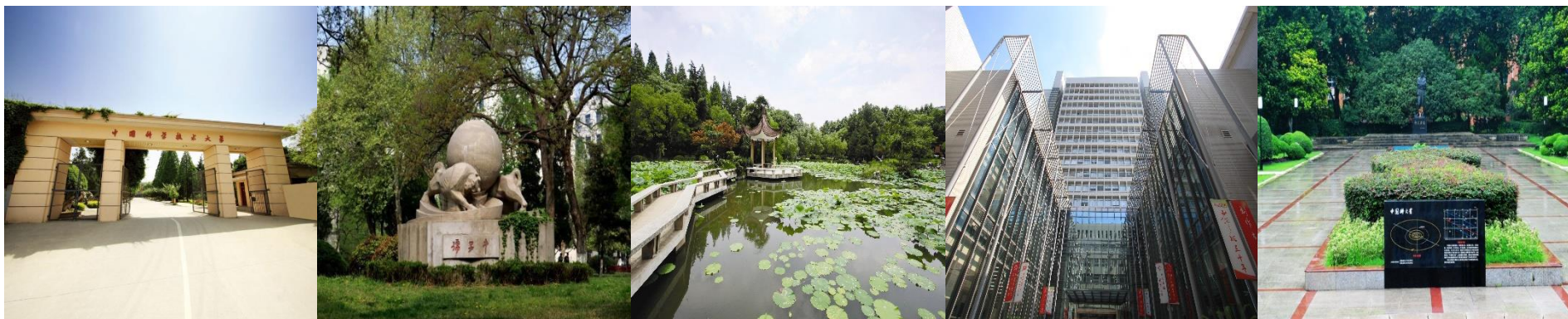


原子分子基准动力学参数及其在大气物理、天体物理中的应用

朱林繁

中国科学技术大学近代物理系

合肥微尺度物质科学国家研究中心



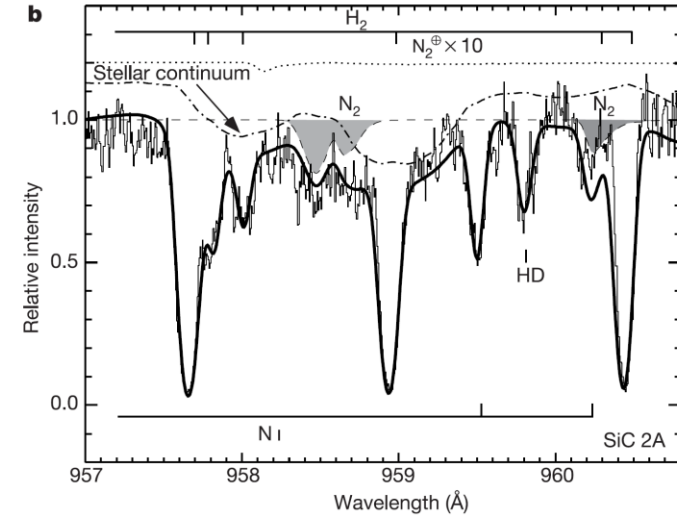
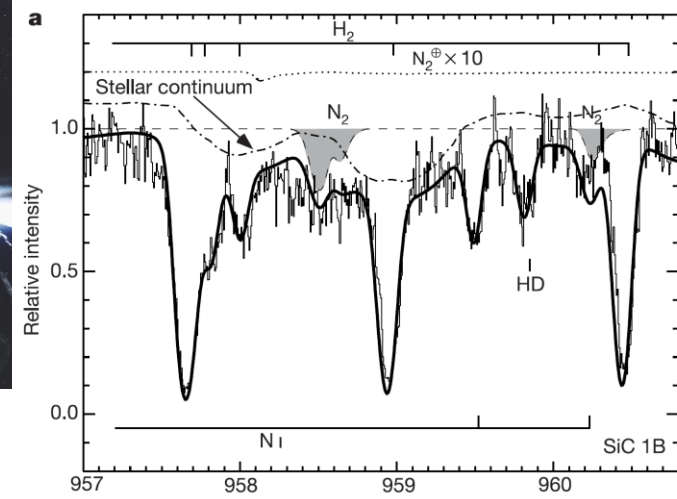
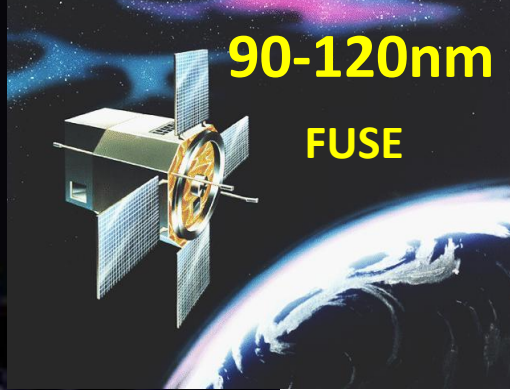
主要内容

- 背景
- 实验方法
- 现状
- 展望

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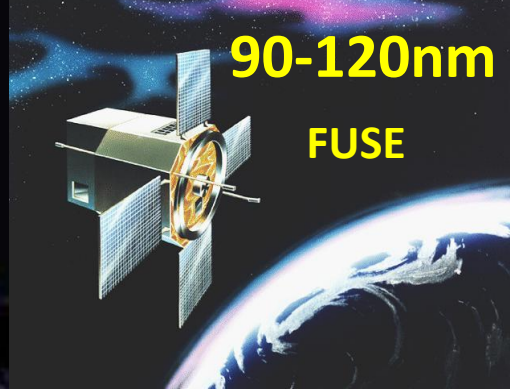
HD 124314



**The normalized FUSE spectra of
HD 124314**

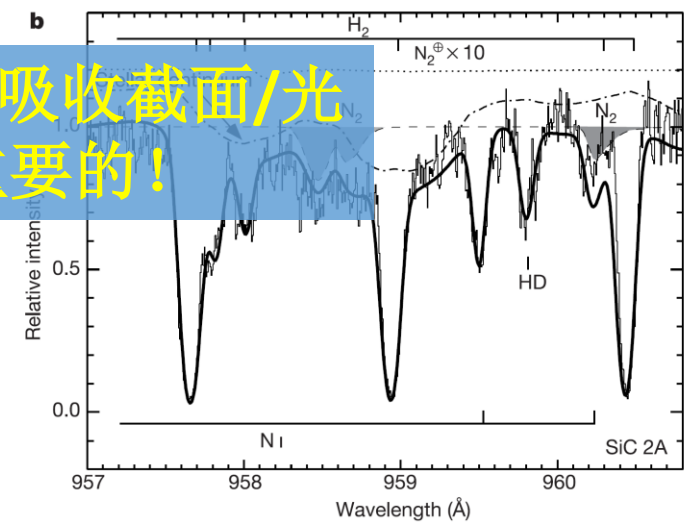
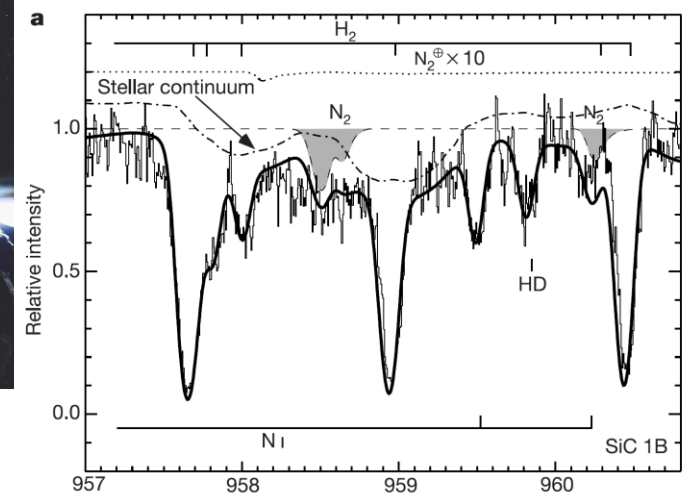
D. C. Knauth et al., Nature 429, 636(2004)

HD 124314



原子分子精确的能级结构、光吸收截面/光学振子强度数据是极端重要的！

$$N(N_2) = (4.6 \pm 0.8) \times 10^{13} \text{ cm}^{-2}$$



The normalized FUSE spectra of HD 124314

- for dense cloud model, two orders of magnitude lower than expected
- for diffuse cloud model, two orders of magnitude larger than expected

TABLE I. Identified interstellar and circumstellar molecules. [Most molecules have been detected at radio and millimeter wavelengths, unless otherwise indicated (IR, VIS, or UV). Species labeled with a question mark await confirmation.]

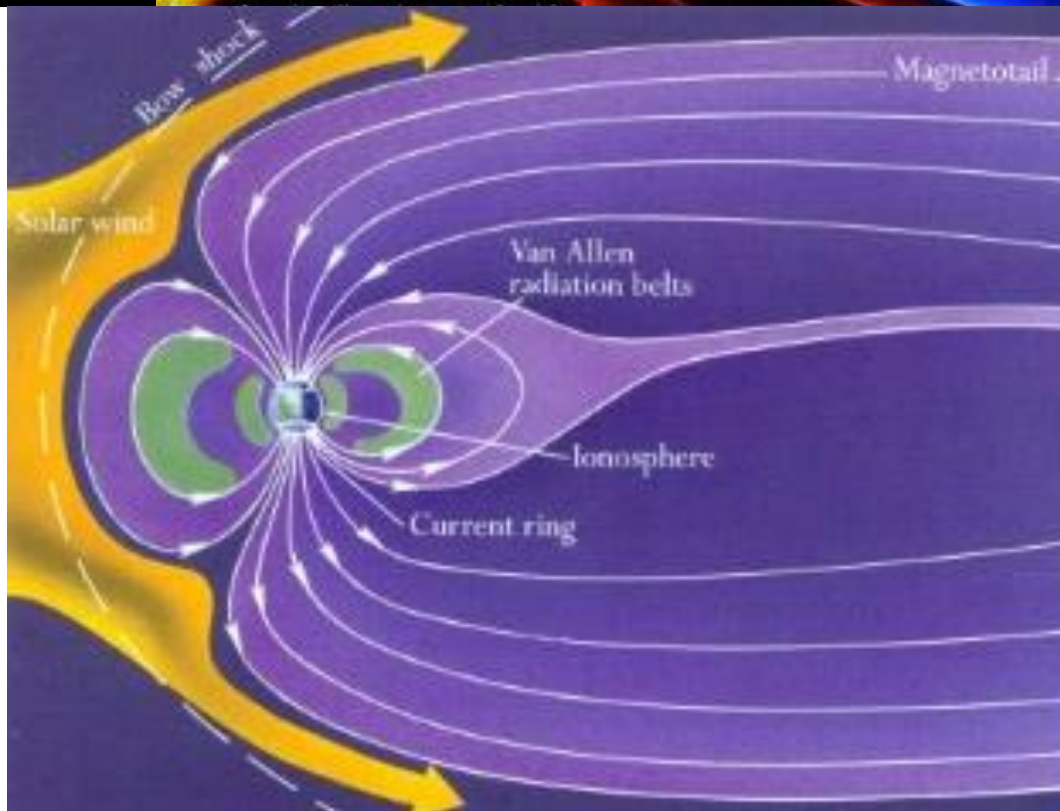
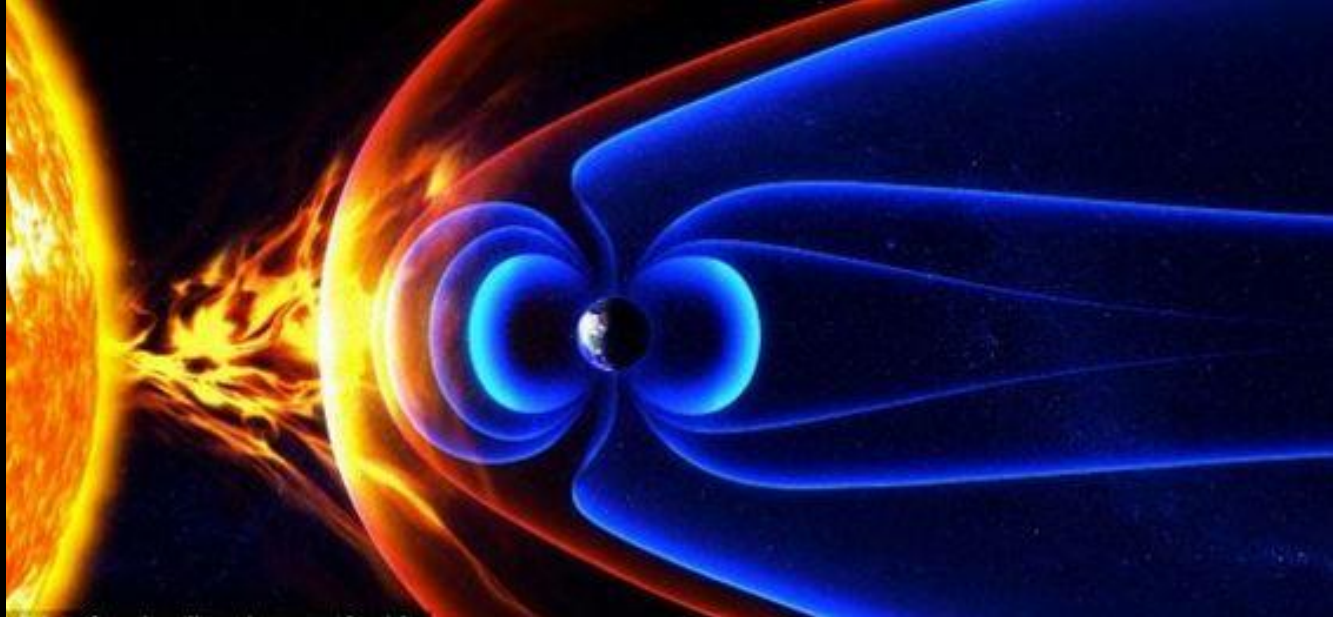
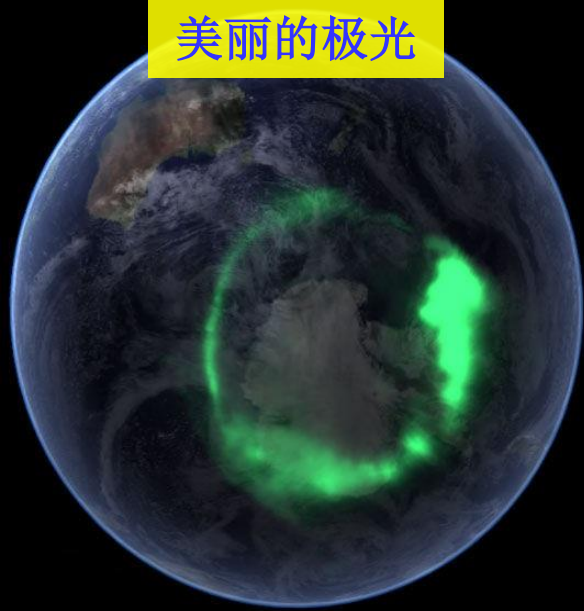
Simple hydrides, oxides, sulfides, halogens				
H ₂ (IR, UV)	CO	NH ₃	CS	HCl
O ₂	H ₂ O ₂	PO	CO ₂ (IR)	NaCl ^a
H ₂ O	SO ₂	OCS	H ₂ S	KCl ^a
PN	SiO	SiH ₄ ^a (IR)	SiS	AlCl ^a
N ₂ O	CH ₄ (IR)	HSCN	HF	AlF ^a
HONC	HNCO	AIOH		
Nitriles and acetylene derivatives				
C ₂ (IR)	HCN	CH ₃ CN	HNC	C ₂ H ₄ ^a (IR)
C ₃ (IR,UV)	HC ₃ N	CH ₃ C ₃ N	HNCO	C ₂ H ₂ (IR)
C ₅ ^a (IR)	HC ₅ N	CH ₃ C ₅ N	HNCS	C ₆ H ₂ (IR)
C ₃ O	HC ₇ N	CH ₃ C ₂ H	HNCCC	C ₃ H ₆
C ₃ S	HC ₉ N	CH ₃ C ₄ H	CH ₃ NC	C ₃ H ₇ CN
C ₄ Si ^a	HC ₁₁ N	CH ₃ C ₆ H	HCCNC	
H ₂ C ₄	HC ₂ CHO	CH ₂ CHCN	CH ₂ CCHCN	
Aldehydes, alcohols, ethers, ketones, amides				
H ₂ CO	CH ₃ OH	HCOOH	HCOCN	CH ₃ CH ₂ CN
CH ₃ CHO	CH ₃ CH ₂ OH	HCOOCH ₃	CH ₃ NH ₂	NH ₂ CH ₂ CN
CH ₃ CH ₂ CHO	CH ₂ CCHOH	CH ₃ COOH	CH ₃ CONH ₂	NH ₂ CN
NH ₂ CHO	(CH ₂ OH) ₂	(CH ₃) ₂ O	H ₂ CCO	CH ₂ CHCN
CH ₂ OHCHO	(CH ₃) ₂ CO	H ₂ CS		
C ₂ H ₅ OCHO		CH ₃ SH		
Cyclic molecules				
C ₃ H ₂	SiC ₂	<i>c</i> -C ₃ H	CH ₂ OCH ₂	C ₆ H ₆ (IR) ?
<i>c</i> -SiC ₃	H ₂ C ₃ O	C ₂ H ₄ O		
Molecular cations				
CH ⁺	CO ⁺	HCNH ⁺	OH ⁺	HN ₂ ⁺
CH ₃ ⁺	HCO ⁺	HC ₃ NH ⁺	H ₂ O ⁺	H ₃ ⁺ (IR)
HS ⁺	HOC ⁺	H ₂ COH ⁺	H ₃ O ⁺	SO ⁺
HCS ⁺	HOCO ⁺	CF ⁺	HCl ⁺	H ₂ Cl ⁺
Molecular anions				
C ₄ H ⁻	C ₆ H ⁻	C ₈ H ⁻		
CN ⁻	C ₃ N ⁻	C ₅ N ⁻		
Radicals				
OH	C ₂ H	CN	C ₂ O	C ₂ S
CH	C ₃ H	C ₃ N	NO	NS
CH ₂	C ₄ H	HCCN ^a	SO	SiC ^a
NH (UV)	C ₅ H	CH ₂ CN	HCO	SiN ^a
NH ₂	C ₆ H	CH ₂ N	C ₅ N ^a	CP ^a
SH	C ₇ H	NaCN	KCN	MgCN
C ₃ H ₂	C ₈ H	MgNC	FeCN	
C ₄ H ₂	HNO	H ₂ CN	HNC ₃	HO ₂
C ₆ H ₂	AiNC	SiNC	C ₄ Si	SiCN
HCP	CCP	AIO		
Fullerenes				
C ₆₀ (IR)	C ₇₀ ^a (IR)	C ₆₀ ⁺ (VIS) ?		

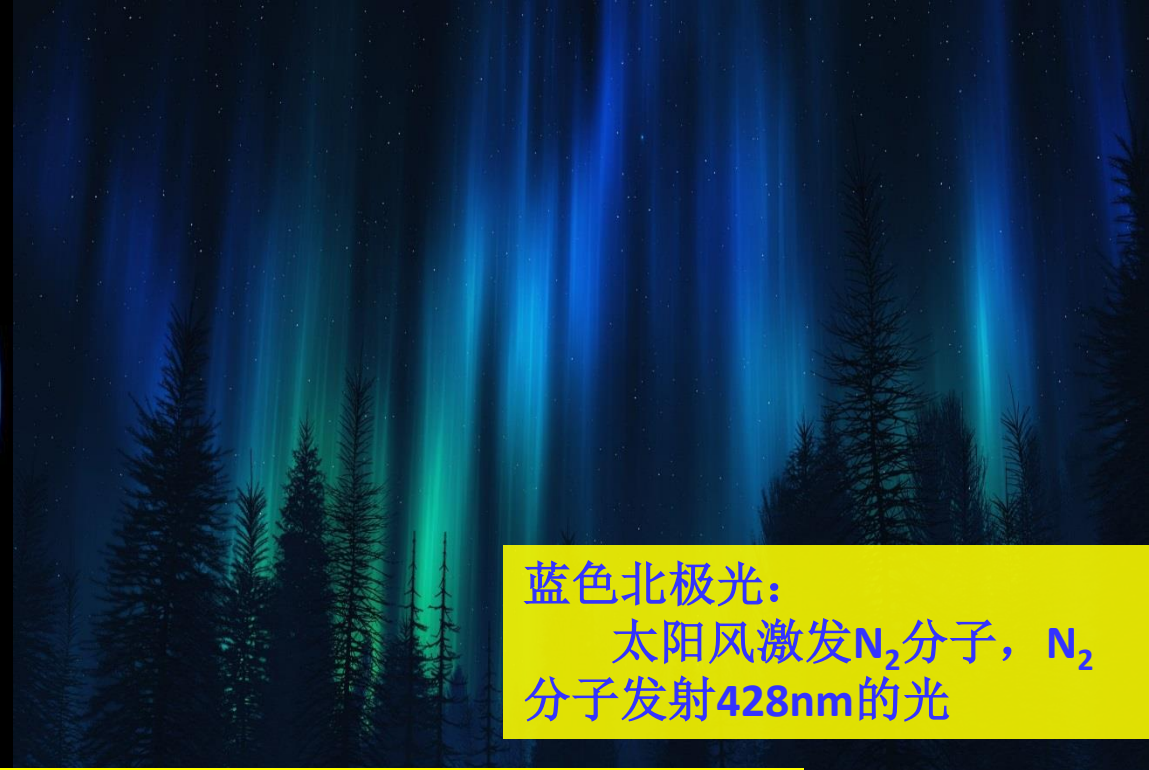
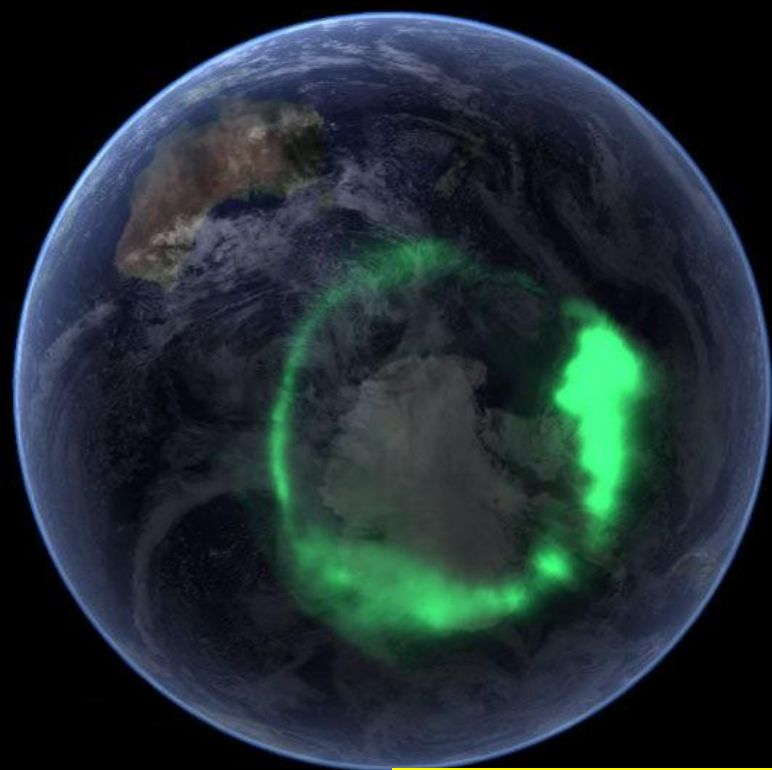
TABLE II. The composition of diffuse clouds and molecular clouds. The entries in parentheses should be read as $a(-b) = a \times 10^{-b}$.

Species	Diffuse clouds ^a	Molecular cloud ^b
H	1.2	
H ₂	1	1
HD	5 (-7)	
H ₃ ⁺	5 (-8) ^e	
O	1.6 (-4)	
OH	1.0 (-7)	3.0 (-7)
H ₂ O		5 (-9) ⁱ
OH ⁺	1 (-8) ^f	
H ₂ O ⁺	2 (-9) ^f	
H ₃ O ⁺	1.5 (-9) ^f	
O ₂		5 (-8) ^h
C ⁺	2.6 (-4)	
C	7.0 (-6)	
C ₂	3.3 (-8)	
C ₃	3.5 (-9)	
CH	5 (-8)	
CH ⁺	6.3 (-8)	
C ₂ H	3 (-8)	5 (-8)
C ₃ H ₂	1 (-9)	
CO	5 (-6)	5 (-5)
HCO ⁺	5 (-10)	8 (-9)
N	2.5 (-5)	
N ₂	3 (-7) ^c	3 (-5) ^d
NH	2 (-9)	3 (-10) ^g
NH ₂	2.0 (-9)	6 (-11) ^g
NH ₃	2.0 (-9)	2 (-8) ^g
N ₂ H ⁺		5 (-10)
CN	5 (-8)	3 (-10)
HCN	3 (-9)	2 (-8)
HNC	6 (-10)	2 (-8)
HC ₅ N	<2 (-11)	1 (-10)
CS	3 (-9)	
SO	2 (-9)	
H ₂ CO	4.0 (-9)	2 (-8)
CH ₃ OH	<7 (-11)	2 (-9)
HCl	2 (-10)	

^aThese species have been detected only in the circumstellar envelope of carbon-rich stars.

美丽的极光

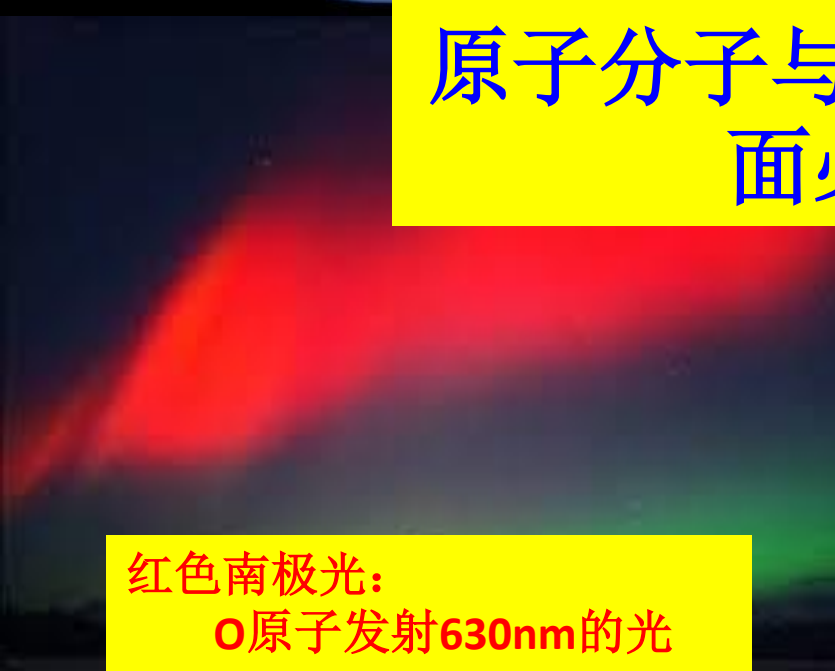




蓝色北极光:

太阳风激发 N_2 分子, N_2 分子发射428nm的光

原子分子与电子、离子碰撞截面必不可少!



