Ultraheavy Dark Matter Search in XENON1T PRL 130 (2023) 26, 261002

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Dual-phase Time Projection Chamber (TPC)

Pairing two signals: S1: prompt scintillation in **liquid** S₂: delayed proportional scintillation in **gas**

3D information: Hit pattern + drift time

Particle (WIMP):

- Most popular
- Thermal production valid up to the unitary limit (~104 GeV/c^2
- **High flux, low chance** \Rightarrow single scatter

XENONnT SR0: July 6 – Nov 10, 2021 95.1 days lifetime corrected (4.18 ± 0.13) t fiducial volume 1.1 tonne-year exposure

Delve Deep 105 in 20 years, will go below "neutrino floor/fog"

Search Wide "fill the gap" lower mass I higher mass

WIMP mass limited from GeV to 100 TeV, however:

- Asymmetric annihilation can dominate relic abundance Kaplan+ 0901.4117 Non-thermal productions:
- Gravitational production MacGibbon 1987, Aharonov+ 1987
- Dark quark nuggets/composite states Detmold+1406.2276, Hardy+1504.05419
- Primordial black hole relics Detmold+1406.2276, Hardy+1504.05419
- Heavy dark monopoles Bai+ 2005.00503, Murayama+ 0905.1720 Shengchao Li

Filling up the Gap

- ⍴ ≈ **0.3 GeV/c2 cm[−]³**
- **Total flux limit** $(1/m^2 \cdot year)$
- **Multiple scatters** dominate the highmass DM signal
- Less constraint from **overburden** higher momentum

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MIMP-Xe Kinematics

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Magnetic Monopole as a DM Candidate Bait 2005.00503 Bai+ 2005.00503

Dark t' Hooft-Polyakov monopoles:

$$
\mathcal{L}_{\text{dark}}=\frac{1}{2}\,(D_\mu\Phi)^2-\frac{1}{4}\text{Tr}(F_{\mu\nu}F^{\mu\nu})-\frac{\lambda}{4}\left(|\Phi|^2-f^2\right)^2
$$

Production mechanism:

- Kibble-Zurek mechanism during a first or second order phase transition
- Inflation oscillations induce a parametric resonance during preheating

Monopole radius v.s. elastic scattering cross section:

$$
\sigma_{N\overline{\omega}}^{\text{elastic}} \approx \frac{\sigma_{A\overline{\omega}}^{\text{elastic}}}{A^2} = 4\pi \frac{1}{A^2} \left| \frac{m_A}{q} \int_0^\infty dr \, r \sin(qr) V(r) \right|^2
$$
\nHiggs profile around the
\n
$$
\approx \frac{16\pi}{9} m_N^2 A^2 y_{hNN}^2 v^2 R_{\overline{\omega}}^6 \Rightarrow \sigma \sim R^6 \text{relation}
$$
\nWith larger radius, saturates at the geometric cross section $\sigma_{A\overline{\omega}}^{\text{elastic}} \approx 2\pi R_{\overline{\omega}}^2$
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MIMP-Xe Scattering Cross-sections

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v is the lab-frame velocity of the isothermal DM halo

Max(q²) of a 10¹⁸GeV MIMP and a 1TeV WIMP differ by **20%** ⇒ Similar form factor integrals

Consider: spin-independent(SI) and spin-dependent(SD) cases (131Xe, 129Xe)

MIMP Track-like Signature

$$
t = (\frac{L_{det}}{1m})(\frac{10^{-3}c}{v_{MIMP}}) \cdot 1 \mu s
$$

 $0.2 \mu s < 1 \mu s < 100 \mu s$ S₁ S₂

Prompt long-duration scintillation signal in liquid Xe ⇒ **"Smoking gun" signature**, almost background-free

Strong ionization signal to follow

⇒ Directional DM detection (*future efforts)

