



中国科学技术大学

University of Science and Technology of China

Measurement of $e^+e^- \rightarrow K^+K^-$ Cross Section via an untagged ISR Photon

Hua Shi¹, Yijing Wang¹, Huiliang Xia¹, Tiantian Lei¹, Dong Liu¹, Weiping Wang^{2,1},
Dexu Lin³ and Guangshun Huang¹

¹University of Science and Technology of China

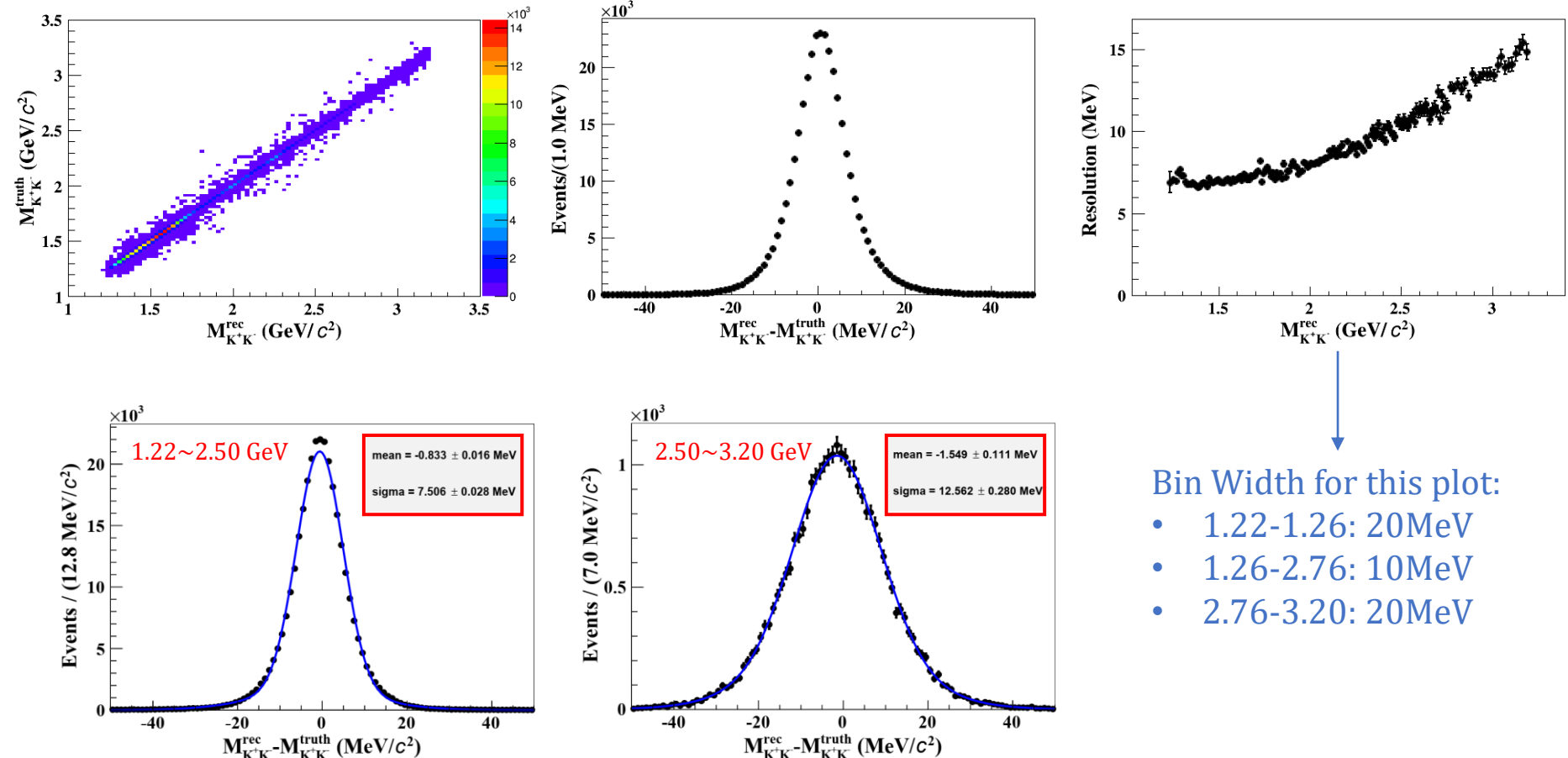
²Johannes Gutenberg University Mainz

³Institute of Modern Physics, CAS

Group Meeting

Sep. 11th, 2024

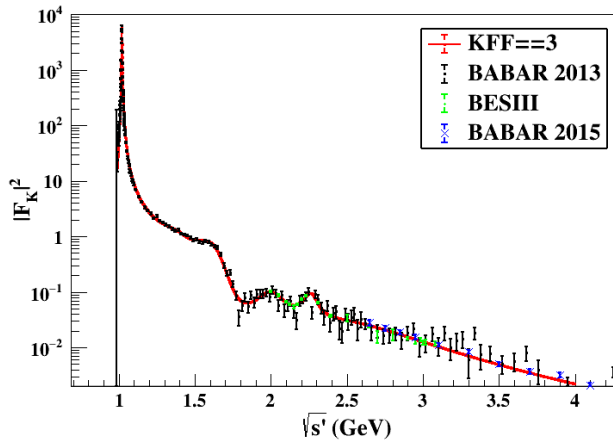
➤ Resolution of $M(K^+K^-)$:



Bin Width for this plot:

- 1.22-1.26: 20MeV
- 1.26-2.76: 10MeV
- 2.76-3.20: 20MeV

- ϕ width:
$$\Gamma_\phi(s) = \Gamma_\phi \left[\mathcal{B}(\phi \rightarrow K^+ K^-) \frac{\Gamma_{\phi \rightarrow K^+ K^-}(s, m_\phi, \Gamma_\phi)}{\Gamma_{\phi \rightarrow K^+ K^-}(m_\phi^2, m_\phi, \Gamma_\phi)} + \mathcal{B}(\phi \rightarrow K^0 \bar{K}^0) \frac{\Gamma_{\phi \rightarrow K^0 \bar{K}^0}(s, m_\phi, \Gamma_\phi)}{\Gamma_{\phi \rightarrow K^0 \bar{K}^0}(m_\phi^2, m_\phi, \Gamma_\phi)} + 1 - \mathcal{B}(\phi \rightarrow K^+ K^-) - \mathcal{B}(\phi \rightarrow K^0 \bar{K}^0) \right]$$
- ρ width:
$$\Gamma_\rho(s) = \Gamma_\rho \frac{s}{m_\rho^2} \left(\frac{\beta(s, m_\pi)}{\beta(m_\rho^2, m_\pi)} \right)^3 \quad \beta(s, m) = \sqrt{1 - 4m^2/s}$$
- BW:
$$BW(s, m, \Gamma) = \frac{m^2}{m^2 - s - i\sqrt{s}\Gamma(s)}$$