红色南极光:

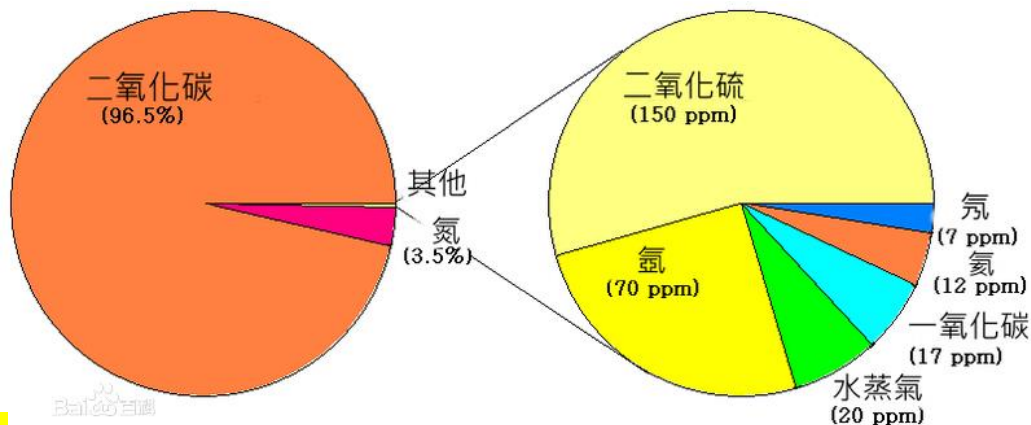
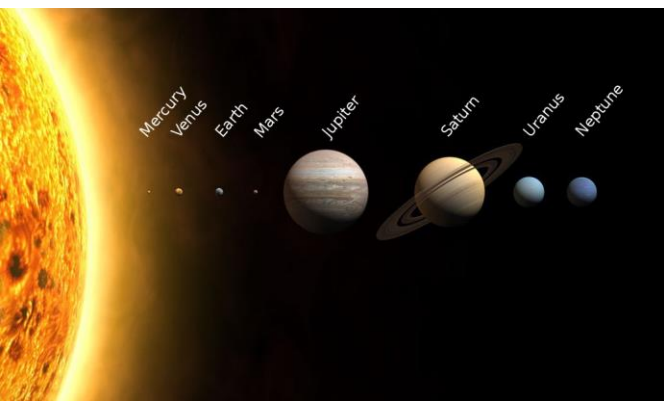
O原子发射630nm的光



绿色北极光:

太阳风激发 N_2 分子, N_2 分子传能给O原子, O原子发射557.7nm的光

金星[D]/[H]比值是地球和其他行星的100倍



表面压力: 92atm
温度: 740K (467°C)

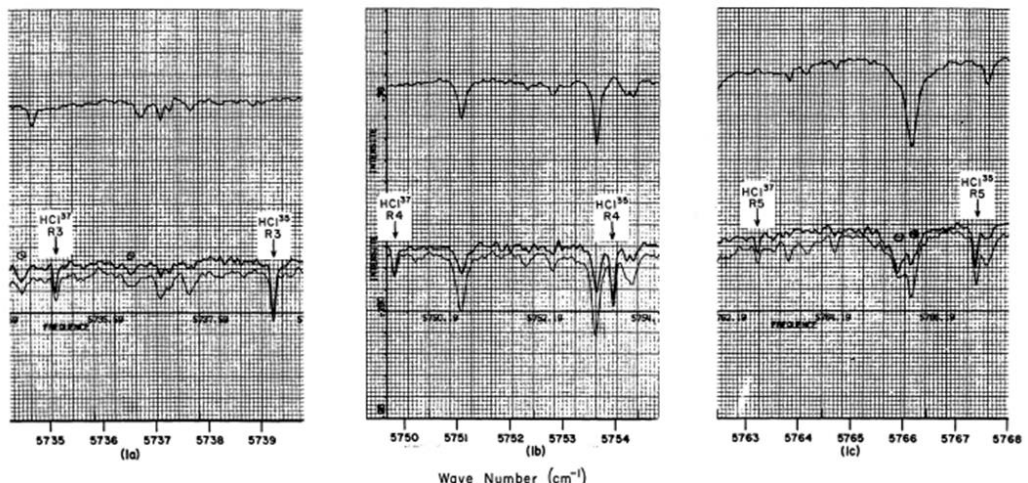


FIG. 1.— Interferometer spectra, 5733–5768 cm⁻¹. Upper trace: Sun, average of 2 spectra, July 2 and 4, 1966, mean sec Z = 1.25. Middle trace: Venus I, average of 4 spectra, June 6 to July 7, mean sec Z = 1.14. Lower trace: Venus II, average of 5 spectra, June 6 to July 7, mean sec Z = 1.66. In this last case the variation in sec Z during recording is quite large and the mean sec Z given merely as an order of magnitude indication. The wavenumber scale is in vacuum cm⁻¹. The slight shift between the positions of the HCl lines on the two traces is due to differences in Doppler effect. Also note the Doppler shifting of Fraunhofer lines (marked ⊙) on segment (a) and the greater breadth of telluric H₂O lines (marked ⊕) compared with HCl on segment (b).

1966.6-1966.7



Haute-Provence Observatory
(上普罗旺斯天文台)

CONNES. P, CONNES. J, BENEDICT. WS, ASTROPHYS J, 147:1230-1237 (1967)

U. von Zahn, V.I. Moroz, Composition of the Venus atmosphere below 100 km altitude. Adv. Space Res. 5,173-195 (1985).

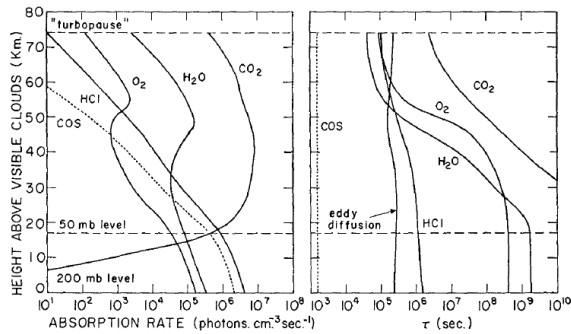
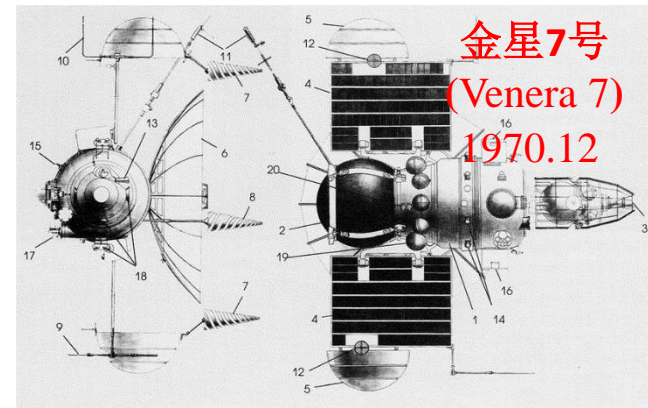
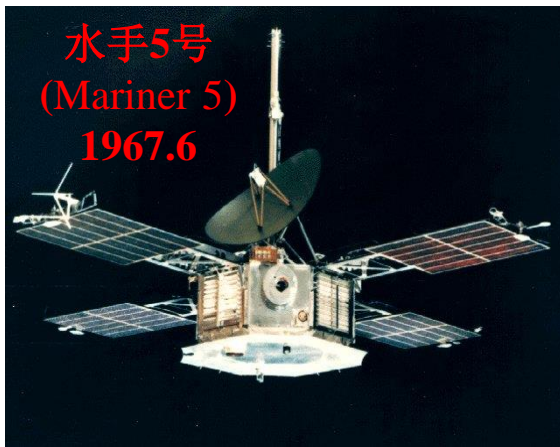


FIG. 1. Rates of absorption by CO₂, H₂O, O₂, HCl and COS (see Section 4) at various heights above the visible cloud deck on Venus (defined as the 200-mb level). Also given are the photo-dissociation lifetimes for these various molecules, which can be compared to the eddy diffusion time constant, obtained by assuming the eddy diffusion coefficient is 10⁶ cm² sec⁻¹. The "turbopause" refers to the level where the CO₂ number density is 10¹² cm⁻³.

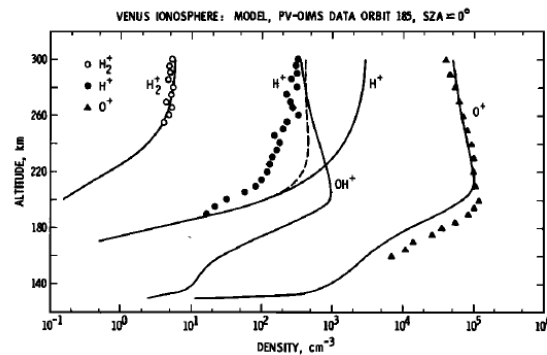
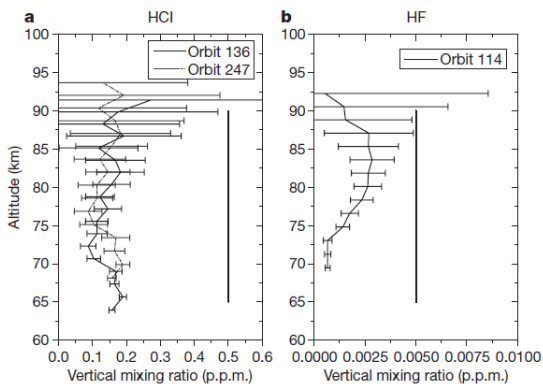
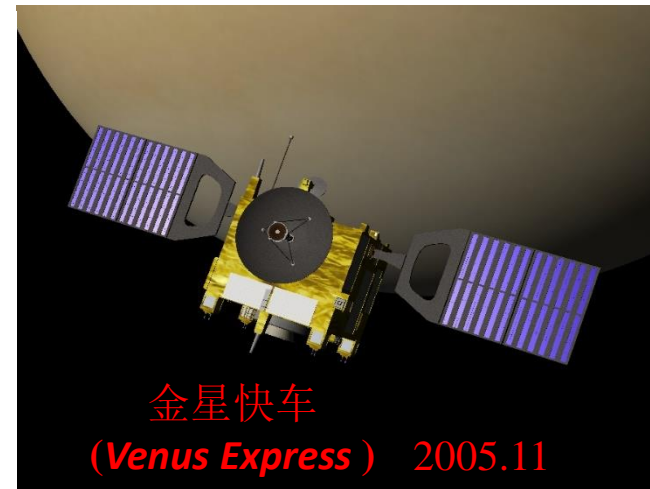
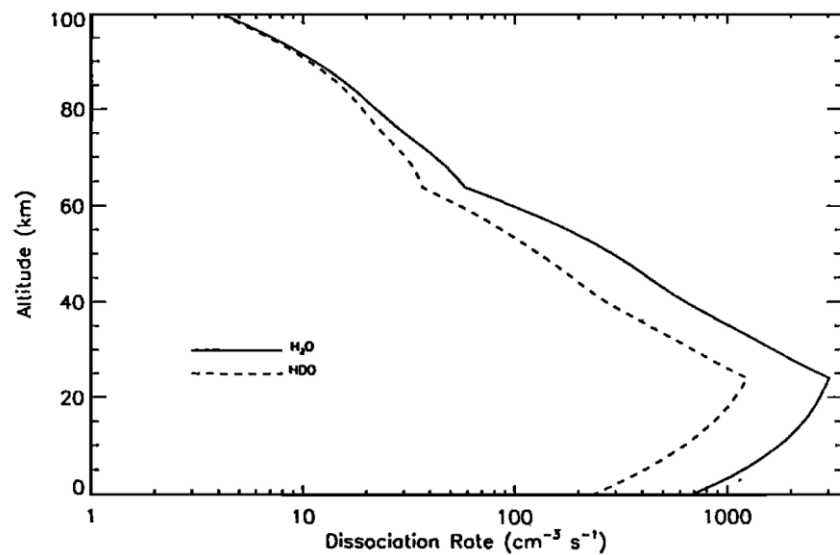
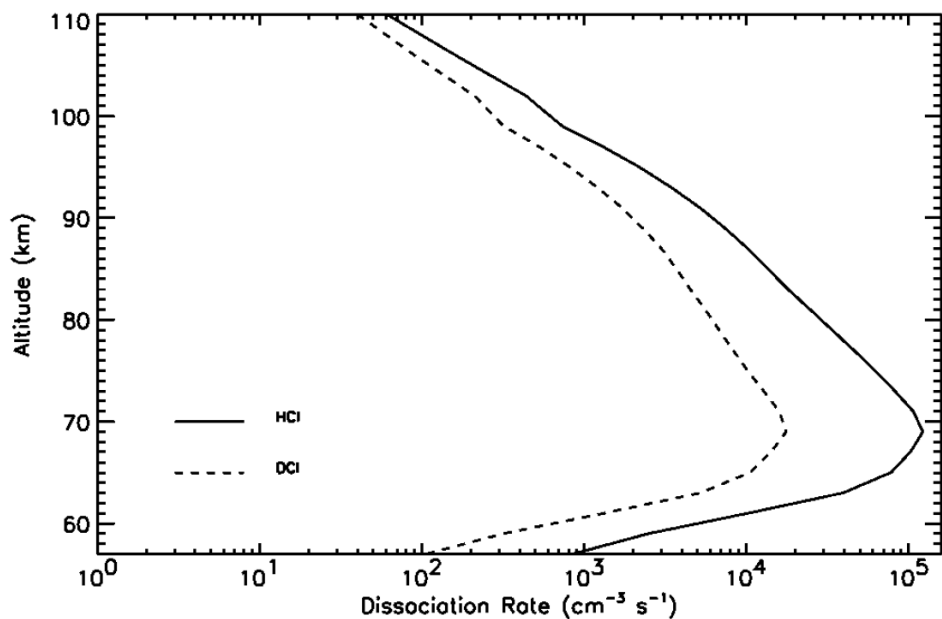
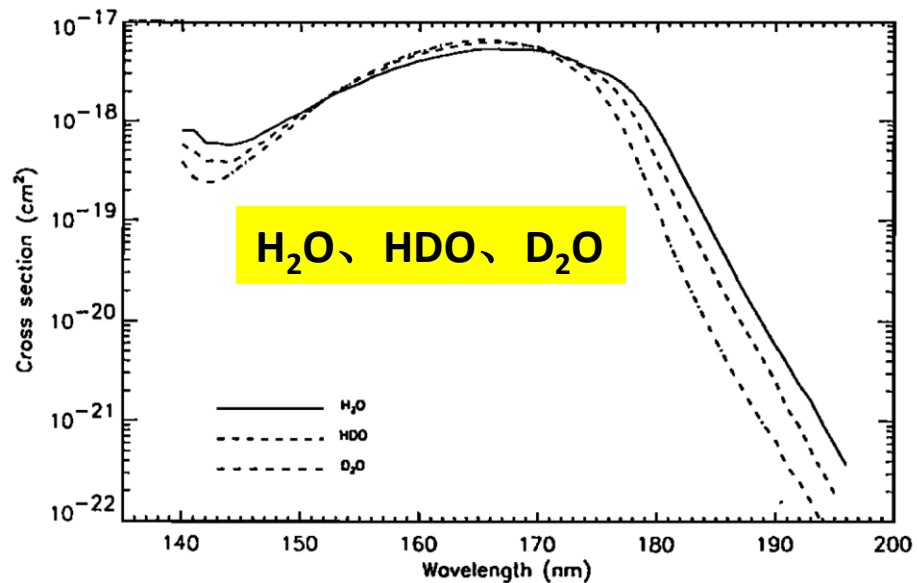
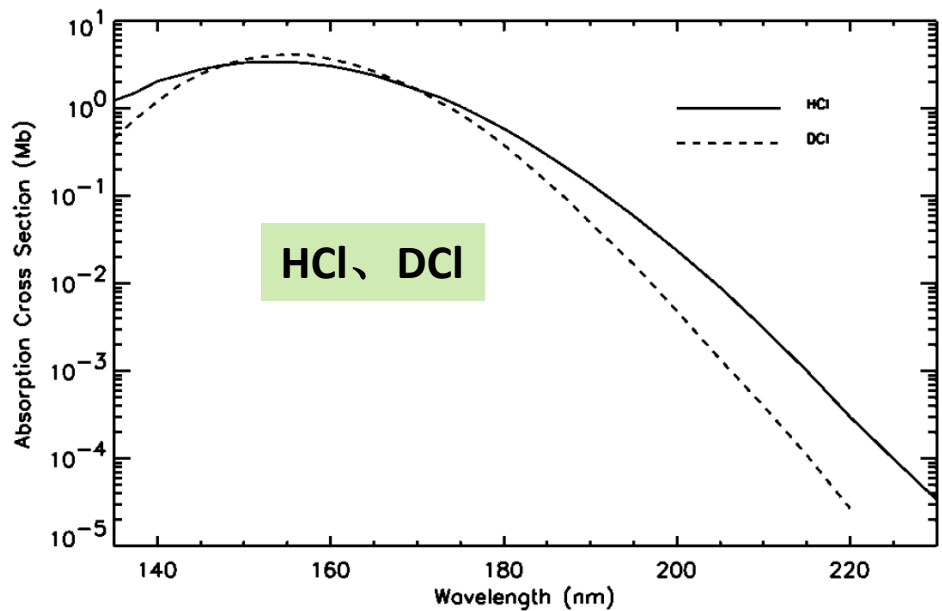


Fig. 2. O⁺, H⁺, H₂⁺, and OH⁺ ion distributions in the topside ionosphere of Venus. Model calculations are compared to the Pioneer Venus Ion Mass Spectrometer data of Taylor et al. [1980] with the exception of OH⁺ for which no data are available. The dashed curve for H⁺ is for ion escape velocity of 600 m/s.

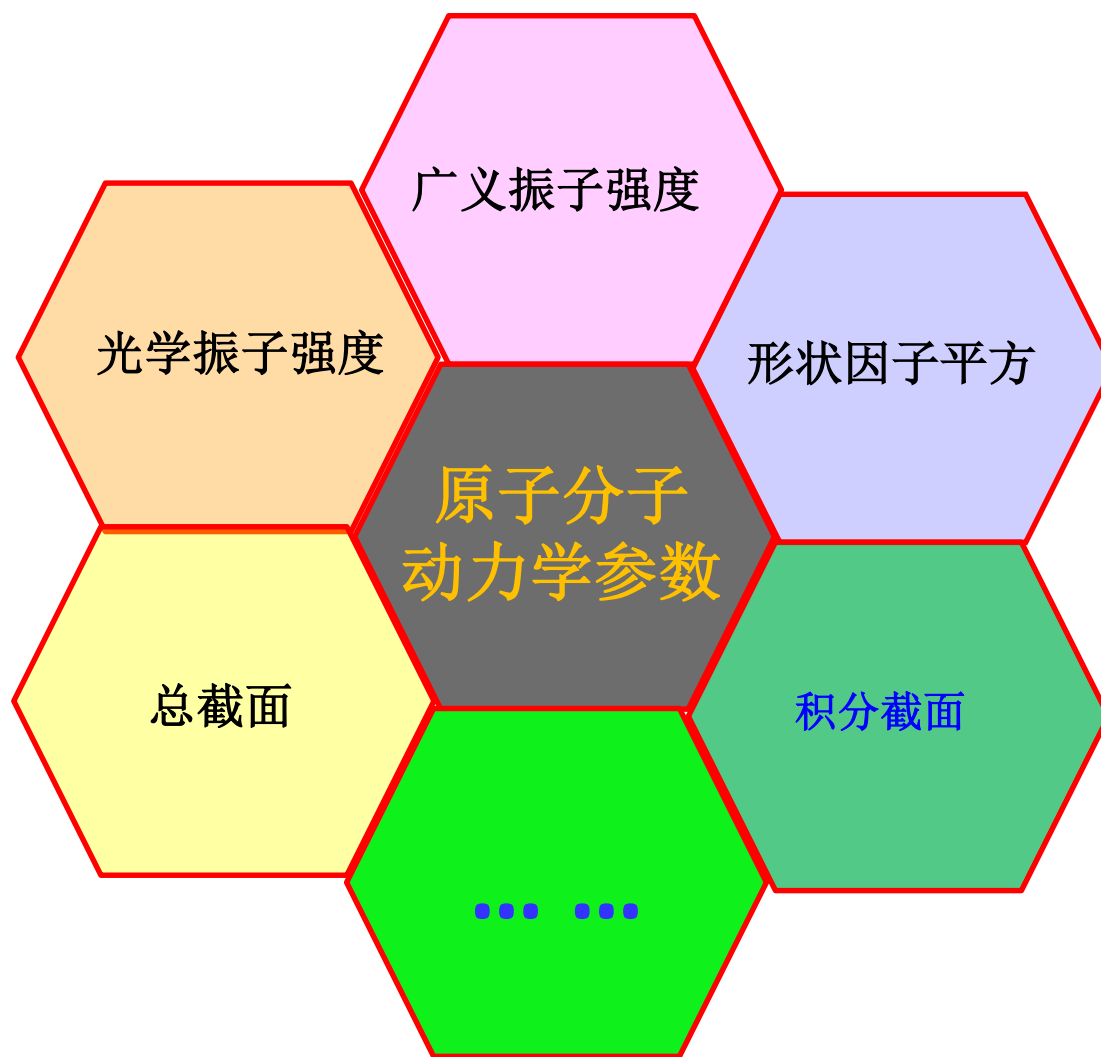


S. Kumar, D. M. Hunten, Geophys. Res. Lett. 8, 237 (1981)

J. L. Bertaux, A. C. Vandaele, Oleg Korablev, Nature, 05974(2007)



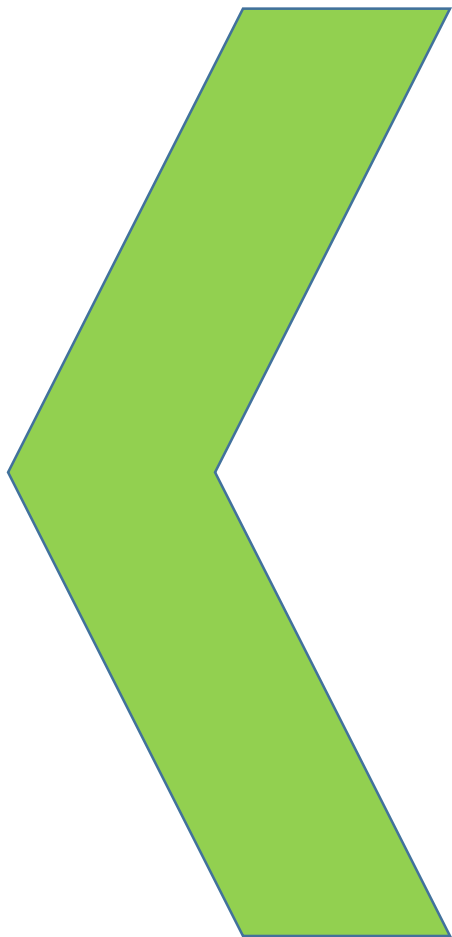
原子分子精确的能级结构及动力学参数
是众多学科的基础和支撑！



主要内容

- 背景
- 实验方法
- 现状
- 展望

实验方法



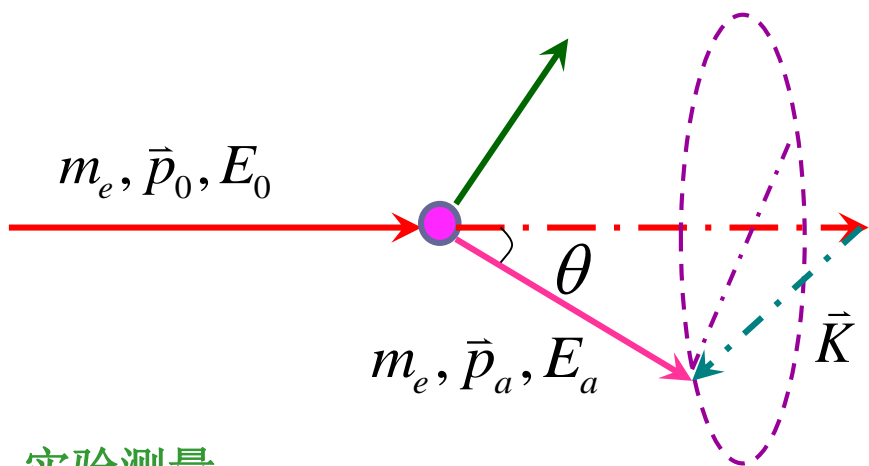
高能电子散射

X射线散射

I. 高能电子散射

$$E_n = E_0 - E_a$$

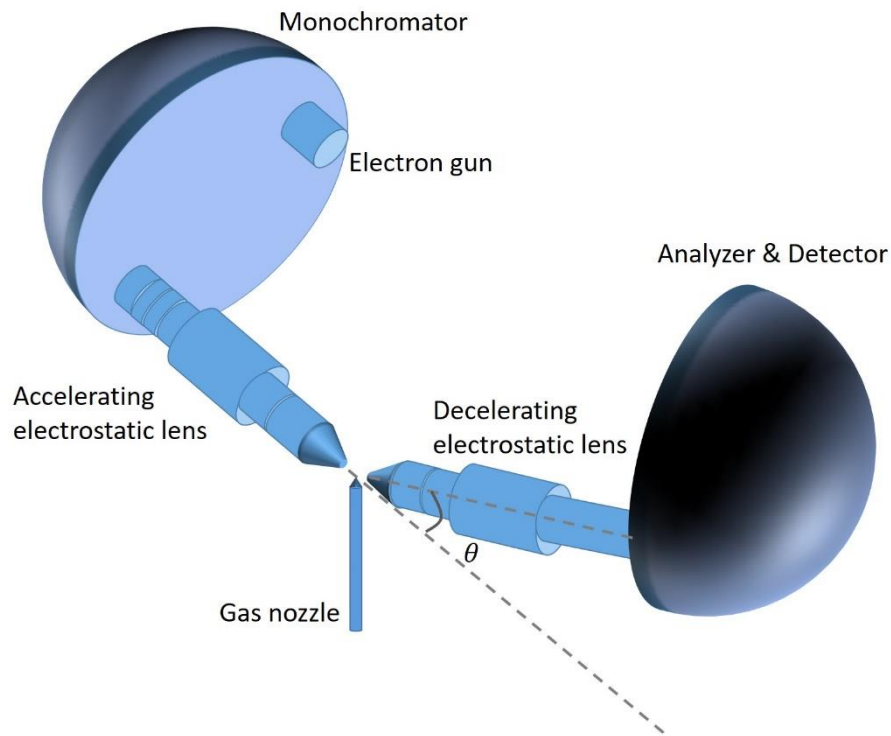
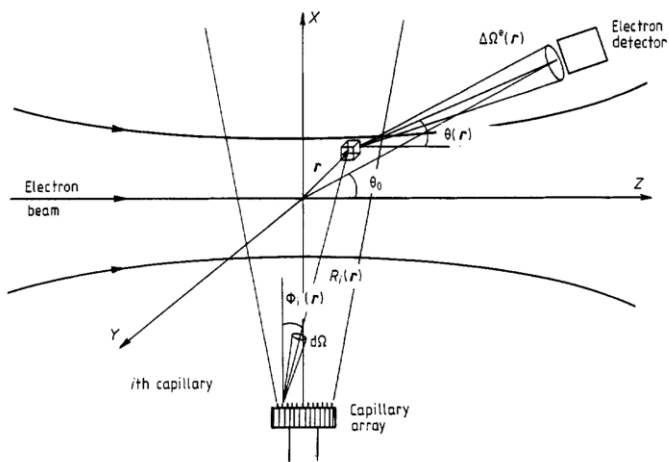
$$K^2 = p_0^2 + p_a^2 - 2p_0p_a \cos \theta$$



$$\frac{d\sigma_n^e(\theta)}{d\Omega} = \frac{4}{K^4} \frac{p_a}{p_0} \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{K}\cdot\vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

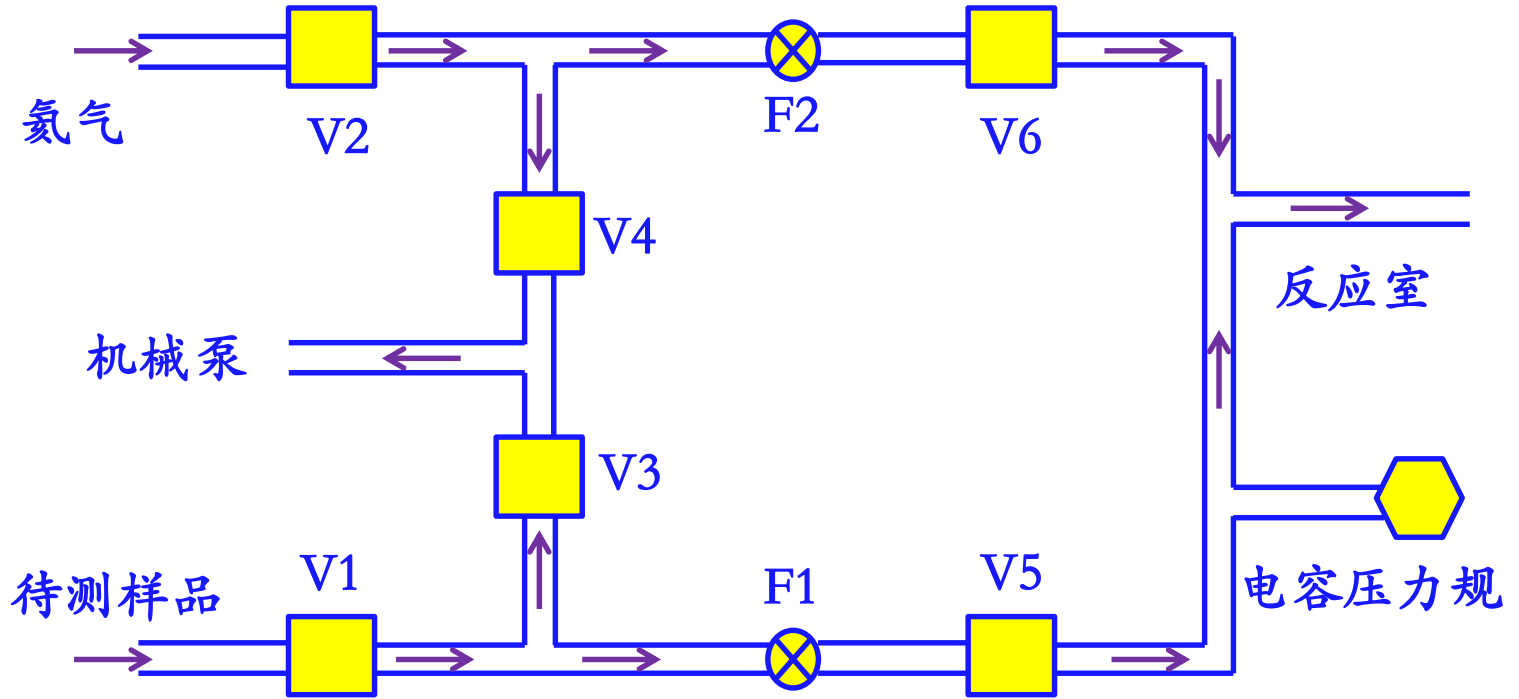
实验测量:

$$\frac{d\sigma_n^e(\theta)}{d\Omega} = \frac{dn(\theta)/d\Omega}{n_0 N t}$$

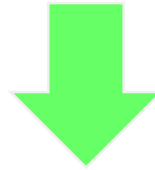


相对流量技术:

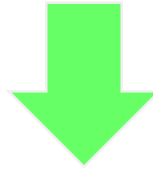
$$\frac{d\sigma_n^e(\theta)}{d\Omega} = \frac{dn(\theta)/d\Omega}{n_0 N t}$$



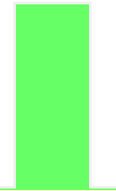
$$N(E_0, E_j, \theta) = I(t)N_0C(E_0, E_j, \theta)V_{eff}(\theta) \frac{d\sigma(E_0, E_j, \theta)}{d\Omega}$$



$$\frac{N^T(E_0, E_j, \theta)}{N^S(E_0, E_j, \theta)} = \frac{I(t_1)N_0^T C(E_0, E_j, \theta)V_{eff}^T(\theta)d\sigma^T(E_0, E_j, \theta) / d\Omega}{I(t_2)N_0^S C(E_0, E_j, \theta)V_{eff}^S(\theta)d\sigma^S(E_0, E_j, \theta) / d\Omega}$$



$$\frac{d\sigma^T(E_0, E_j, \theta)}{d\Omega} = \frac{N^T(E_0, E_j, \theta)}{N^S(E_0, E_j, \theta)} \frac{N_0^S}{N_0^T} \frac{d\sigma^S(E_0, E_j, \theta)}{d\Omega}$$



$$\frac{N_0^S}{N_0^T} = \frac{\dot{n}_T}{\dot{n}_S} \sqrt{\frac{M_T}{M_S}}$$

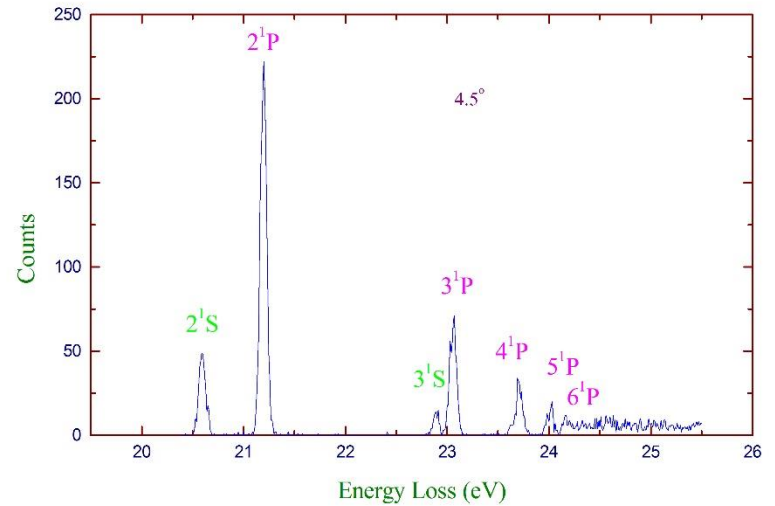
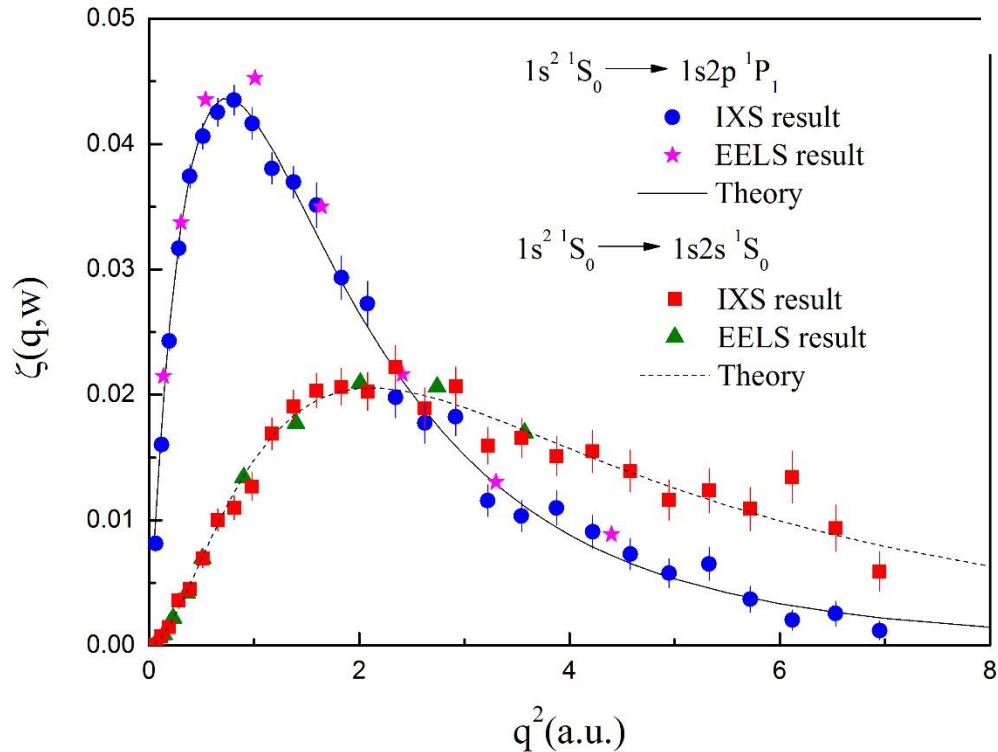
$$\frac{d\sigma^T(E_0, E_j, \theta)}{d\Omega}$$

相对流量技术的优点:

统一实验的绝对化标准

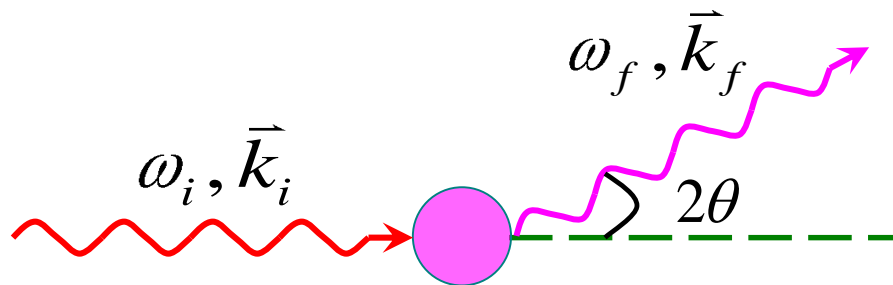
提高实验结果的精度

$$\frac{d\sigma^S(E_0, E_j, \theta)}{d\Omega}$$

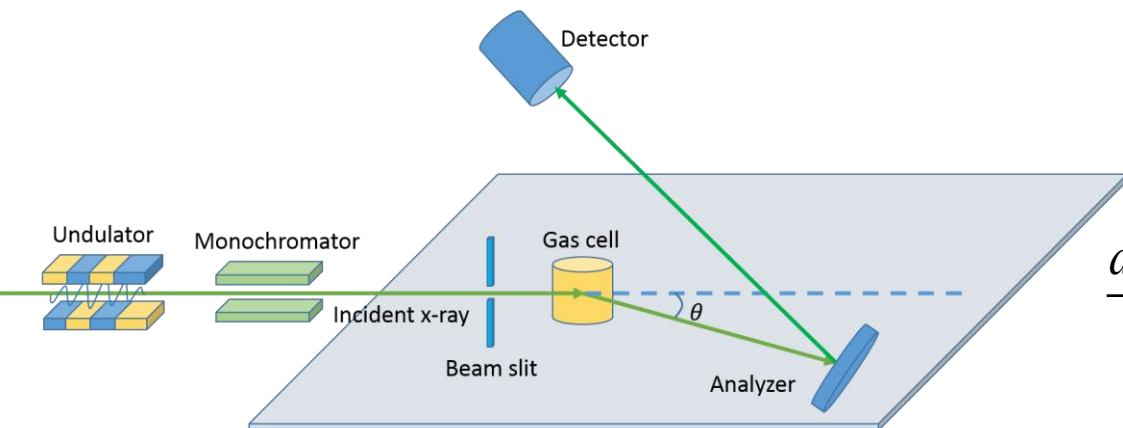
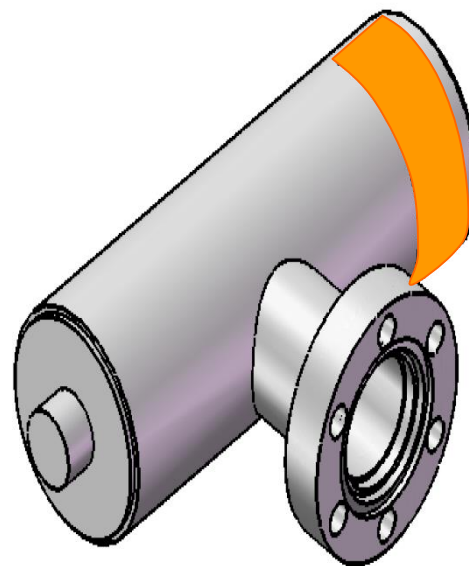


$$\zeta(\vec{q}, \omega_n) = \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{q} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

II. X射线散射



Schematics of IXS



$$E_n = \hbar\omega_i - \hbar\omega_f$$

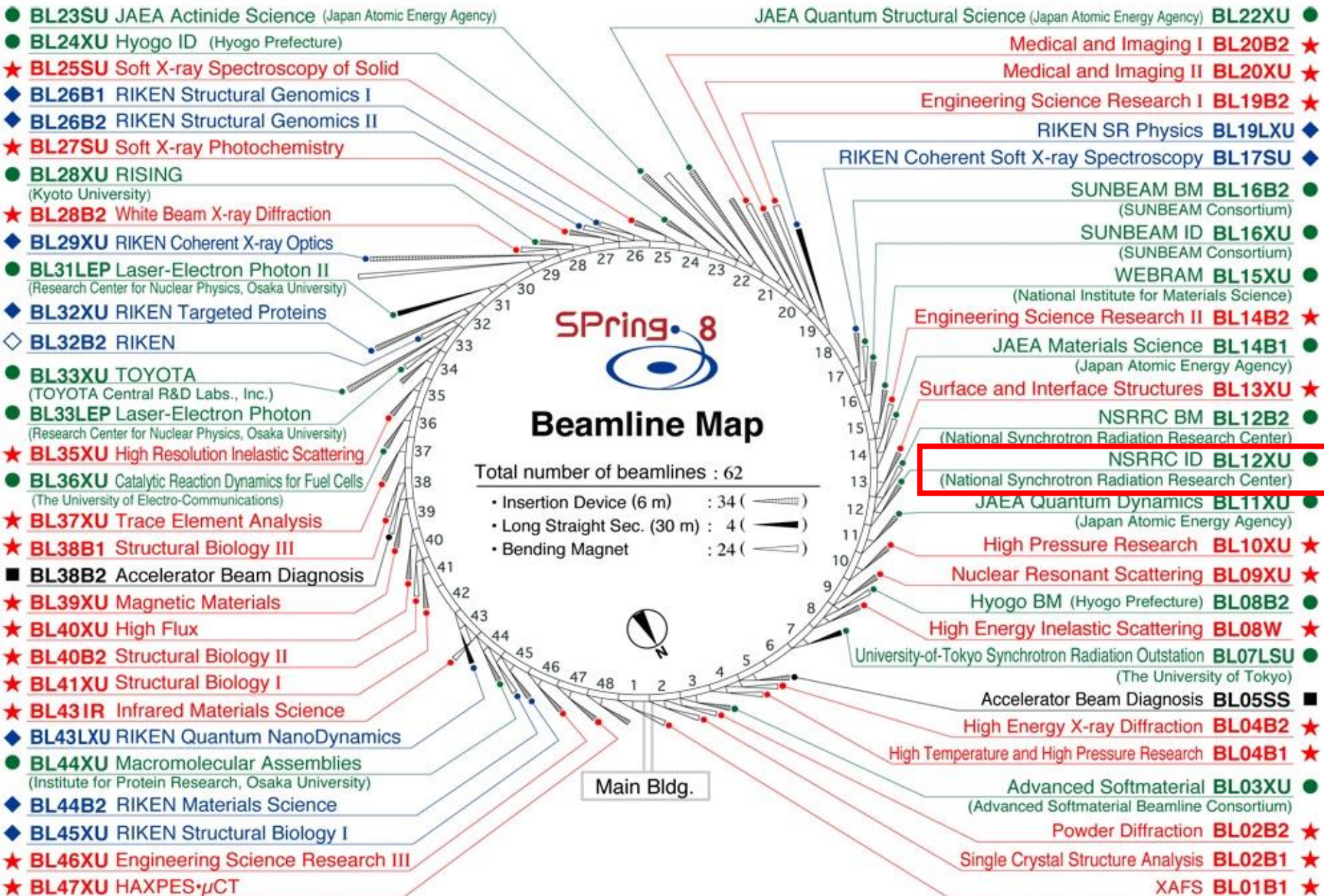
$$q^2 = k_i^2 + k_f^2 - 2k_i k_f \cos 2\theta$$

$$\frac{d\sigma_n^\gamma(2\theta)}{d\Omega} = r_0^2 \frac{\omega_f}{\omega_i} \left| \vec{\varepsilon}_i \cdot \vec{\varepsilon}_f^* \right|^2 \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{q} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

$$\zeta(\mathbf{q}, \omega_n) = \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{q} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

日本 Spring-8



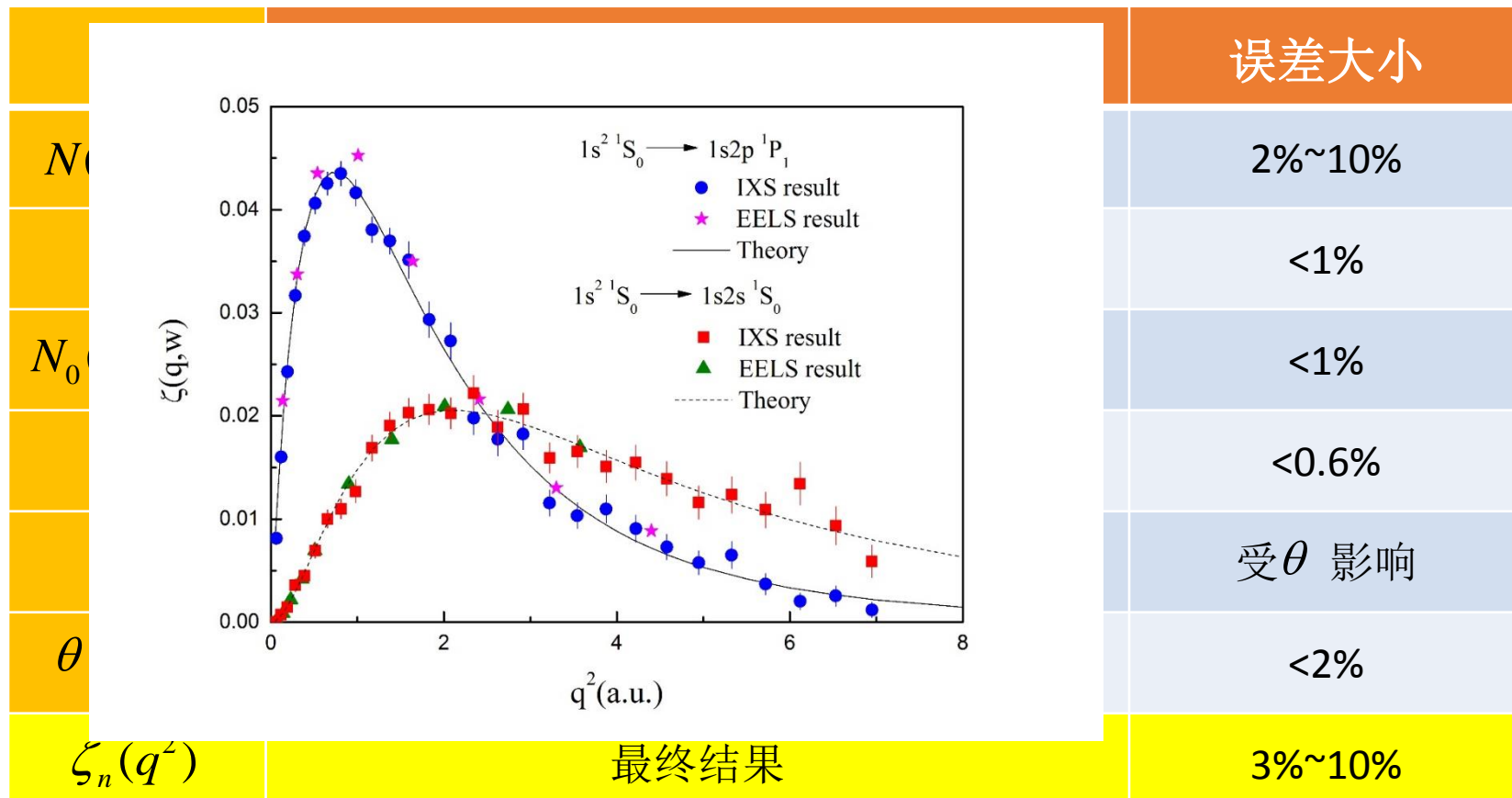


非弹性X射线散射的绝对化方法

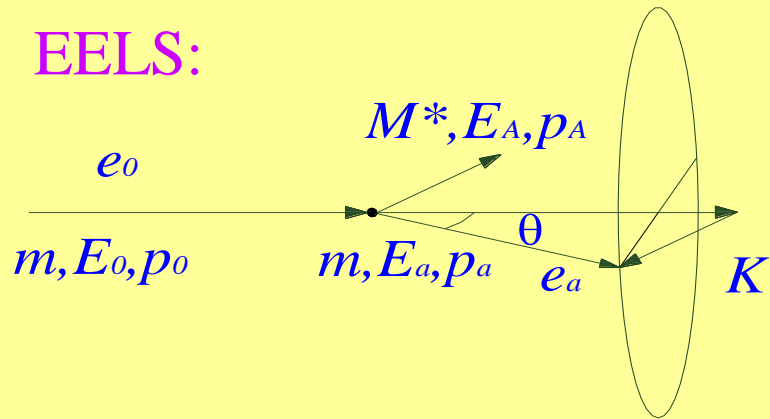
$$\zeta_n(q^2) = \frac{1}{r_0^2} \frac{\omega_i}{\omega_f} \frac{1}{\cos^2 \theta} \frac{N(q, d\Omega) / \alpha}{N_0(q, d\Omega) \cdot n l_{eff}^S}$$

➤ 引用He原子到2¹P态的激发过程作为归一化标准:

$$\frac{\zeta_n^S(q^2)}{\zeta_{He}(q^2)} = \frac{\omega_f^{He} \cos^2 \theta^{He}}{\omega_f^S \cos^2 \theta^S} \frac{N^S(q, d\Omega) / \alpha^S}{N_0^S(q, d\Omega) \cdot n^S l_{eff}^S} \bigg/ \frac{N_0^S(q, d\Omega) \cdot n^S l_{eff}^S}{N^S(q, d\Omega) / \alpha^S}$$



EELS:



Schematics of EELS

Energy loss:

$$E_n = E_0 - E_a$$

Square of the momentum transfer:

$$K^2 = p_0^2 + p_a^2 - 2p_0 p_a \cos \theta$$

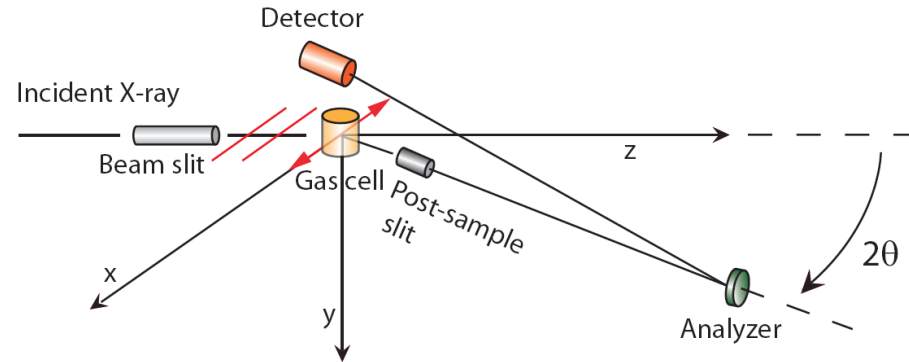
Differential Cross Section (DCS):

$$\frac{d\sigma_n^e(\theta)}{d\Omega} = \frac{2}{E_n} \frac{p_a}{p_0} \frac{1}{K^2} f_n(K^2) = \frac{4}{K^4} \frac{p_a}{p_0} \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{k} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

Generalized Oscillator Strength (GOS):

$$f_n(K^2) = \frac{2E_n}{K^2} \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{k} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

IXS:



Energy loss:

$$E_n = \hbar\omega_i - \hbar\omega_f$$

Momentum transfer:

$$K^2 = k_i^2 + k_f^2 - 2k_i k_f \cos 2\theta$$

Differential Cross Section (DCS):

$$\frac{d\sigma_n^\gamma(\theta)}{d\Omega} = r_0^2 \frac{\omega_f}{\omega_i} |\vec{\epsilon}_i \cdot \vec{\epsilon}_f^*|^2 \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{q} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

Squared form factor:

$$\zeta(\vec{q}, \omega_n) = \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{q} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

排除系统误差!

实验技术一：高能电子散射

实验装置：快电子散射谱仪

探针粒子：电子

入射粒子能量：1500 eV

样品气压：约 10^{-2} Pa

测量角度： $+5^{\circ}$ 到 -15°

绝对化方法：相对流量技术

实验技术二：X射线散射

实验装置：X射线散射谱仪

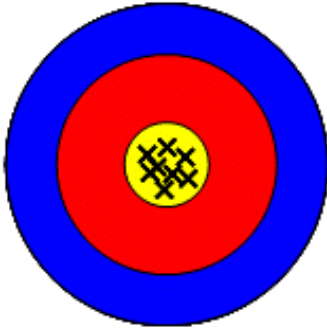
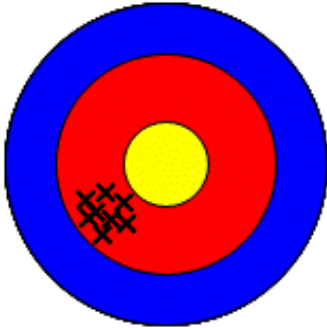

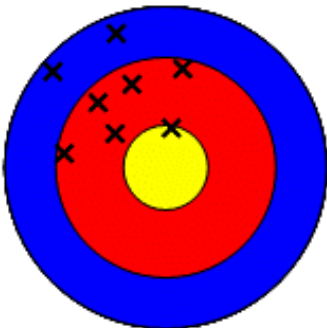
探针粒子：光子

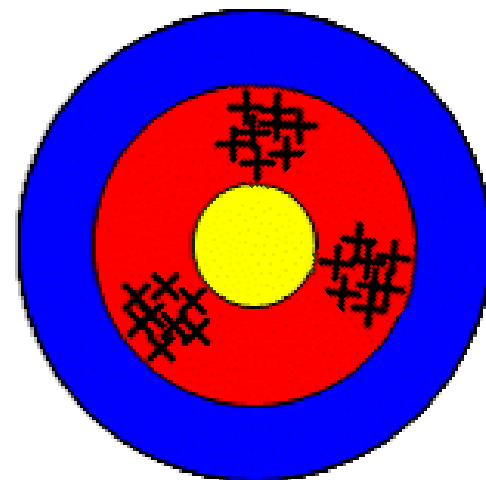
入射粒子能量：10 keV

样品气压：约10 atm

测量角度： 5° 到 120°

绝对化方法：静态气压比

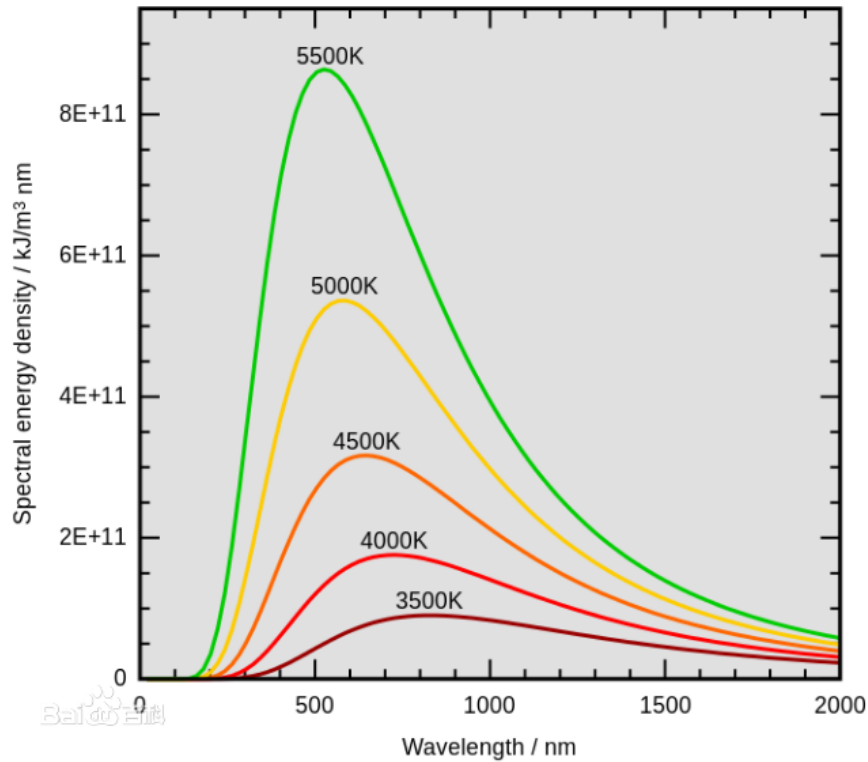
	准确	不准确
精确		
不精确		



交叉检验:

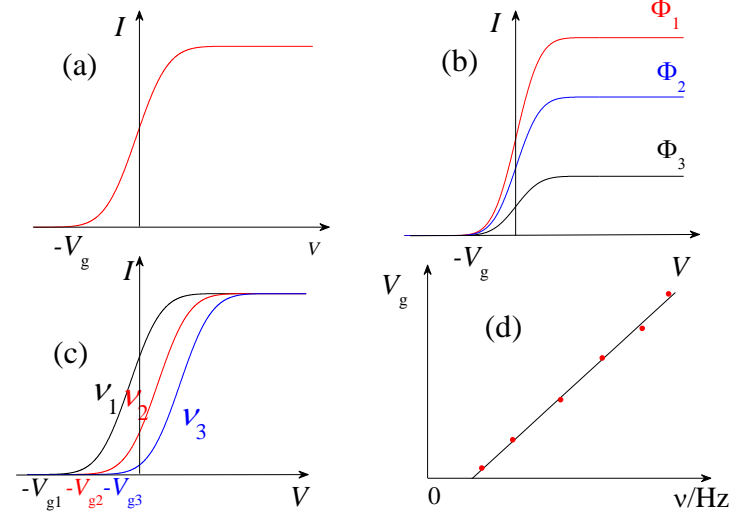
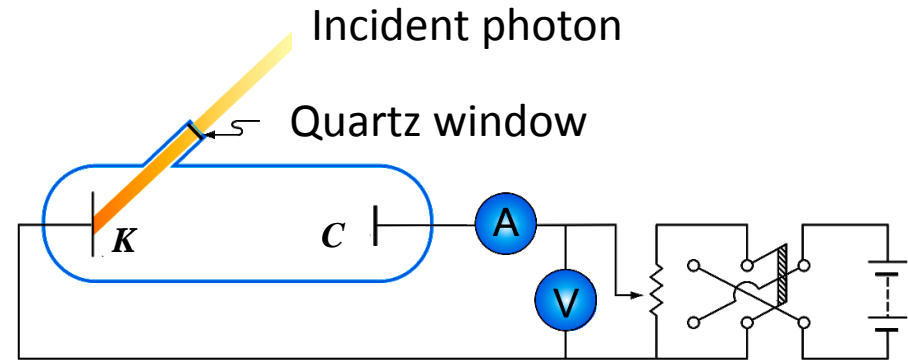
- 不同研究组利用同一实验技术测量
- 用不同实验技术测量同一物理量

The measurement of Planck constant h



$$r_0(\lambda, T) = \frac{2\pi hc^2}{\lambda^5} \frac{1}{e^{hc/\lambda kT} - 1}$$

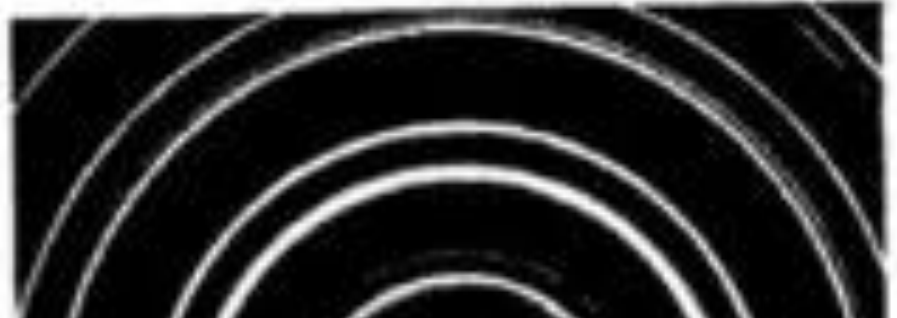
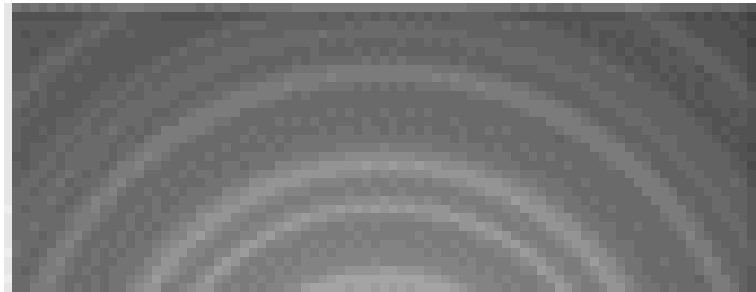
Blackbody Radiation



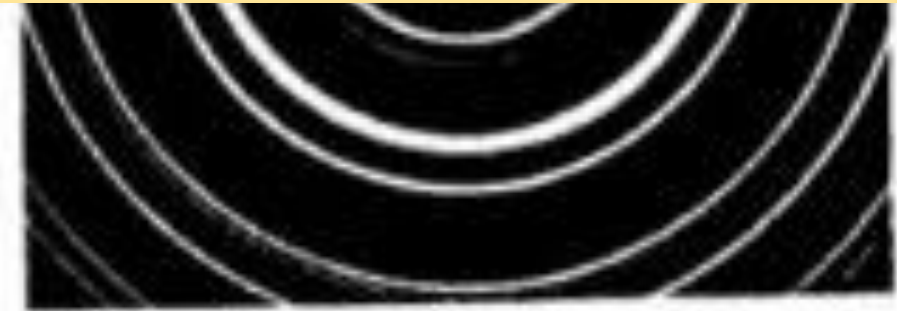
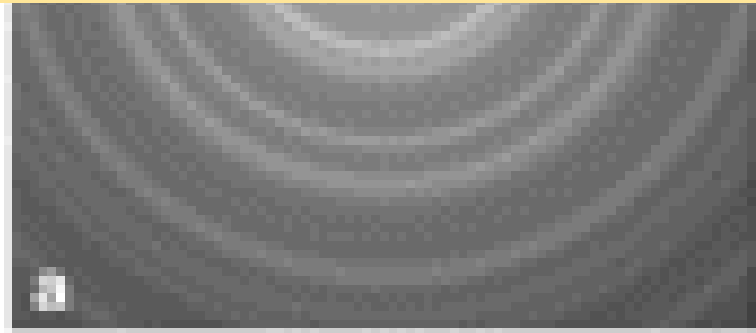
$$V_g = \frac{h}{e} \nu - \frac{\Phi}{e}$$

Photoelectric effect

Diffraction of polycrystal gold



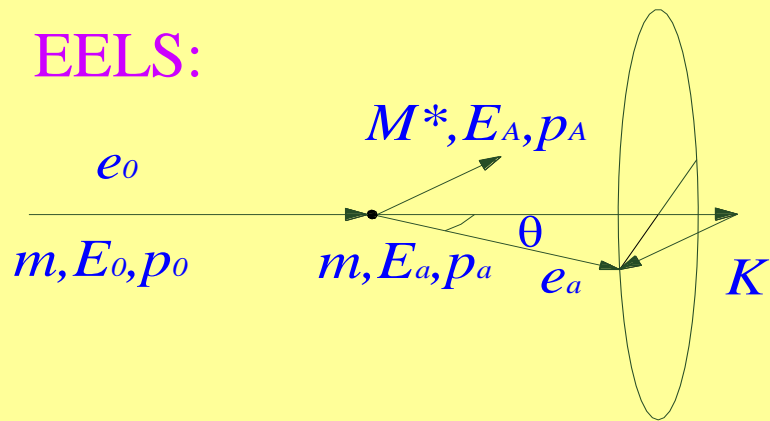
Crosschecking the experimental results determined by different experimental methods can exclude the possible systematic errors and provide the experimental benchmark!



