

Ultracold Matter and Quantum Science

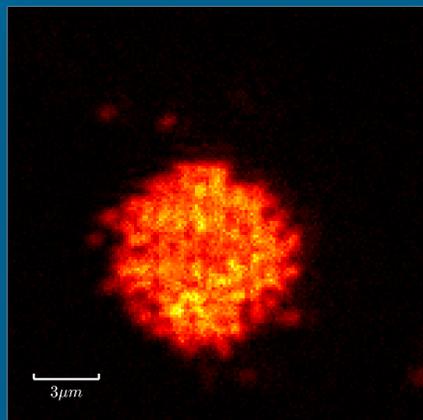


Zhen-Sheng Yuan, USTC

University of Science and Technology of China

近物专题, 2021.09.28-29, USTC-5204

Ultracold Atoms

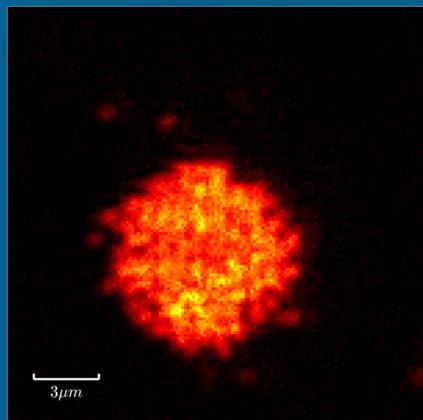


Application in Quantum Science



Our Team and Research

I. 超冷原子 物理

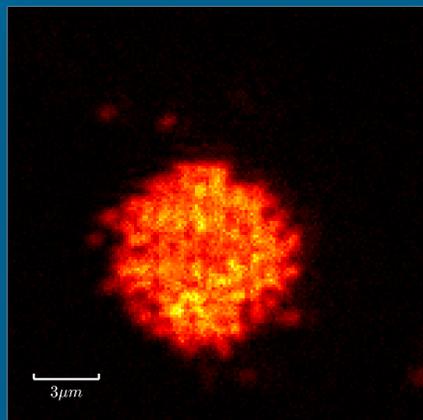


II. 强关联人 工量子材料的 显微学研究



III. 我们的 团队简介

I. 超冷原子物理



II. 强关联人工量子材料的显微学研究

III. 我们的团队简介

Ballet: La Sylphide



广场舞萌娃



人的舞蹈：人的位置、肢体动作

原子行为：原子的外部模式、原子的内部内能级

舞蹈的编排

自然界的运行规律



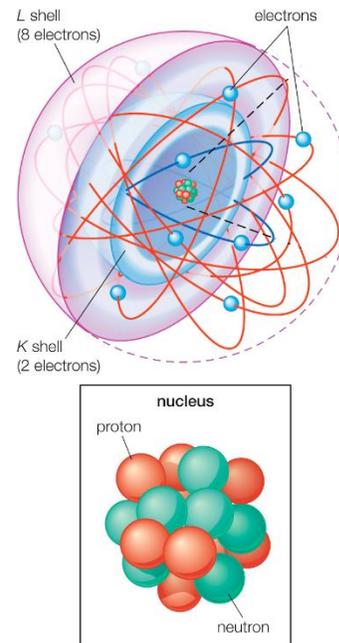
报告内容

■ 为什么要精确地控制原子的行为？

- 原子和宇宙
- 微观世界多体系统的行为
- 原子作为量子比特用于量子计算

■ 如何实现对原子的高精度调控及测量？

- 激光冷却
- 光镊俘获原子
- 多原子的量子态操控



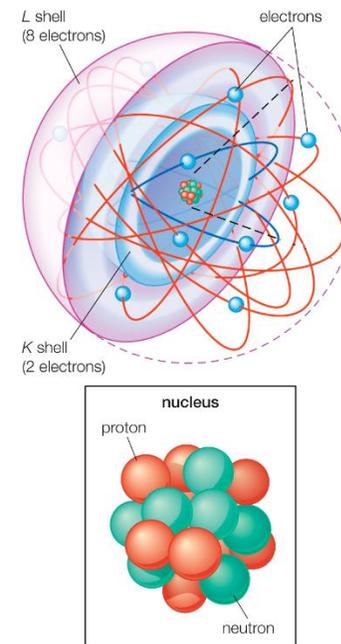
报告内容

■ 为什么要精确地控制原子的行为？

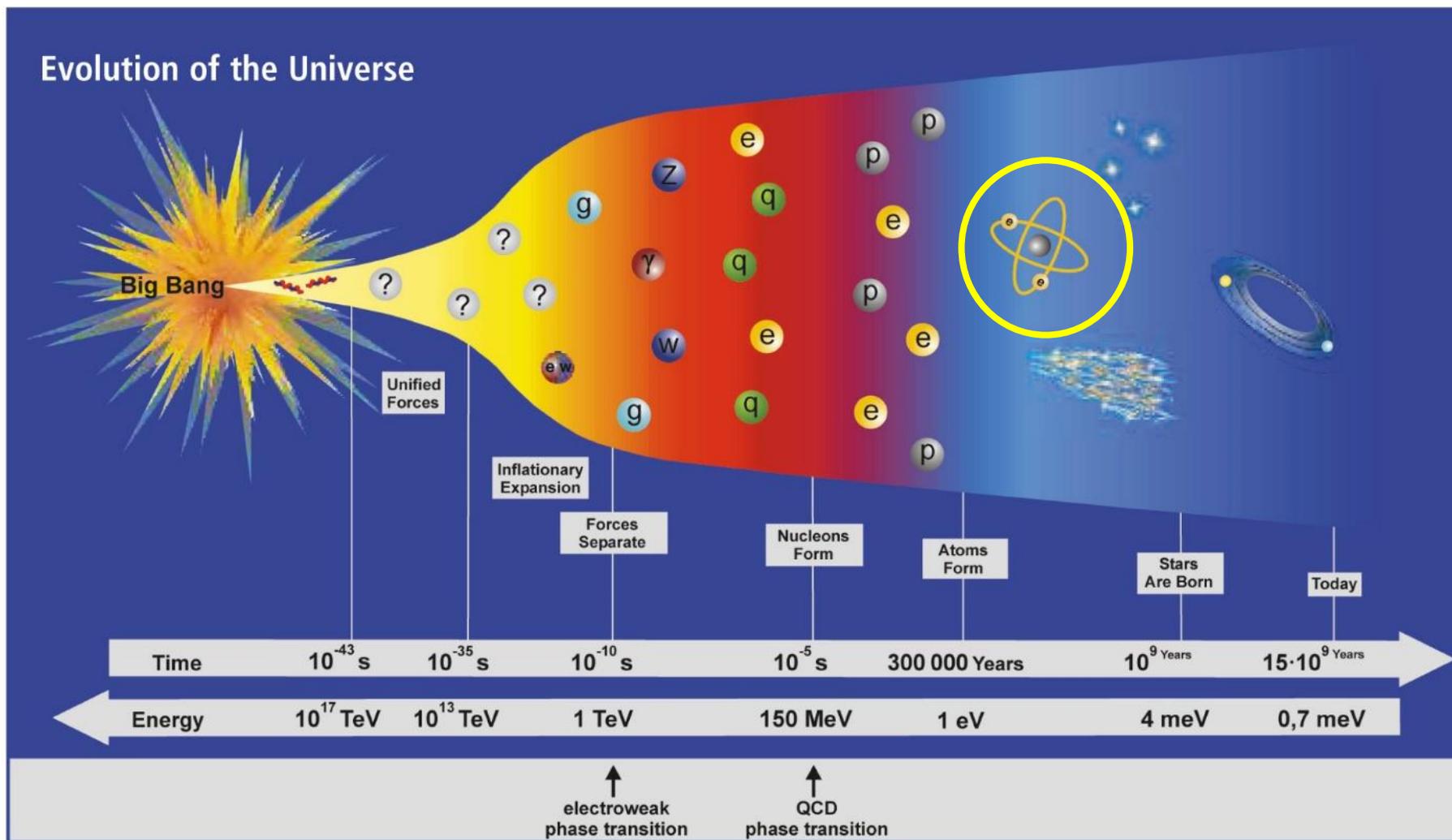
- 原子和宇宙
- 微观世界多体系统的行为
- 原子作为量子比特用于量子计算

■ 如何实现对原子的高精度调控及测量？

- 激光冷却
- 光镊俘获原子
- 多原子的量子态操控



宇宙大爆炸 (130多亿年)



- 大爆炸开始的阶段，量子涨落驱动着体系膨胀演化；

- 在暴涨期，各种基本粒子逐渐形成，它们之间的相互作用及转化成为此时的主旋律；

- 之后漫长的岁月中，原子、分子、物质、星云逐渐演化而来，冷却的宇宙中遗留了大爆炸的线索。



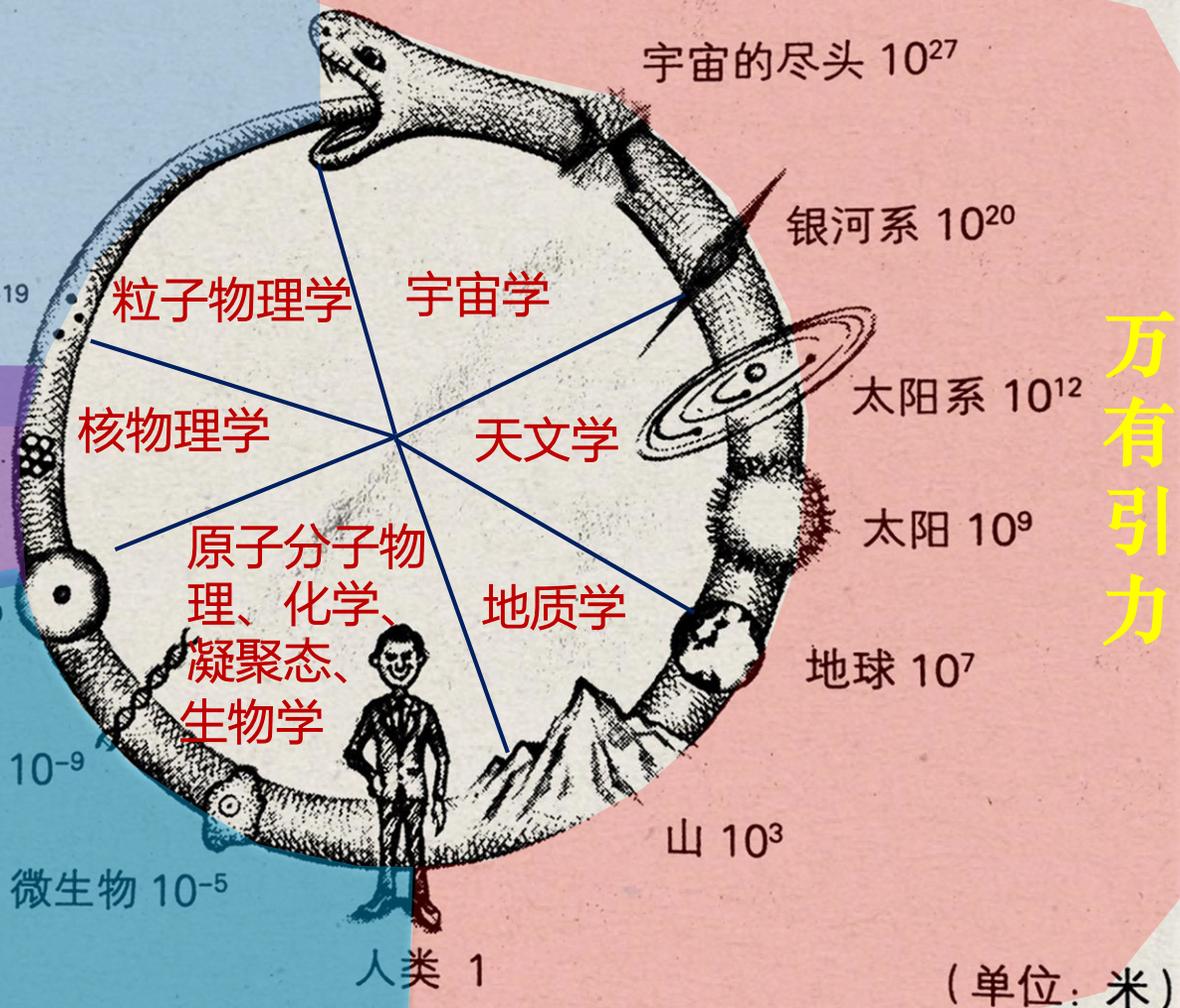
宇宙的尺度

标准模型

强相互作用

弱相互作用

电磁相互作用

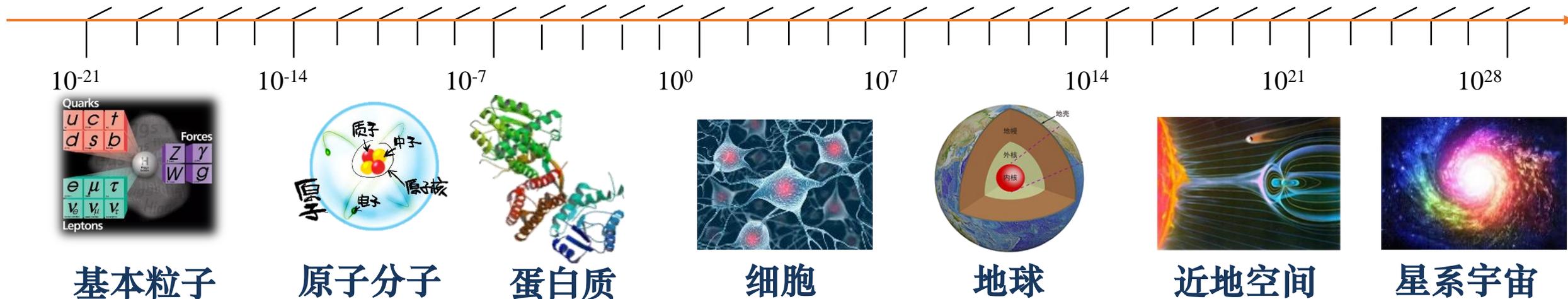


广义相对论



宇宙的尺度

基本粒子到星系宇宙的空间尺度



强相互作用(QCD)
弱相互作用(电弱
统一理论)

电磁相互作用
量子力学、
狭义相对论

经典力学
麦克斯韦方程、
经典热力学统计力学

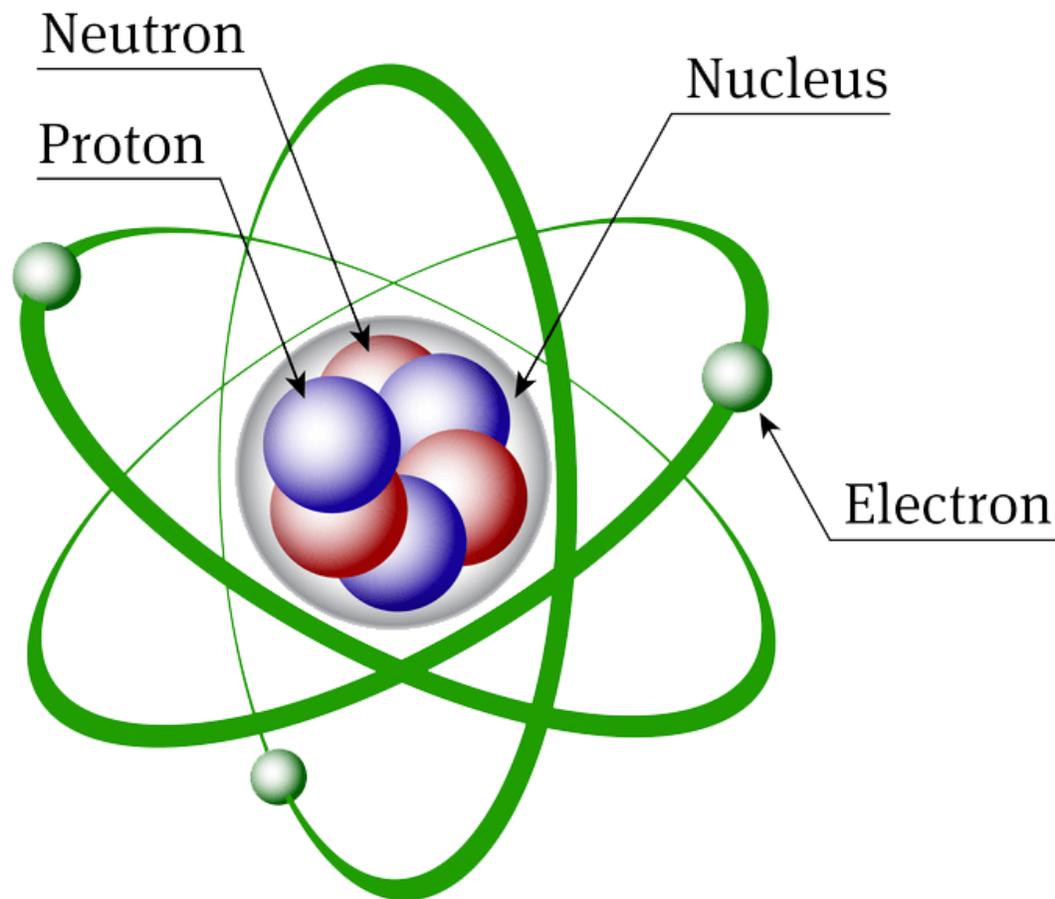
宇宙大爆炸、
标准模型



统一的理论是什么？弦论、圈量子引力



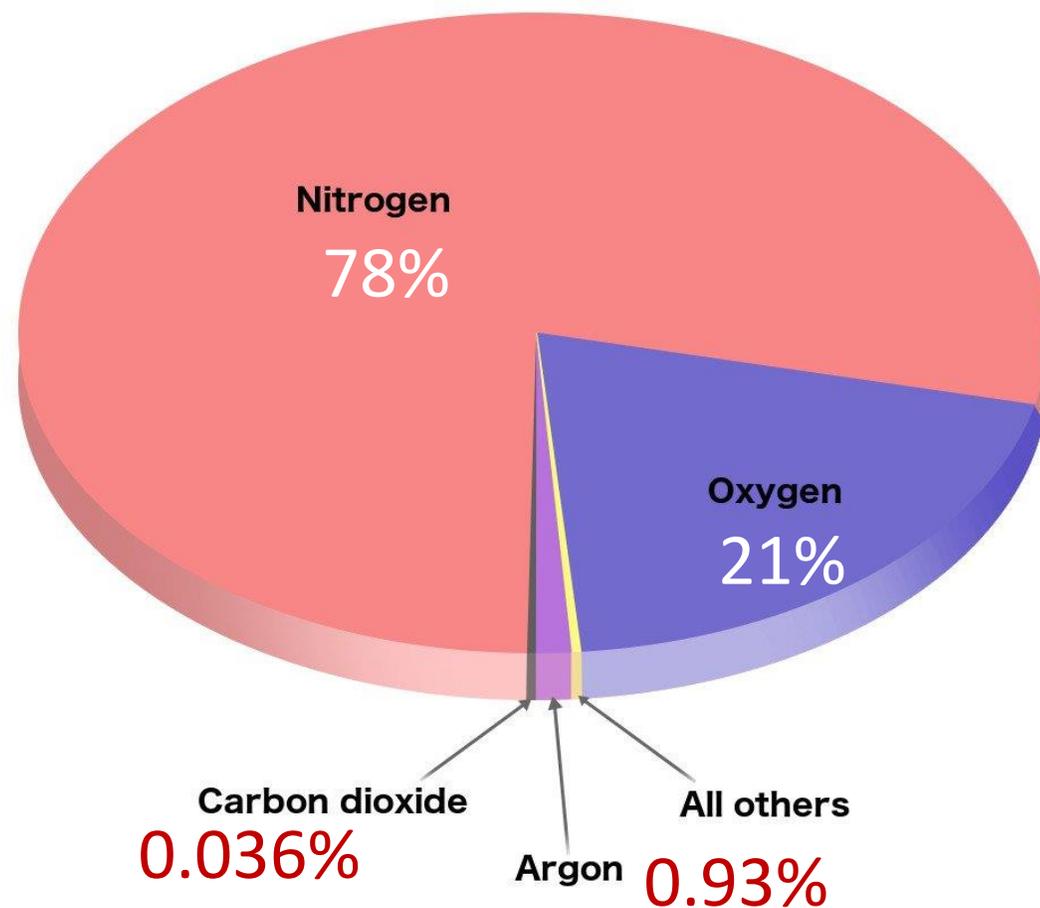
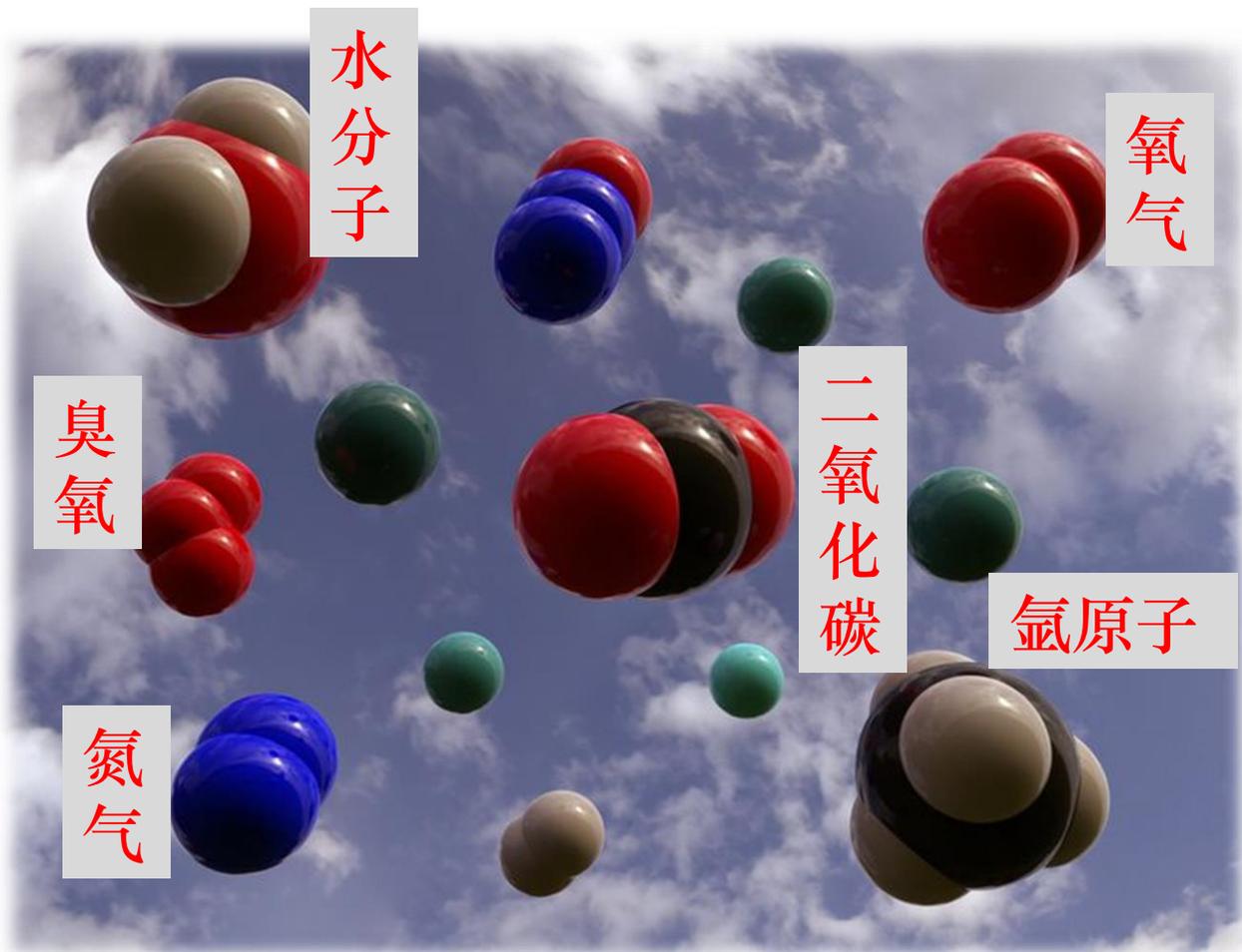
原子的基本结构



