TOUSCHEK LIFETIME AT SCTF

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- Impact of orbit error on dynamic aperture and LMA/Touschek lifetime short study

Introduction

- Touschek effect single Coulomb scattering effect which leads to the loss of the colliding particles from bunch.
- A. Piwinski "The Touschek effect in strong focusing storage rings" (DESY 98-179)

$$
\frac{1}{T_{tl}} = \left\langle \frac{r_e^2 c N}{8\pi \gamma^2 \sigma_s \sqrt{\sigma_x^2 \sigma_y^2 - \sigma_p^4 D_x^2 D_z^2} \tau_m} F(\tau_m, B_1, B_2) \right\rangle, \tau_m = \beta^2 \delta_m^2,
$$

$$
B_1(s) = f(\beta_{x,y}(s), D_{x,y}(s)), B_2(s) = g(\beta_{x,y}(s), D_{x,y}(s))
$$

δ_m - momentum acceptance

- Local momentum aperture (LMA) $\delta_m(s)$, particle tracking required with $(x, x', y, y', \delta, s) = (\approx 0, \approx 0, \approx 0, \approx 0, \pm \delta, s)$
- Main limitation to total lifetime for SCTF

Optical functions and LMA of SCTF (ctau v68)

Monte Carlo simulation of Touschek effect

Aimin Xiao* and Michael Borland

Accelerator Systems Division, Advanced Photon Source, Argonne National Laboratory, 9700 South Cass Avenue, Argonne, Illinois 60439, USA (Received 29 April 2009; revised manuscript received 15 June 2010; published 30 July 2010)

Scattering rate is computed using the Monte Carlo integration technique with N uniformly distributed random points in the n-dim volume V :

$$
R = 2 \int |v| \sigma \rho(\overrightarrow{x_1}) \rho(\overrightarrow{x_2}) dV \Longrightarrow \int_V f(\overrightarrow{x}) d\overrightarrow{x} \approx \frac{V}{N} \sum_{i=1}^N f(\overrightarrow{x_i})
$$

Average scattering rate for particles that result in energy deviation greater than a nominal value:

$$
R_{MC}(|\delta| > \delta_m) = \frac{V}{N} \sum_{k=1}^{M} \left[\frac{v^*}{\gamma^2} \frac{d\sigma^*}{d\Omega^*} \sin \Theta^* \rho(\overrightarrow{x_1}) \rho(\overrightarrow{x_2}) \right]_k = \sum_{k=1}^{M} r_k
$$

 $N = 2 \times N_e$ - number of scattered particles with N_e being the number of scattered events; V – total volume in the 11D space $(x,y,z,x'_1,y'_1,\Delta p_1,x'_2,y'_2,\Delta p_2,\Theta^*,\Psi^*)$ from which the events are selected; M – total number of particles with energy deviation $|\delta| > \delta_m$; r_k - local scattering rate presented by each simulated scattered particle. Each particle represents many electrons with local scattering rate r_i

Steps of Touschek scattering simulation in *elegant*

- By default M=5e6. User can change this for better convergence of R_{MC} to Piwinski formula of R
- Beamline have to be divided into many small sections by inserting TSCATTER element at many locations
- LMA have to be calculated at every TSCATTER location. Results are scaled back to smaller value with a scaling factor (def.=0,85).
- Piwinski's formula is used to quickly determine the total scattering rate over each section. It's used to weight the local simulation results at the TSCATTER element. Each simulated particle having an associated local scattering rate $r_{\hat{t}}$ is assigned an associated total scattering rate

$$
R_i = \frac{r_i}{\sum r_i} \frac{R_{MC}}{R_{Piwinski}} \times \int R_{Piwinski}
$$

- **The total loss rate will be the sum of** R_i **for all the particles lost at any** location
- Some scattering events are much more probable than others. 99,9 % of scattering rate from example is represented by about 18% of generated particles. We can choose only most probable events to decrease simulation time.

Setting up simulation of Touschek scattering *in SCTF*

- Lattice version ctau68-2022.10.08-19.03.53_1.0crab-1.5GeV
- Parameters Test415 and Test615 (CRAB=1, IBS ON, RF ON, SR ON)
- 807 TSCATTER elements in lattice
- 4096 turns
- 5e6 of simulated particles in MC simulation, 0,05 ignored portion of scattering rate in tracking
- Scale $0,85$ of LMA

Touschek Scattering Rate

Touschek scattering simulation results

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Simulated lifetime (s) 141 359

Optimization of SCTF (ctau v.68) LMA

- MOGA optimizer for rings (M. Borland, V. Sajaev, L. Emery, A. Xiao Multi-objective direct optimization of dynamic acceptance and lifetime for potential upgrades of the APS)
- Cluster with geneticOptimizer and elegant programs is required
- \blacksquare For efficiency places for LMA search are chosen to be the places where H invariant value vary – entrance and exit of every dipole.
- \blacksquare Variables for optimizer octupole and sextupole strengths (crabsextupoles excluded) – elements in -I pairs have same variable

Optimization results for SCTF (ctau v68): optimized LMA

SCTF (ctau v68): MA and DA optimization results

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LMA optimization summary

- LMA optimization gave 50% Touschek lifetime increase
- LMA is increased at the expense of DA
- High number of variables required for optimization, works better for synchrotron light sources
- Optimization is time consuming
- X vs dP/P area optimization is faster
- Beam-beam simulations show beam blowup in IP which suggest incorrect use of variables (sextupole and octupole strengths) for optimization or a need of additional constrain for optimization

DA and Touschek lifetime with orbit error in **SCTF**

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Thank you

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BENCHMARKING OF TOUSCHEK BEAM LIFETIME CALCULATIONS FOR THE ADVANCED PHOTON SOURCE*

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