High-energy electron diffraction

X-ray diffraction

EELS:



Schematics of EELS

Energy loss:

$$E_n = E_0 - E_a$$

Square of the momentum transfer:

$$K^2 = p_0^2 + p_a^2 - 2p_0 p_a \cos \theta$$

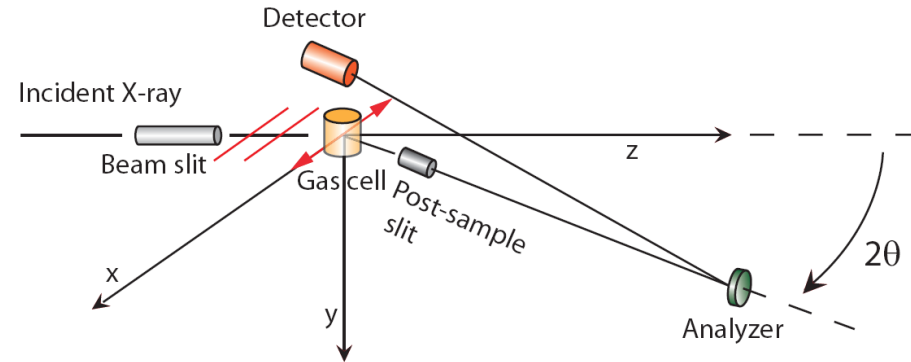
Differential Cross Section (DCS):

$$\frac{d\sigma_n^e(\theta)}{d\Omega} = \frac{2}{E_n} \frac{p_a}{p_0} \frac{1}{K^2} f_n(K^2) = \frac{4}{K^4} \frac{p_a}{p_0} \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{k} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

Generalized Oscillator Strength (GOS) :

$$f_n(K^2) = \frac{2E_n}{K^2} \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{k} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

IXS:



Energy loss:

$$E_n = \hbar\omega_i - \hbar\omega_f$$

Square of the momentum transfer:

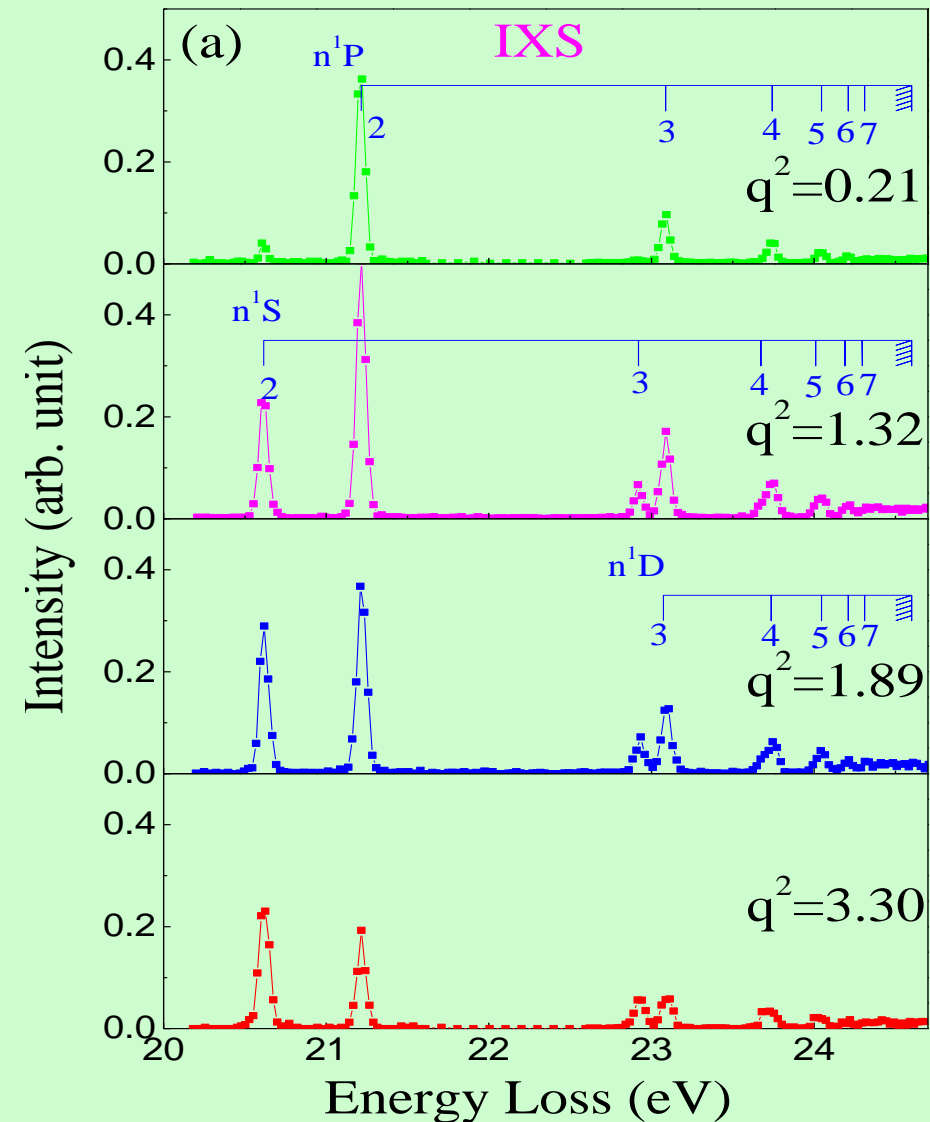
$$q^2 = k_i^2 + k_f^2 - 2k_i k_f \cos 2\theta$$

Differential Cross Section (DCS):

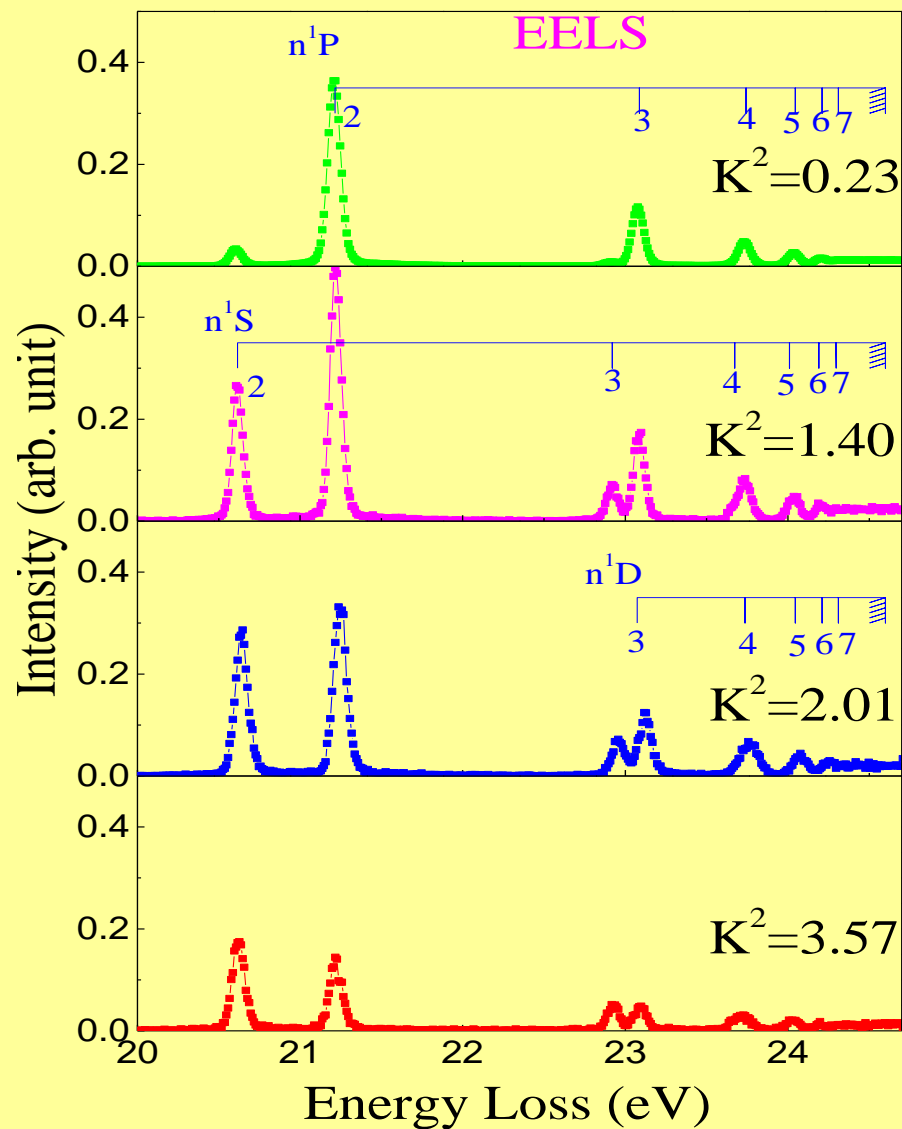
$$\frac{d\sigma_n^\gamma(\theta)}{d\Omega} = r_0^2 \frac{\omega_f}{\omega_i} \left| \vec{\epsilon}_i \cdot \vec{\epsilon}_f^* \right|^2 \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{q} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

Squared form factor :

$$\zeta(\vec{q}, \omega_n) = \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{q} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

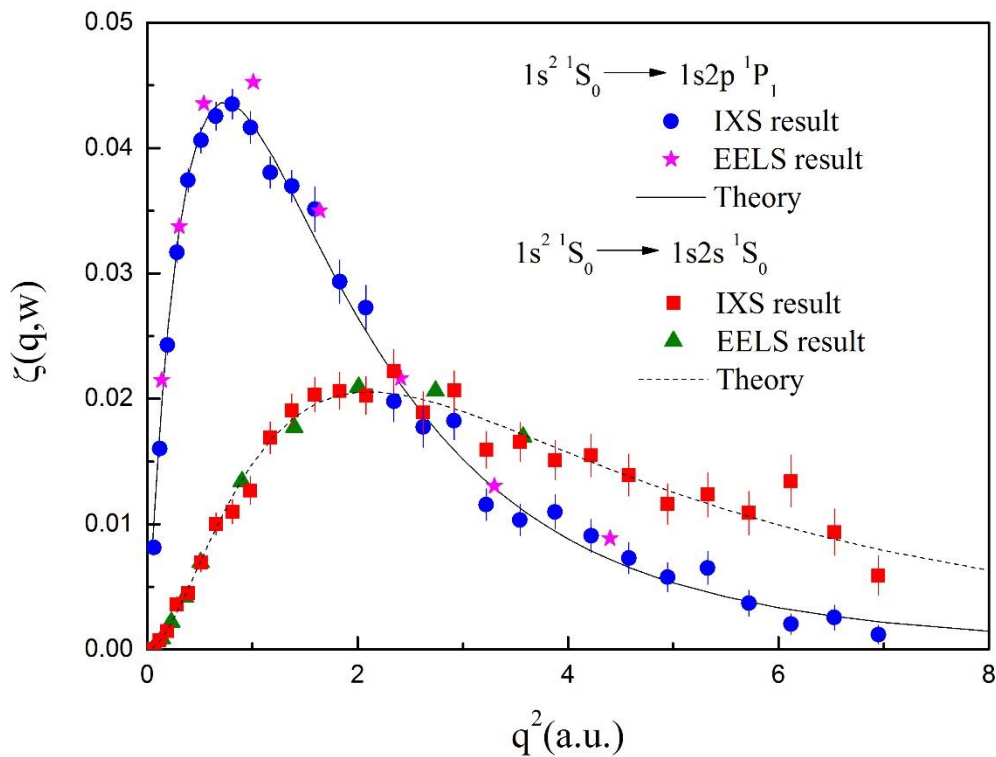
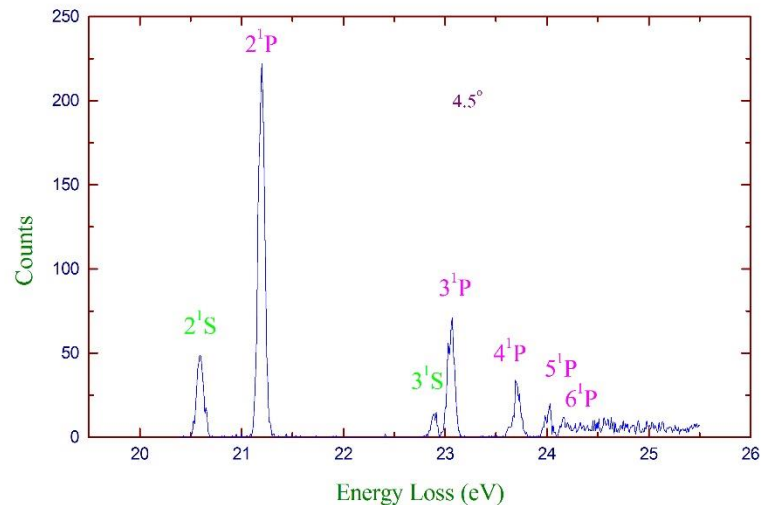


Inelastic X-ray scattering Spectra measured at an incident photon energy of 10 keV and energy resolutions of 70 meV.



Electron Energy Loss Spectra (EELS) measured at an incident electron energy of 2.5 keV and an energy resolution of 80 meV.

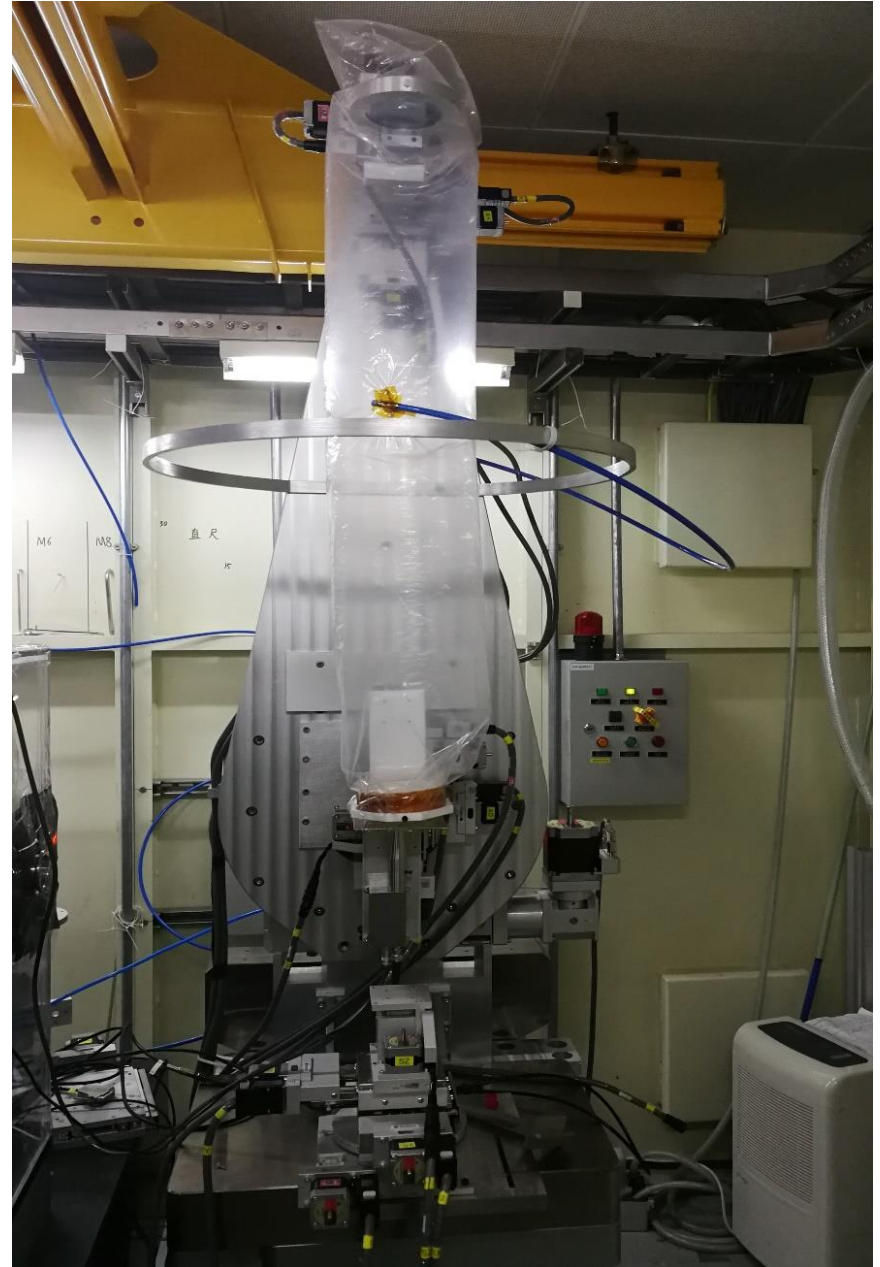
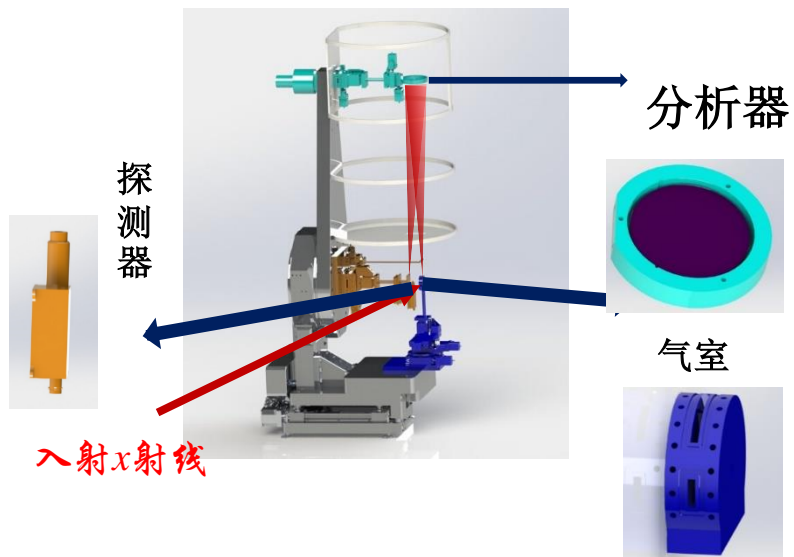
排除系统误差!

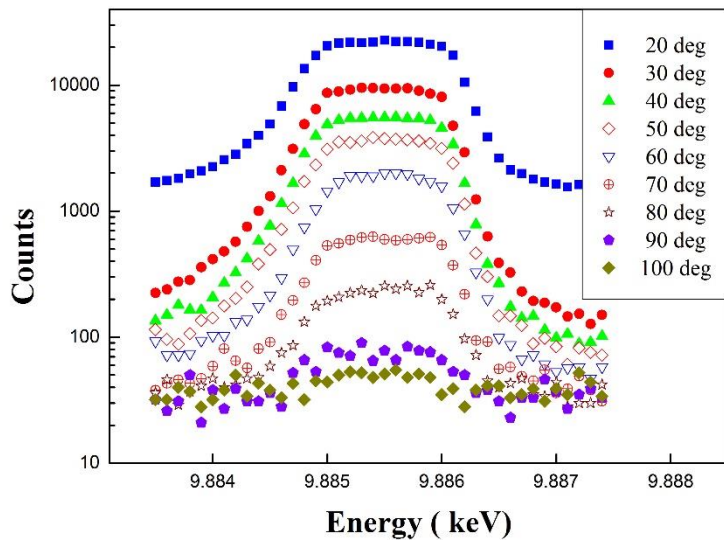


$$\zeta(\vec{q}, \omega_n) = \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\vec{q} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

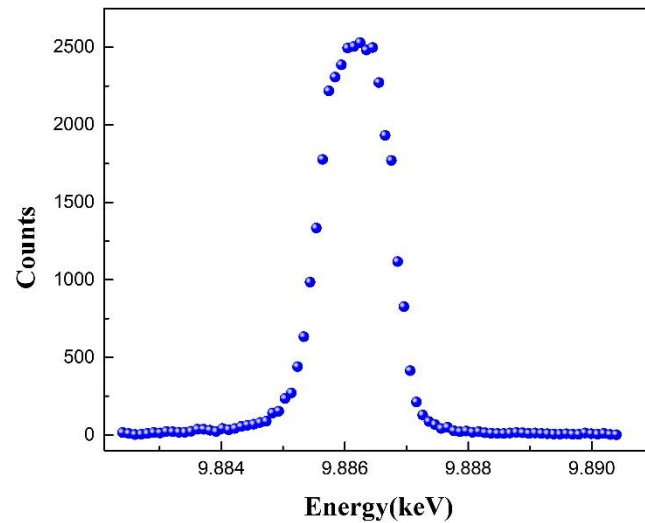
上海光源IXS装置

- 国际上的主要光源都有IXS谱仪
- 国内第一台IXS谱仪装置
- 可转角度 $0\sim 110^\circ$

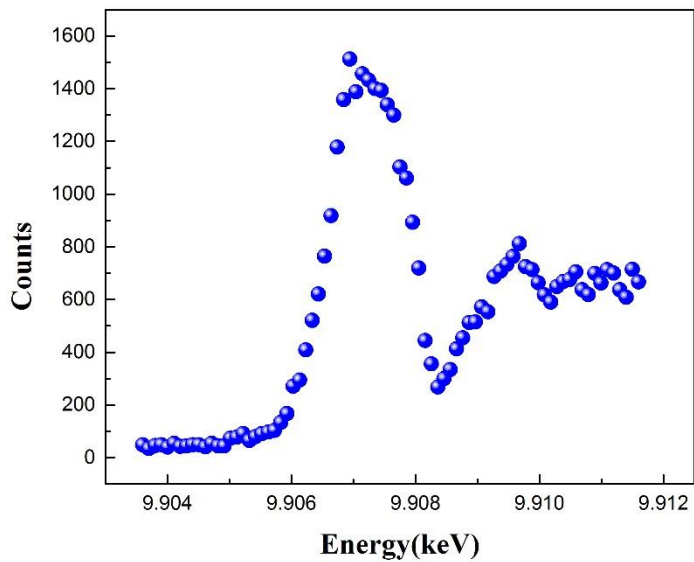




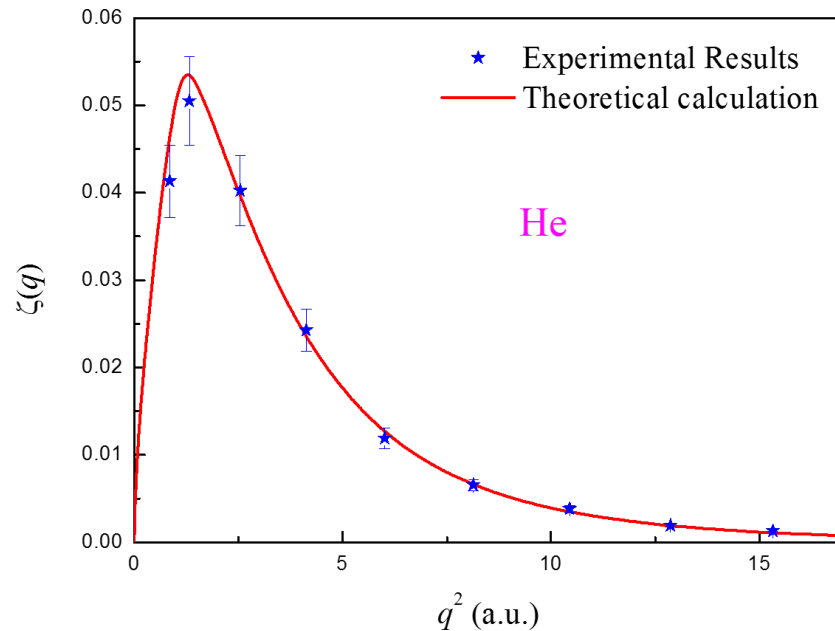
纤维丝弹性峰



Elastic scattering for Helium @ 20 degree



Inelastic scattering for Helium @ 20 degree



主要内容

- 背景
- 实验方法
- **现状**
- 展望

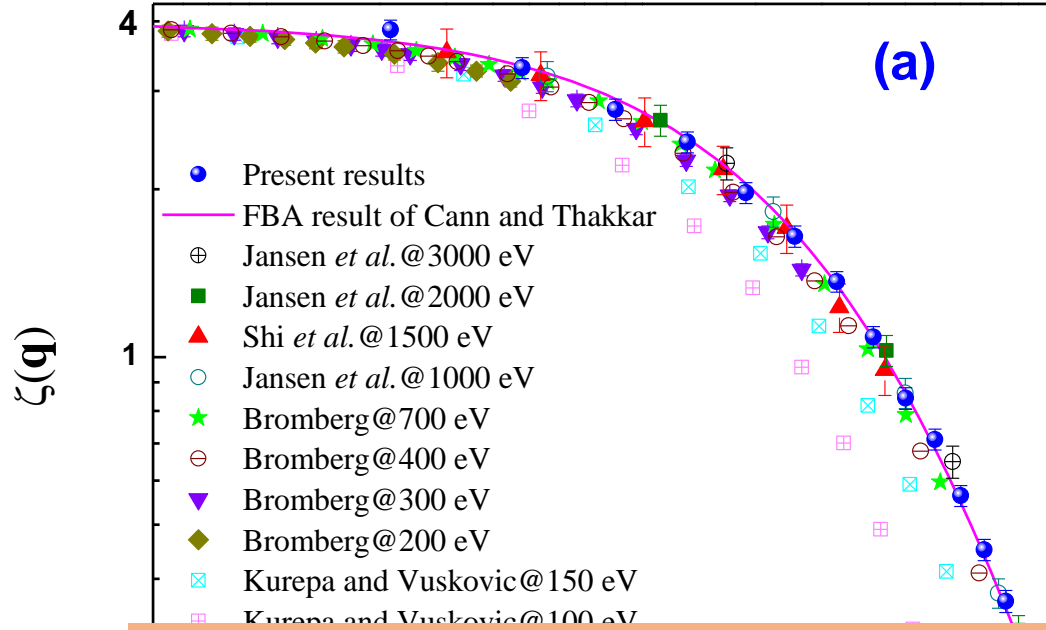
一、原子分子价壳层激发态的电子结构问题

形状因子平方:

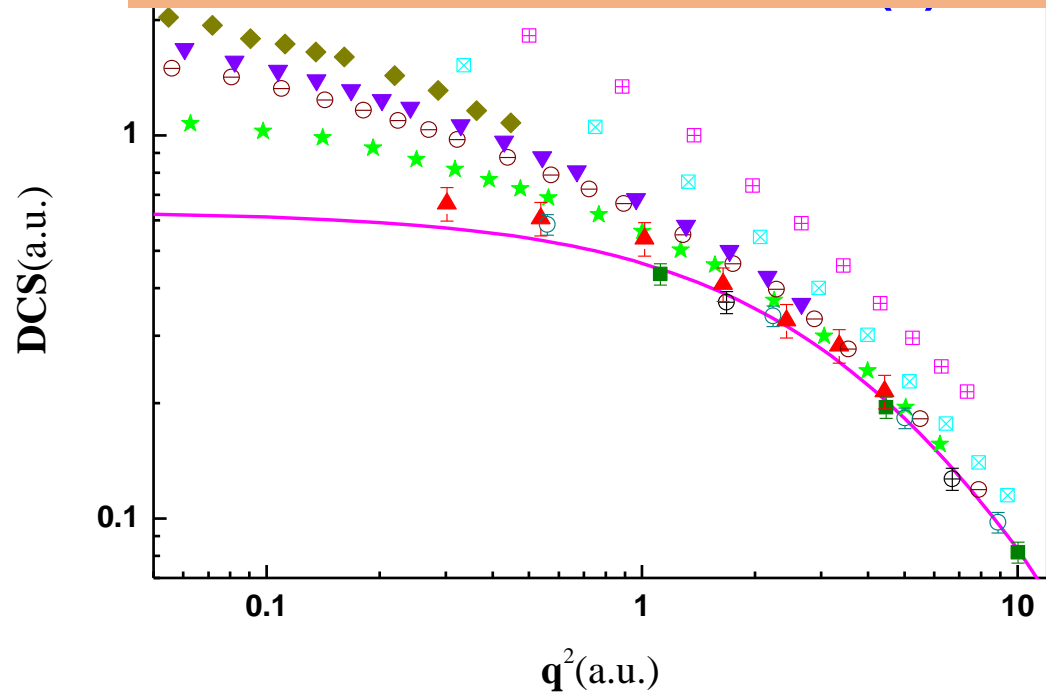
$$\zeta(\vec{q}, \omega_n) = \left| \left\langle \Psi_n \left| \sum_{j=1}^N \exp(i\vec{q} \cdot \vec{r}_j) \right| \Psi_0 \right\rangle \right|^2$$

$$\zeta(\vec{q}, \omega_n) = \left| \left\langle \Psi_n(\vec{p} + \vec{q}) \mid \Psi_0(\vec{p}) \right\rangle \right|^2$$

I、He原子基态电子结构



不同表述渐进行为不同!