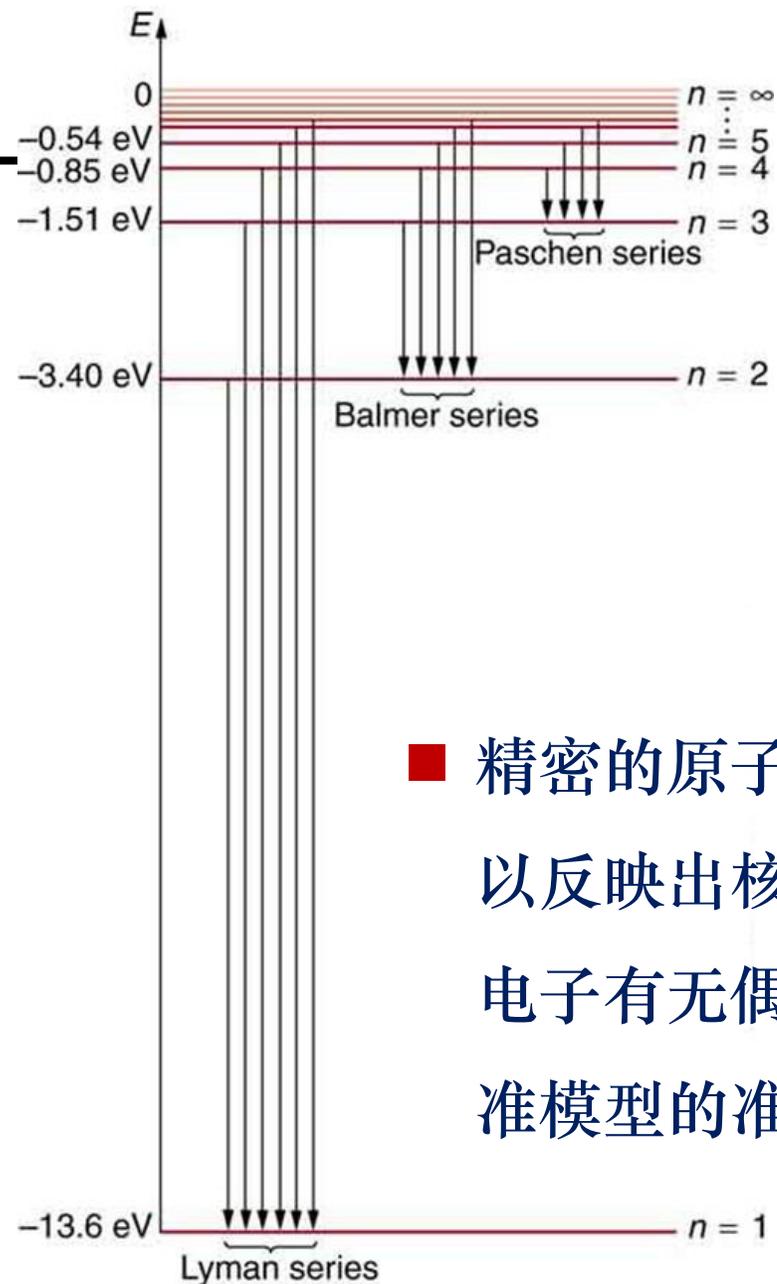
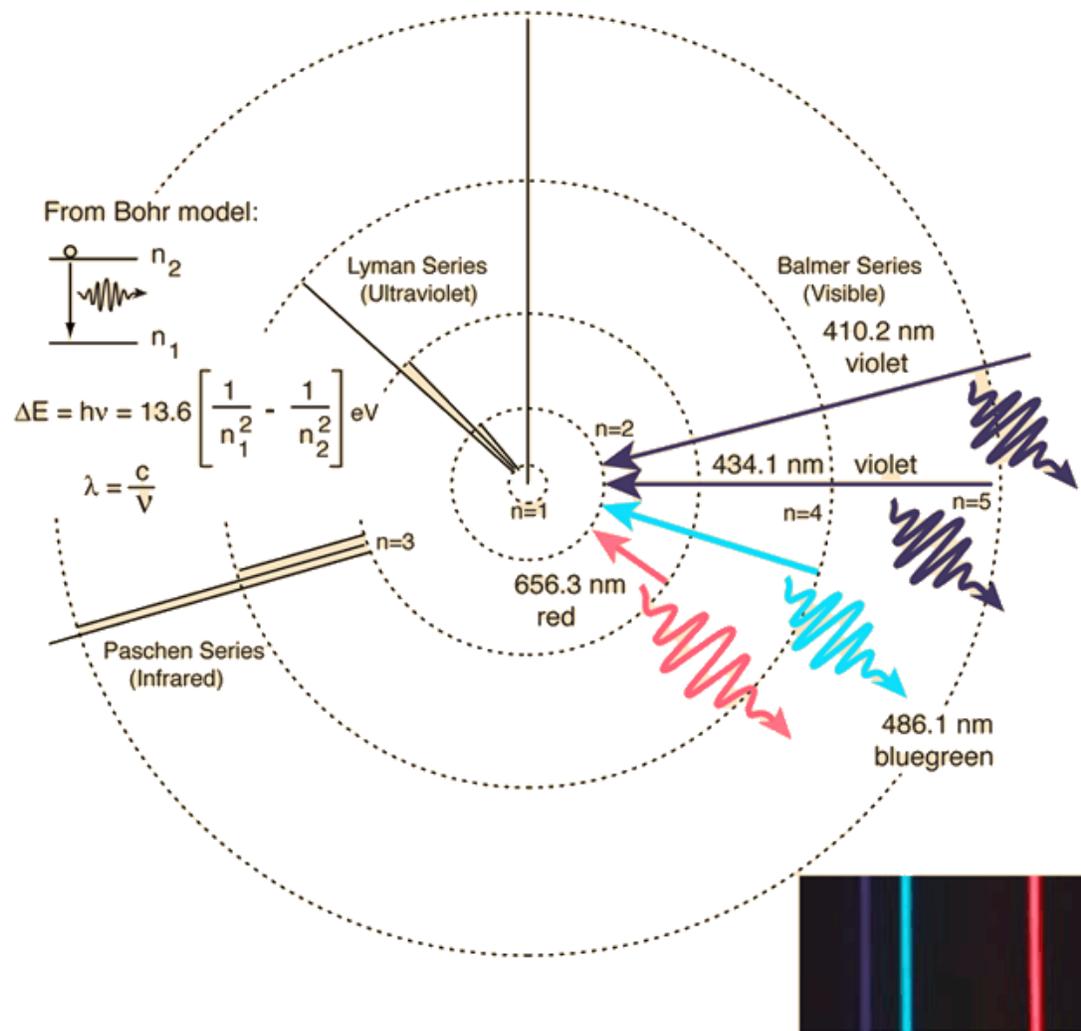
- 中子、质子、电子的自旋都是 $1/2$ ，半整数，叫做**费米子**；光子的自旋是 1 ，整数，叫做**玻色子**；
- 奇数个中子、质子、电子放在一起形成的原子的总自旋仍是半整数，还是**费米子**
- 偶数个中子、质子、电子放在一起形成的原子的总自旋是整数，是**玻色子**



大气中的原子和分子



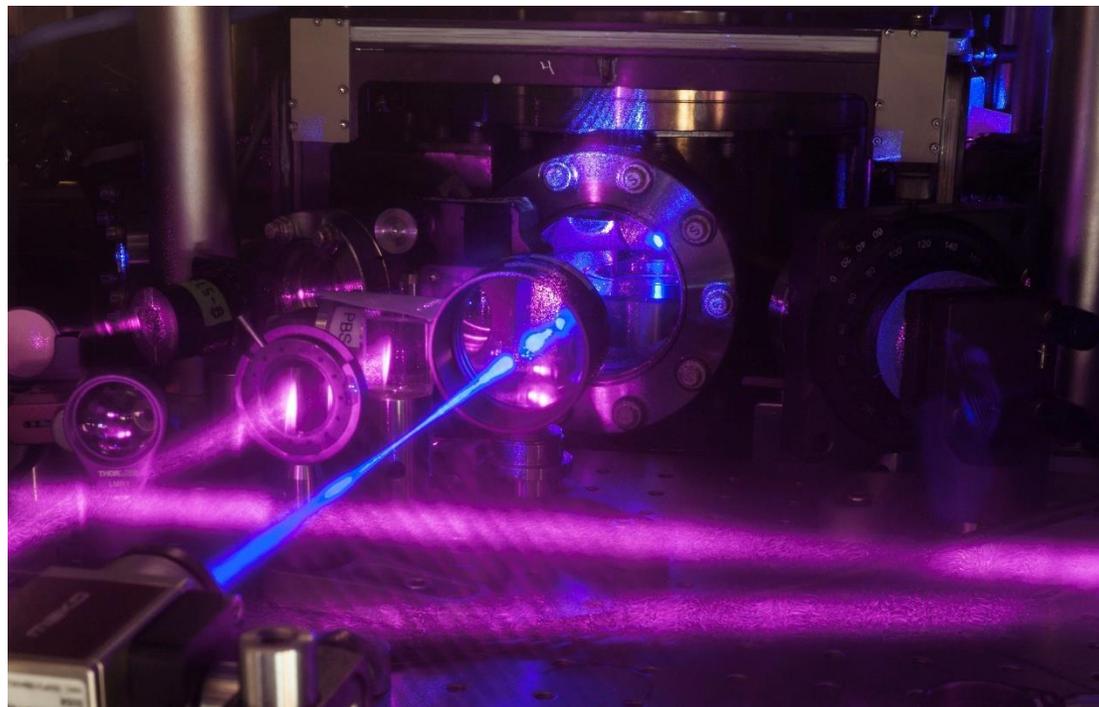
原子的基本结构



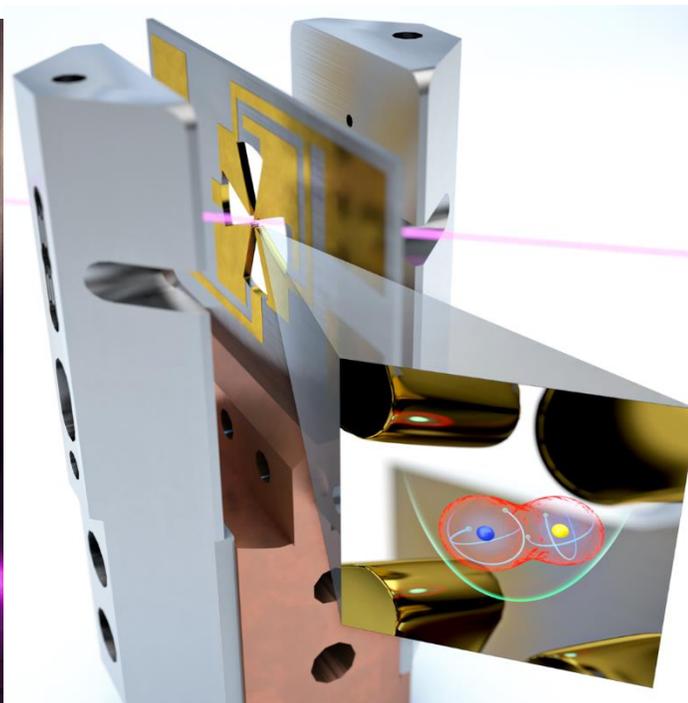
- 精密的原子谱线测量可以反映出核结构信息、电子有无偶极矩关系标准模型的准确与否



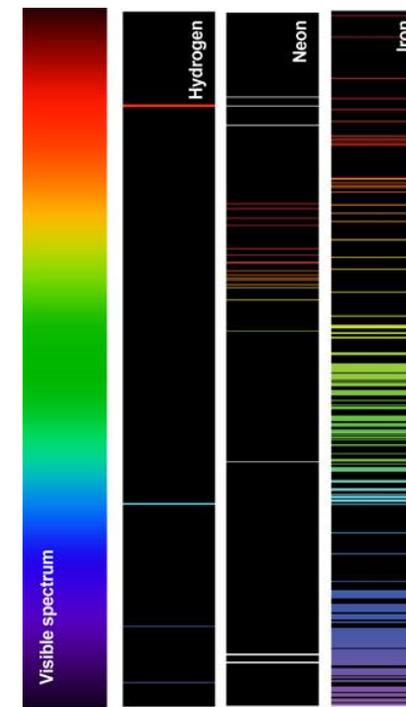
光谱测量--百亿年不差1秒的原子光钟



JILA的原子光钟



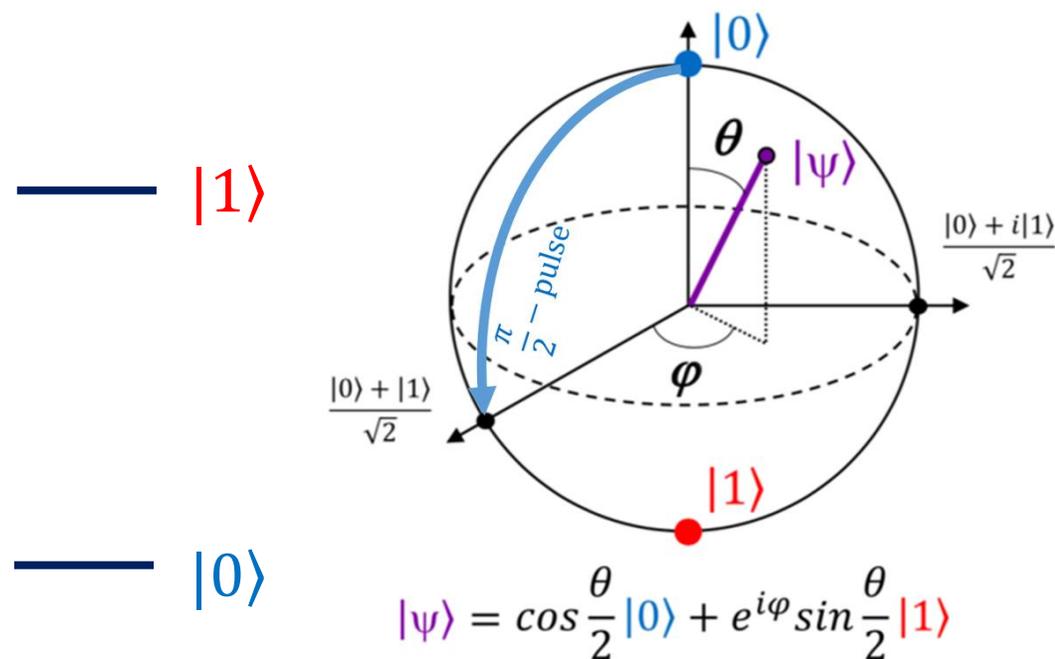
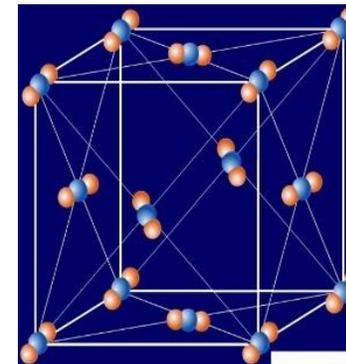
NIST的铝离子光钟



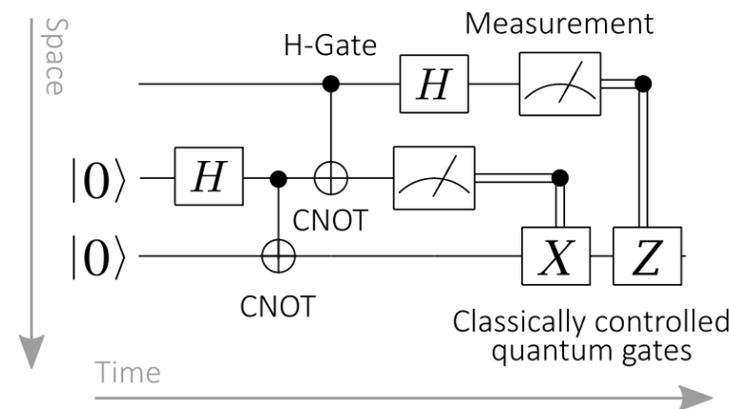
准确的测量光谱



两能级原子编码量子比特



- 使用多个原子比特模拟解决凝聚体中的复杂问题：如高温超导



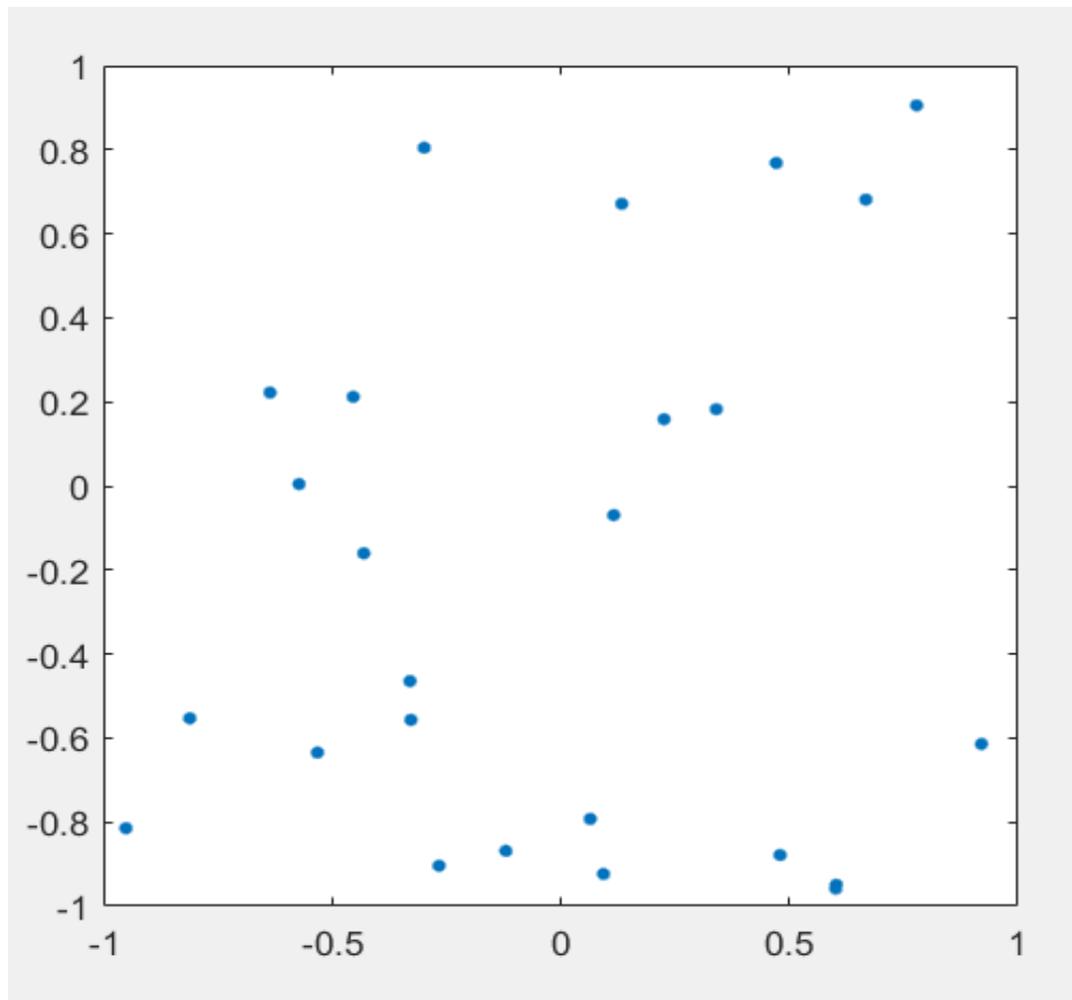
- 使用原子中的两个能级编码量子比特

- 构建量子电路、开展量子计算

常温下原子不能精确测控



常温下原子/分子的运动?