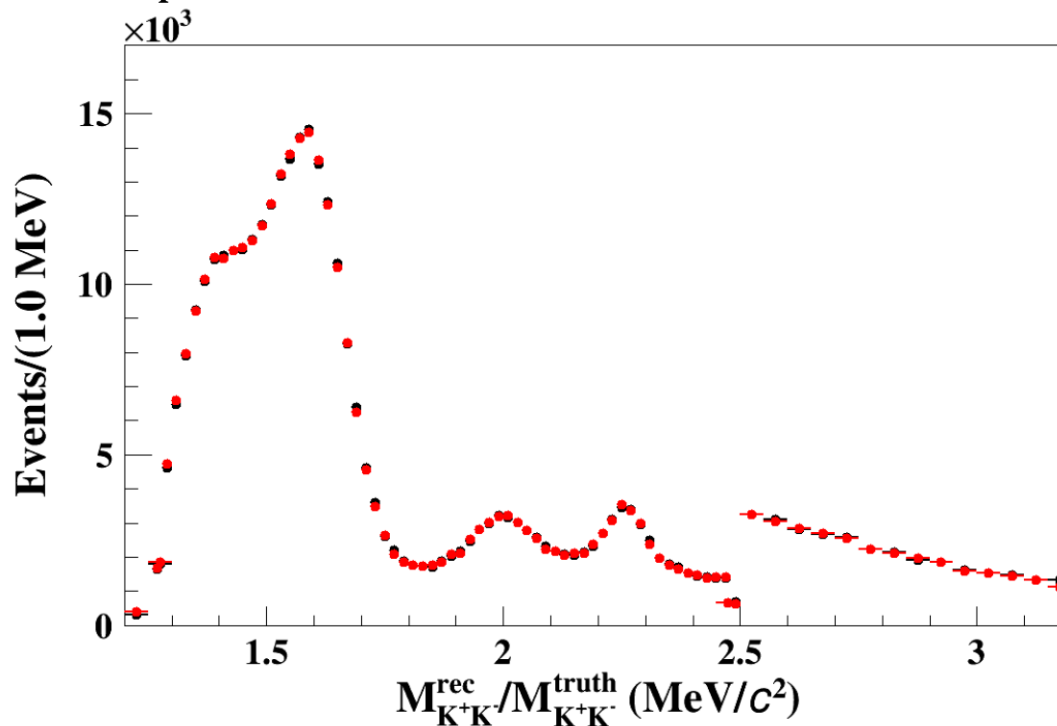


Resonance	mass	width	coefficient
ϕ	1.019	0.004	0.999
	1.680	0.150	0.069
	2.265	0.100	-0.068
ω	0.783	0.008	2.986
	1.420	0.200	-0.240
	1.670	0.315	-2.250
	2.412	1.097	0.504
ρ	0.775	0.149	0.547
	1.465	0.400	0.105
	1.720	0.250	0.289
	2.005	0.206	0.059

➤ According to $M(K^+K^-)$ resolution and $M(K^+K^-)$ distribution of data from 1.22 GeV to 3.2 GeV:

- From 1.22 to 1.27 GeV, interval size is 50 MeV
- From 1.27 to 2.49 GeV, interval size is 20 MeV
- From 2.49 to 3.19 GeV, interval size is 50 MeV

➤ The comparison between MC and MC truth:





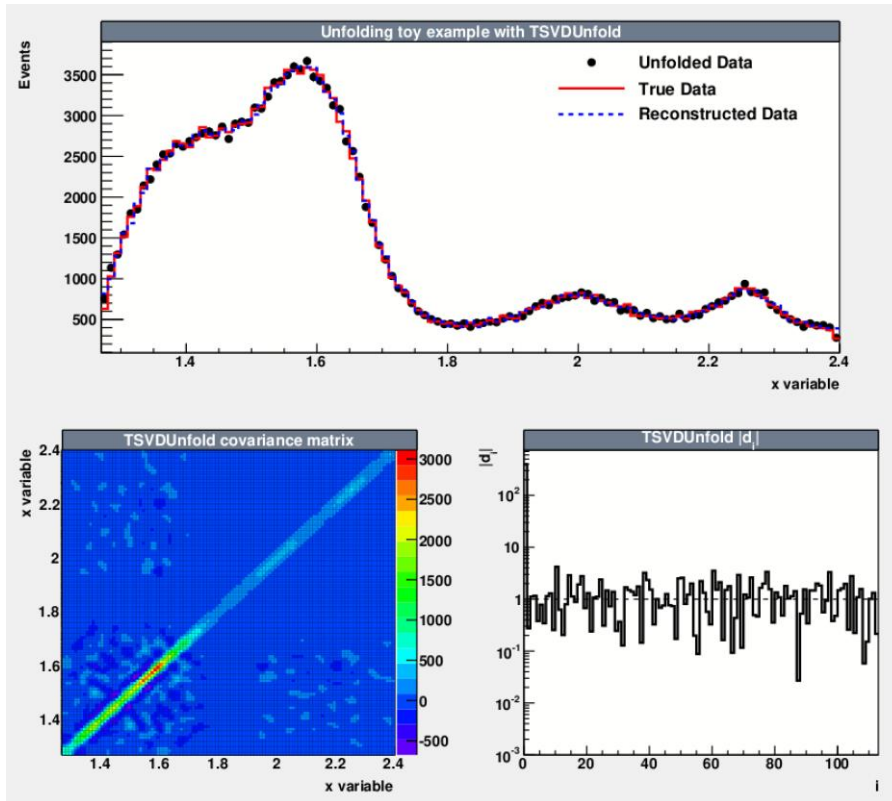
➤ Advice to folders:

- Three things contribute to the solution: the response matrix, data statistics, and binning.
- Choose binning wisely: large variations in data may be avoided by using variable bin widths. Size of bin-to-bin error correlations may also be affected.
- Rescaling is important: only unfold the equations once they have equal “weights”.
- The Monte Carlo sample(s) used for building the response matrix should have as high statistics, and should be as close to the real experiment, as possible.
- Monte Carlo samples used for testing should have the same statistics as the real data; use of larger or smaller samples can be misleading.
- To assess unfolding systematics, vary the matrix within its tolerances, and study the effects on the singular values.
- Even if you are using a different algorithm for unfolding your data, try applying SVD: it will help identify the bottlenecks, and assess any benefits of performing unfolding in the first place.
- It’s wise not to expect any miraculous solutions to unfolding problems.