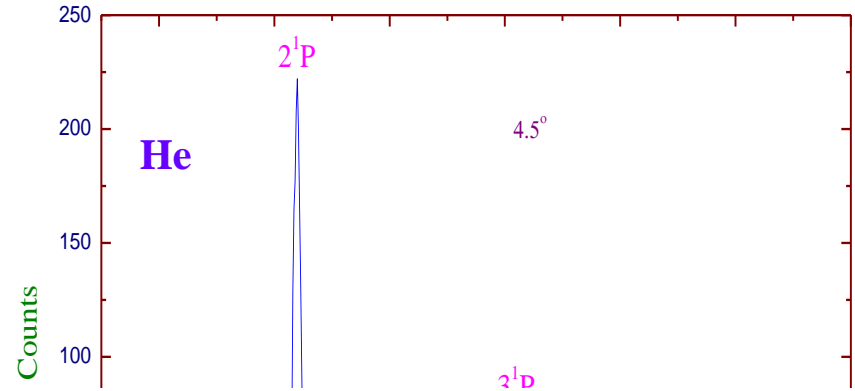
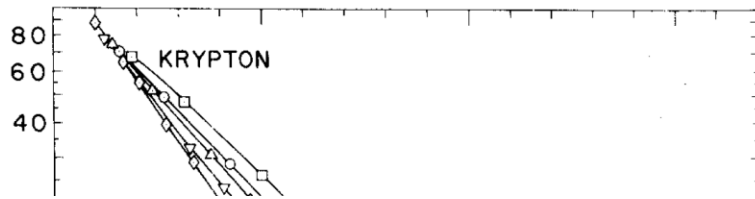


$$\frac{d\sigma_n^\gamma(2\theta)}{d\Omega} = r_0^2 \left| \vec{\epsilon}_i \cdot \vec{\epsilon}_f^* \right|^2 \left| \left\langle \Psi_0 \left| \sum_{j=1}^N e^{i\vec{q} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

$$\zeta(\vec{q}) = \left| \left\langle \Psi_0 \left| \sum_{j=1}^N e^{i\vec{k} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

$$\left(\frac{d\sigma}{d\Omega} \right)_e^B = \frac{4}{K^4} \left| Z - \left\langle \Psi_0 \left| \sum_{j=1}^N e^{i\vec{k} \cdot \vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

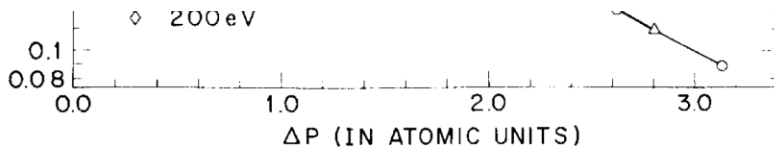
测试FBA的有效性



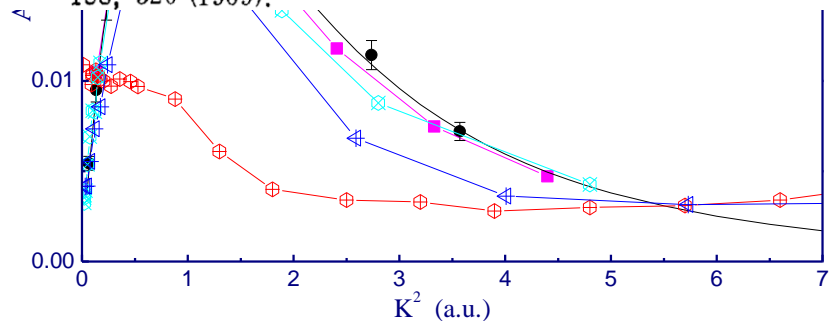
J. Philip Bromberg: Absolute differential cross sections. I

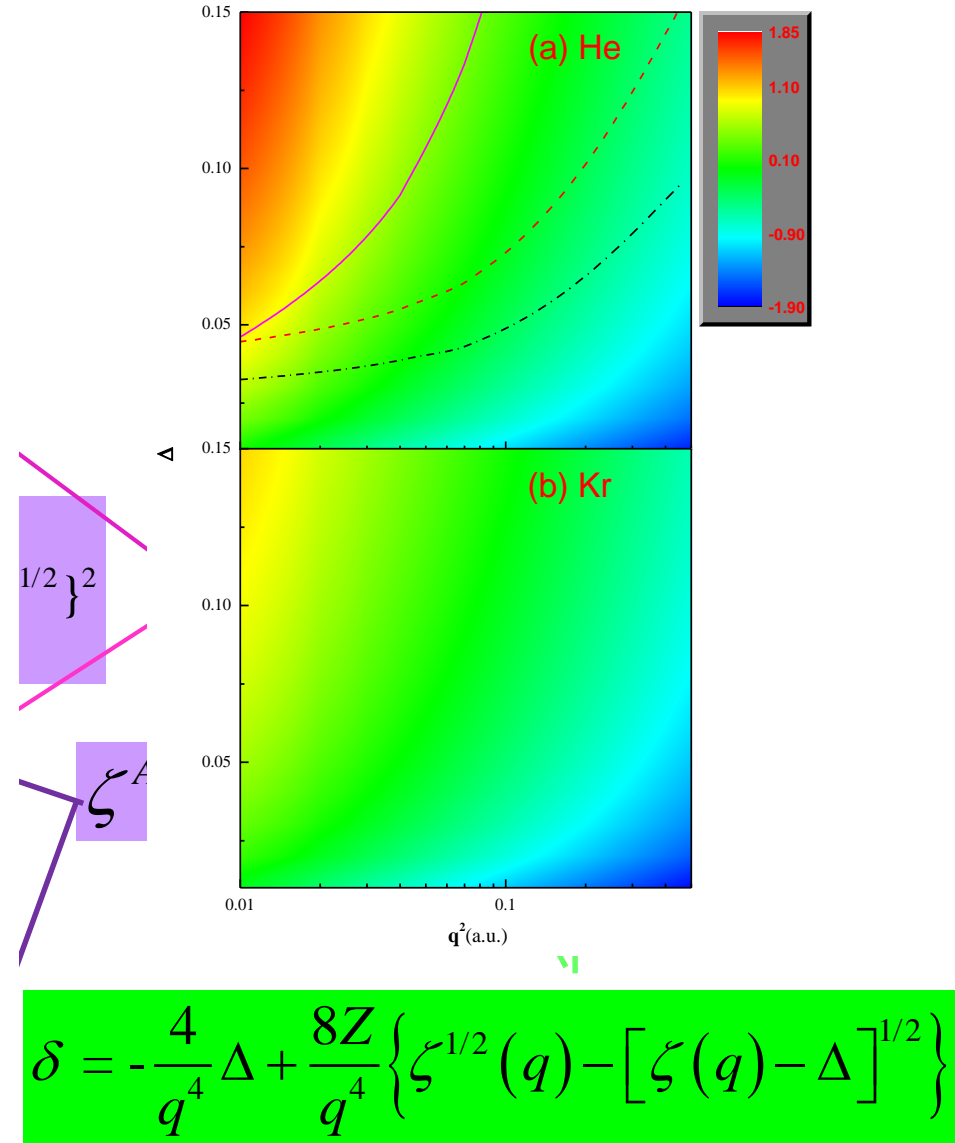
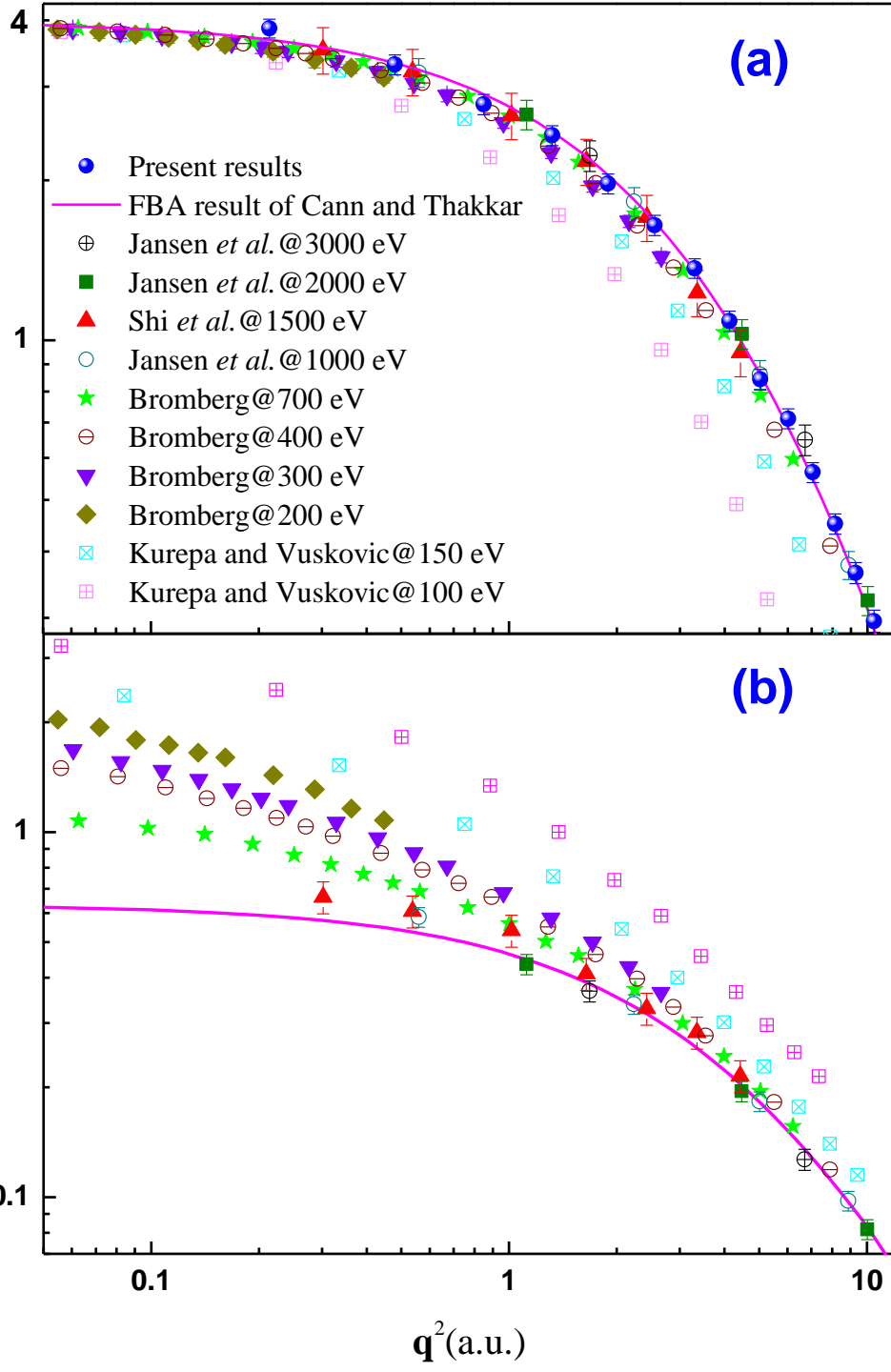
σ (IN UNITS OF a_0^2/SR)

four gases Ne, Ar, Kr, and Xe, when the cross sections are plotted as a function of ΔP , the higher energy curves lie higher, and the curves tend to merge in the limit as ΔP approaches zero. We have previously pointed out³⁰ that this merging suggests that the Born approximation will hold in the limit of small ΔP and that in this limit the cross sections should be describable by a simple potential. Helium, however, presents an anomalous situation. Here the lower energy curves lie higher, and there is no merging of the curves in the limit as ΔP approaches zero, in contradistinction to what we have found for Hg,³⁰ N₂ and Co,³⁶ O₂ and CO₂,³⁸ and NH₃ and H₂O³⁷ in addition to the other inert gases presented here.



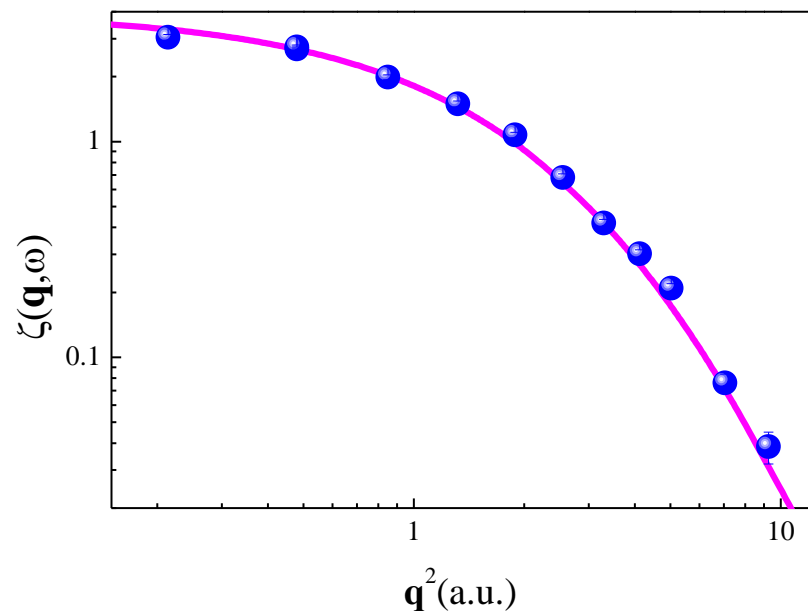
- ¹²R. H. J. Jansen and F. J. DeHeer, in Abstracts of Papers of the Eighth International Conference on the Physics of Electronic and Atomic Collisions (Institute of Physics, Belgrade, Yugoslavia, 1973), p. 269.
- ¹³M. V. Kurepa, L. Dj. Vuskovic, and S. D. Kalezic, Ref. 12, p. 267.
- ¹⁴J. Mehr, Z. Physik 198, 345 (1967).
- ¹⁵S. P. Khare and B. L. Moiseiwitsch, Proc. Phys. Soc. Lond. 85, 821 (1965).
- ¹⁶J. E. Purcell, R. A. Berg, and A. E. S. Green, Phys. Rev. A 2, 107 (1970).
- ¹⁷P. S. Ganas, S. K. Dutta, and A. E. S. Green, Phys. Rev. A 2, 111 (1970).
- ¹⁸R. W. LaBahn and J. Callaway, Phys. Rev. 180, 91 (1969); 188, 520 (1969).





II、H₂分子基态的纯电子结构

Northey et al, JCP 145, 154304 (2016):



THE JOURNAL OF CHEMICAL PHYSICS 145, 154304 (2016)

Elastic X-ray scattering from state-selected molecules

Thomas Northey,¹ Andrés Moreno Carrascosa,¹ Steffen Schäfer,² and Adam Kirrander^{1,a)}
¹*EaStCHEM, School of Chemistry, University of Edinburgh, David Brewster Road, EH9 3FJ Edinburgh, United Kingdom*
²*Aix-Marseille Université and Institut Matériaux Microélectronique Nanosciences de Provence (IM2NP), Marseille, France*

(Received 16 June 2016; accepted 24 August 2016; published online 19 October 2016)

The characterization of electronic, vibrational, and rotational states using elastic (coherent) X-ray scattering is considered. The scattering is calculated directly from complete active space self-consistent field level *ab initio* wavefunctions for H₂ molecules in the ground-state $X^1\Sigma_g^+$ and first-excited $EF^1\Sigma_g^+$ electronic states. The calculated scattering is compared to recent experimental measurements [Y.-W. Liu *et al.*, Phys. Rev. A **89**, 014502 (2014)], and the influence of vibrational and rotational states on the observed signal is examined. The scaling of the scattering calculations with basis set is quantified, and it is found that energy convergence of the *ab initio* calculations is a good indicator of the quality of the scattering calculations. *Published by AIP Publishing.* [<http://dx.doi.org/10.1063/1.4962256>]

High-precision measurement of the differential cross section of X-ray elastic scattering from H₂¹³ provides a welcome opportunity to examine molecular form factors and an interesting route for the study of the electronic structure of atoms and molecules. The excellent agreement between the experimental measurements and the calculations presented in this article hold promise that this approach could be extended to a wider range of molecules.²⁸ In the future, the prospect of identifying electronic states in conjunction with time-dependent ultrafast X-ray scattering could enable complete characterization of reaction paths using X-ray scattering. Recent time-resolved experiments^{18–20,67} combined with theory^{28,66,68} constitute an important first step towards this goal.

$$\left(\frac{d\sigma}{d\Omega}\right)_e = \frac{4}{K^4} \left| \langle \Psi_0 | e^{i\vec{k}\cdot\vec{R}_a} + e^{i\vec{k}\cdot\vec{R}_b} - \sum_{j=1}^2 e^{i\vec{k}\cdot\vec{r}_j} | \Psi_0 \rangle \right|^2$$

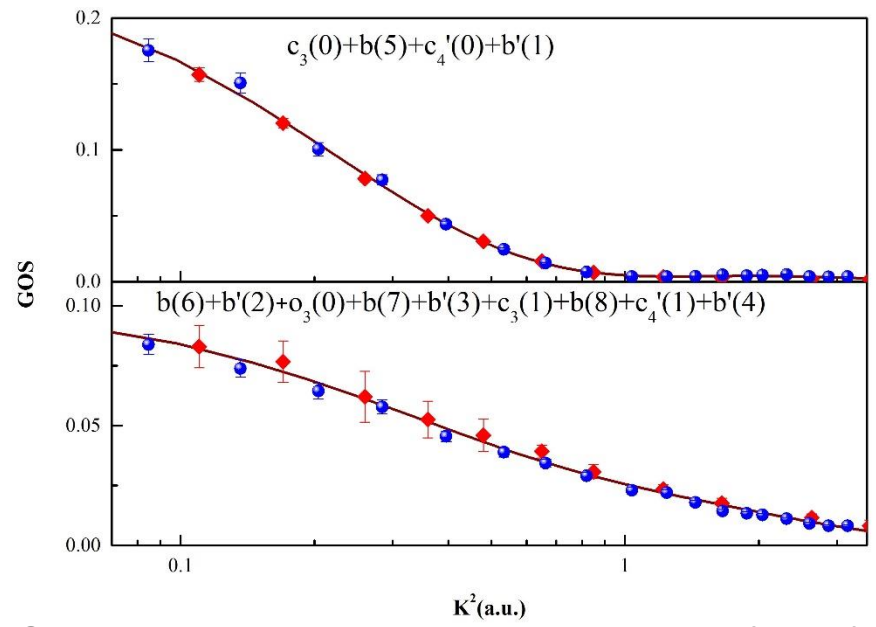
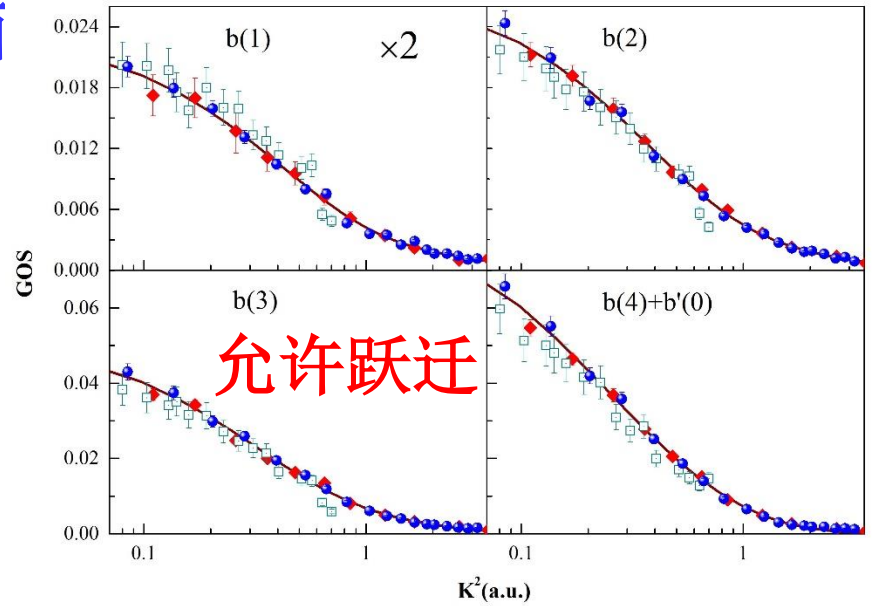
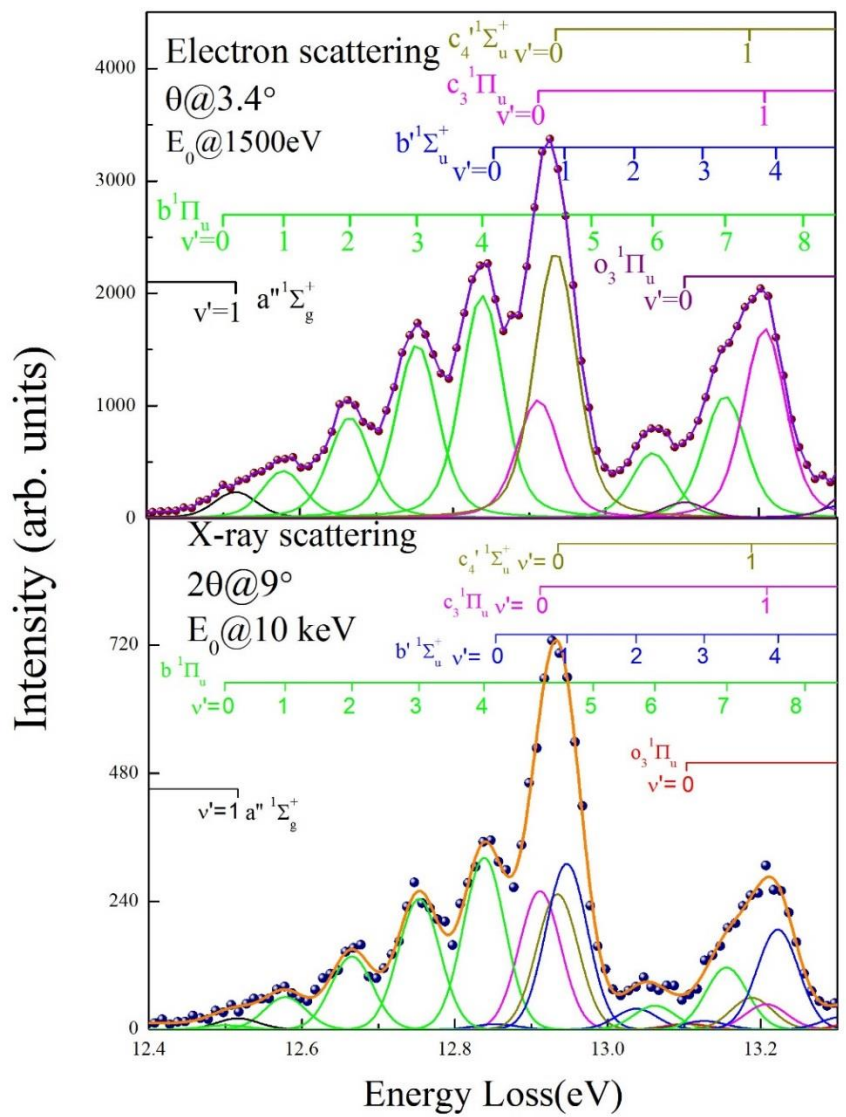
$$\left(\frac{d\sigma}{d\Omega}\right)_\gamma = r_0^2 \left| \vec{\varepsilon}_i \cdot \vec{\varepsilon}_f^* \right|^2 \left| \left\langle \Psi_0 \left| \sum_{j=1}^N e^{i\vec{q}\cdot\vec{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

在国际上首次获得分子基态纯电子结构

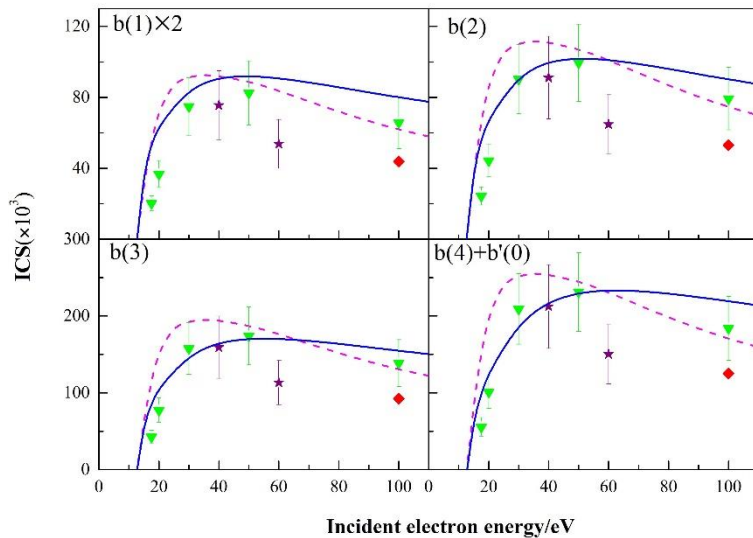
Ya-Wei Liu et al, RRA 89, 014502, (2014);