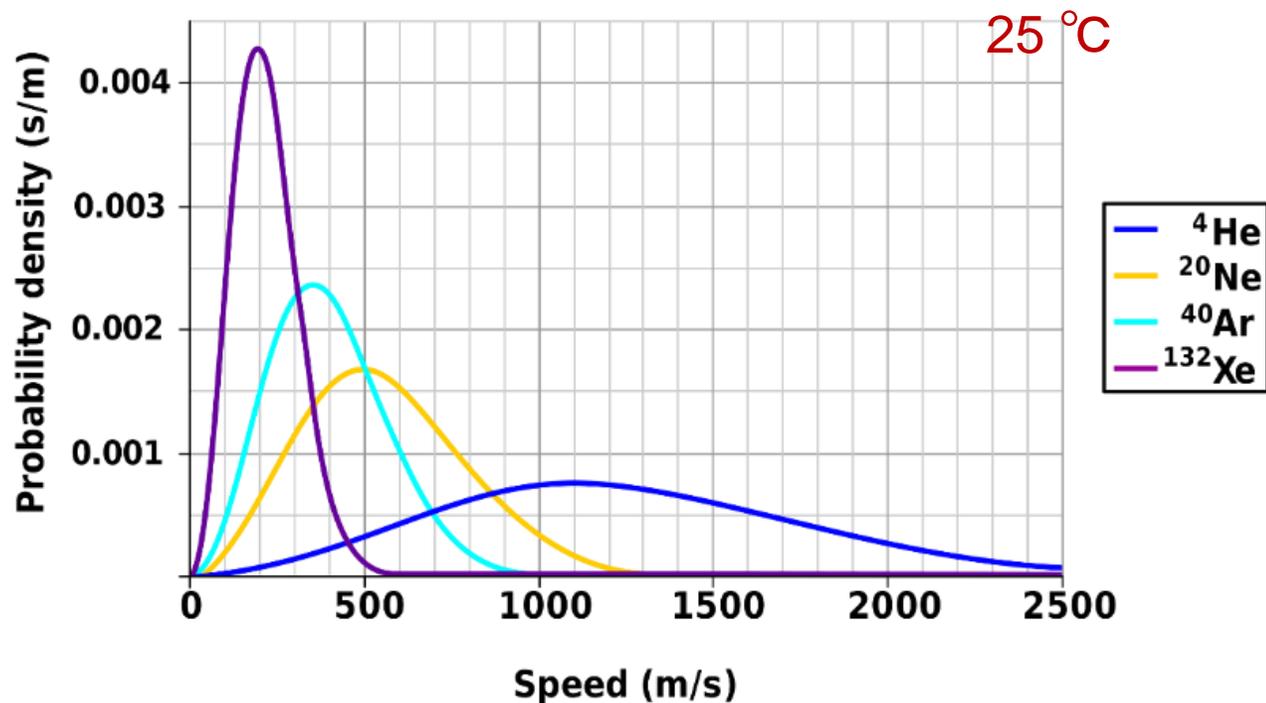


无规则热运动，乱冲乱撞的野马



麦克斯韦-玻尔兹曼统计

Maxwell-Boltzmann Molecular Speed Distribution for Noble Gases

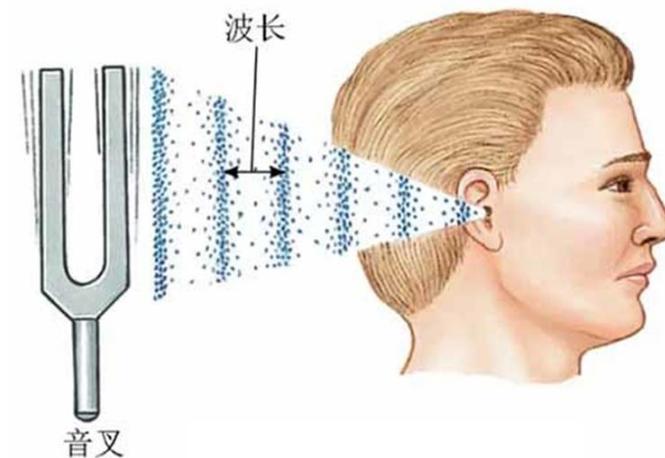


$$\bar{n}_i(\epsilon_i) = \frac{g_i}{e^{(\epsilon_i - \mu)/k_B T}}$$

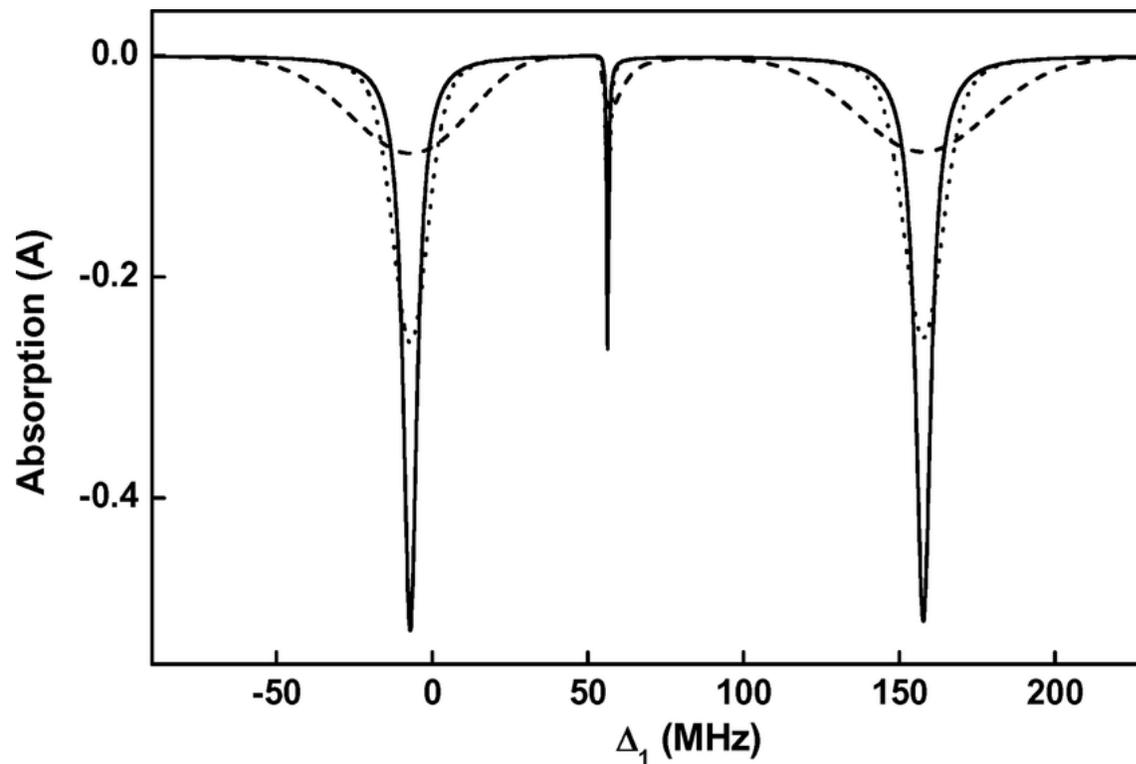
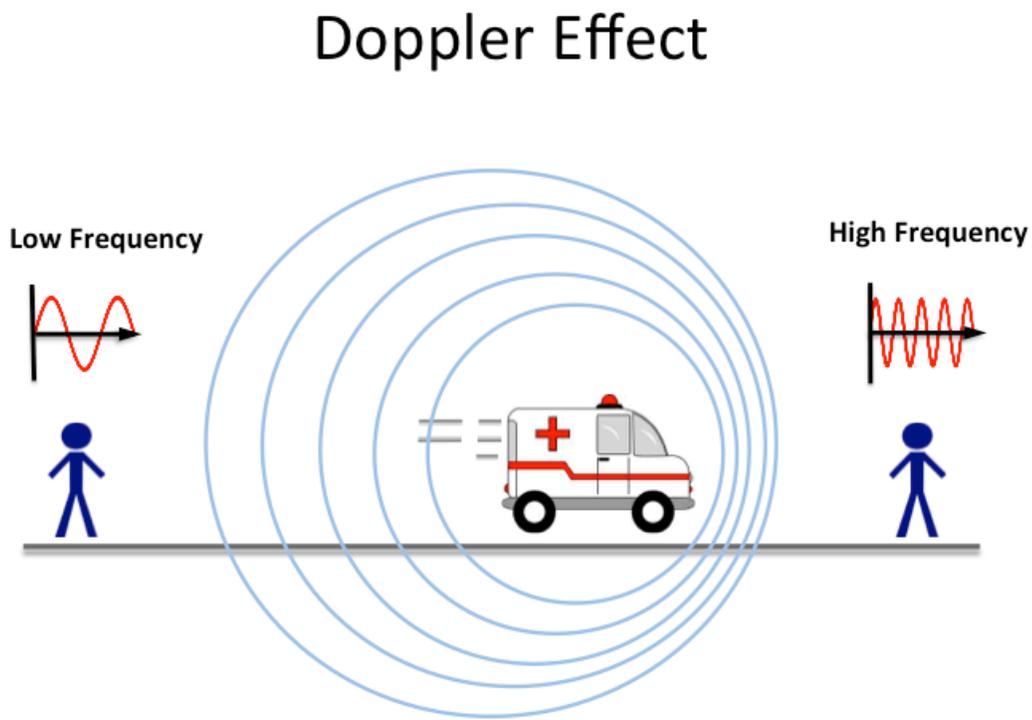
■ 理想气体状态方程

$$pV = nRT$$

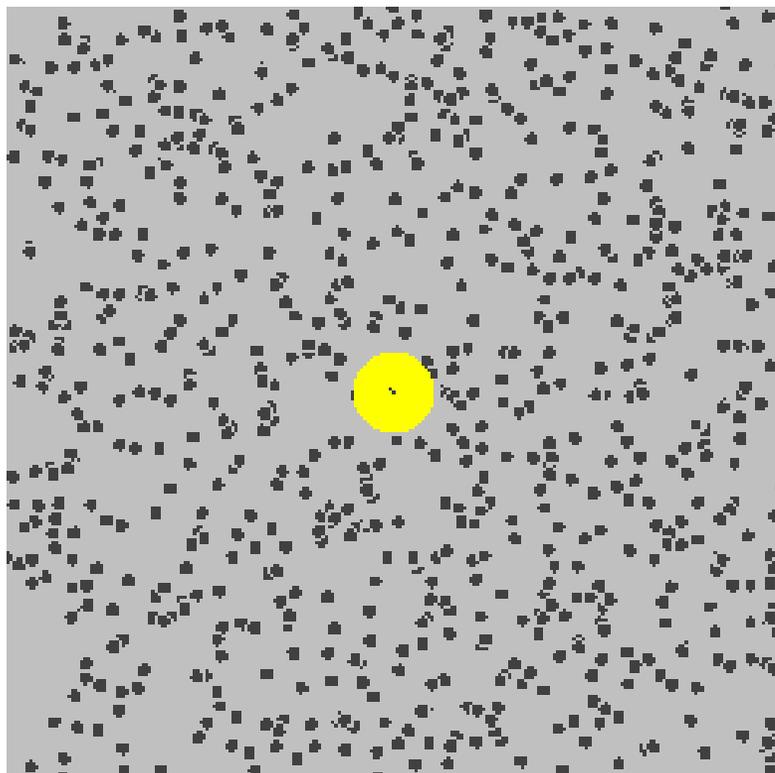
■ 声音



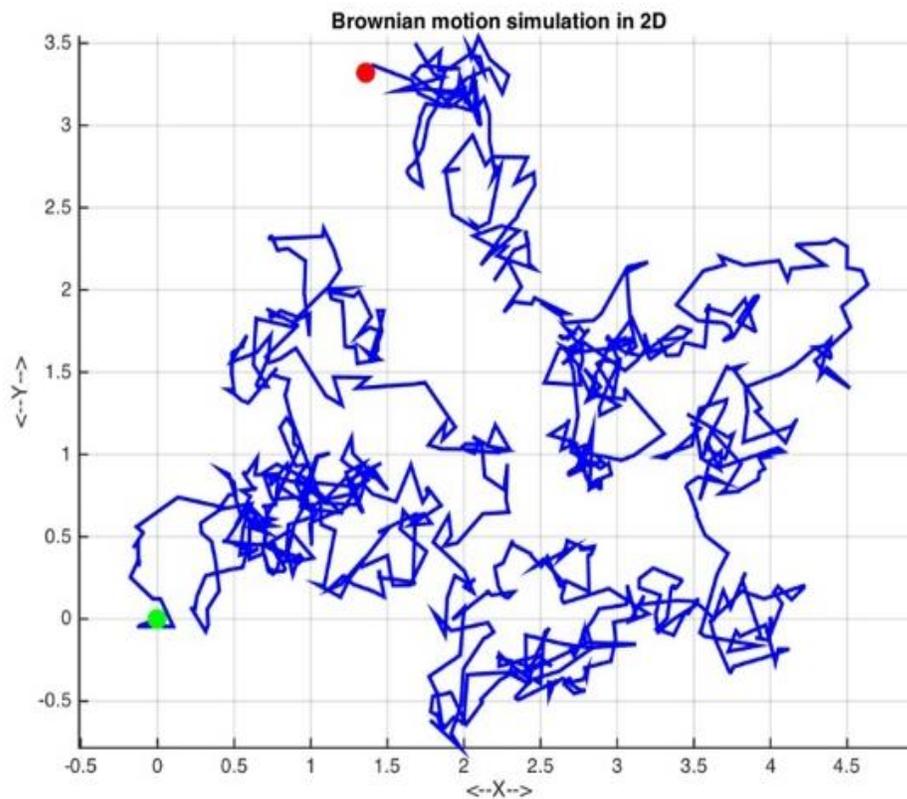
分子运动带来谱线展宽



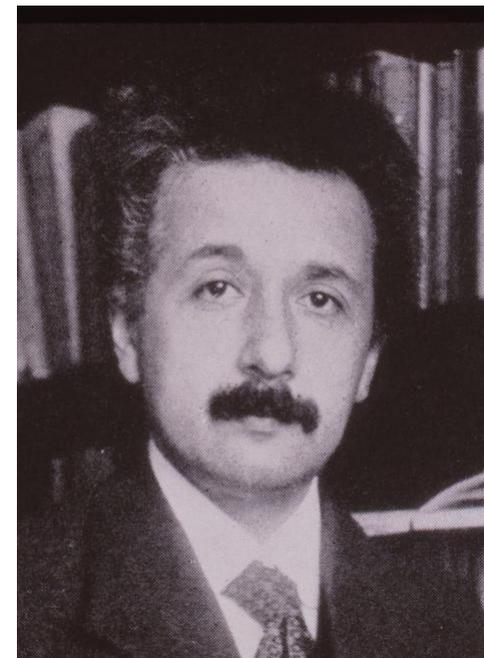
布朗运动与分子大小



微米级别的颗粒在空气或液体中的运动行为



二维空间的布朗运动



爱因斯坦的博士论文：
《一种确定分子尺寸的方法》



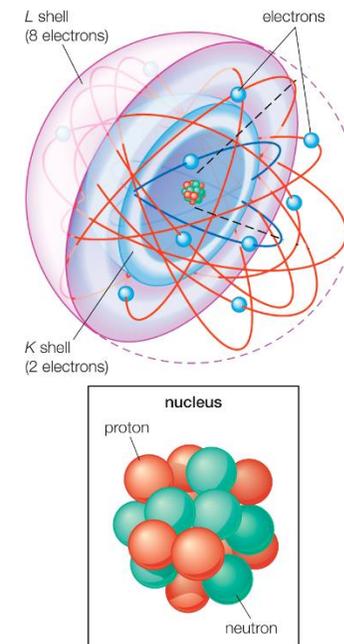
报告内容

■ 为什么要精确地控制原子的行为？

- 原子和宇宙
- 微观世界多体系统的行为
- 原子作为量子比特用于量子计算

■ 如何实现对原子的高精度调控及测量？

- 激光冷却
- 光镊俘获原子
- 多原子的量子态操控



低温世界



冰水混合

0 °C, 273 K



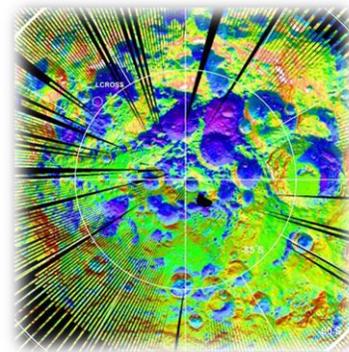
南极洲, 1983

-89 °C, 215 K



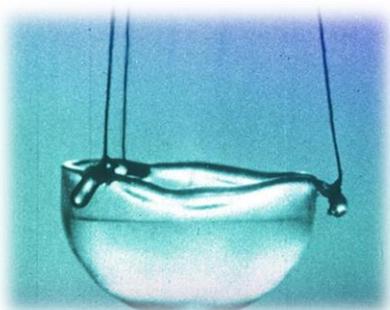
月球

-183~127 °C, 90 K



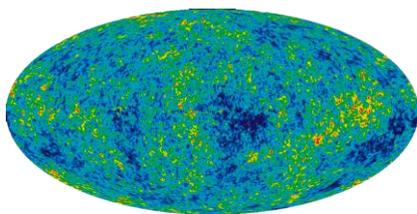
月南极陨石坑

-247°C, 26 K



液氦He4, 1 atm

4.2 K, Onnes, 超导



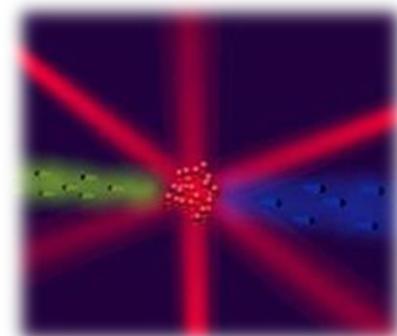
宇宙微波背景

2.7 K



He稀释制冷

0.3~0.01 K



激光超冷原子技术

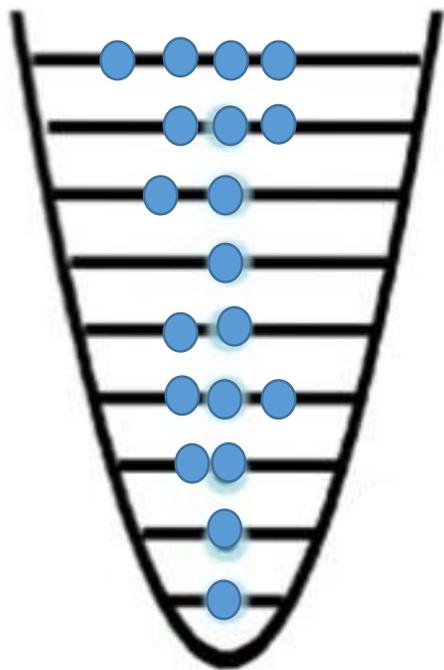
mK~ pK



超冷原子--统计规律发生变化

□ 麦克斯韦-玻尔兹曼统计

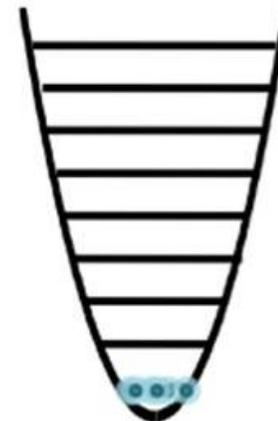
$$\bar{n}_i(\varepsilon_i) = \frac{g_i}{e^{(\varepsilon_i - \mu)/k_B T}}$$



□ 量子统计

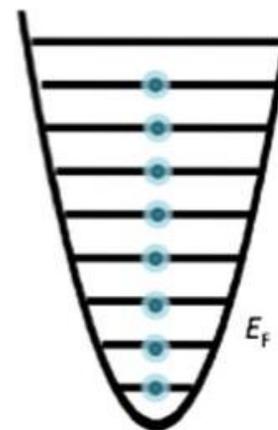
玻色-爱因斯坦统计

$$\bar{n}_i(\varepsilon_i) = \frac{g_i}{e^{(\varepsilon_i - \mu)/k_B T} - 1}$$



费米-狄拉克统计

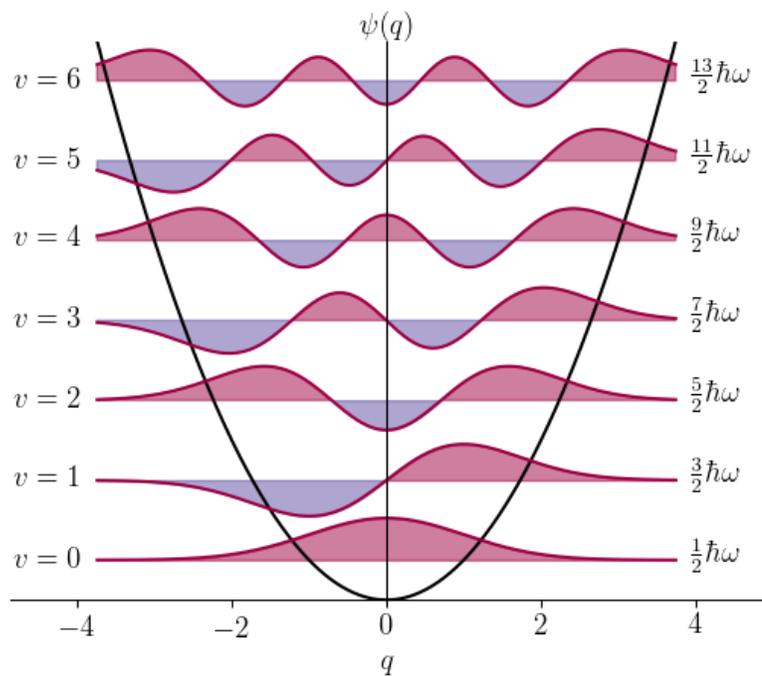
$$\bar{n}_i(\varepsilon_i) = \frac{g_i}{e^{(\varepsilon_i - \mu)/k_B T} + 1}$$



