropy of field fluctuations
- Identify different mechanisms for hyperon spin correlation

		$\Lambda\Lambda$ & $\bar{\Lambda}\bar{\Lambda}$	$\Lambda\bar{\Lambda}$	Net spin correlation
Intrinsic	Excited vacuum $0^+ q\bar{q}$	~ 0	+	-
	Partonic scattering / pair creation $gg \rightarrow q\bar{q}, qq \rightarrow qq, q\bar{q} \rightarrow q\bar{q}$	+	- (s-channel) + (t-channel) + (total)	+
	Initial net spin polarization	+	?	?
Field-induced	Hydrodynamic effects	+	+	~ 0
	Strong-force field	+	-	+