二、原子分子价壳层激发态的基准动力学参数

I、氮分子价壳层激发态的积分截面



积分截面



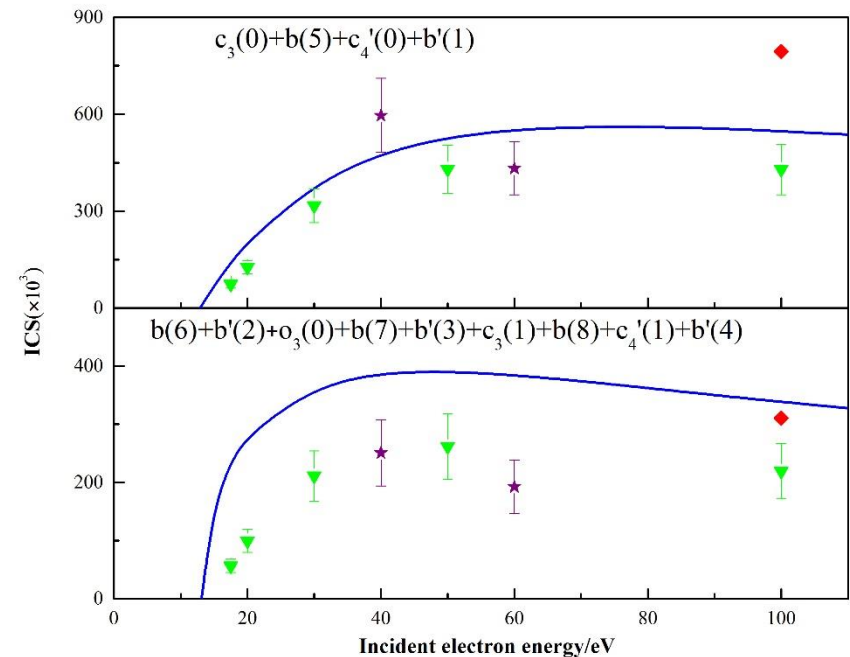
Born积分截面:

$$\sigma_{\text{Born}}(E_0) = \frac{\pi}{E_0 E_n} \int_{K_{\text{min}}^2}^{K_{\text{max}}^2} \frac{f(K, E_n)}{K^2} dK^2$$

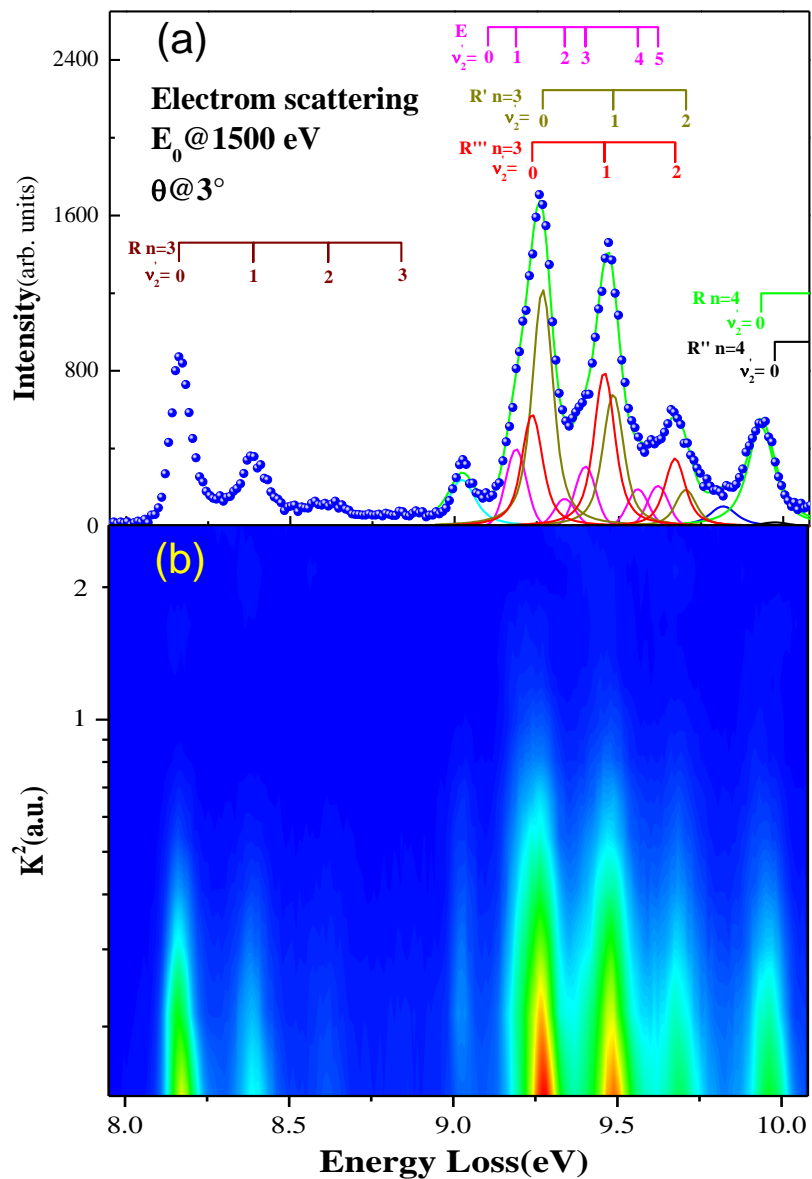
BE-scaling method

H. Tanaka et al., Rev. Mod Phys. 88, 025004(2016)

$$\sigma_{\text{BE}}(E_0) = \frac{E_0}{E_0 + B + E_n} \sigma_{\text{Born}}(E_0)$$

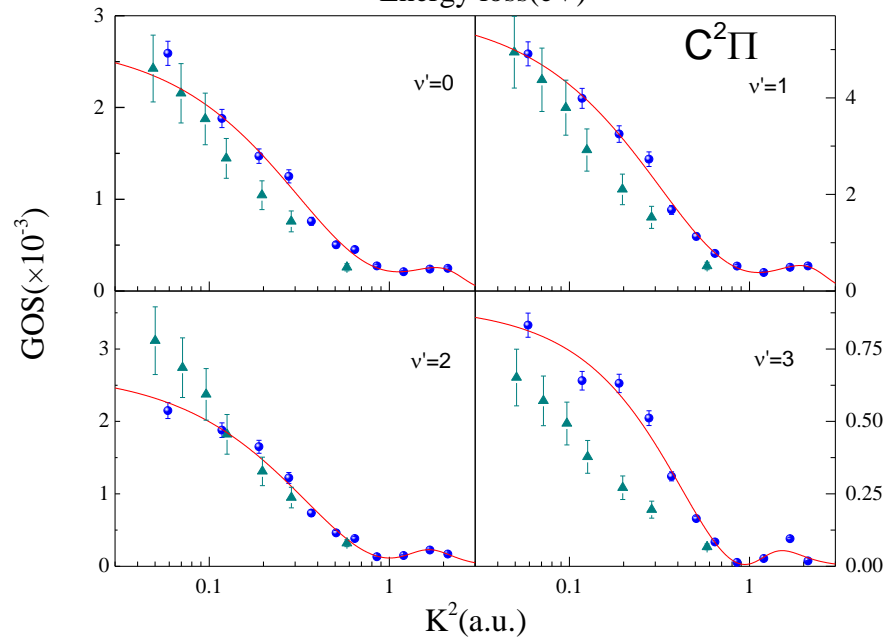
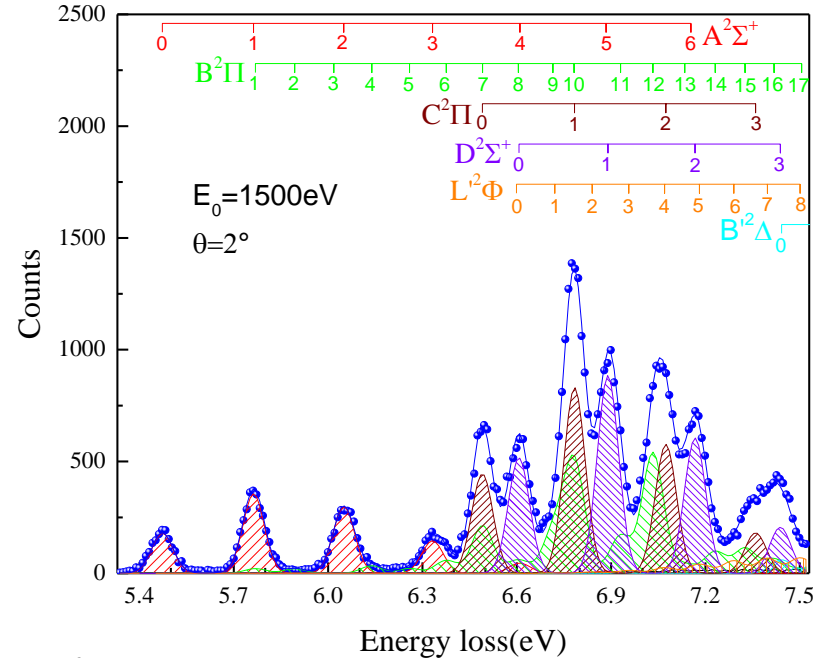


II、其它类似工作:



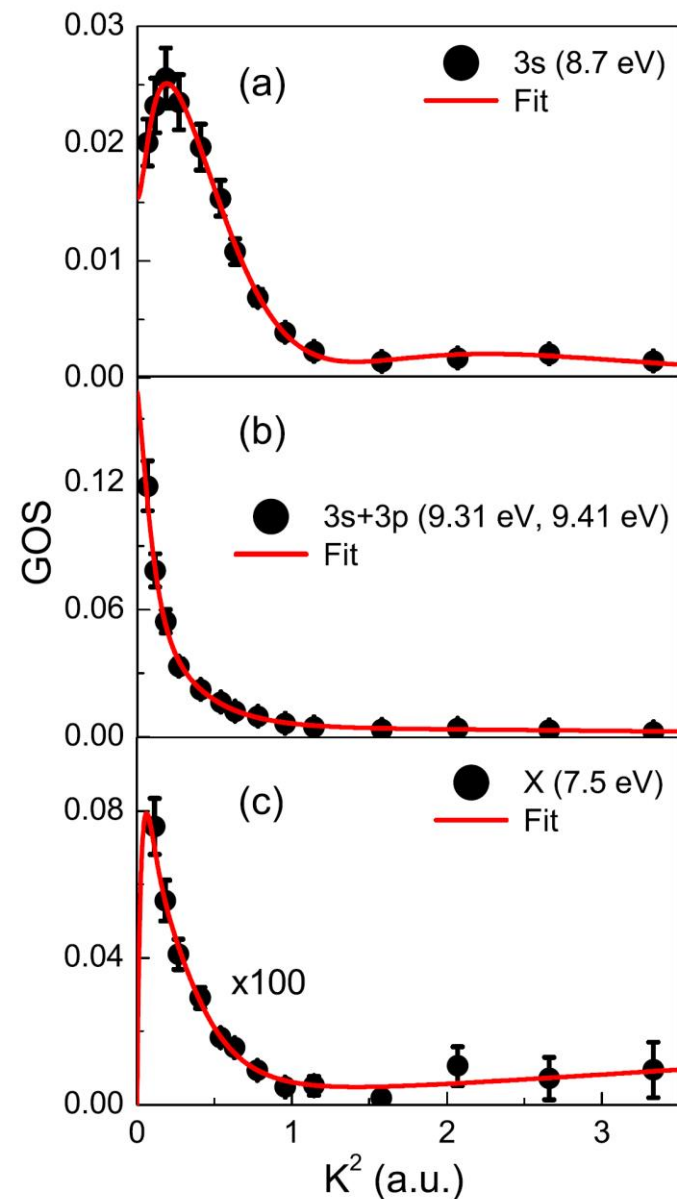
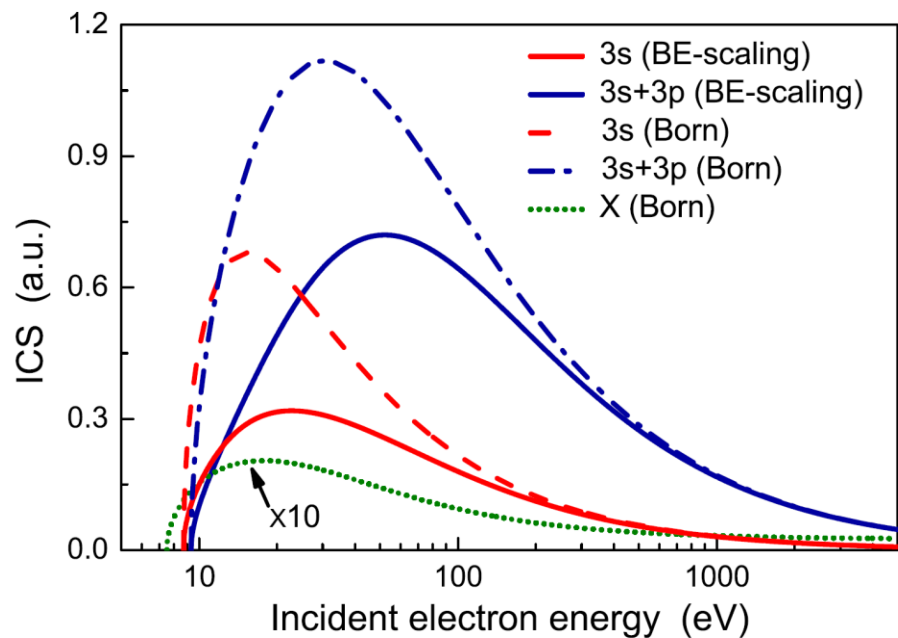
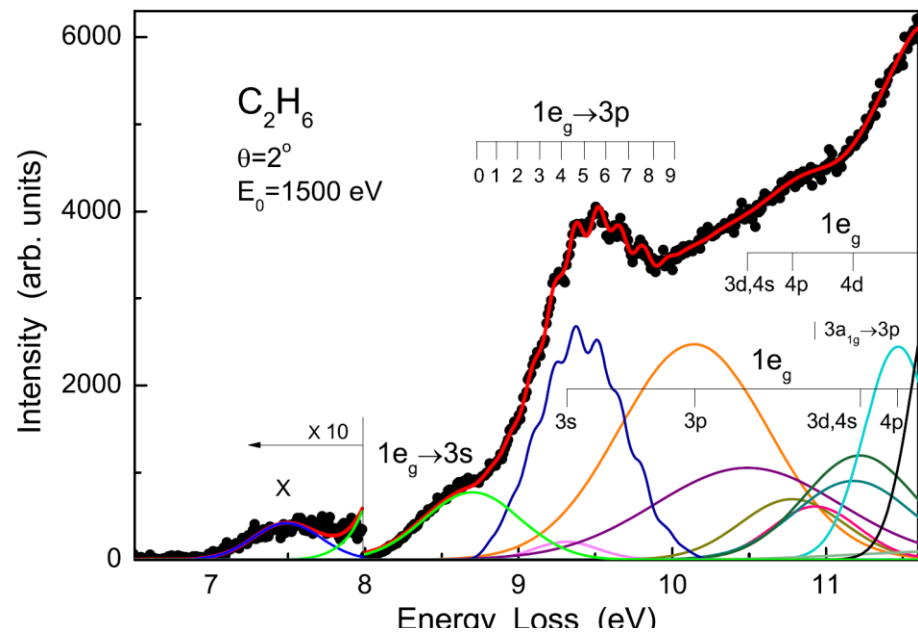
乙炔分子价壳层激发的能量损失谱

Y.W. Liu *et al.* *Astrophys. J. Suppl.* 234:10 (2018)

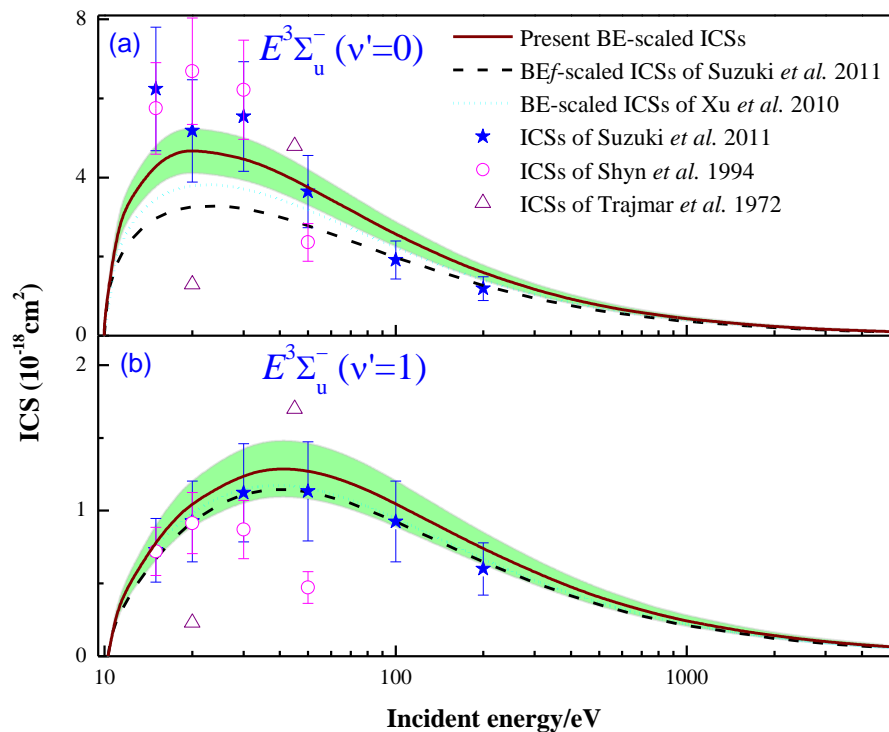
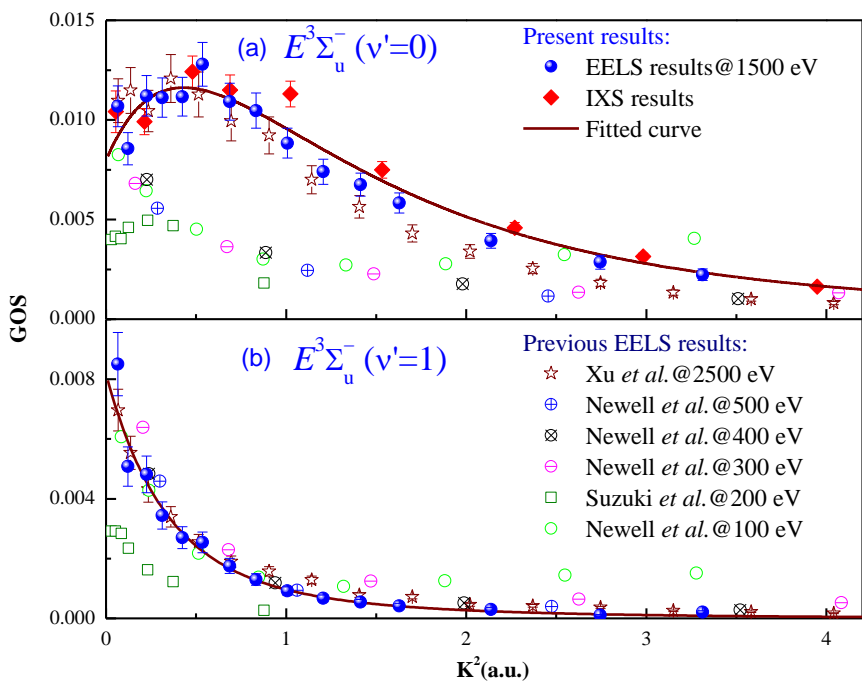
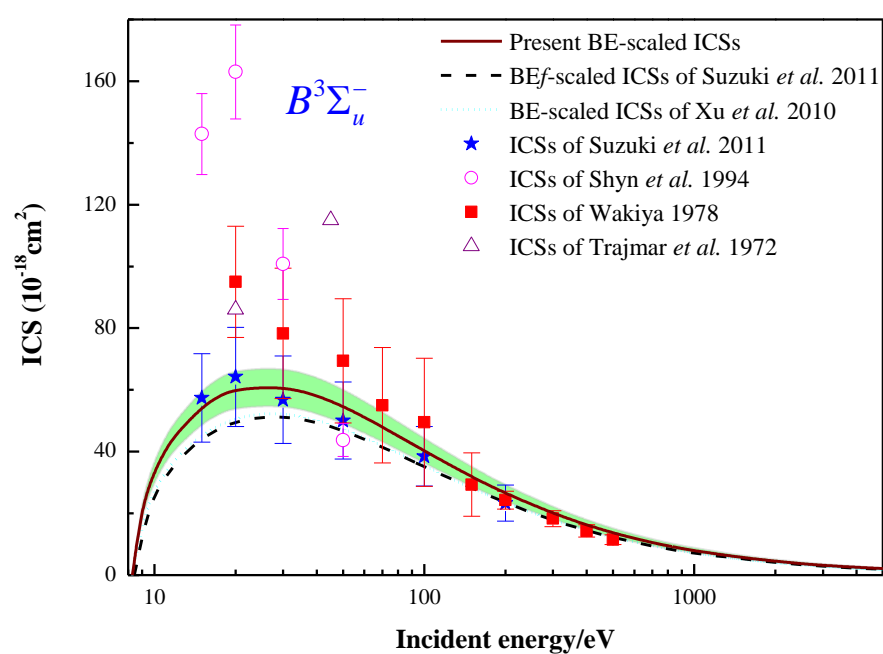
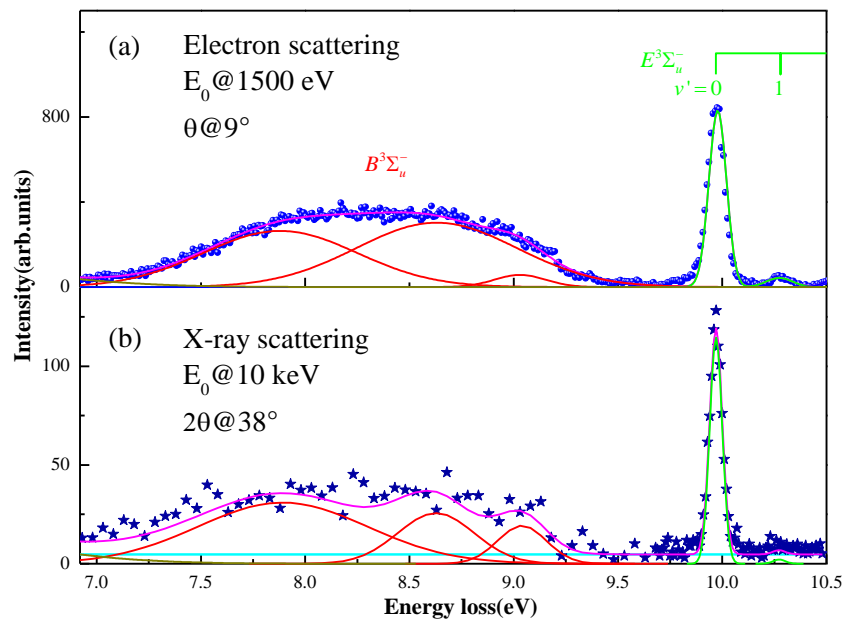


NO分子价壳层激发态的积分截面

X.Xu *et al.* *J. Chem. Phys.* 148, 044311 (2018).

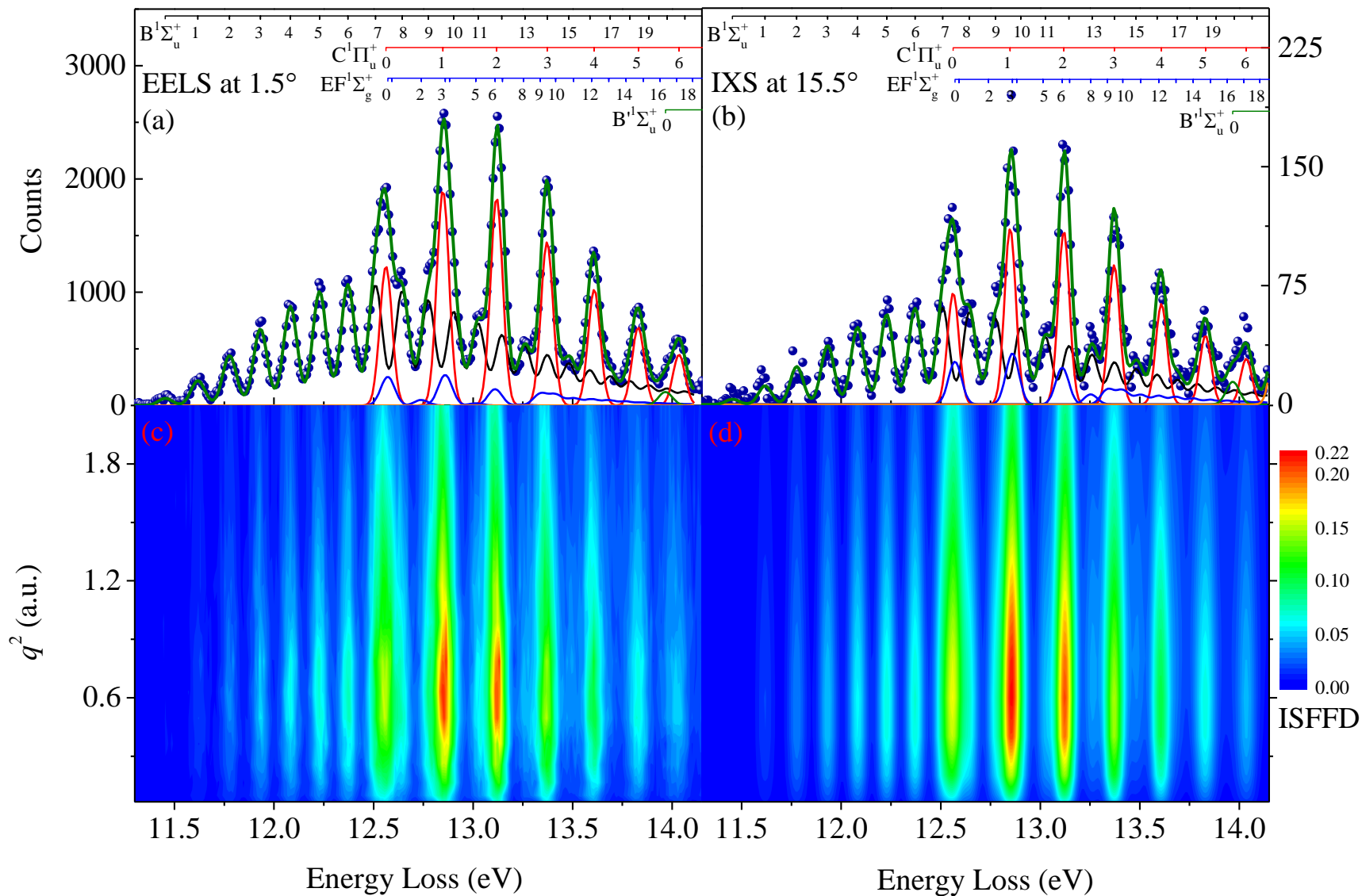


C_2H_6 分子价壳层激发态的积分截面



O_2 分子价壳层激发态的积分截面

III、氢及其同位素分子价壳层激发态的动力学参数



L. Q. Xu et al., **Phys. Rev. A** 97, 032503 (2018)

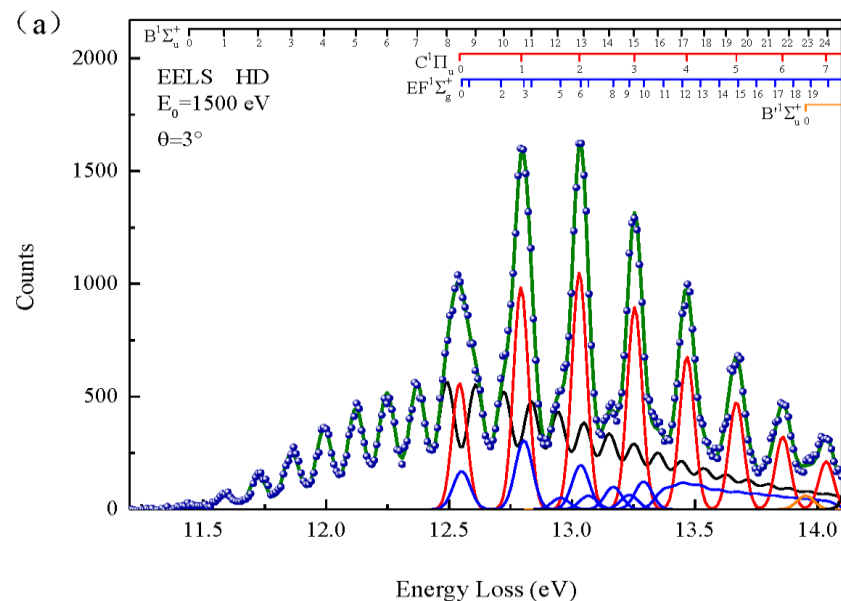
L. Q. Xu et al., **Phys. Rev. A** 98, 012502 (2018)