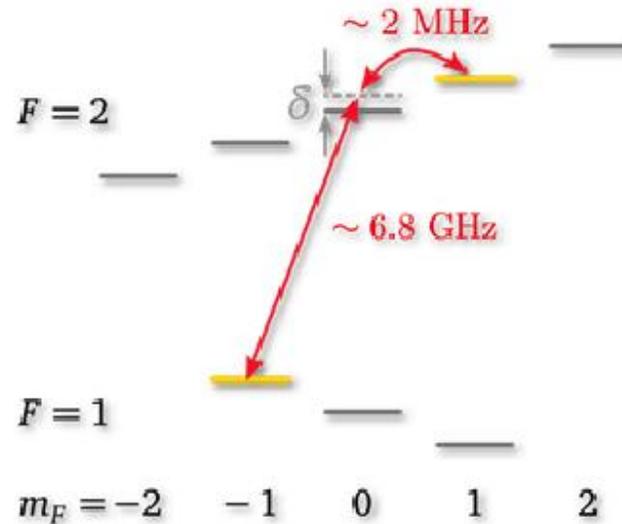
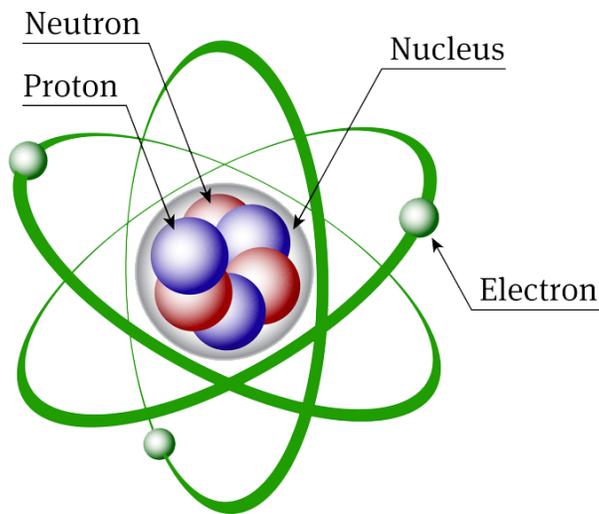
温度T逐渐降低时--原子住在很多层的房间



原子的内部和外部能级



原子的外部能级



原子的内部能级

精确操控原子的内、外能级—开展物理学前沿探索



御光之力

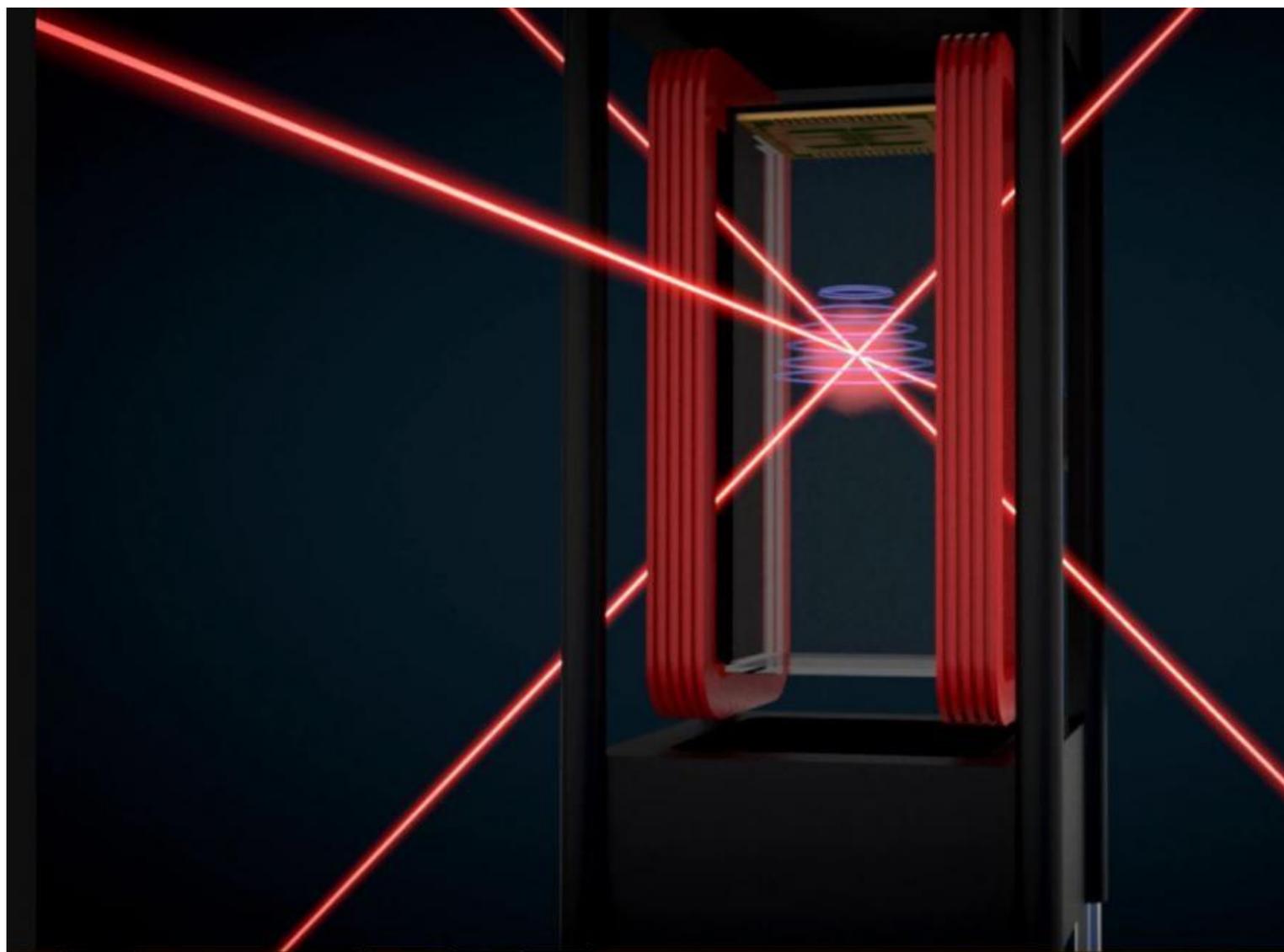


Johannes Kepler (1571-1630)

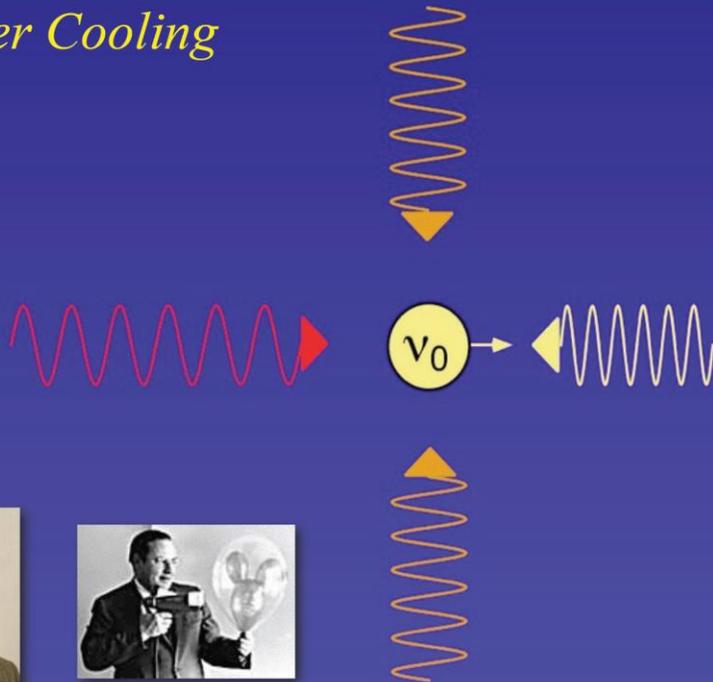
*Let us create vessels and sails
adjusted to the heavenly ether,
and there will be plenty of people
unafraid of the empty wastes.*



激光冷却



Laser Cooling

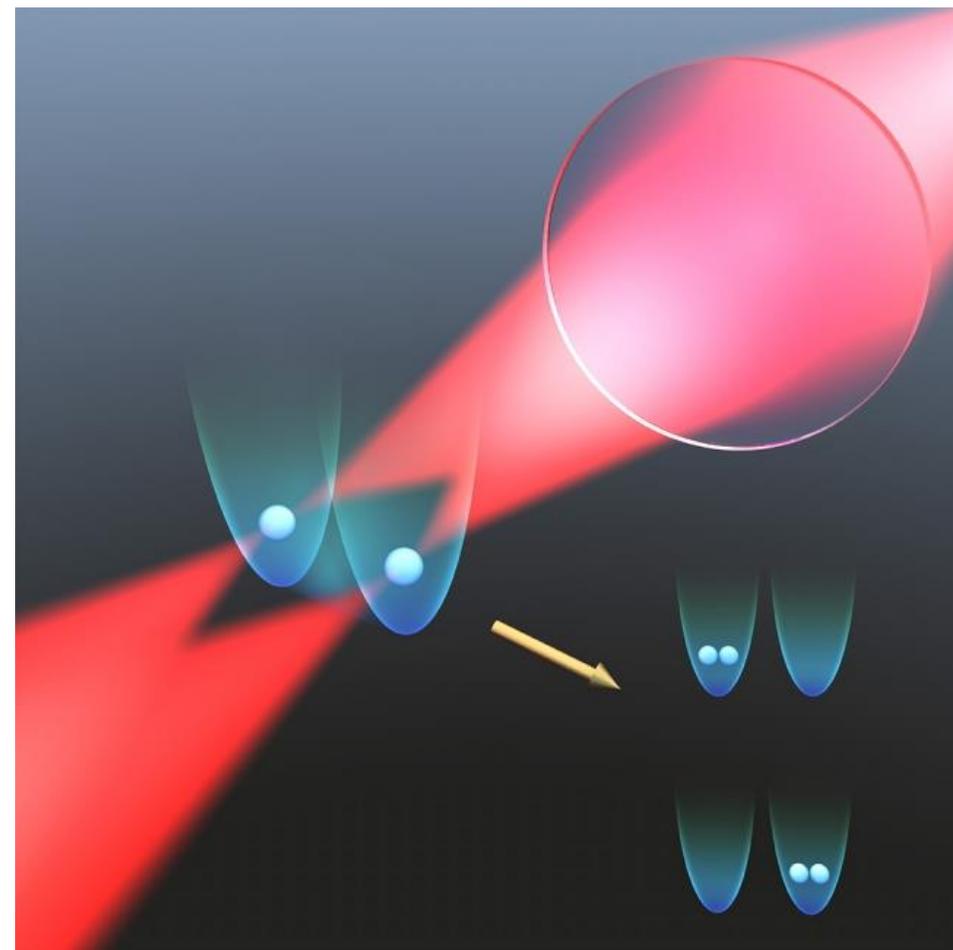
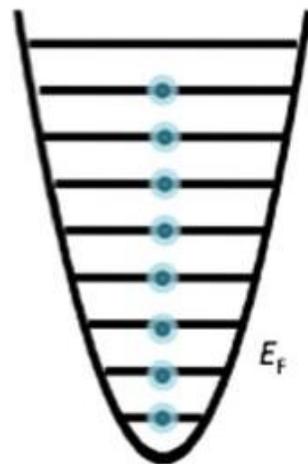
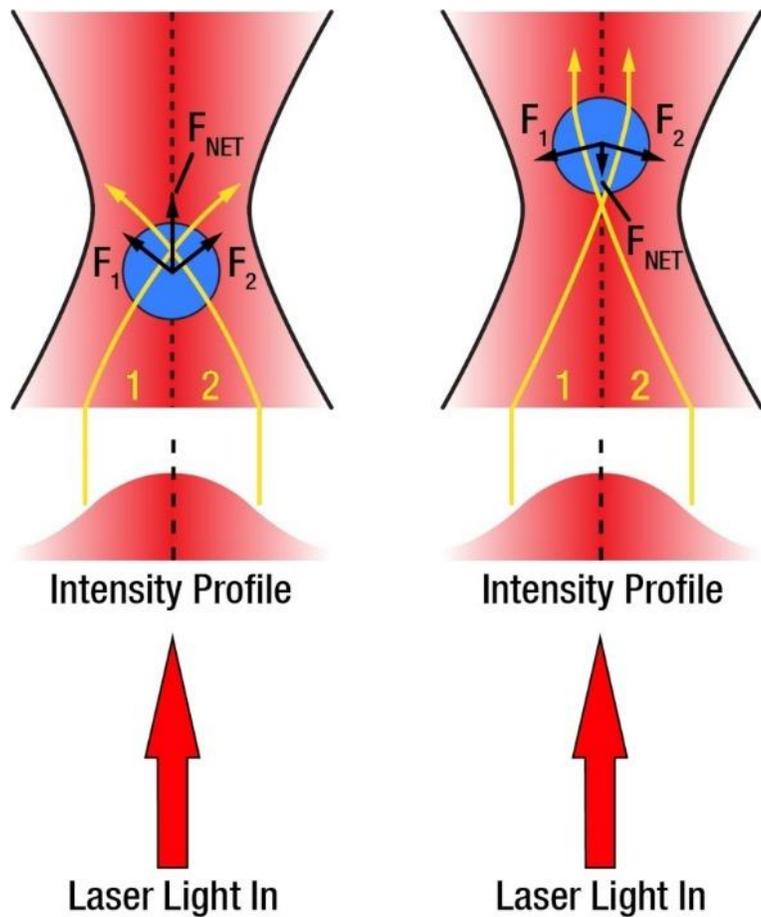


T.W. Hänsch and A.L. Schawlow, Opt. Comm. 13, 68 (1975)

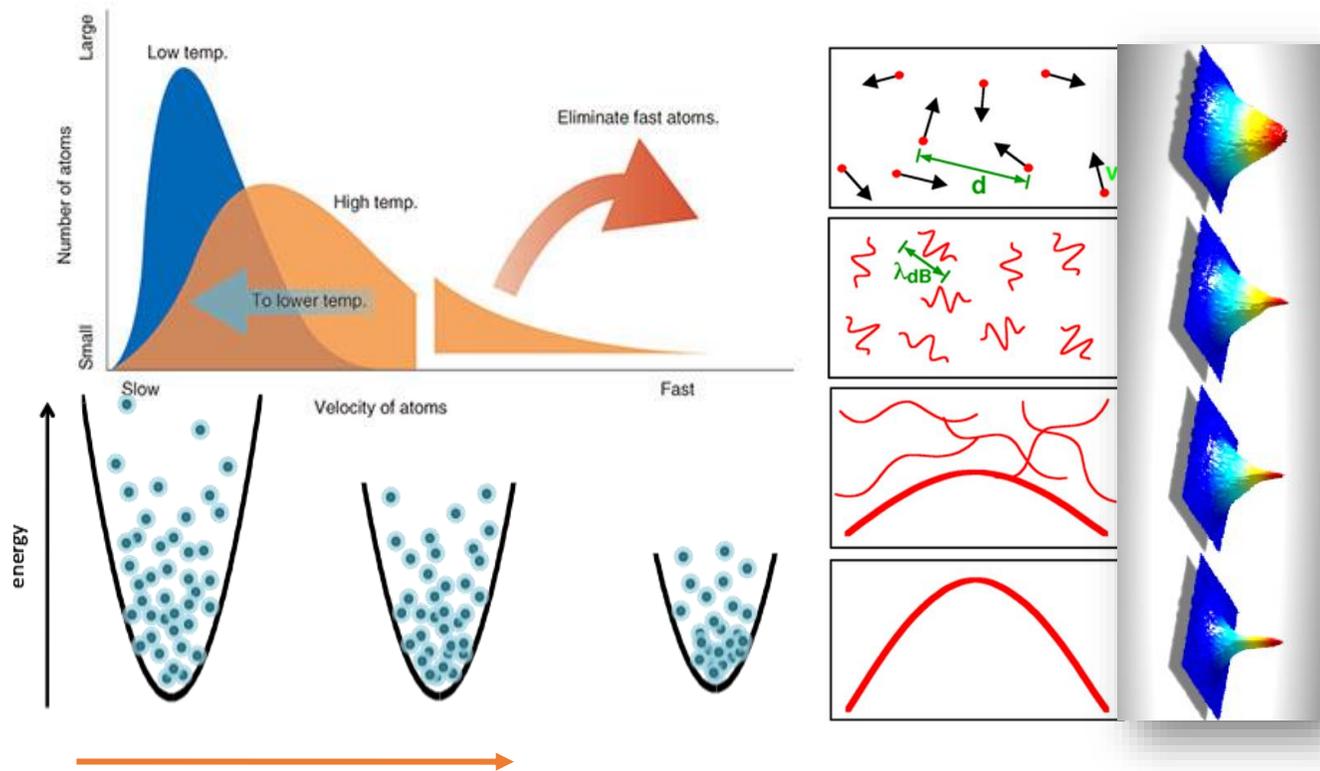
10000 g



光镊抓住原子



超冷量子气体的获得



更冷、更稠密

极低的温度 nK

The Nobel Prize in Physics 2001



Photo from the Nobel Foundation archive.

Eric A. Cornell

Prize share: 1/3

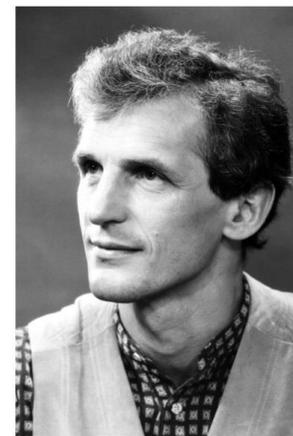


Photo from the Nobel Foundation archive.

Wolfgang Ketterle

Prize share: 1/3



Photo from the Nobel Foundation archive.

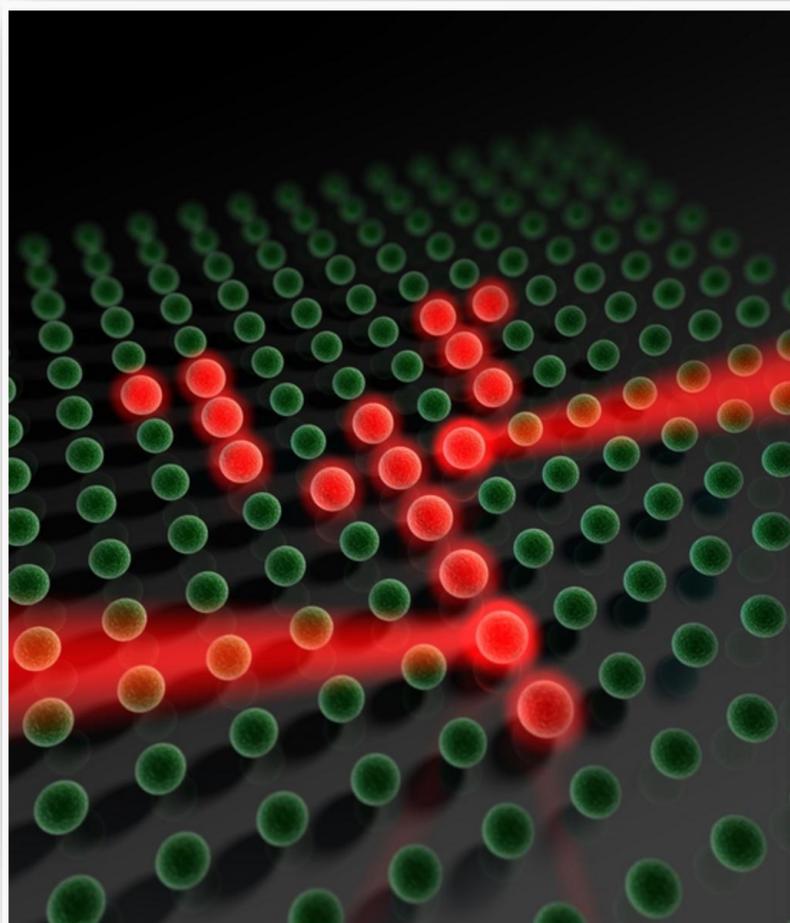
Carl E. Wieman

Prize share: 1/3

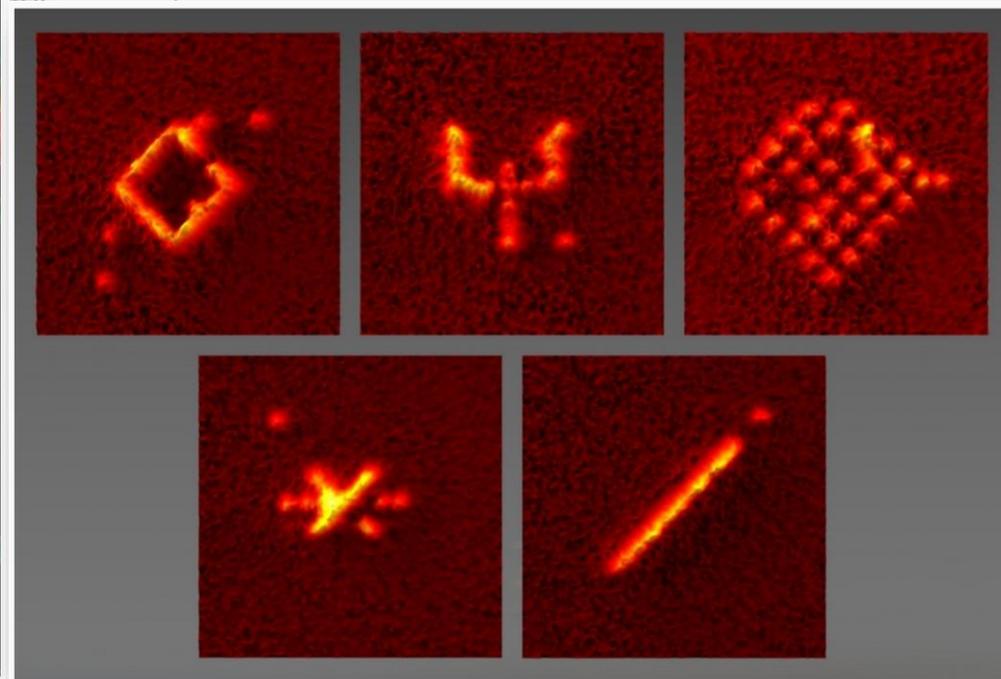
The Nobel Prize in Physics 2001 was awarded jointly to Eric A. Cornell, Wolfgang Ketterle and Carl E. Wieman "for the achievement of Bose-Einstein condensation in dilute gases of alkali atoms, and for early fundamental studies of the properties of the condensates."