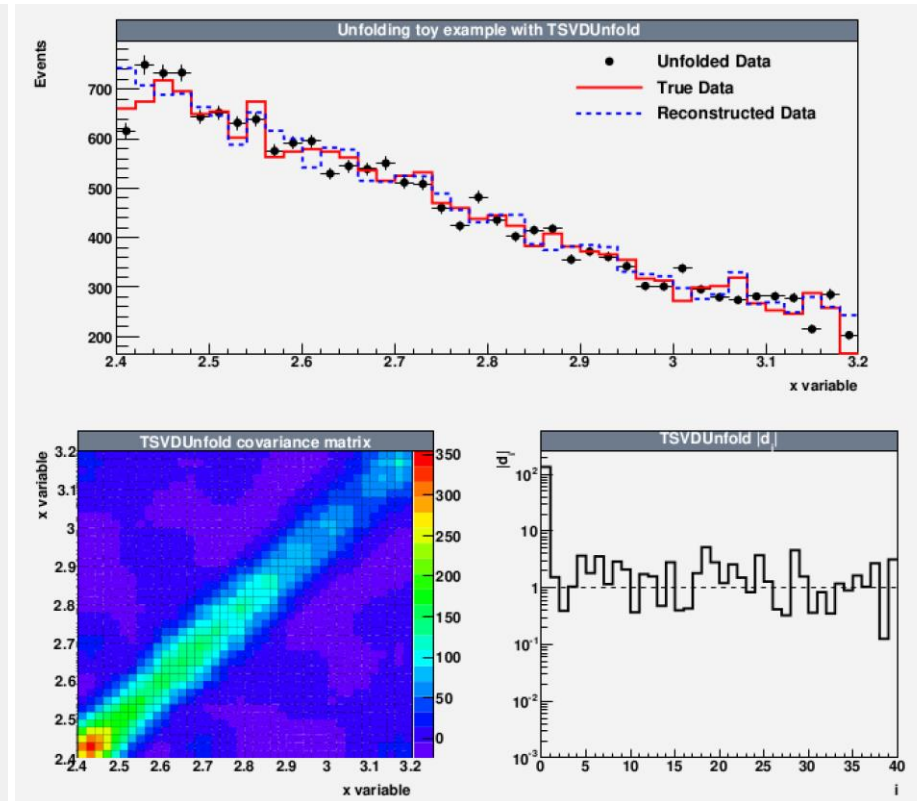
➤ The bin width in unfolding (the statistics in each bin and physical requirements):

- From 1.22 to 1.27 GeV, interval size is 50 MeV
- From 1.27 to 2.40 GeV, interval size is 10 MeV
- From 2.40 to 3.20 GeV, interval size is 20 MeV