ISFF density of H_2

H₂、HD和D₂的同位素效应

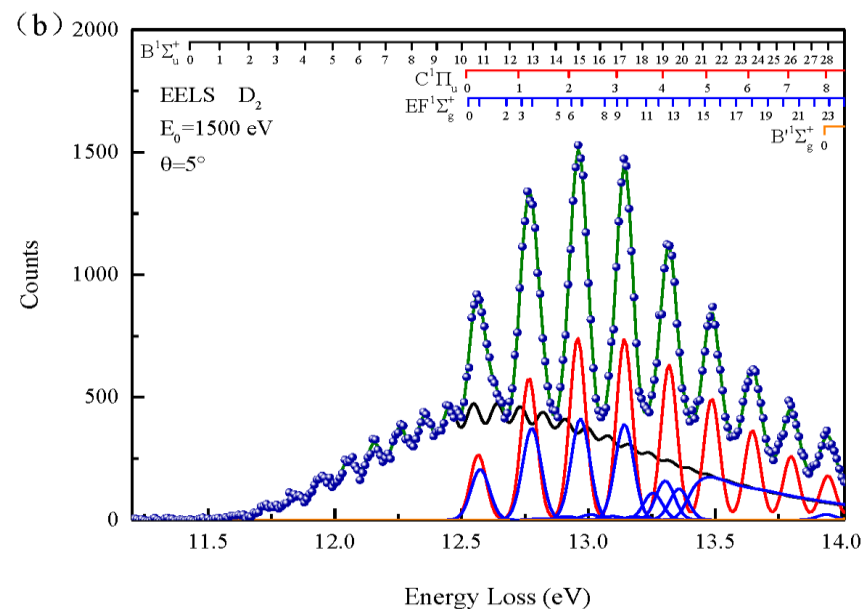
1. NRIXS@BL12XU, SPring-8

- Energy resolution: 70 meV
- Photon energy: ~10 keV
- Excitation energy region: 11-22 eV



2. EELS@USTC, Hefei

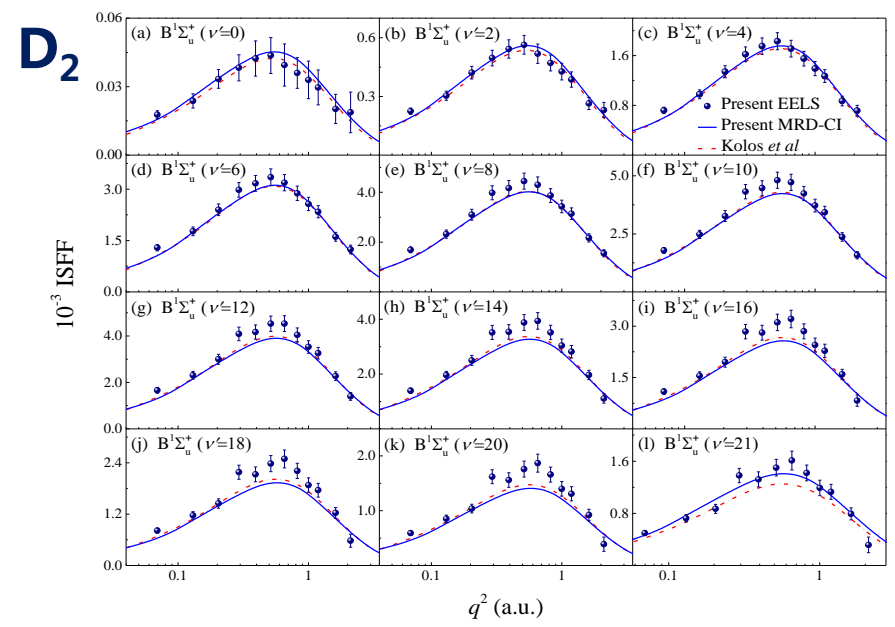
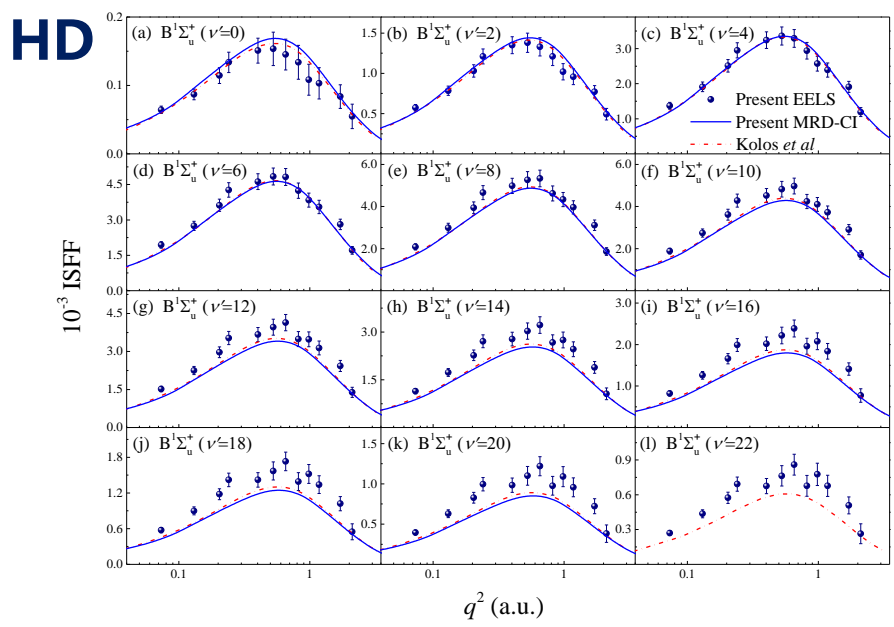
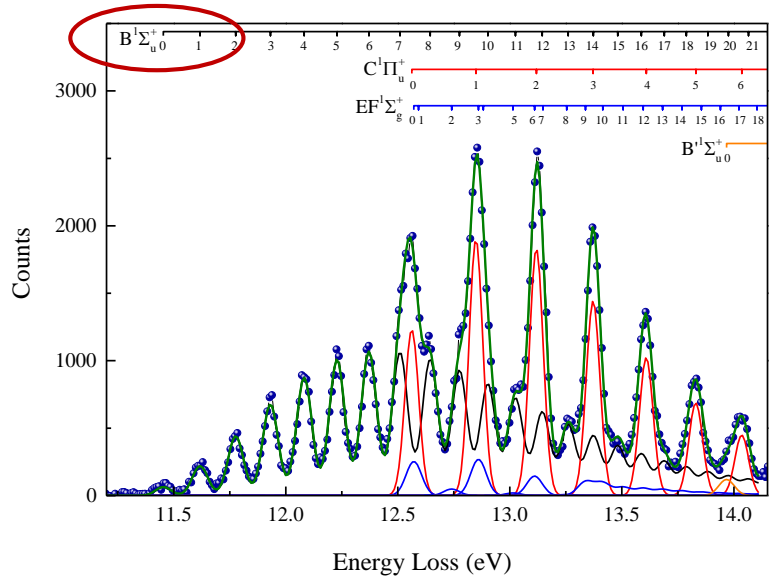
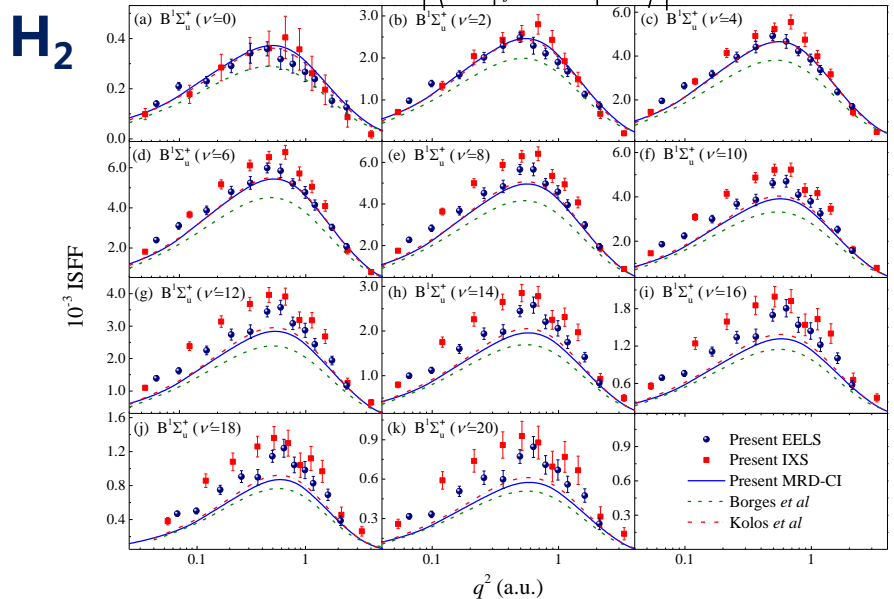
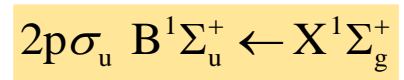
- Energy resolution: 70 meV
- Incident electron energy: 1.5 keV
- Excitation energy region: 11-22 eV



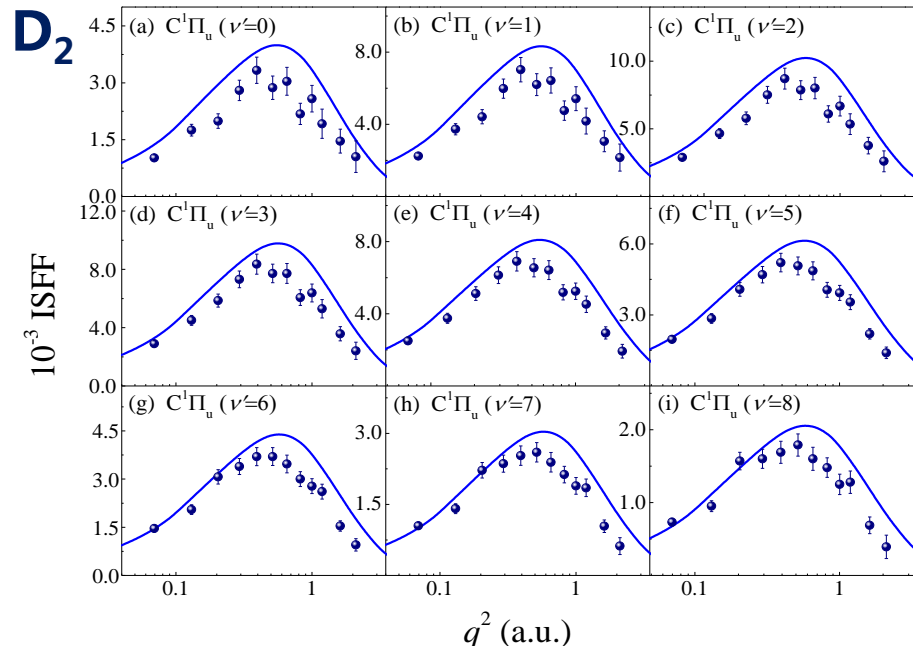
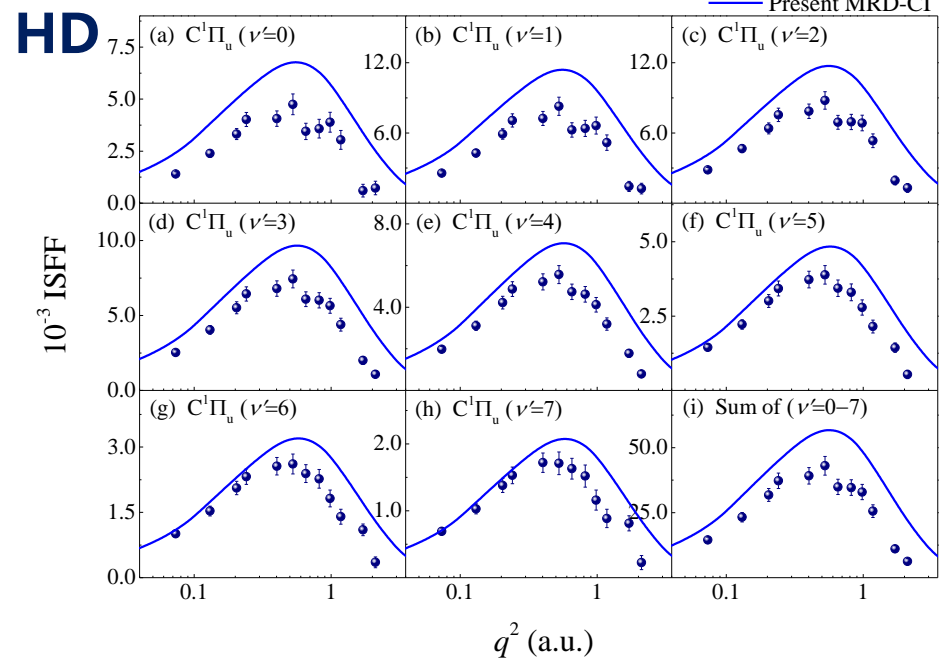
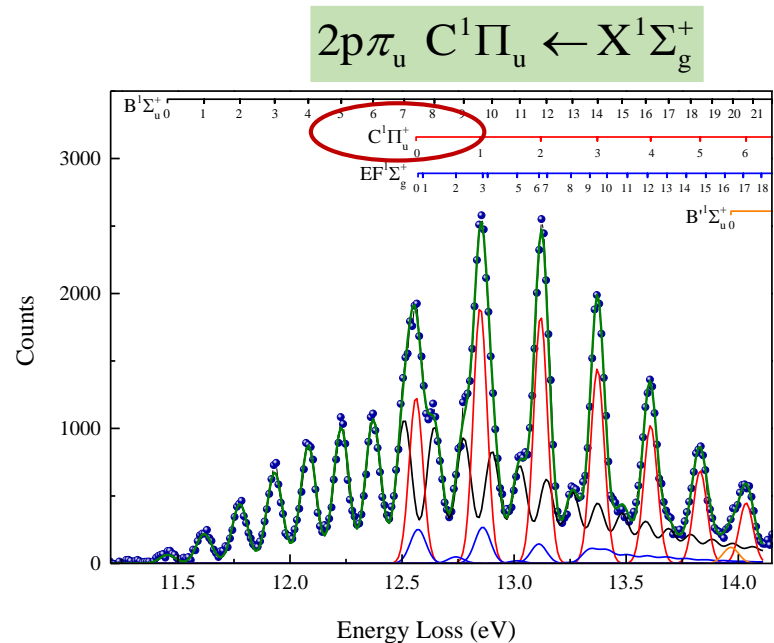
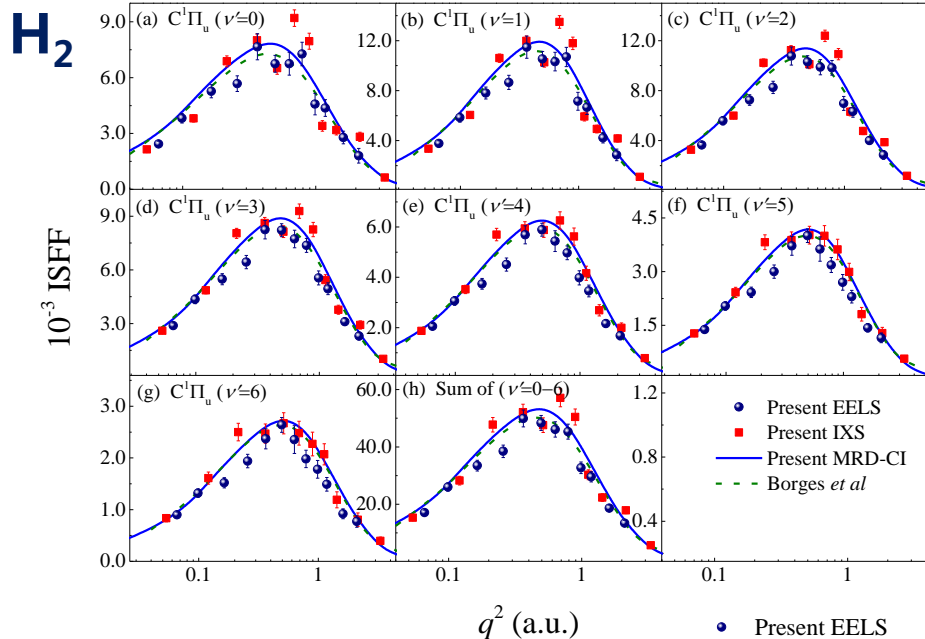
1. L. Q. Xu et al., **Phys. Rev. A** 97, 032503 (2018)
2. L. Q. Xu et al., **Phys. Rev. A** 98, 012502 (2018)

H₂、HD和D₂的同位素效应

ISFF :
$$\zeta(\mathbf{q}, \omega_n) = \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\mathbf{q}\cdot\mathbf{r}_j} \right| \Psi_0 \right\rangle^2$$

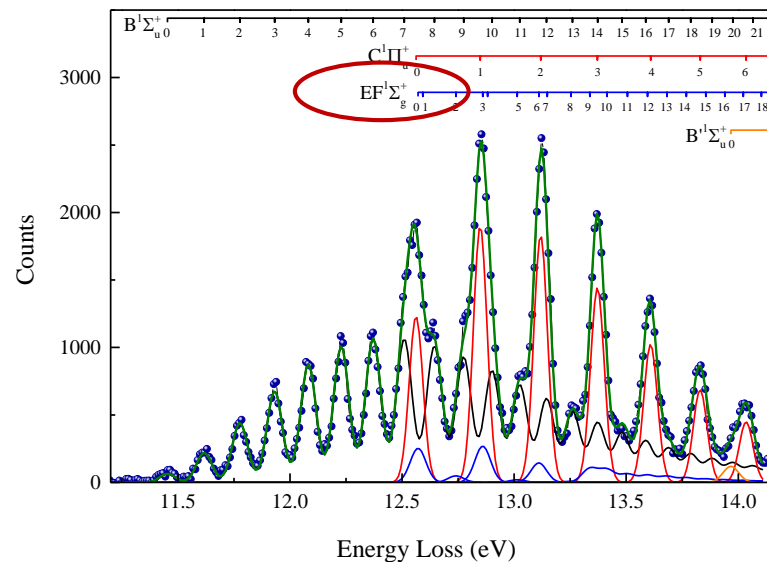
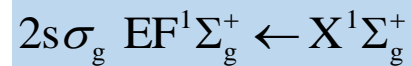
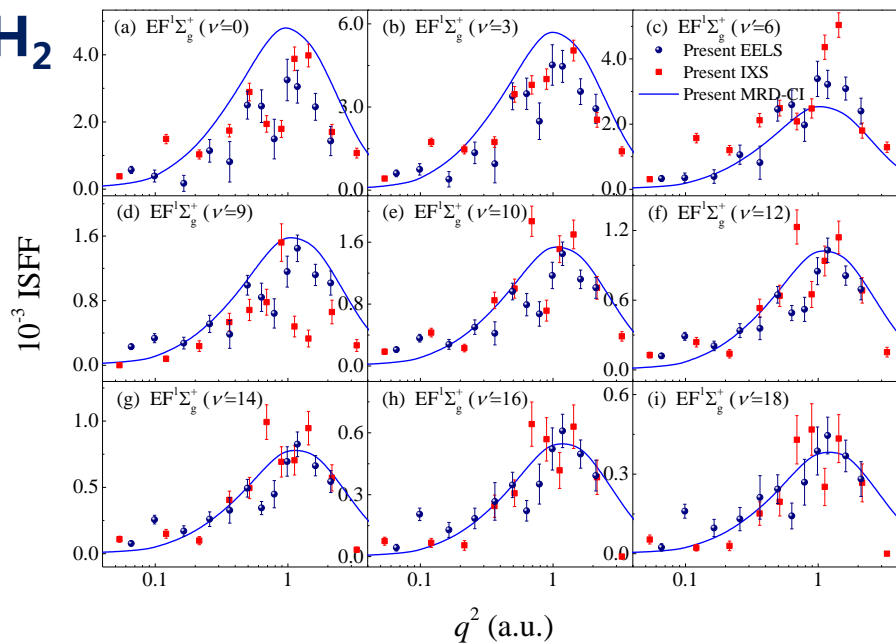


H₂、HD和D₂的同位素效应

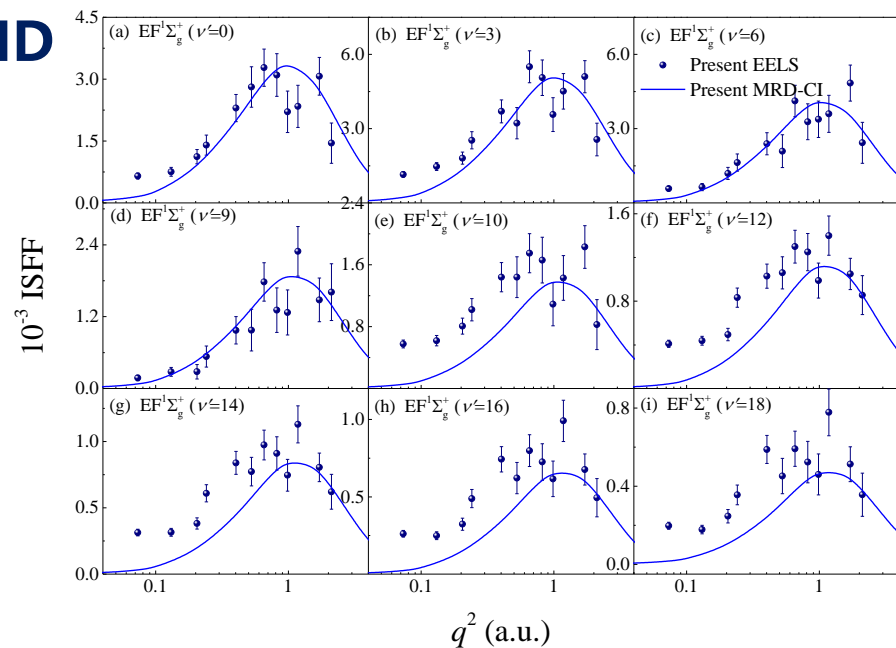


H₂、HD和D₂的同位素效应

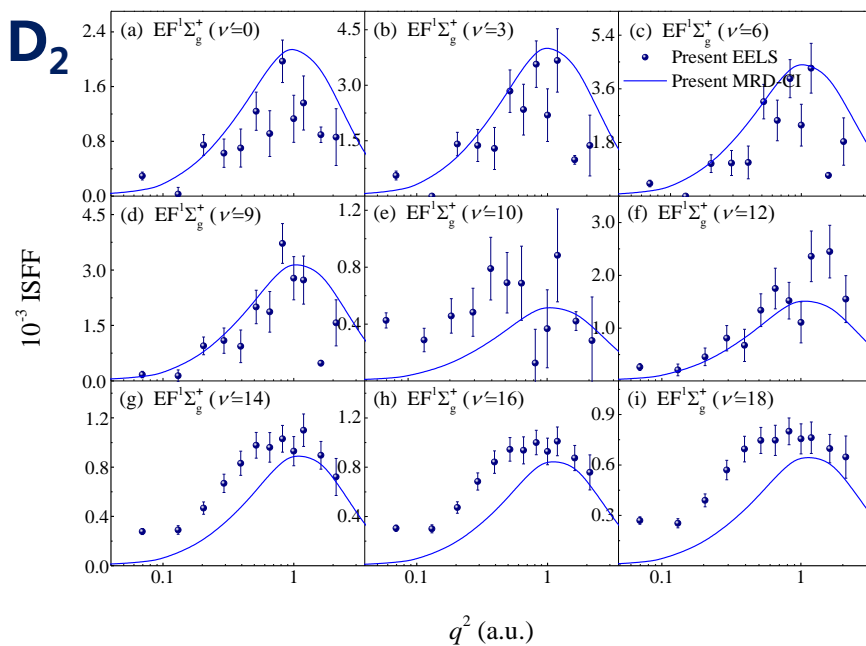
H₂



HD



D₂

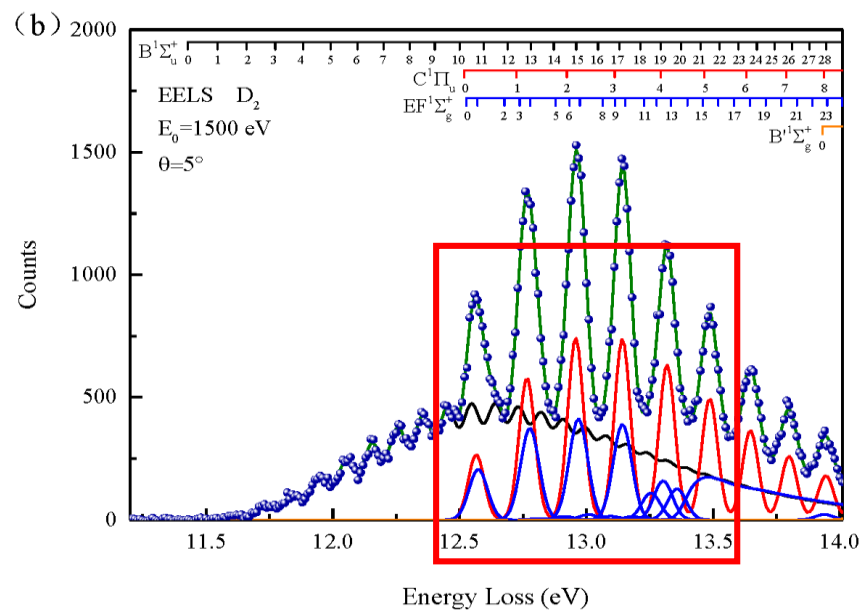
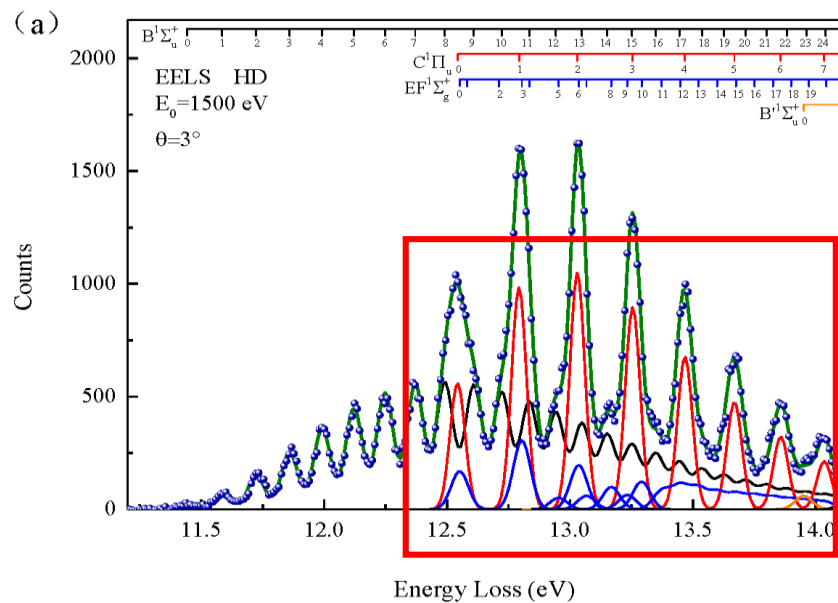
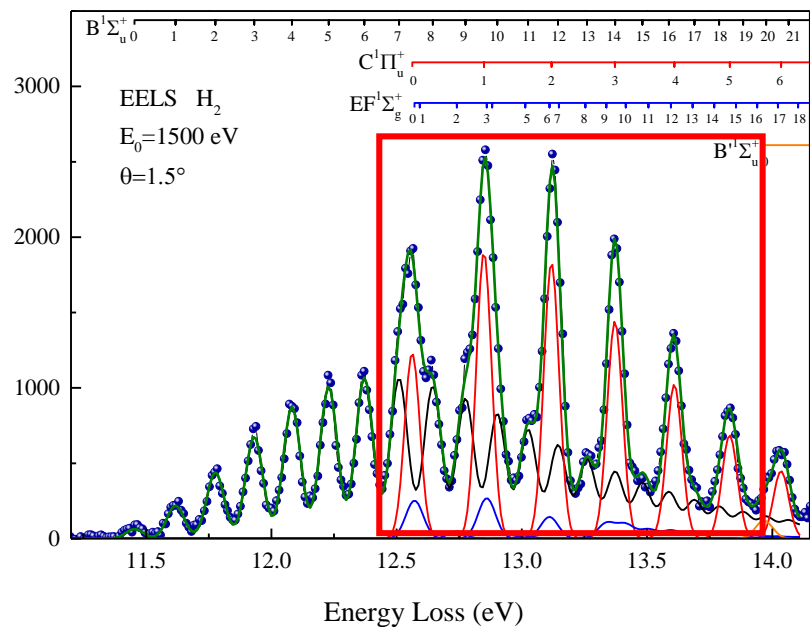


H₂、HD和D₂的同位素效应

ISFF :

$$\zeta(\mathbf{q}, \omega_n) = \left| \left\langle \Psi_n \left| \sum_{j=1}^N e^{i\mathbf{q}\cdot\mathbf{r}_j} \right| \Psi_0 \right\rangle \right|^2$$