国际上的量子气体显微镜



Single 2D degenerate gas
1000 ^{87}Rb atoms (bosons)



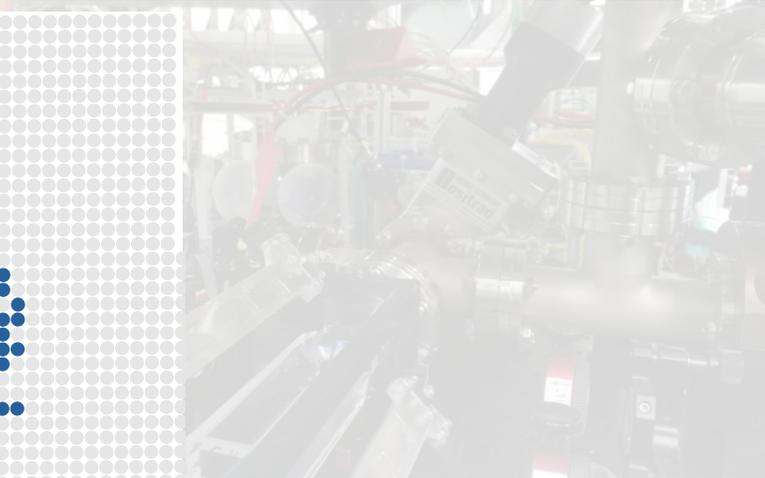
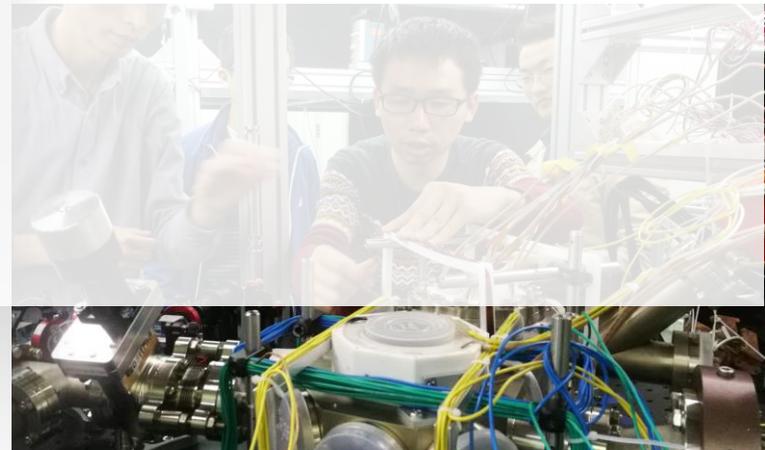
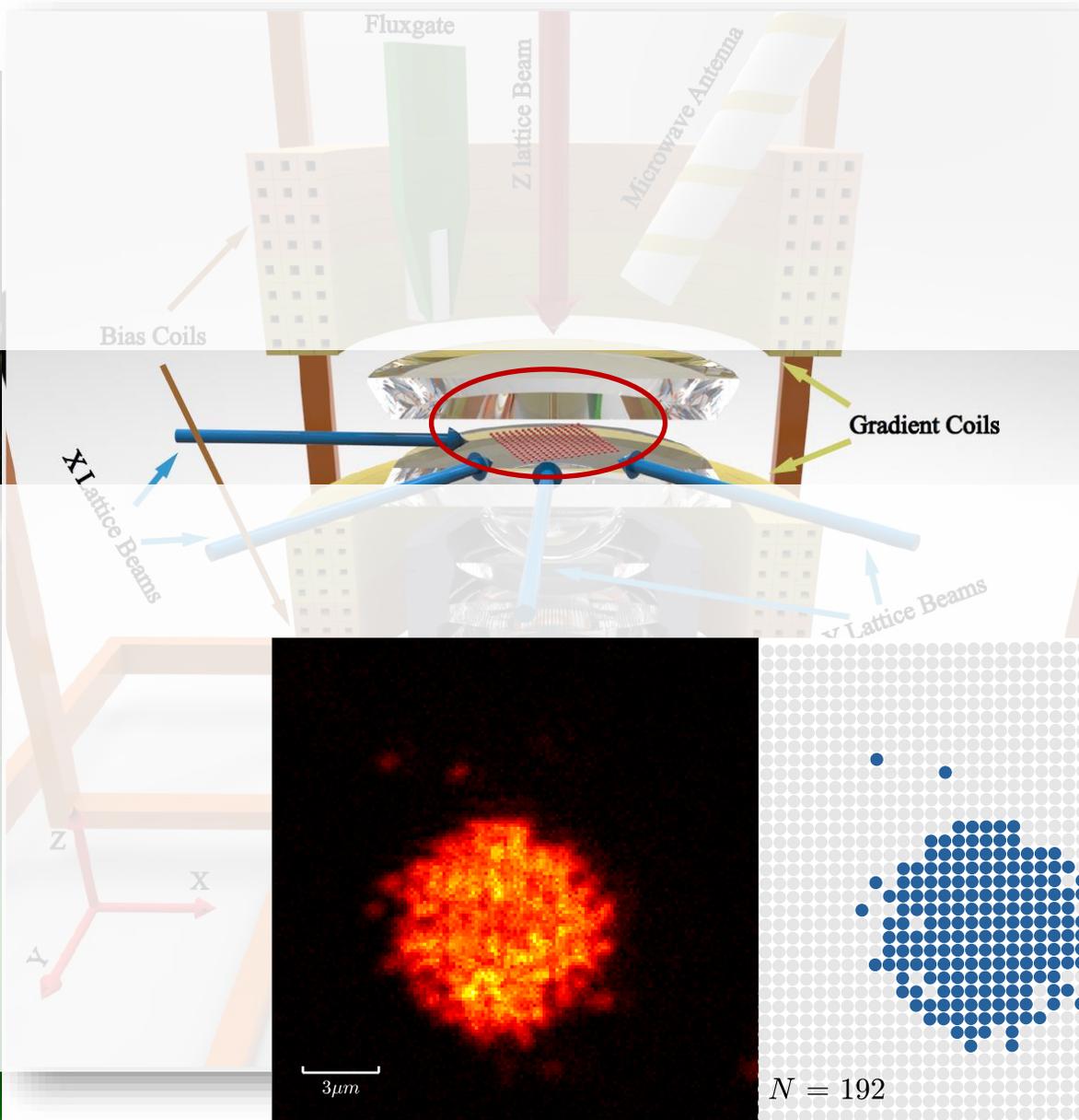
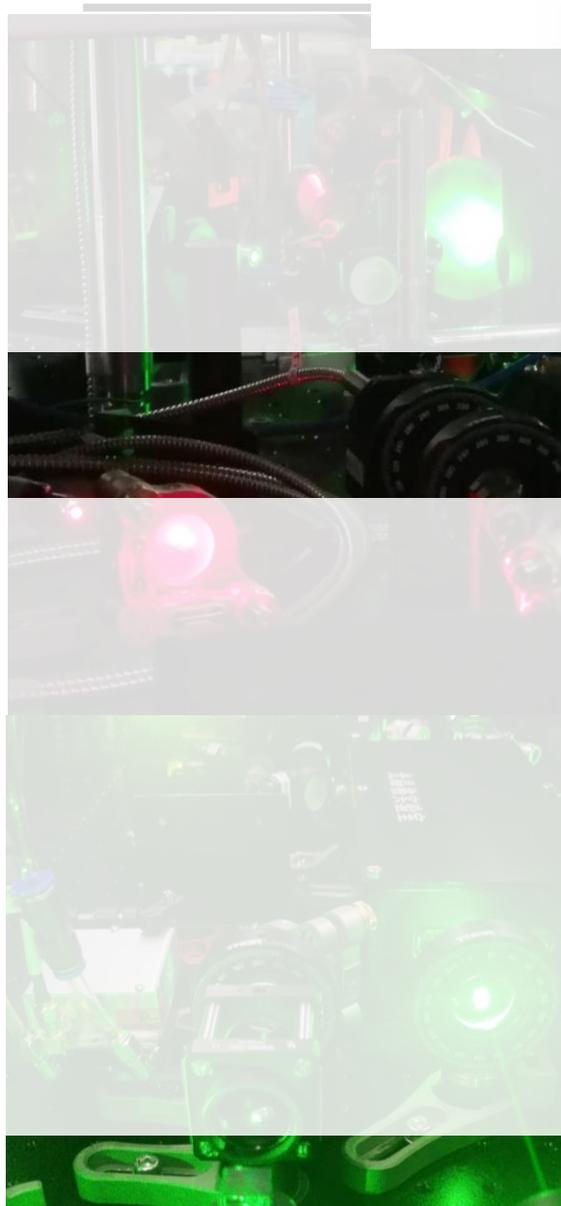
I Bloch@MPQ

S. Kuhr@Glasgow, M. Zwierlein@MIT

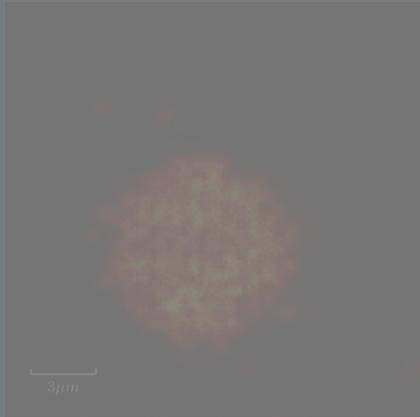
M Greiner@Harvard



实验装置



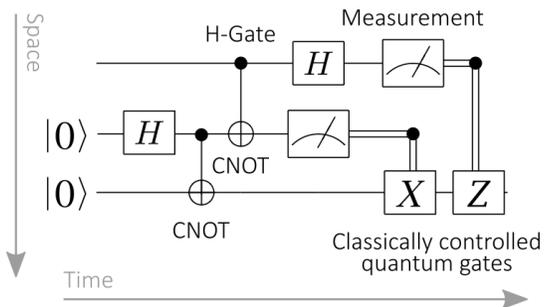
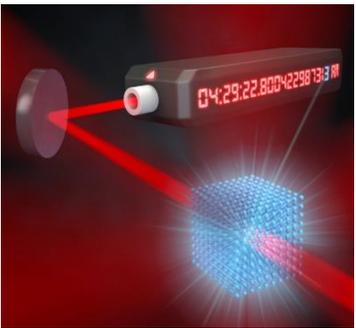
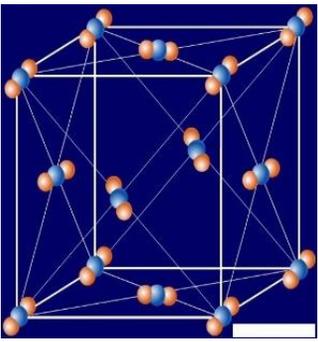
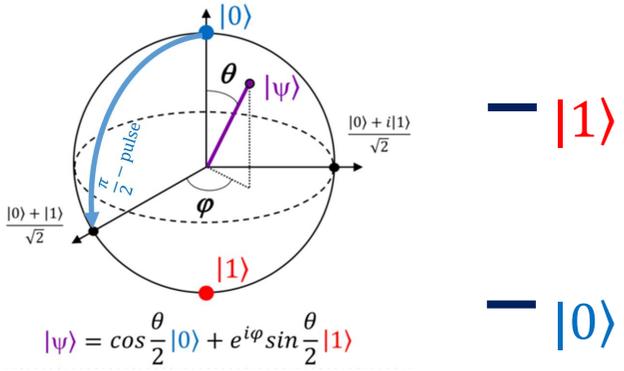
I. 超冷原子 物理



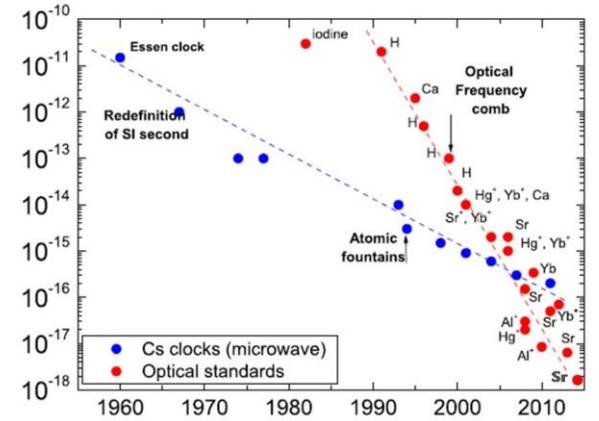
II. 强关联人 工量子材料的 显微学研究

III. 我们的 团队简介

Application in quantum information science



$$\begin{pmatrix} H_{11} & H_{12} & H_{13} & \cdots & \cdots & H_{1M} \\ H_{21} & H_{22} & \cdot & \cdots & \cdots & \cdot \\ H_{31} & \cdot & \cdot & \cdots & \cdots & \cdot \\ \vdots & \vdots & \vdots & \cdots & \cdots & \cdot \\ \vdots & \vdots & \vdots & \cdots & \cdots & \cdot \\ H_{M1} & \cdot & \cdot & \cdots & \cdots & H_{MM} \end{pmatrix}$$



Quantum computation:
 Quantum bits, gates
 Quantum circuit

Quantum simulation:
 engineering interaction,
 build Hamiltonian, e.g.
 Hubbard model, Spin model

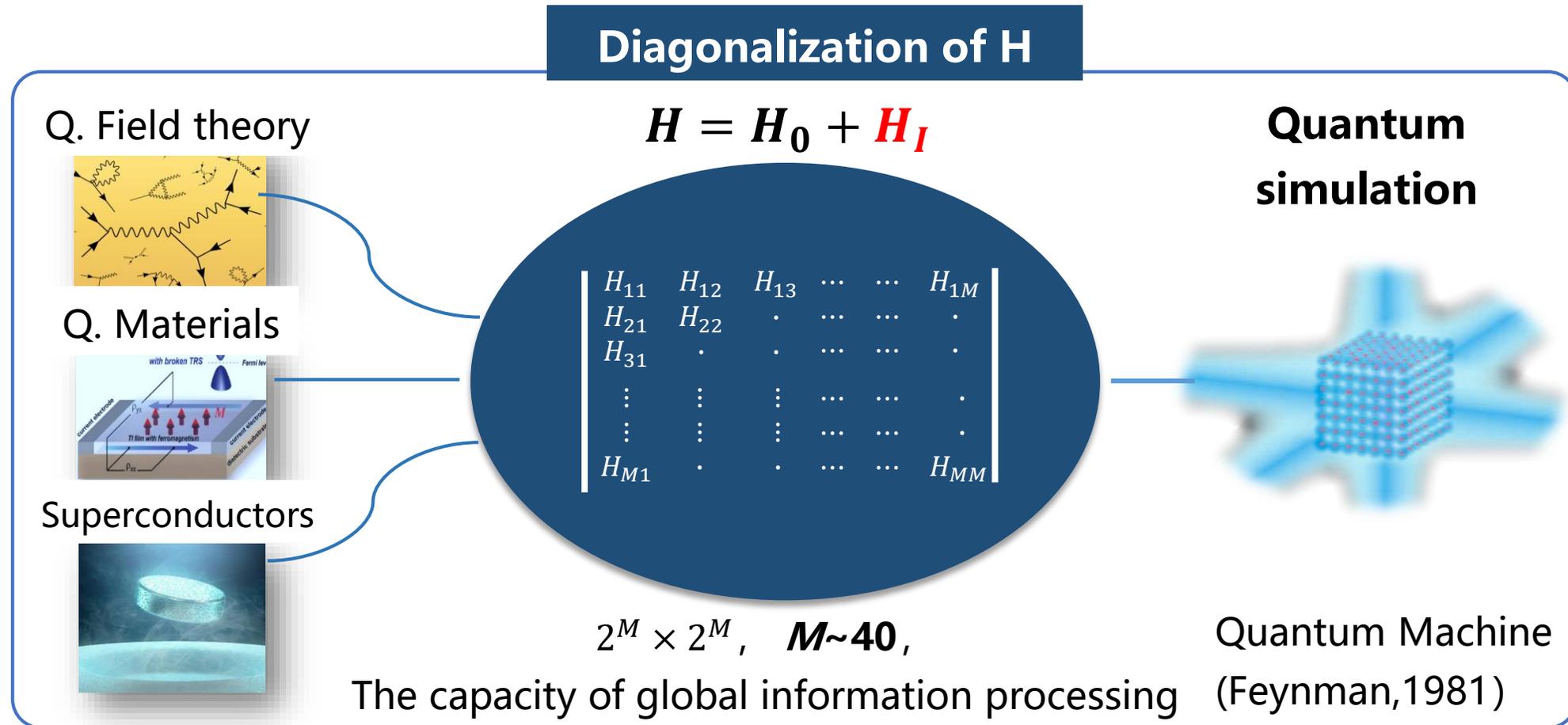
Precision measurement:
 Atomic clock with a
 relative precision of
 10^{-18}



Quantum simulation with ultracold atoms



- **Motivation:** complexity of **quantum many-body problem**



- **Requirements :** manipulation of many particles at single particle level

A specific-purpose computer



Bohemian Rhapsody, Pipe organ (>100 years old)

Superfluid-Mott Insulator transition

81, NUMBER 15

PHYSICAL REVIEW LETTERS

12 OCTOBER 1998

Cold Bosonic Atoms in Optical Lattices

D. Jaksch,^{1,2} C. Bruder,^{1,3} J. I. Cirac,^{1,2} C. W. Gardiner,^{1,4} and P. Zoller^{1,2}

¹*Institute for Theoretical Physics, University of Santa Barbara, Santa Barbara, California 93106-4030*

²*Institut für Theoretische Physik, Universität Innsbruck, A-6020 Innsbruck, Austria*

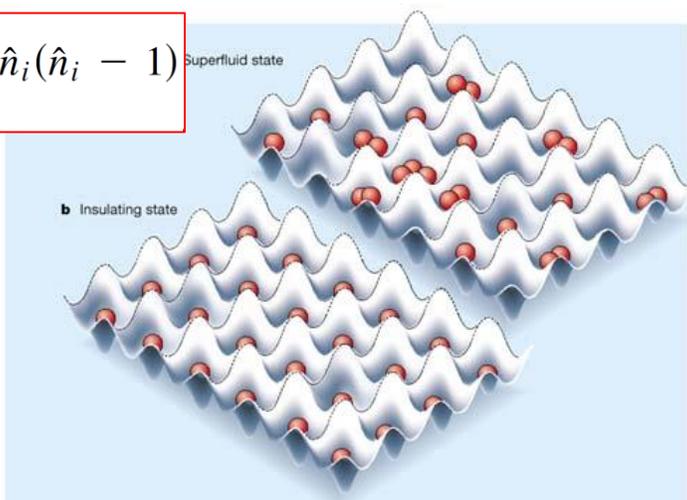
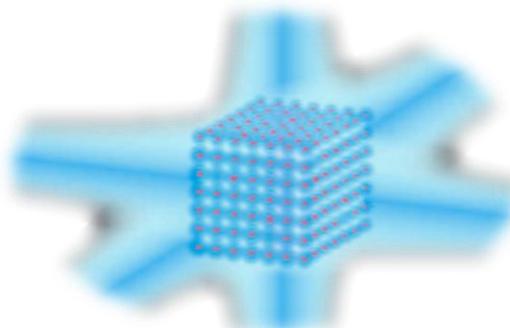
³*Institut für Theoretische Festkörperphysik, Universität Karlsruhe, D-76128 Karlsruhe, Germany*

⁴*School of Chemical and Physical Sciences, Victoria University, Wellington, New Zealand*

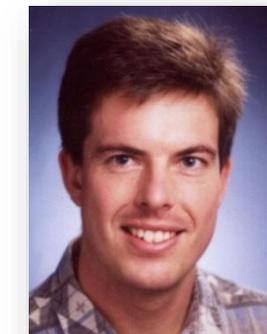
(Received 26 May 1998)

The dynamics of an ultracold dilute gas of bosonic atoms in an optical lattice can be described by a Bose-Hubbard model where the system parameters are controlled by laser light. We study the continuous (zero temperature) quantum phase transition from the superfluid to the Mott insulator phase induced by varying the depth of the optical potential, where the Mott insulator phase corresponds to a commensurate filling of the lattice (“optical crystal”). Examples for formation of Mott structures in optical lattices with a superimposed harmonic trap and in optical superlattices are presented. [S0031-9007(98)07267-6]

$$H = -J \sum_{\langle i,j \rangle} b_i^\dagger b_j + \sum_i \epsilon_i \hat{n}_i + \frac{1}{2} U \sum_i \hat{n}_i (\hat{n}_i - 1)$$



M. Fisher
PRB, 1989



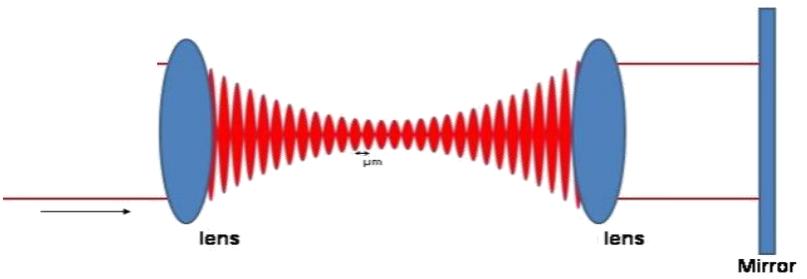
D. Jaksch



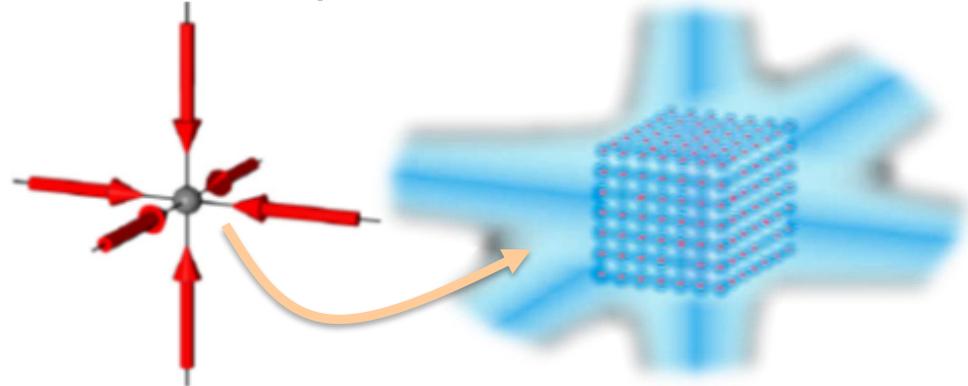
P. Zoller

Optical Lattices and Hubbard Model

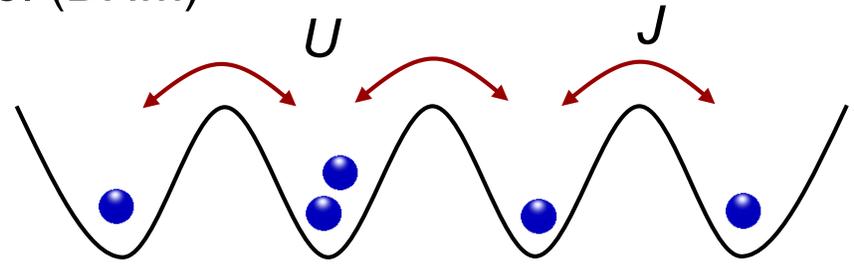
Standing wave of light



3D optical lattice



Bose-Hubbard model (BHM)