Simulated MIMP Waveform

Unique signature of MIMP

MIMP Track-like Signature

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Counts Data Non-blinded Here, MIMP tracks with various orientations and multiplicity are simulated, overlaid with pre-unblinded data

The **duration** and **location** of the light form a strong combination in selecting MIMP signals

*4% validation dataset, after quality cuts

Backgrounds of MIMP Search

*4% validation dataset, after quality cuts

A: isolated S2 (gas, nearelectrodes)

B: merged S1-S2 peak

C: baseline fluctuation due to PMT flasher

D: merged S1-S1 peak from consecutive 212BiPo or 214 BiPo decays, consistent with rate expectation

Muon Background O(5000) cosmic muons

*4% validation dataset, after quality cuts

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crossed our TPC in LNGS

O(1)ns crossing time, but… vertical muons can simultaneously ionize the gas and liquid xenon, producing fake signals overlapping the MIMP ROI

This effect was studied with a "muon dataset" tagged by a water Cherenkov muon veto 0.5% leakage possibility gives **0.05 background** *XENON, 1406.2374 (2015)*

Spin-dependent Limits (neutron)

Zero MIMP candidates in 188.7 m2×day exposure

First spin-dependent constraint

Strong MIMP-neutron limit due to unpaired neutrons in xenon nuclei that are naturally abundant

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Spin-dependent Limits (proton)

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Zero MIMP candidates in 188.7 m2×day exposure

First spin-dependent constraint

MIMP-proton scattering limit dominated by theoretical uncertainty

Spin-independent Limits (no scaling) ¹⁸

Zero MIMP candidates in 188.7 m2×day exposure Assume MIMP is opaque to

the nucleus ⇒ per-nucleus basis to compare across different detector targets

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Spin-independent Limits (A4 scaling)

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Zero MIMP candidates in 188.7 m2×day exposure

Probed new DM parameter space in mass and crosssection by factors of 10~20

Limit on Dark Monopole

We adapted the Fig. 5 from Bai+ 2005.00503 to show constraints on dark monopole mass and radius

Green box is our new multiscatter limits adapted schematically from SI cross sections

Blue lines show the sensitivity prediction for the next generation LXe experiments

Takeaways

- **Ton-scale liquid xenon TPC** can be used for searching DM models with a much expanded mass range
- The idea of **ultraheavy DM** is theoretically motivated (e.g., dark monopoles) and experimentally accessible
- o With a large total mass and heavy nucleus, a "track" search in XENON1T set new constraints on ultraheavy DM close to the Planck mass

Backups

Signal Acceptance 23

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From the Monte Carlo simulation

62% geometric acceptance included

SD w/ lower acceptance due to higher energy NR causing waveform fluctuation

Maximum cut-off due to computational complexity

Earth's Overburden 24

For heavy MIMP, its energy loss modeled as a continuous process along a straight trajectory across Earth

Effect is below 1% level for the crosssection simulated

DM-Xenon Interactions

Spin-independent:

 $\frac{d\sigma^{\rm SI}_{A,\chi}}{dq^2} = \frac{\mu^2_{A,\chi}}{\mu^2_{\rm nucleon,\chi}} A^2 |F_A(q)|^2 \sigma^{\rm SI}_{\rm nucleon,\chi}$

Spin-dependent:

$$
\frac{d\sigma_{A,\chi}^{\text{SD}}}{dq^2} = \frac{4}{3} \frac{\pi}{2J+1} \frac{\mu_{A,\chi}^2}{\mu_{n/p,\chi}^2} S_A^{a_0=1, a_1=\mp 1}(q) \sigma_{n/p,\chi}^{\text{SD}}
$$

$$
S_A(0) = \frac{(2J+1)(J+1)}{4\pi J} |(a_0+a_1)\langle S_p\rangle + (a_0-a_1)\langle S_n\rangle|^2
$$

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LZ Preliminary Limits

- Focus on low multiplicity and collinearity
- Better in cross-section due to larger exposure
- Did not go into high multiplicity due to resolution