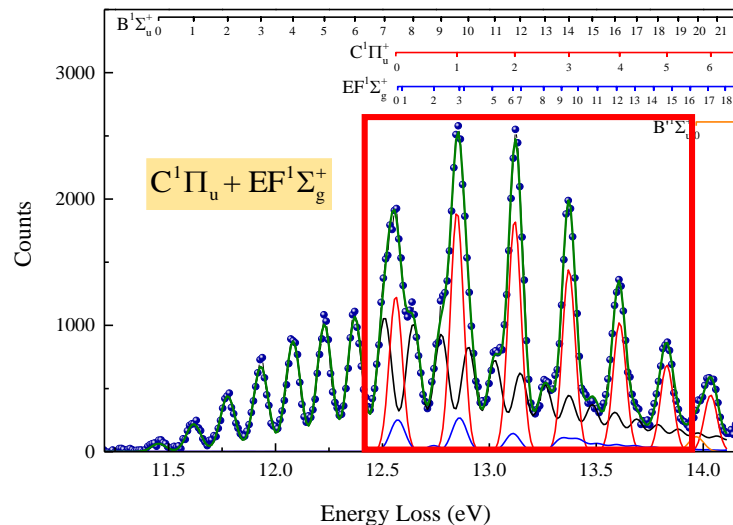
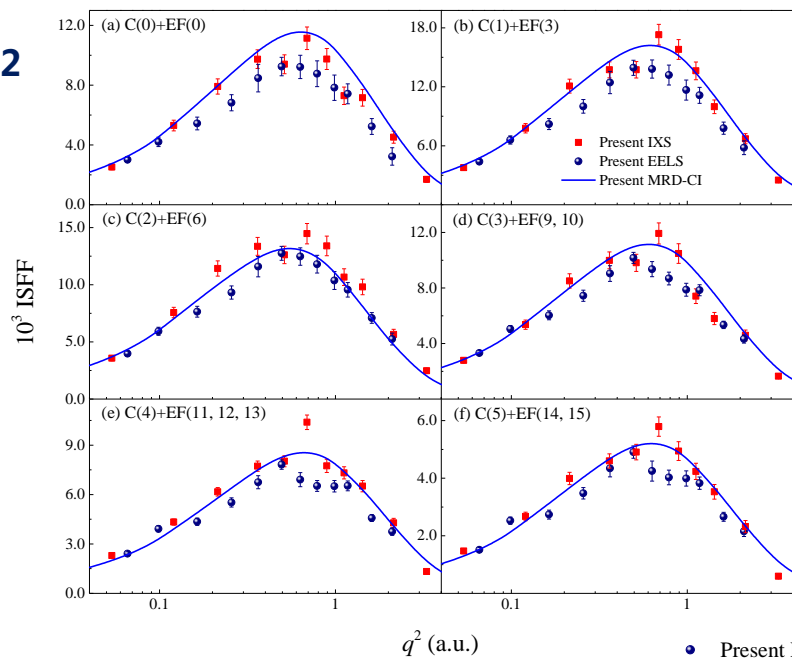
C¹Π_u⁺ + EF¹Σ_g⁺



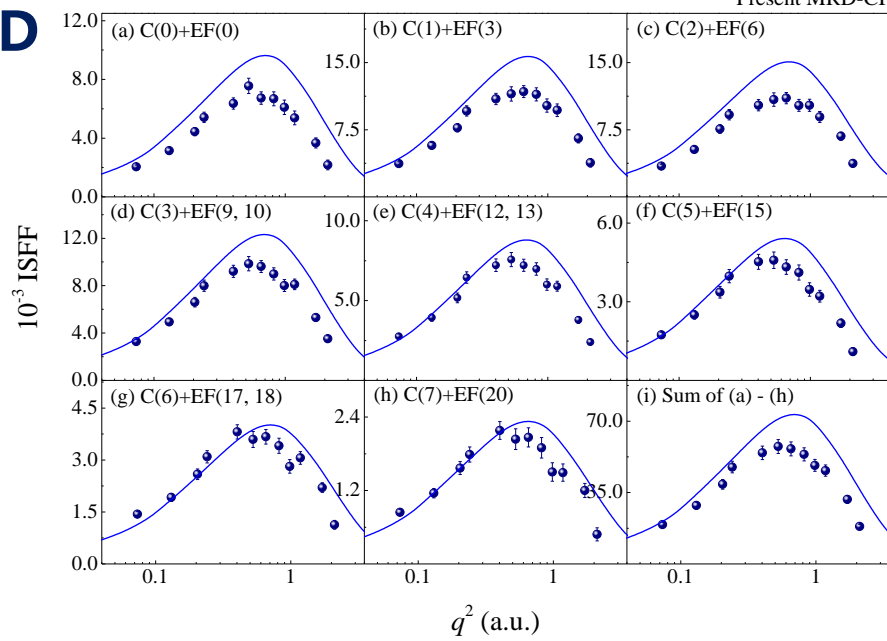
1. L. Q. Xu et al., **Phys. Rev. A** 97, 032503 (2018)
2. L. Q. Xu et al., **Phys. Rev. A** 98, 012502 (2018)

H₂、HD和D₂的同位素效应

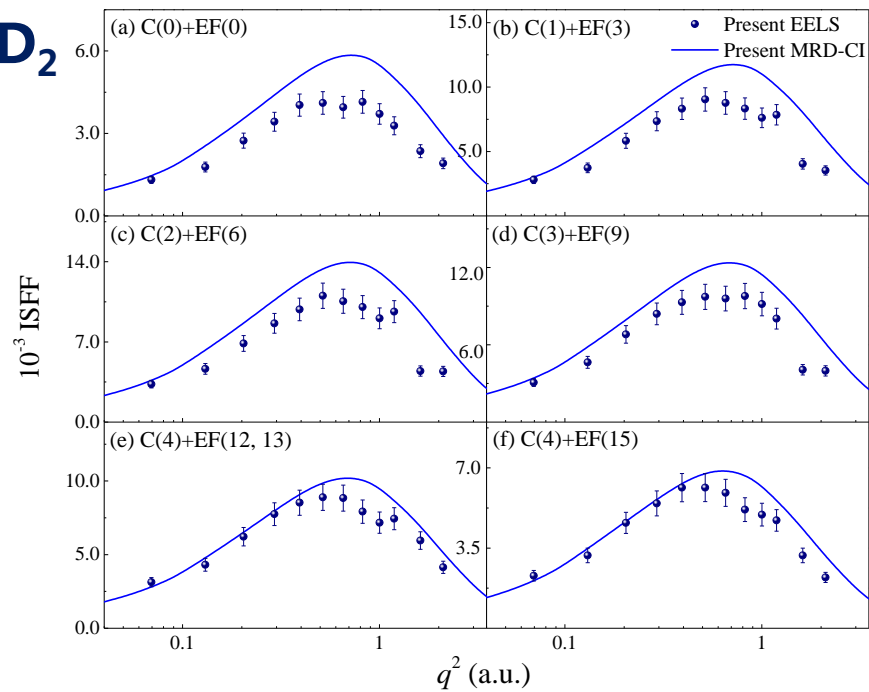
H₂



HD



D₂



三、 Dipole (γ, γ)方法及光吸收截面测量

形状因子平方:

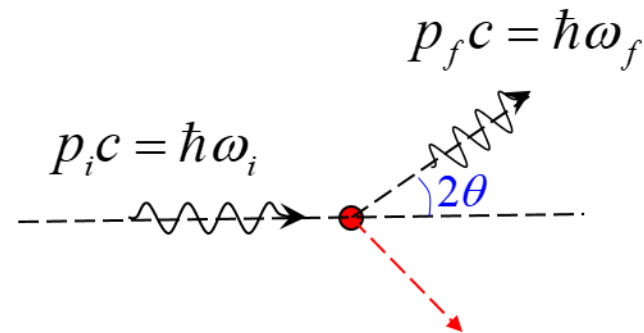
$$\zeta(\vec{q}, \omega_n) = \left| \left\langle \Psi_n \left| \sum_{j=1}^N \exp(i\vec{q} \cdot \vec{r}_j) \right| \Psi_0 \right\rangle \right|^2$$

$$\lim_{q^2 \rightarrow 0} \zeta(\mathbf{q}, \omega_n) = \left| \left\langle \Psi_n \left| z \right| \Psi_0 \right\rangle \right|^2$$

二、Dipole (γ, γ)方法及光吸收截面测量

小角度X射线散射模拟光吸收过程

对于原子体系，在小动量转移处：



$$\langle \Psi_n | \sum_{j=1}^N \exp(iq \cdot z_j) | \Psi_0 \rangle = \langle \Psi_n | \sum_{j=1}^N \left(1 + qz_j + \frac{(qz_j)^2}{2!} + \frac{(qz_j)^3}{3!} + \dots \right) | \Psi_0 \rangle$$

考虑到初末态函数的正交性，上式右边第一项为零。

忽略高阶项后有：

$$\lim_{q \rightarrow 0} |\langle \Psi_n | \sum_{j=1}^N \exp(iq \cdot z_j) | \Psi_0 \rangle| = q \cdot M_n$$

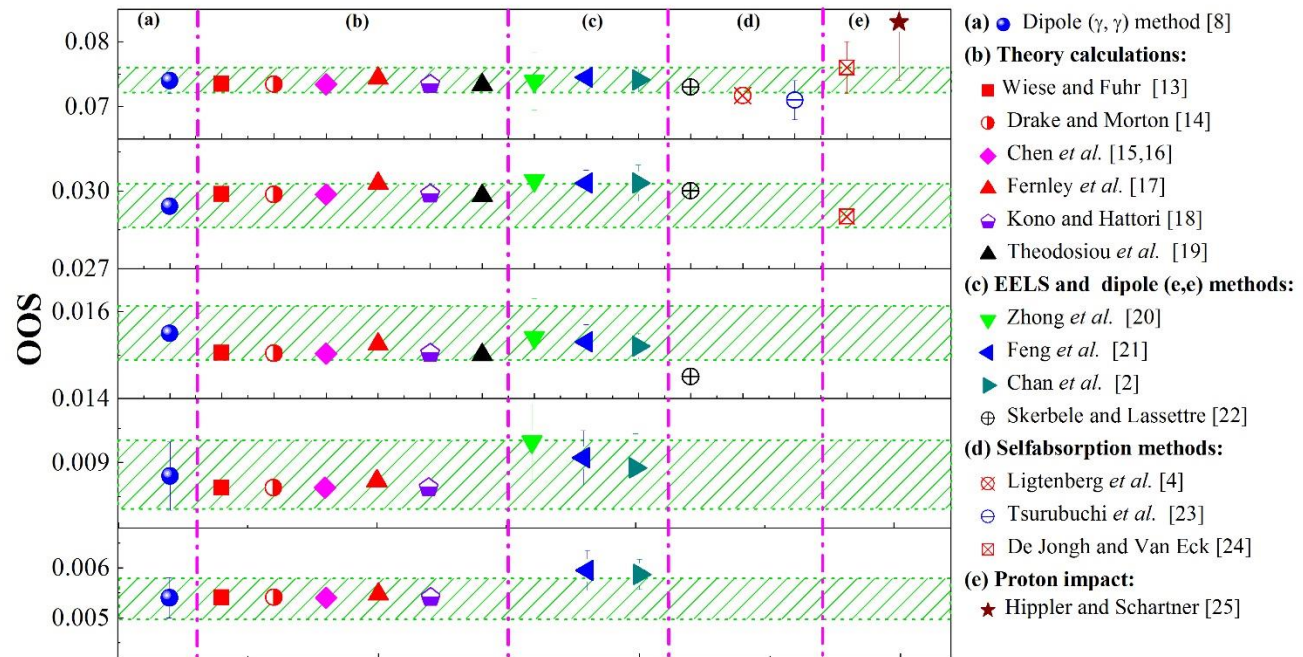
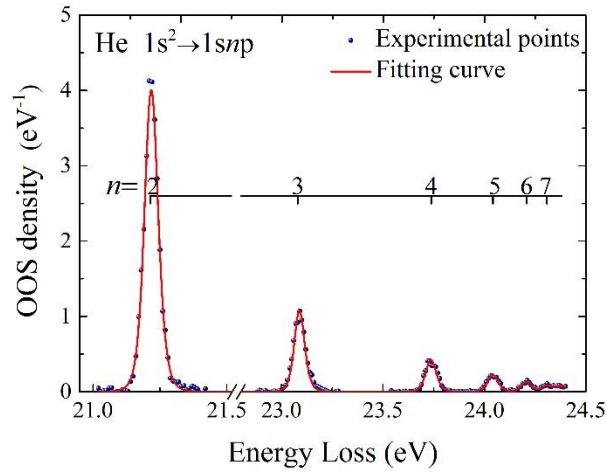
其中

$$M_n = |\langle \Psi_n | \sum_{j=1}^N z_j | \Psi_0 \rangle|$$

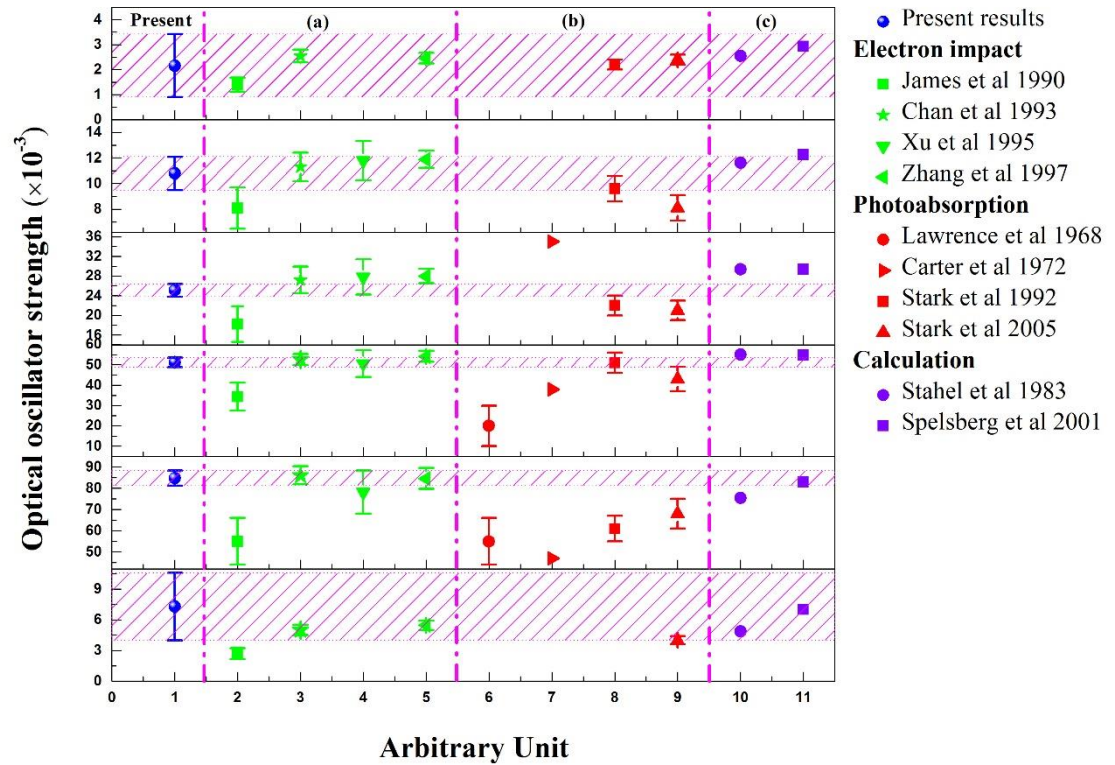
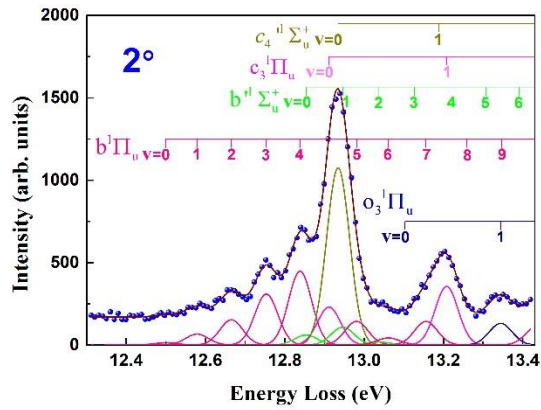
是电偶极跃迁矩阵元

Dipole (γ, γ) 方法

Measurement of OOSs of He



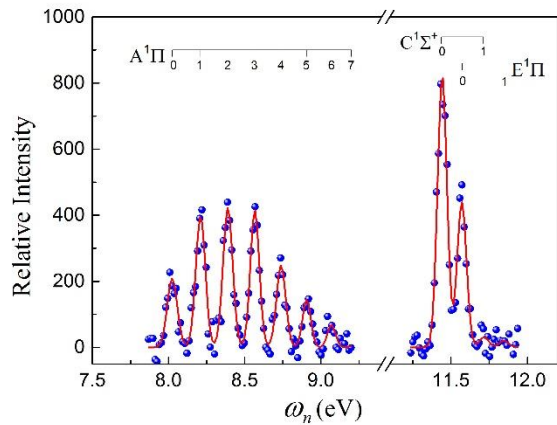
Measurement of OOSs of N₂



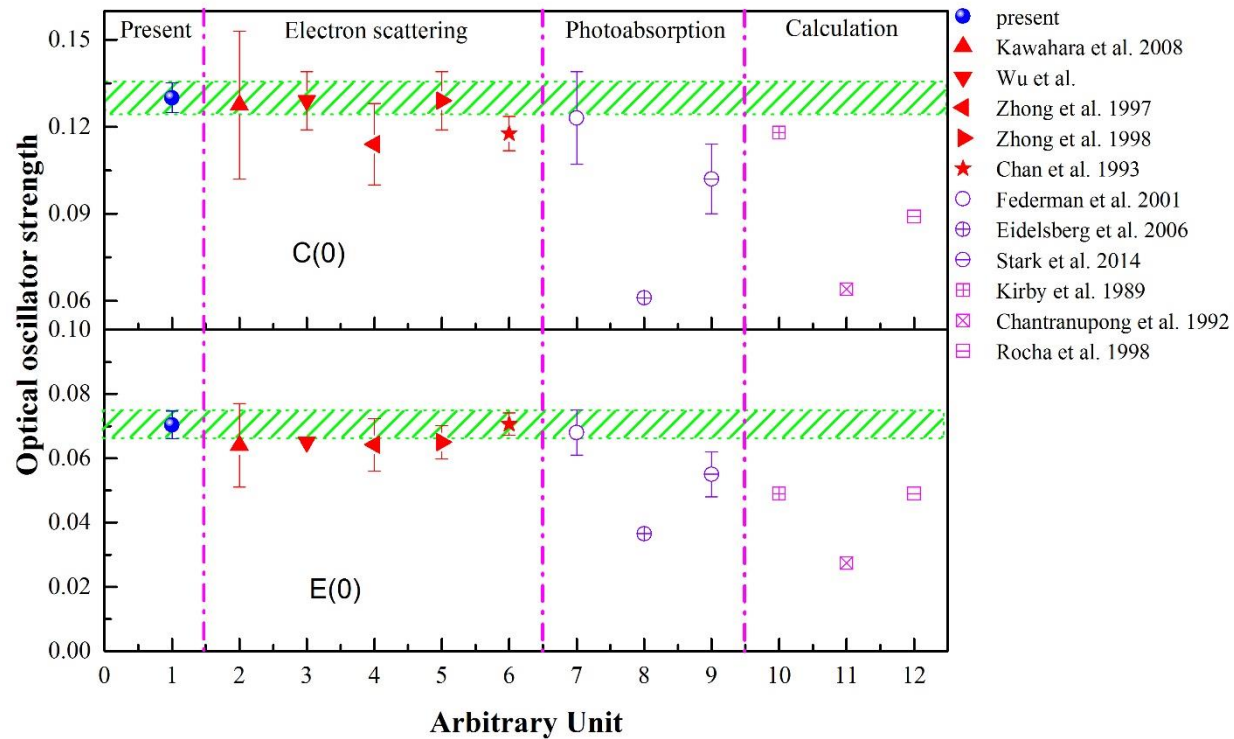
■ The OOSs of b(0 - 4, 6) from up to down

Y.W. Liu, X. Kang *et al*, *Astrophys. J.* 819:142(2016)

Measurement of OOs of CO



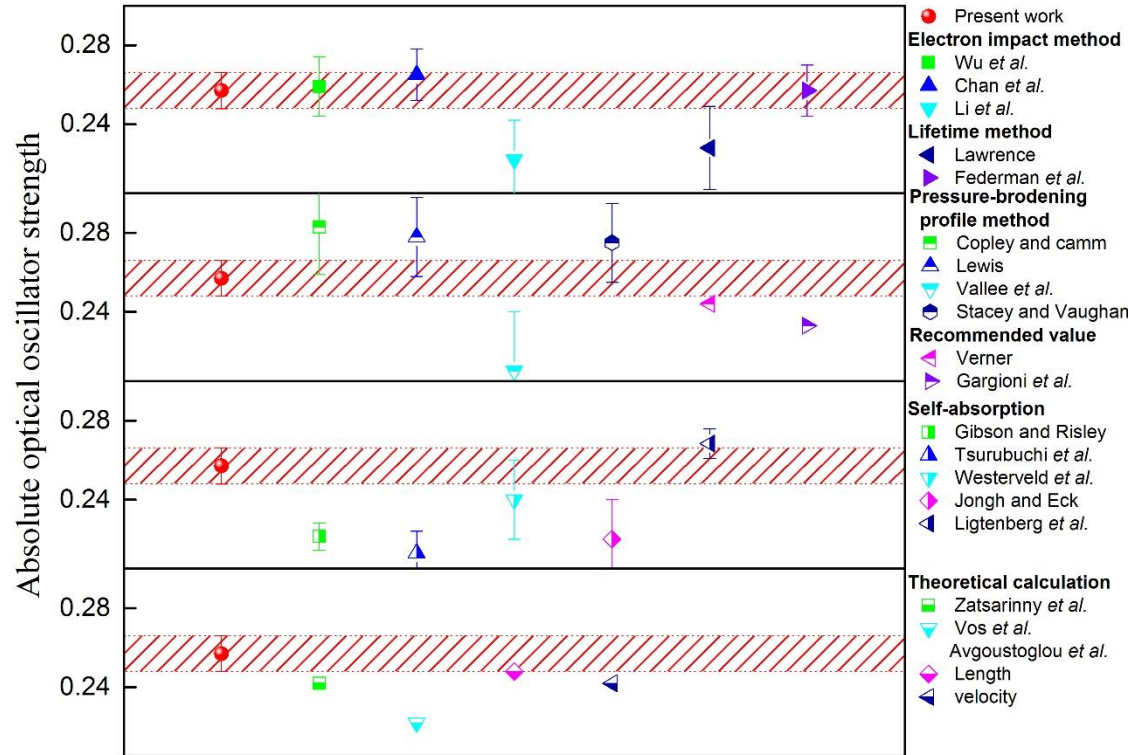
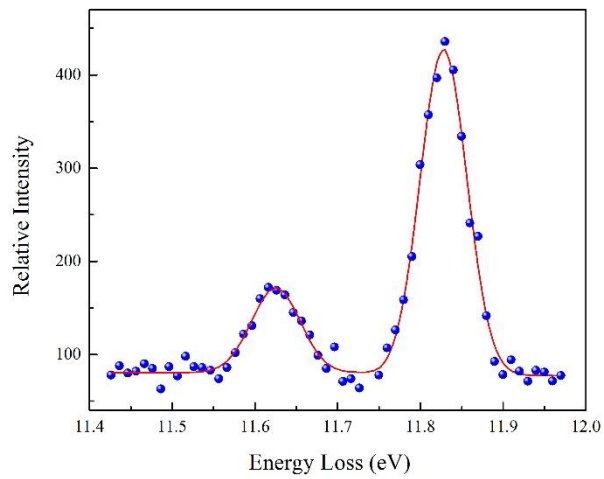
X-ray scattering Spectrum of CO



The OOs of C(0)–X(0) and E(0)–X(0) of CO

X. Kang, Y.W. Liu *et al*, *Astrophys. J.* 807:96 (2015);

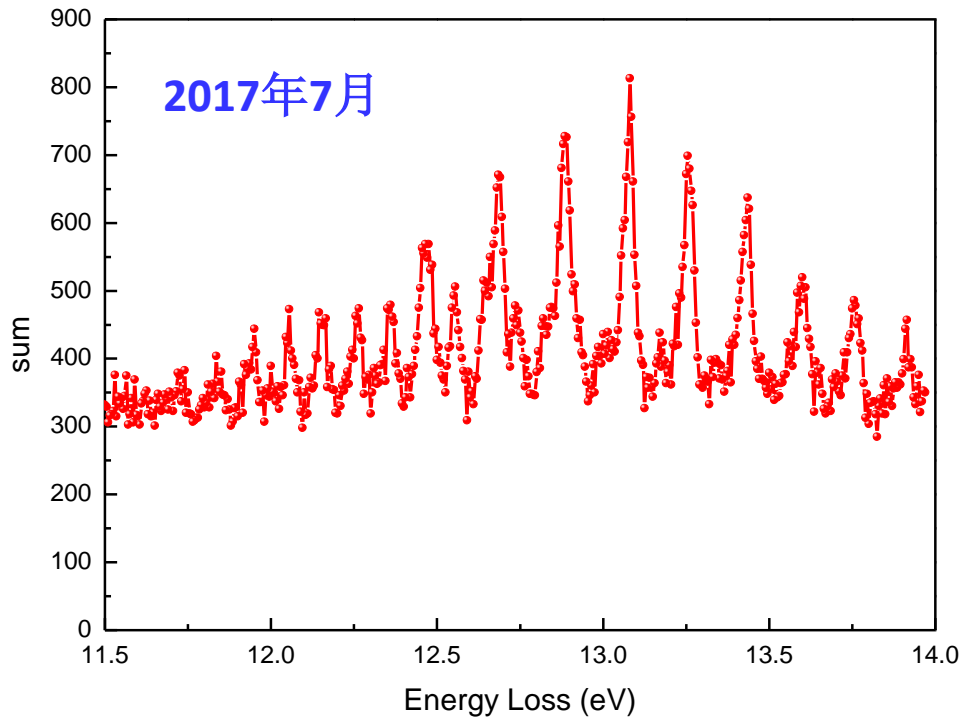
Measurement of OOSs of Ar



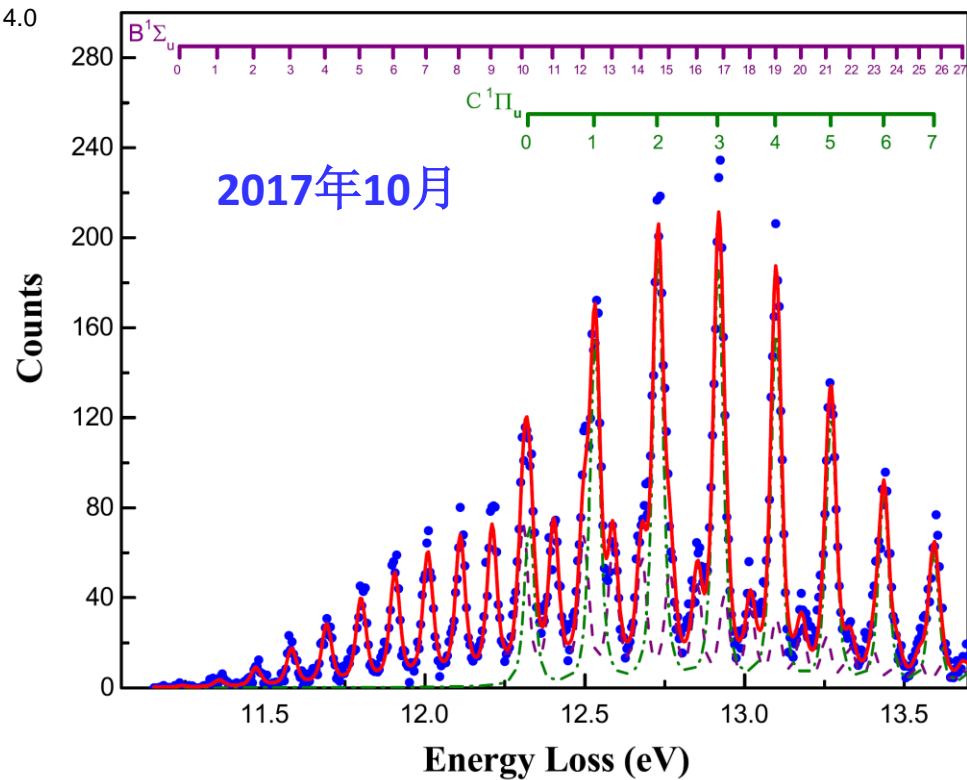
The OOS of $3p^5 4s'[3/2]_1$

The comparison of three commonly used methods

	Photoabsorption method	Dipole(e,e) method	Dipole(γ, γ) method
Energy resolution	About 0.1meV	About 70meV	About 70meV
Line-saturation effect	Yes	No	No
B(E)		vary rapidly	vary slowly
Signal-to-noise Ratio	Good	Good	Good
Precision	Poor for strong transition	Moderate	Good



D₂



主要内容

- 背景
- 实验方法
- 现状
- 展望

展望

1. 拓展非弹性 π 射线散射技术于原子分子物理动力学三叔研究，提出、实现并命名了测量光吸收截面的dipole (γ, γ) 方法
2. 利用高能电子散射和 π 射线散射技术，在交叉检验的基础上，获得了一些对天体物理、大气物理非常重要的小分子的动力学参数
3. 非弹性 π 射线散射方法在原子分子物理中的应用才刚刚开始，对今后的工作充满期待

谢谢！