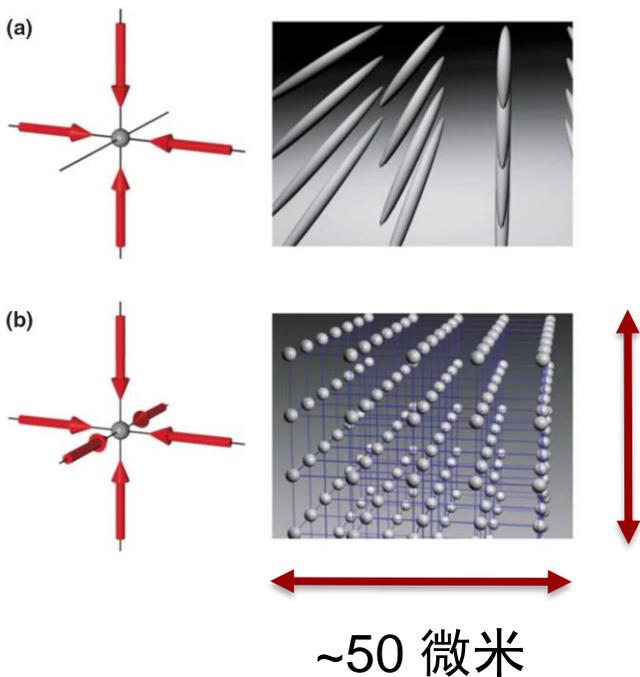


$$\hat{H} = -J \sum_{\langle i,j \rangle} \hat{a}_i^\dagger \hat{a}_j + \frac{U}{2} \sum_i \hat{n}_i (\hat{n}_i - 1) - \sum_i \mu_i \hat{n}_i$$

J : nearest-neighbor tunneling
 U : onsite interactions

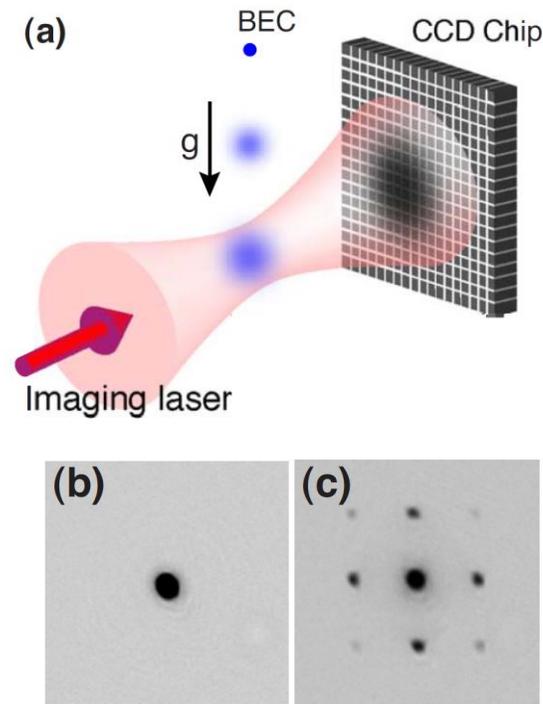
Imaging the atoms

实空间的分布

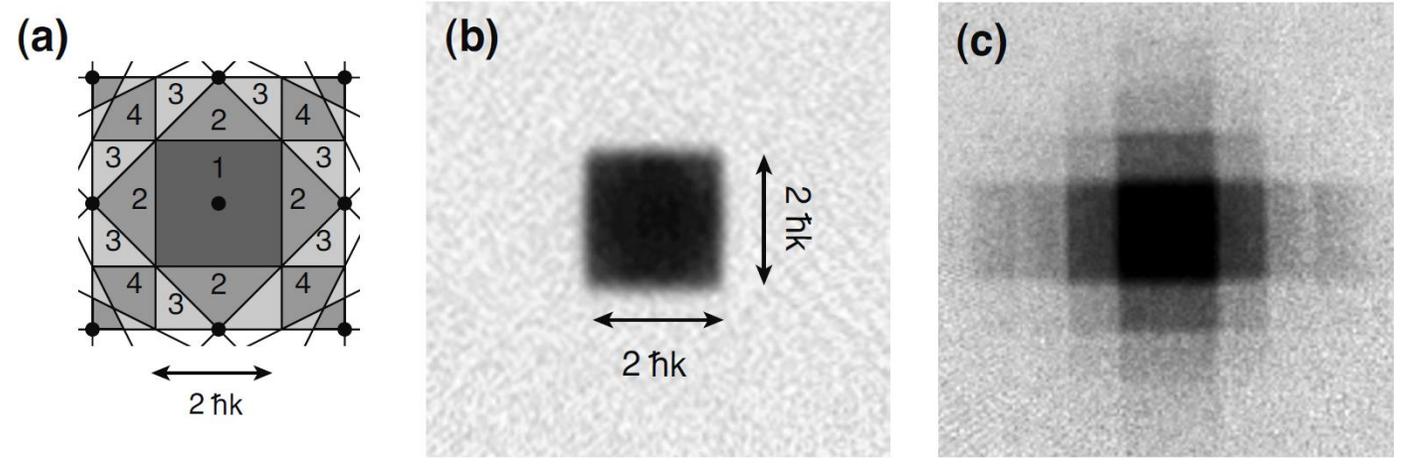
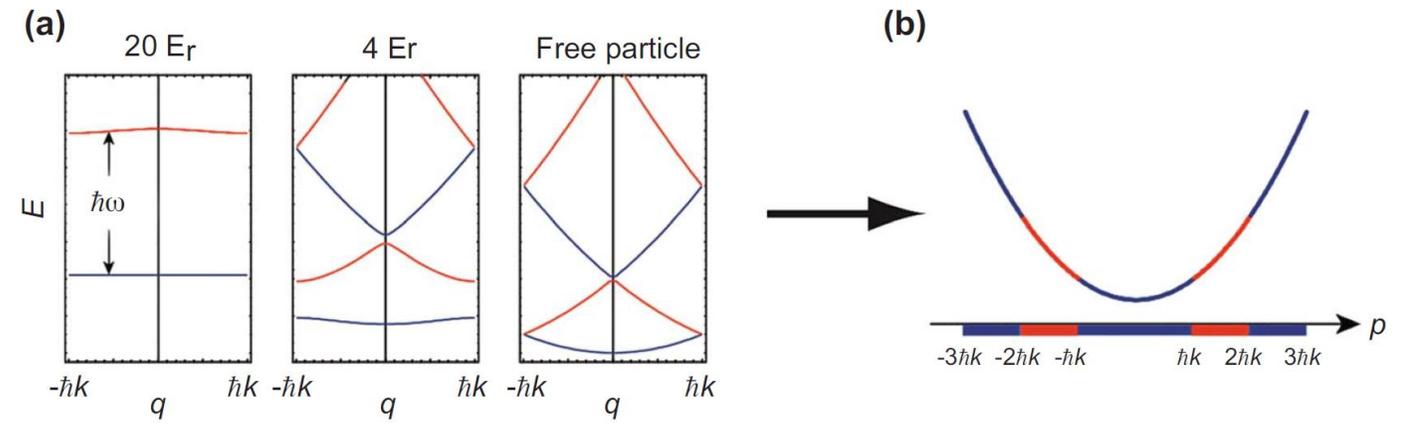


* 与晶格中电子的进行类比

时间飞行探测方法—动量空间



Band structure of the lattices



Greiner, M., I. Bloch, M. O. Mandel, T. Hänsch, and T. Esslinger, 2001, Phys. Rev. Lett. 87, 160405

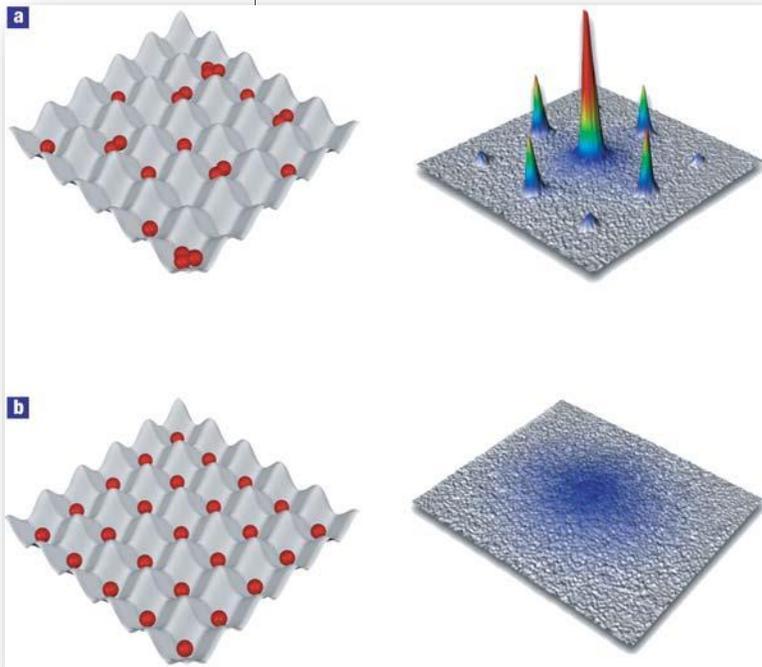
Quantum phase transition from a superfluid to a Mott insulator in a gas of ultracold atoms

Nature
2002

Markus Greiner*, Olaf Mandel*, Tilman Esslinger†, Theodor W. Hänsch* & Immanuel Bloch*

*Max-Planck-Institut für Quantenoptik, Schellingstrasse 4/III, D-80799 Munich, Germany, and Max-Planck-Institut für Quantenoptik, D-85748 Garching,

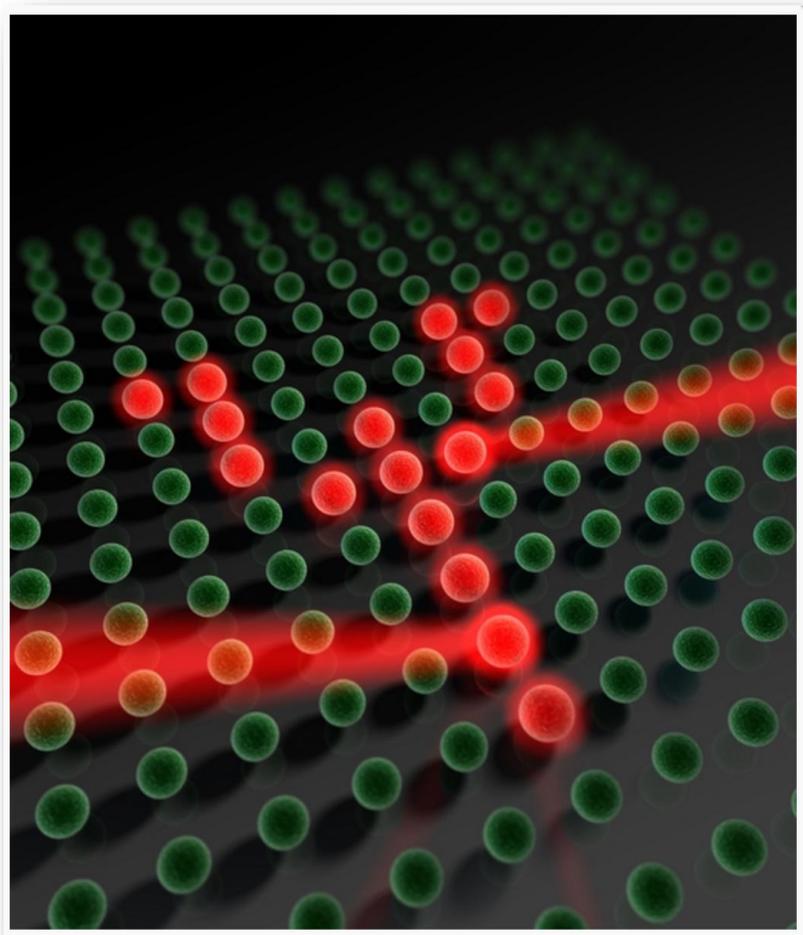
†ETH Zurich, Switzerland



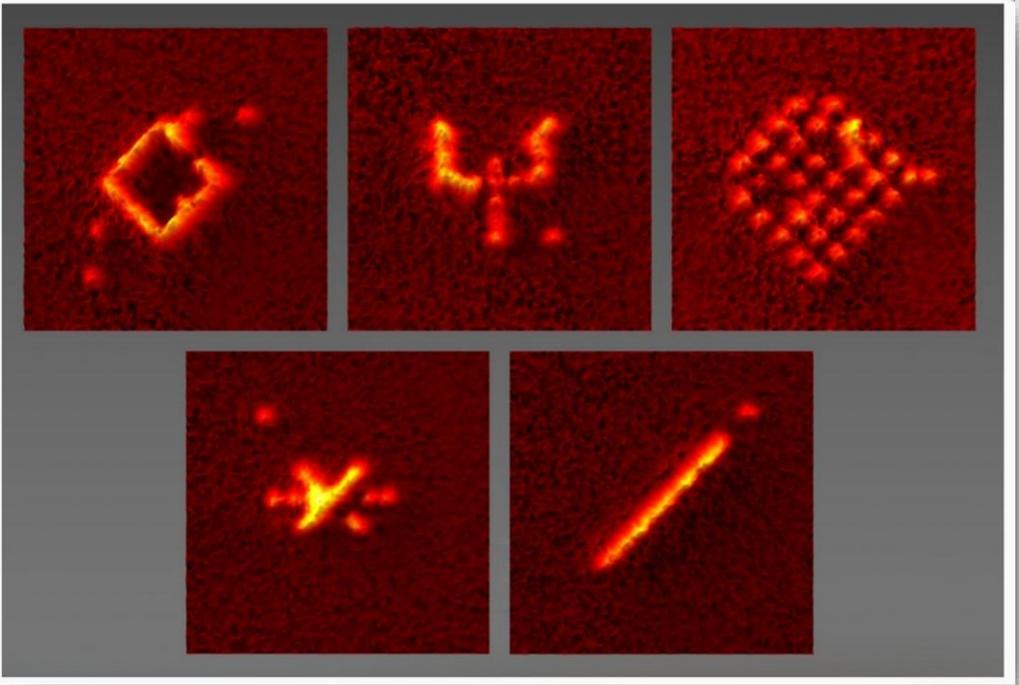
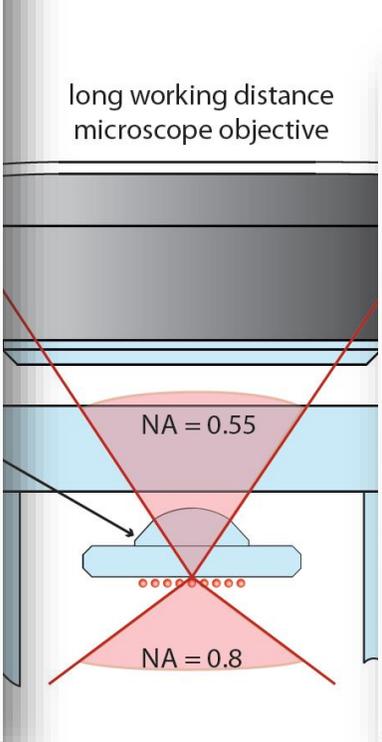
At absolute zero, all thermal fluctuations are frozen out, while quantum fluctuations prevail. These can induce a macroscopic phase transition in the ground state of a many-body system when the energy terms is varied across a critical value. Here we observe such a quantum phase transition in a gas of ultracold atoms with repulsive interactions, held in a three-dimensional optical lattice potential. As the potential depth is varied, a phase transition is observed from a superfluid to a Mott insulator phase. In the superfluid phase, atoms are delocalized over the lattice, with long-range phase coherence. But in the insulating phase, exact numbers of atoms are localized on each lattice site, with no phase coherence across the lattice; this phase is characterized by a gap in the excitation spectrum. Reversible changes between the two ground states of the system.

$$H = -J \sum_{\langle i,j \rangle} b_i^\dagger b_j + \sum_i \epsilon_i \hat{n}_i + \frac{1}{2} U \sum_i \hat{n}_i (\hat{n}_i - 1)$$

Quantum gas microscope



single 2D degenerate gas
~ 1000 ^{87}Rb atoms (bosons)

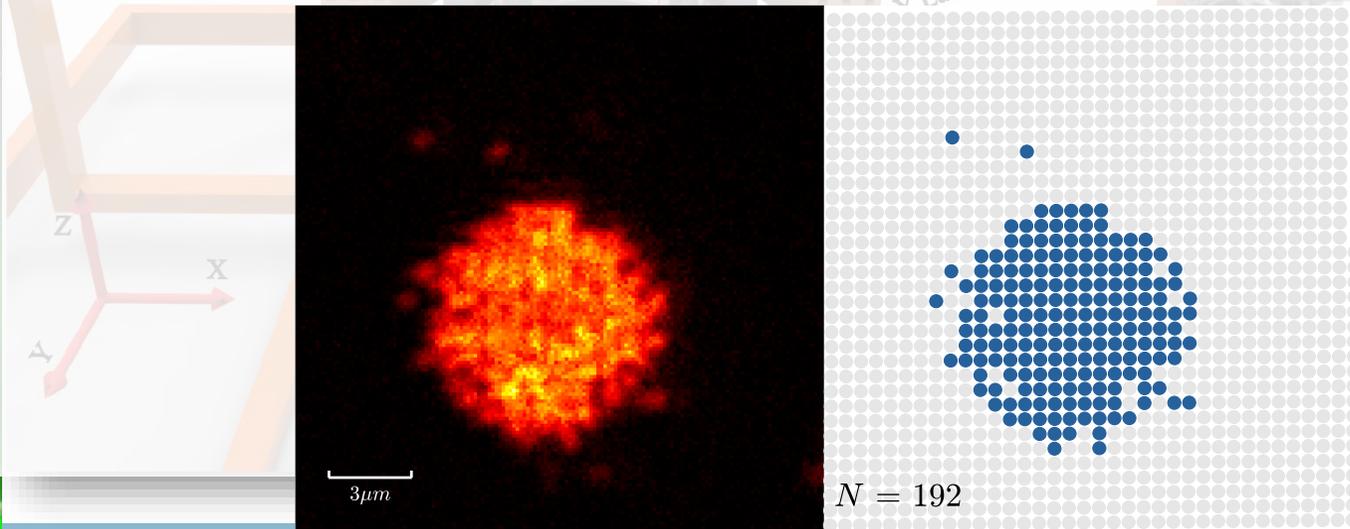
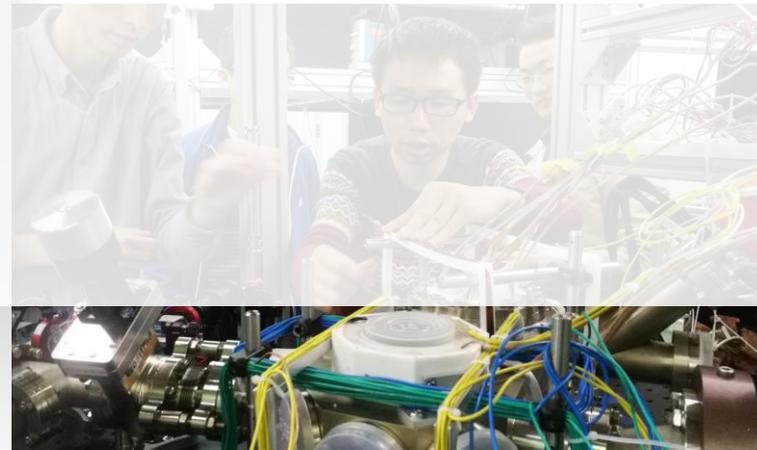
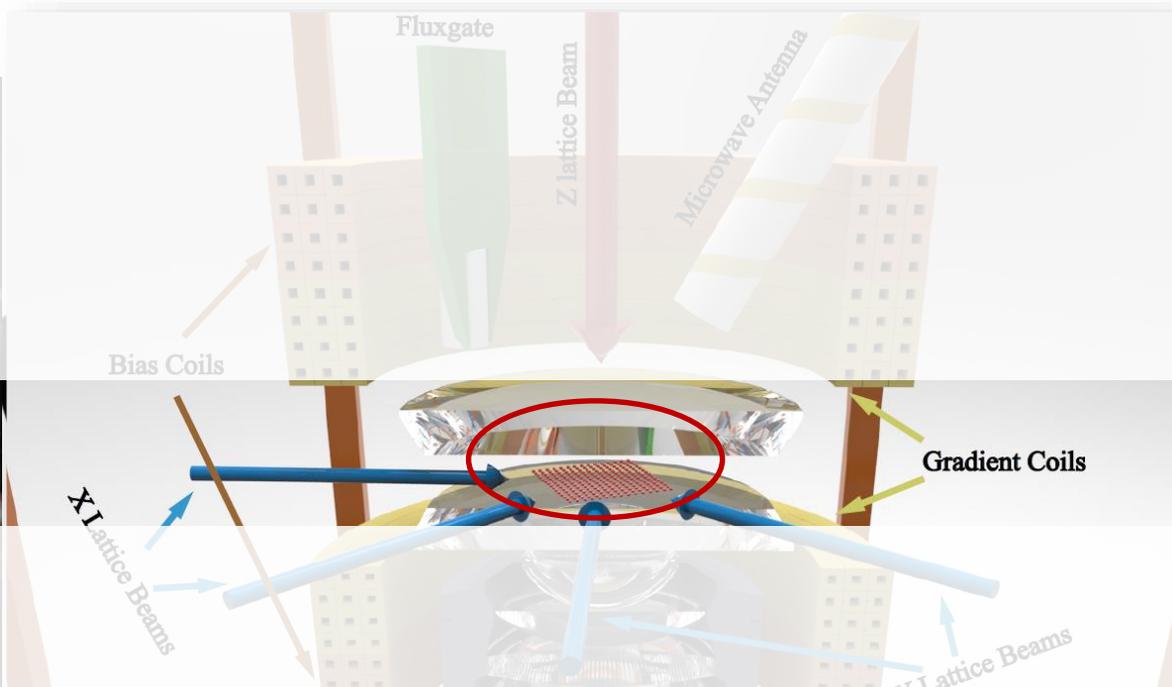
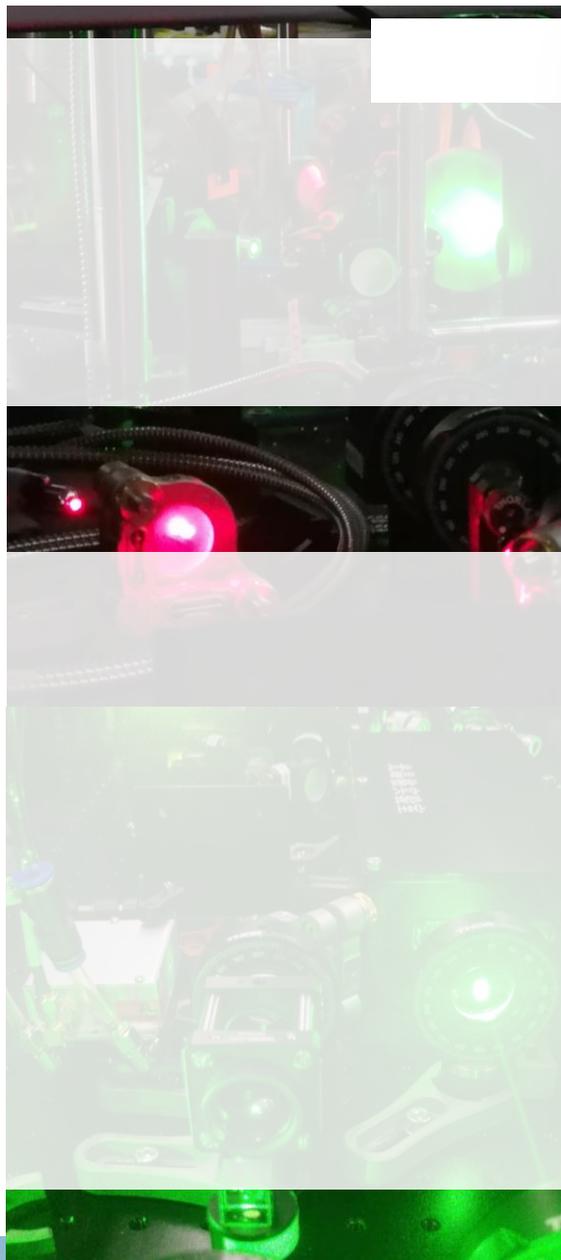