➤ Try: $K_{reg} = 30$; $K_{reg} = 7$. Learning and comparison part: 176024



After: $\chi^2 = 56.3278$
Before: $\chi^2 = 64.5769$



After: $\chi^2 = 26.9952$
Before: $\chi^2 = 31.7286$

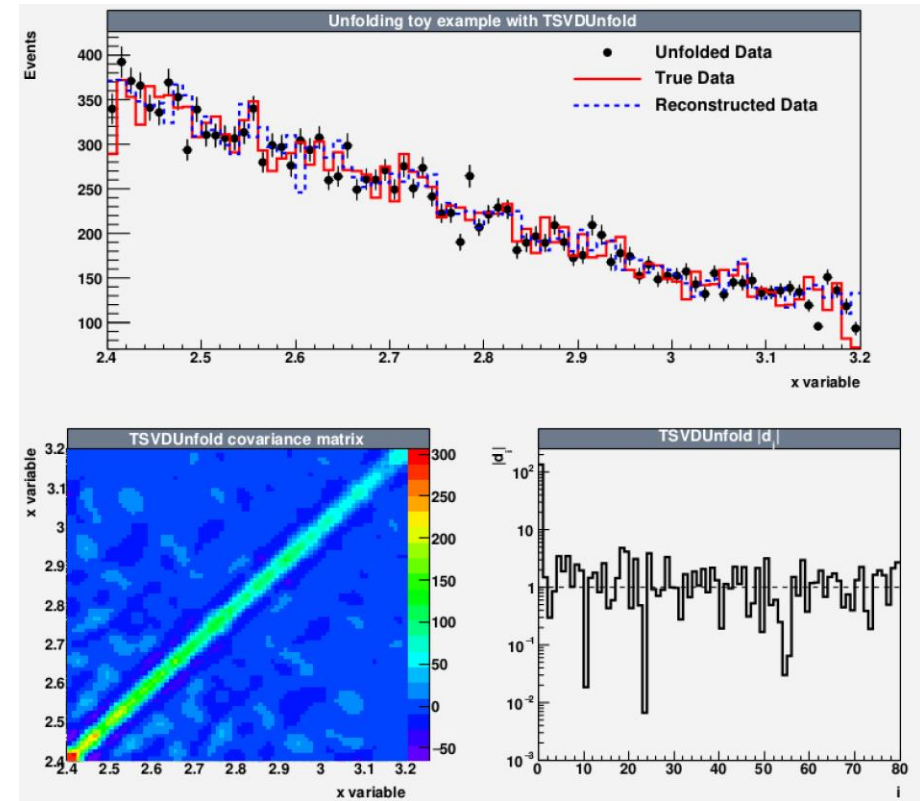
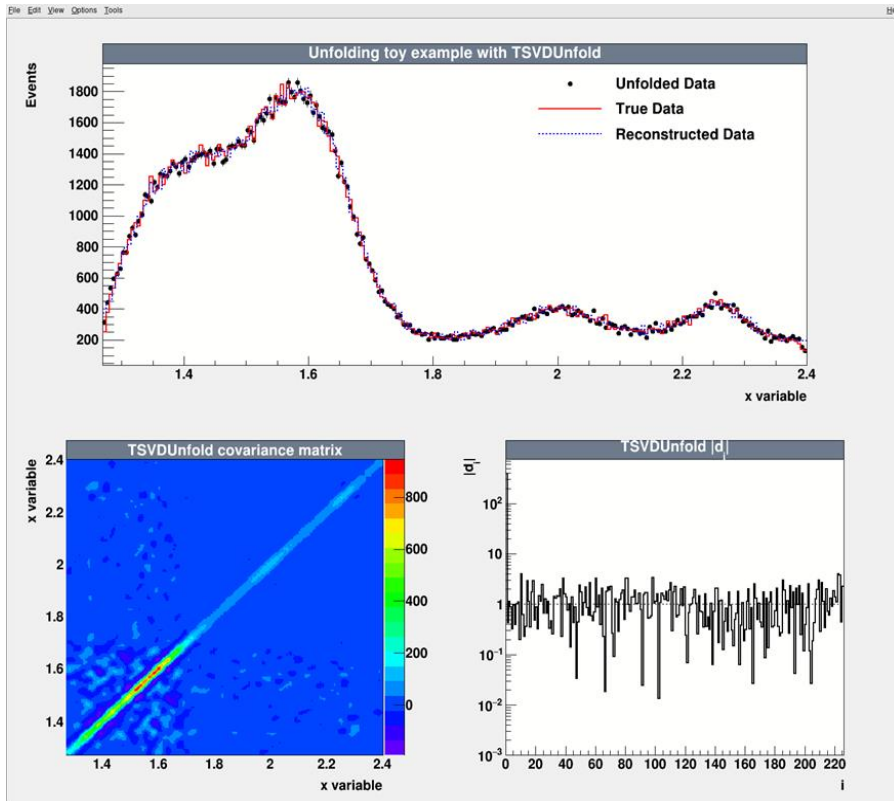


- The bin width in unfolding (the statistics in each bin and physical requirements):
- From 1.22 to 1.27 GeV, interval size is 50 MeV
 - From 1.27 to 2.40 GeV, interval size is 5 MeV
 - From 2.40 to 3.20 GeV, interval size is 10 MeV

Unfolding



➤ Try: Kreg = 36; Kreg = 19. Learning and comparison part: 176024



After: $\chi^2 = 64.4294$
Before: $\chi^2 = 68.8679$

After: $\chi^2 = 24.8312$
Before: $\chi^2 = 33.9323$