I Bloch@MPQ

M Greiner@Harvard

S. Kuhr@Glasgow, M. Zwierlein@MIT

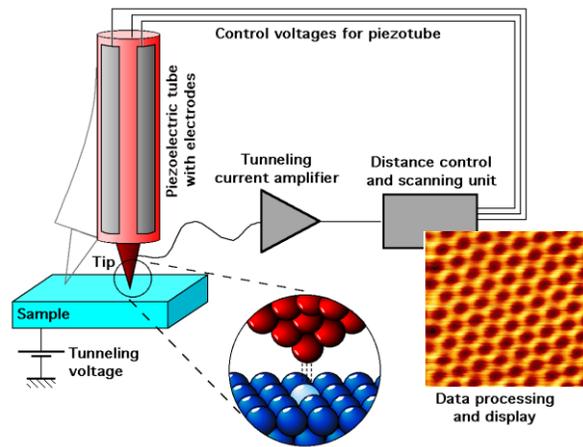
Experimental setup



STM v.s. QGM (Quantum gas microscope)



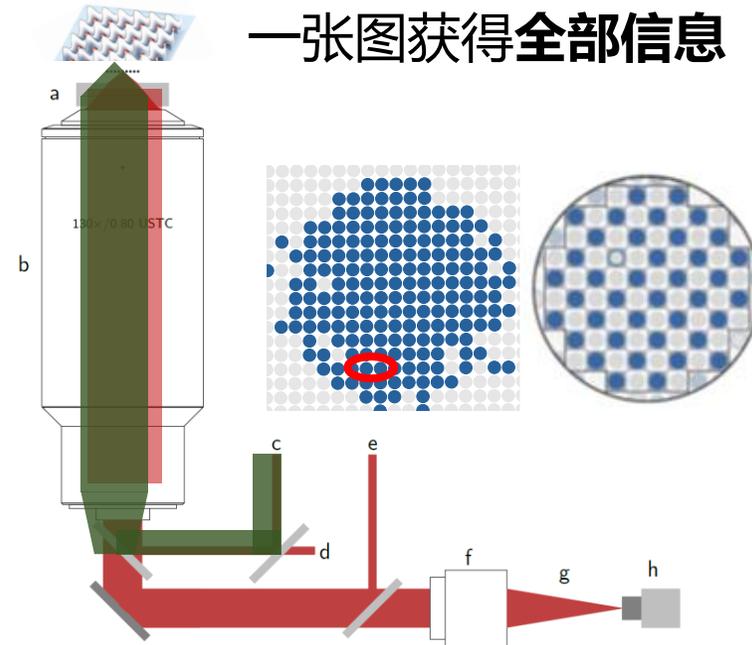
- **STM**: 测量针尖与样品表面之间的**隧道电流** → 获得**样品表面形貌图**



- ✓ 获得电子密度分布的平均值
- ✗ 电子如何运动?
- ✗ 电子--电子关联?

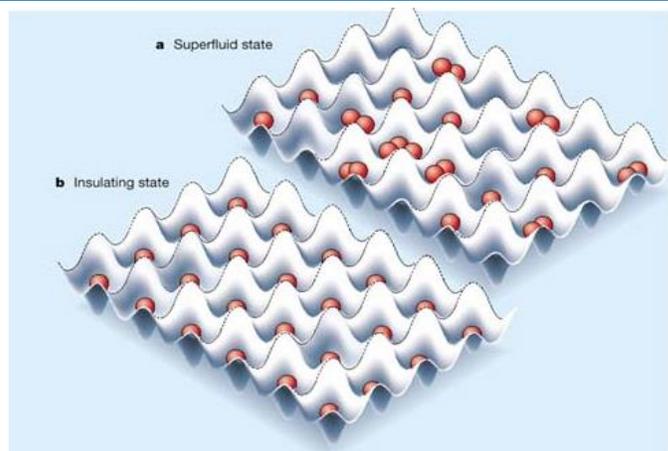
QGM是对STM显微镜的**重要补充**、更是探测量子关联和相干操控量子态的**全新工具**！
面向目标Hamiltonian，可以**即时制备样品**

- **QGM**: 全部原子**瞬时冻结成像**
一张图获得**全部信息**



- ✓ 实空间单格点、单原子分布
- ✓ 多次成像跟踪原子的实时运动
- ✓ 实空间原子-原子关联 (粒子-空穴、自旋-自旋, 近邻和长程, 两体, 多体)
- ✓ 反打光相干操控单个或多个原子的量子态

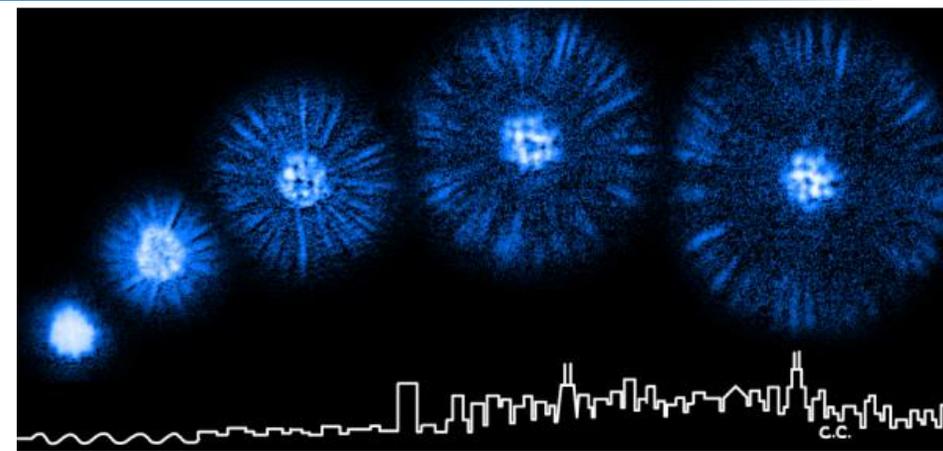
Quantum simulation



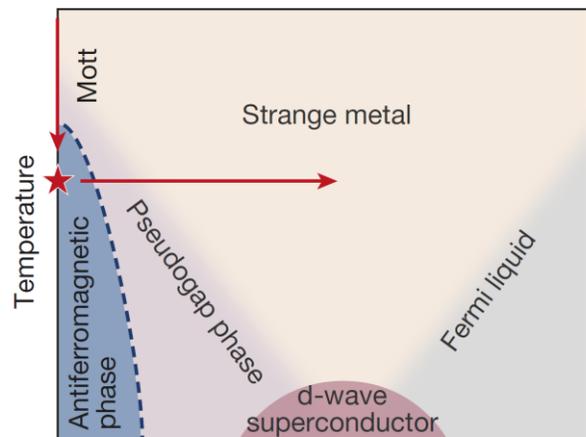
- SF-MI transition (Bloch, Greiner...)



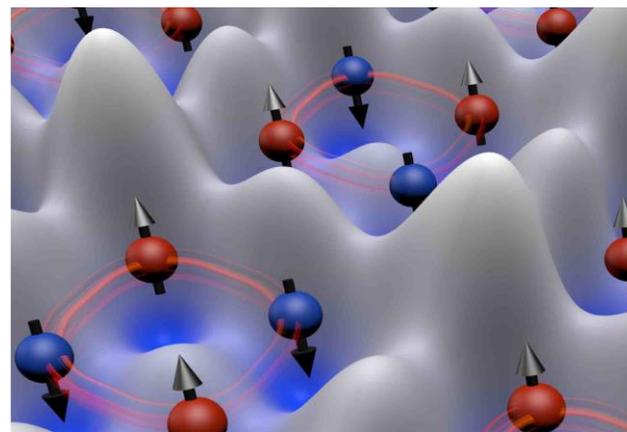
- Hawking radiation (Steinhauer, Haifa)



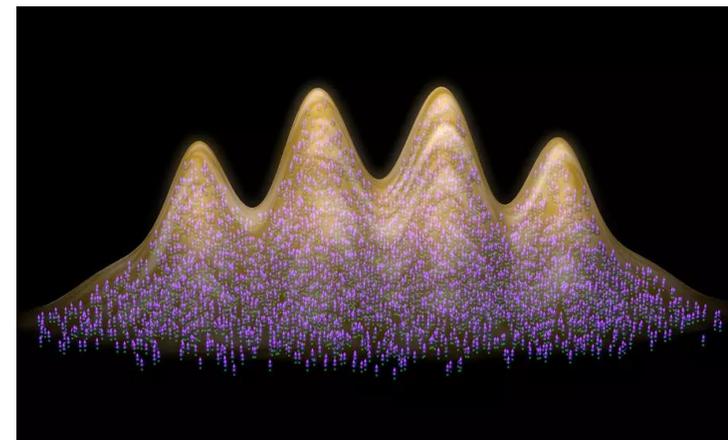
- Jet of matter waves (Cheng Chin, U. Chicago)



- D-Wave superfluidity (Greiner...)



- Topological matter (Yuan, Pan...)

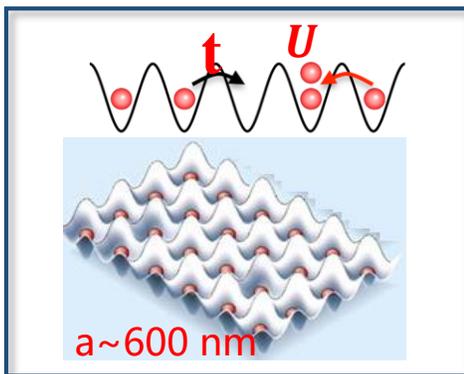


- supersolidity (Ferlaino, Ketterle...)

Quantum simulation



Quantum simulator : Hubbard Model



$$\hat{H} = -t \sum_{\langle i,j \rangle} \hat{a}_i^\dagger \hat{a}_j + \frac{U}{2} \sum_i \hat{n}_i (\hat{n}_i - 1) - \sum_i \mu_i \hat{n}_i$$


t: Hopping in neighboring sites
U: On-site interaction
 μ_i : Chemical potential

t/U competition

superfluid-insulator transition

$U \gg t$

$$H \sim J_{ex} \vec{S}_i \cdot \vec{S}_j$$

$$J_{ex} = t^2 / U$$

Spin model

$U \gg t$, tune μ_i

$$H \sim J_{\blacksquare} \vec{S}_1 \cdot \vec{S}_2 \cdot \vec{S}_3 \cdot \vec{S}_4$$

$$J_{\blacksquare} = t^4 / U^3$$

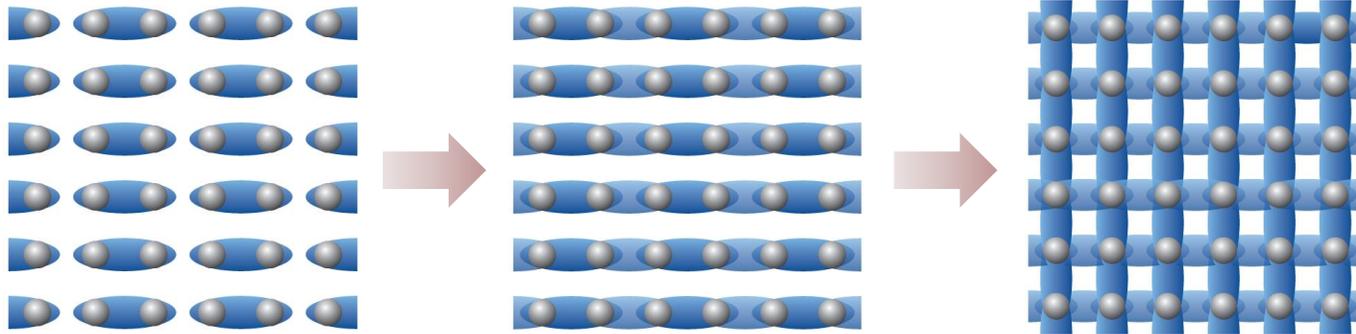
Topological models

Tool kits for Quantum simulation

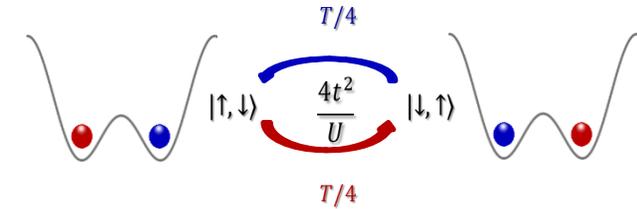
Entanglement in optical lattices



Multi-atom entanglement!



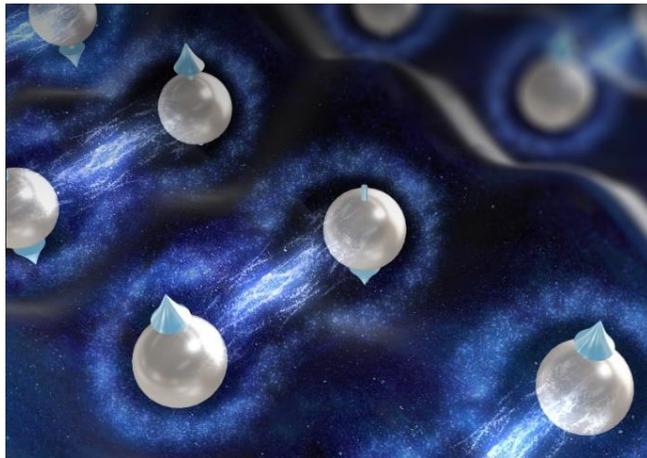
Vaucher *et al*, NJP (2008)



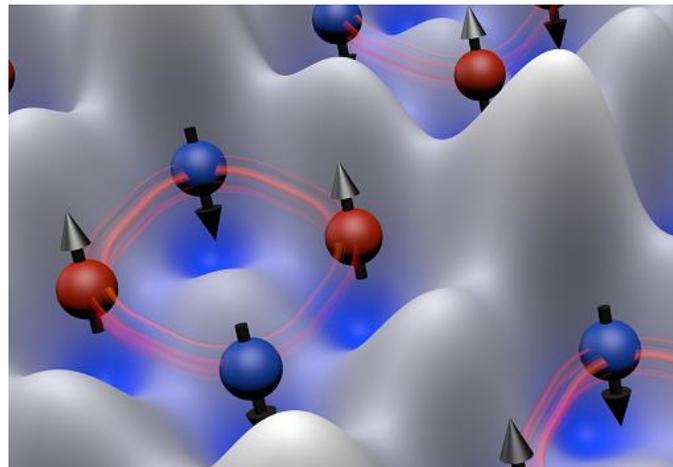
Spin exchange interaction:

Duan *et al.*, PRL 91, 090402 (2003)

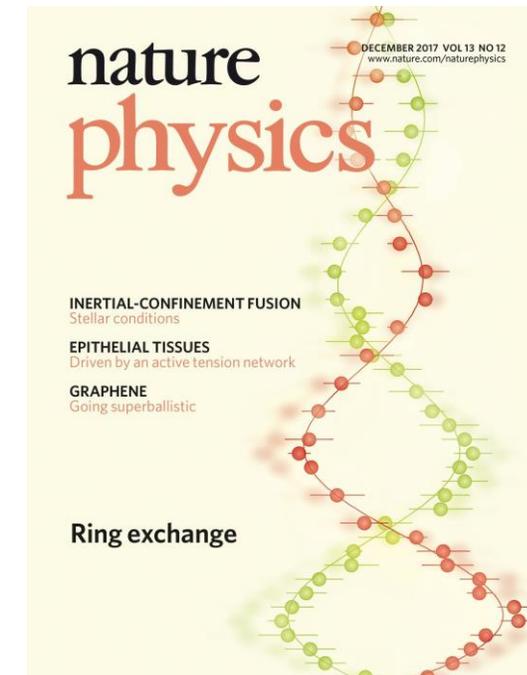
Trotzky *et al.*, Science 319, 295 (2008)



Dai *et al*, Nature Physics (2016)



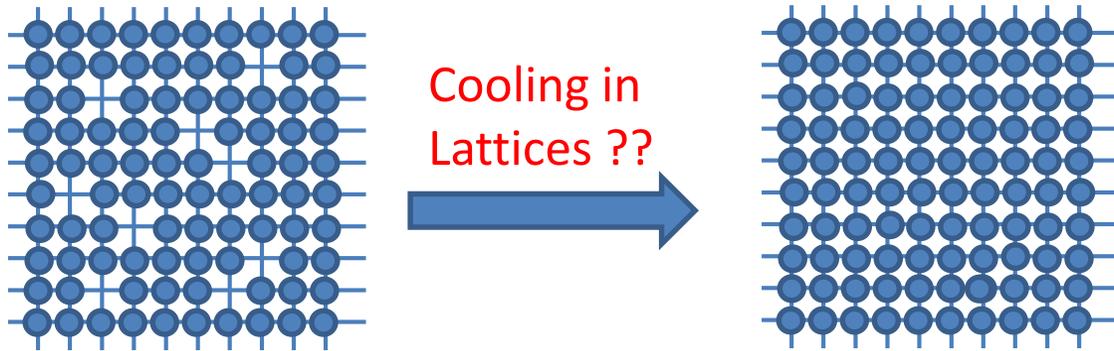
Dai *et al*, Nature Physics (2017)



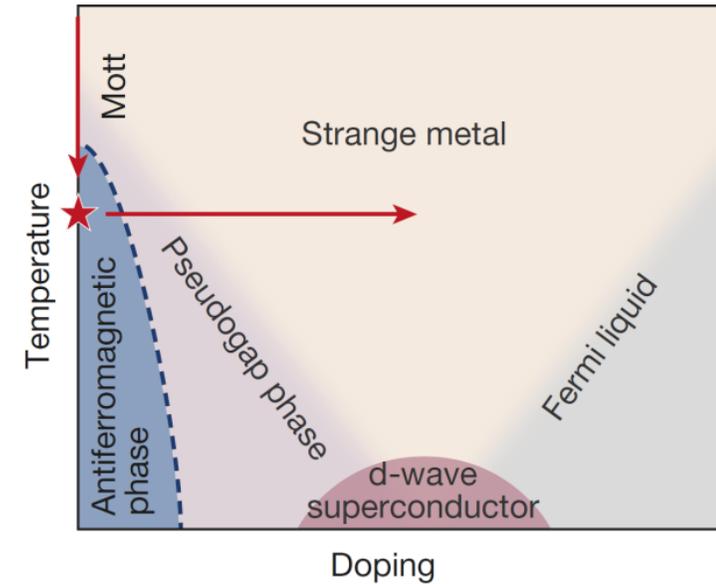
Defects in optical lattices



- **Challenge:** remove defects, cool the atoms in lattices?



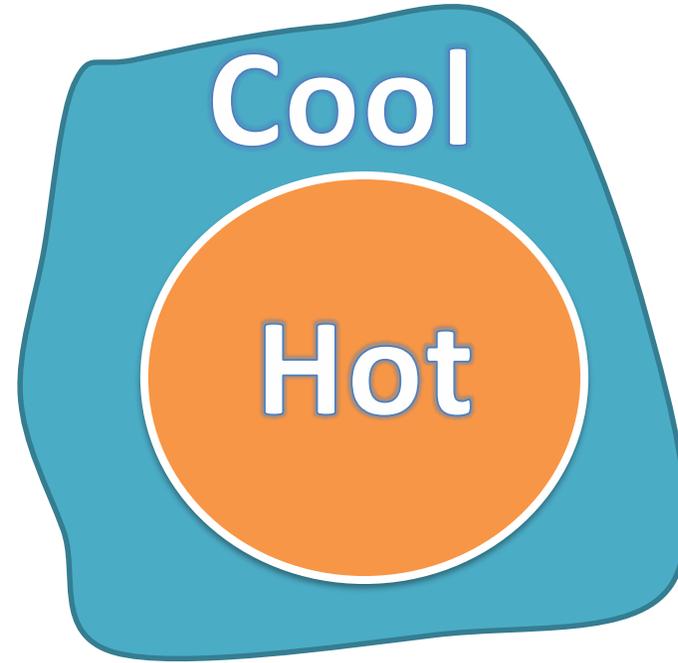
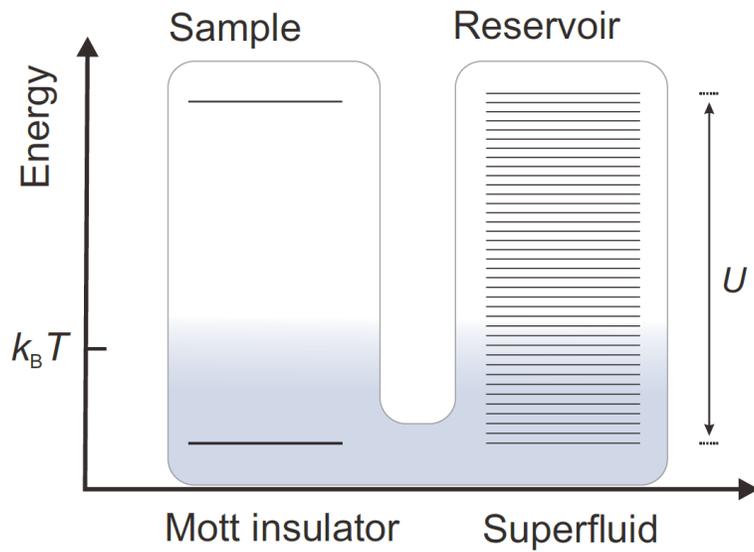
- Doping Fermi-Hubbard model
High T_c superconductivity



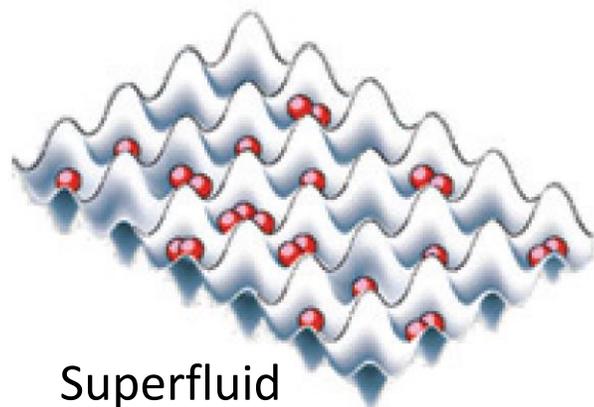
A Mazurenko *et al*, Nature 2017

Cooling in Lattice

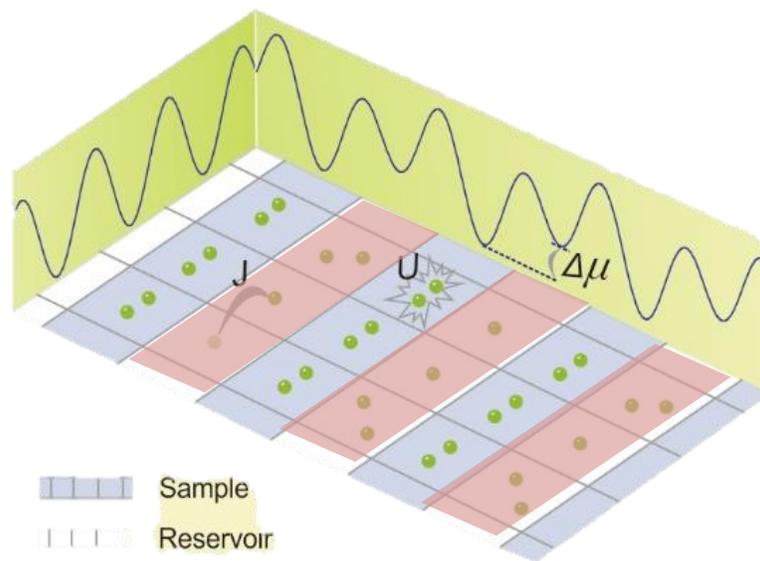
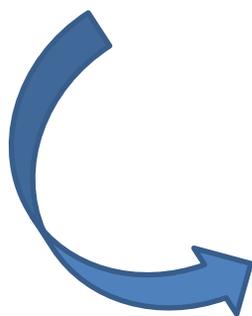
Deep cooling in optical lattices



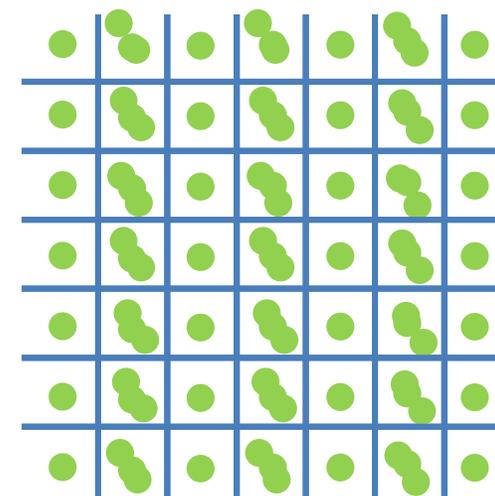
Our scheme for cooling atoms



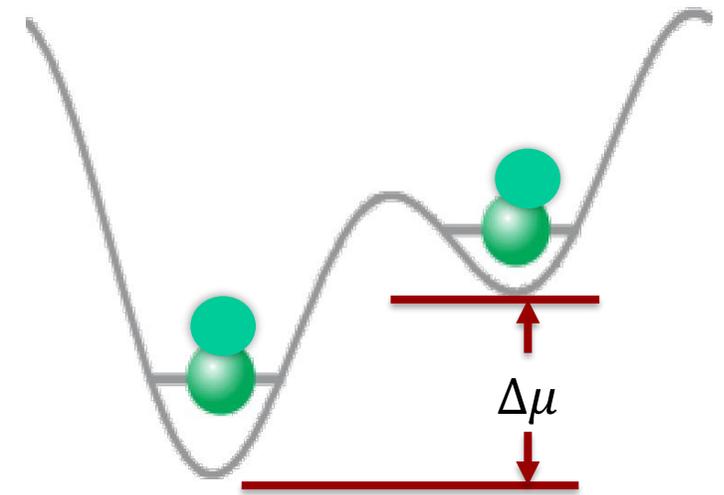
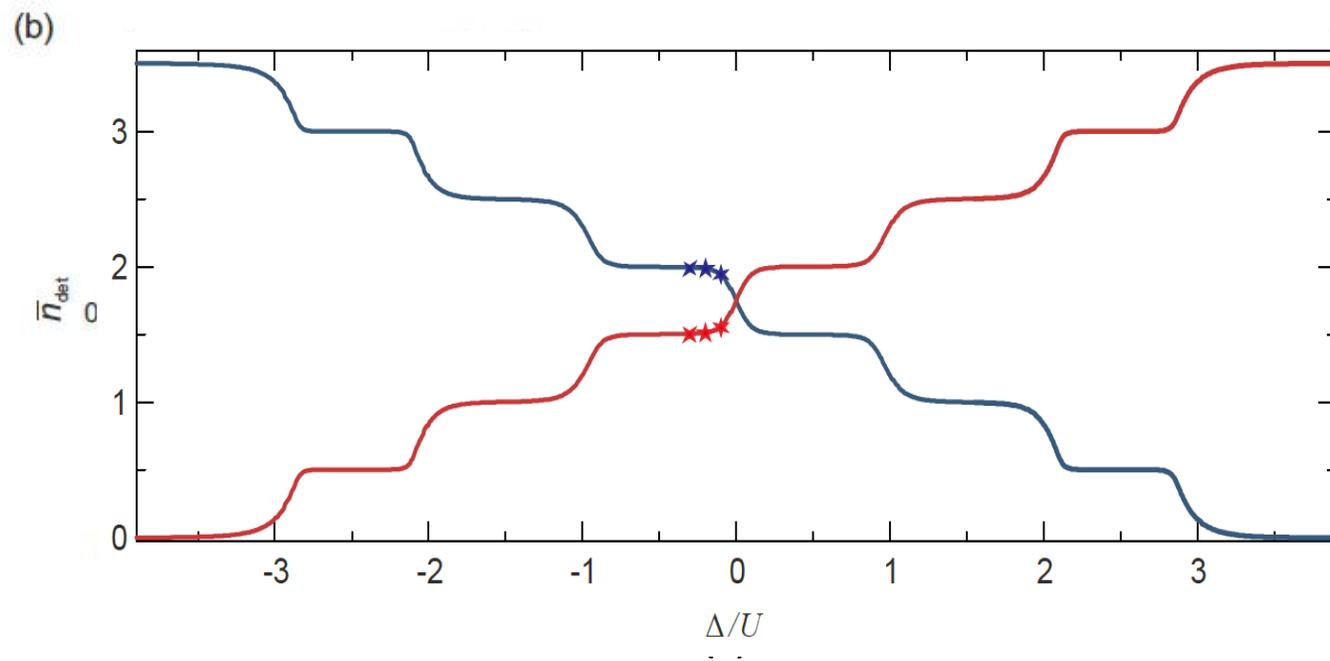
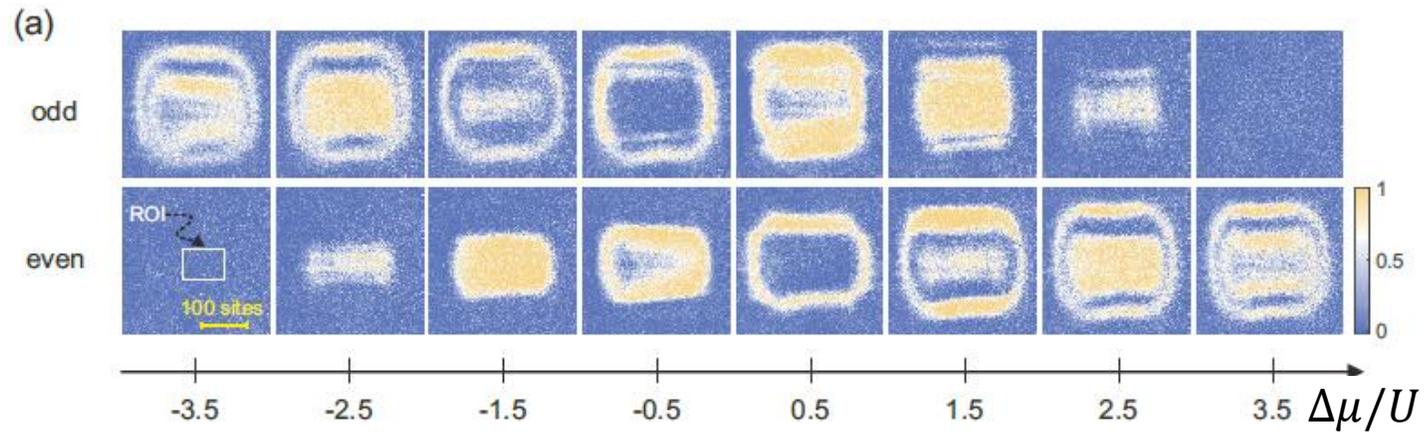
Superfluid



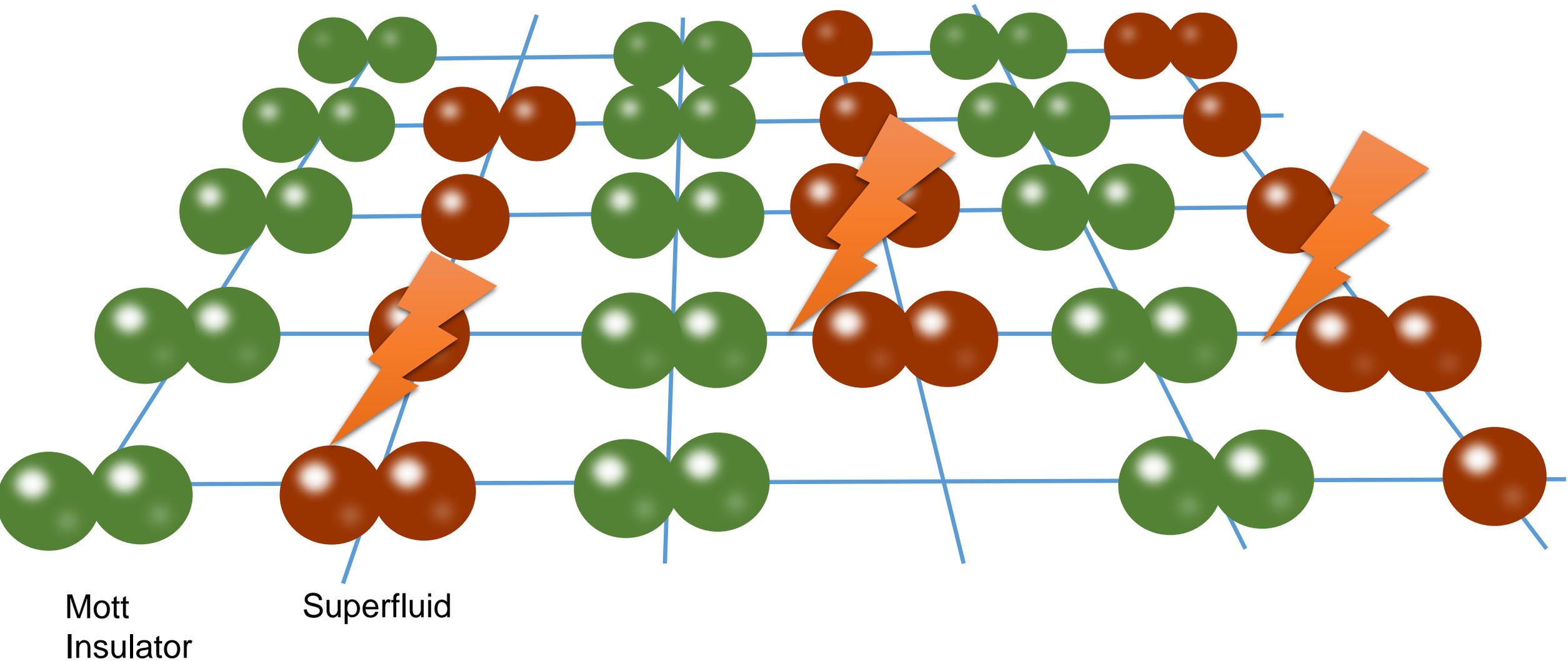
$\Delta\mu$ is varied



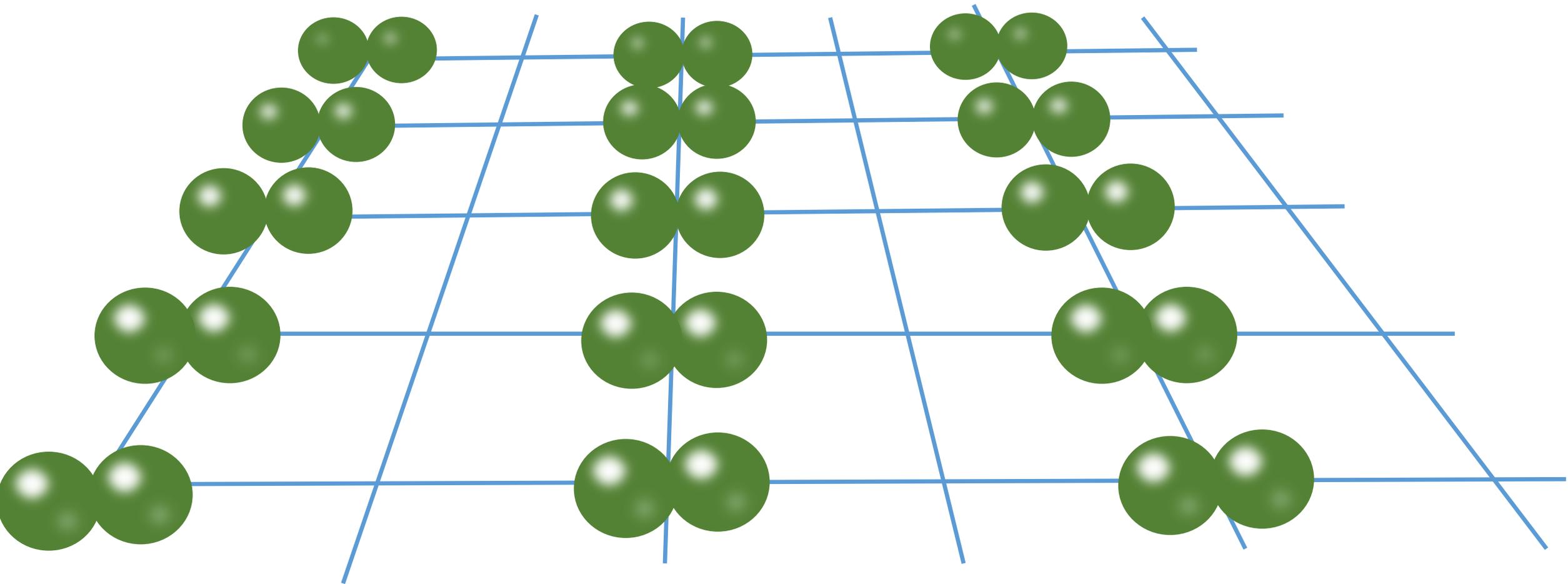
Mass and entropy transport



Deep cooling in optical lattices

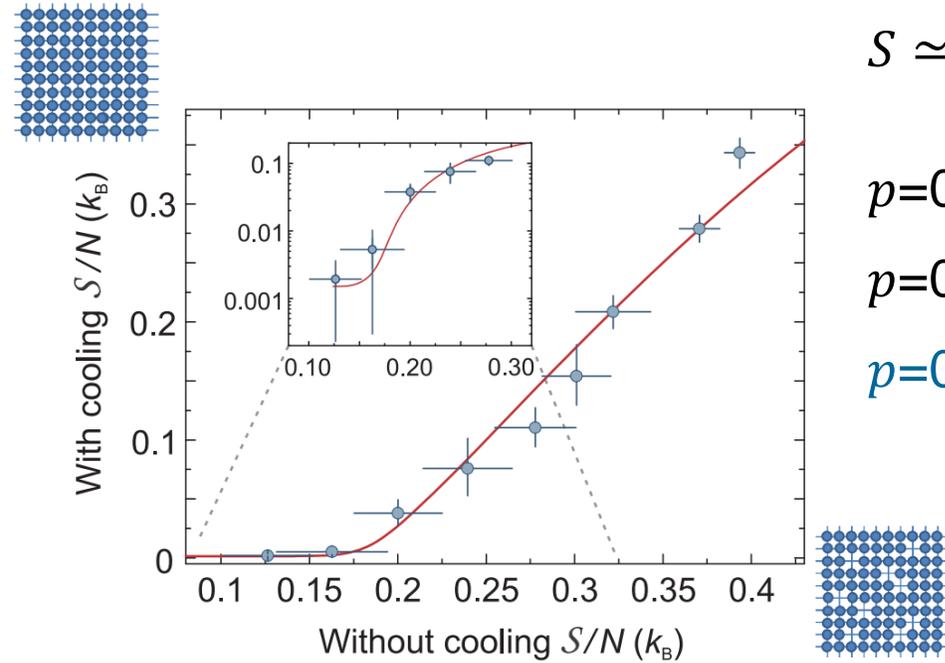
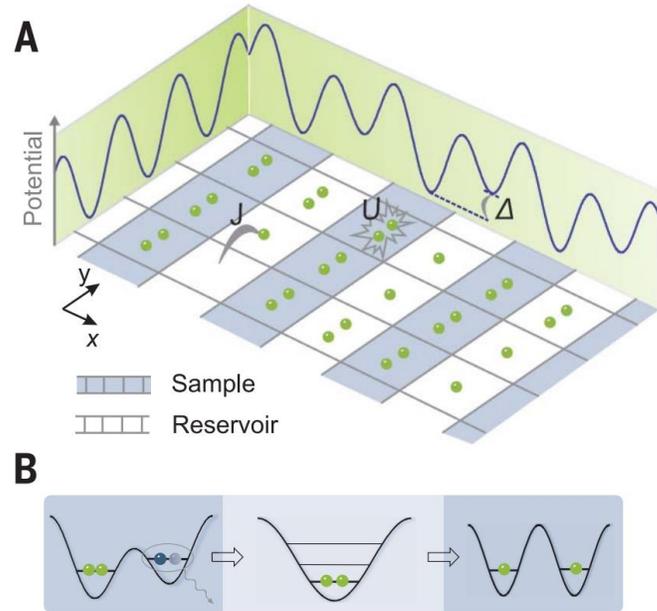


Deep cooling in optical lattices



Entropy $\rightarrow 0.0019 k_B/N$, 60 times reduction ... 10% \rightarrow 0.1%

Staggered-immersion cooling



$$S \simeq -p \sum_i p_i \log p_i,$$

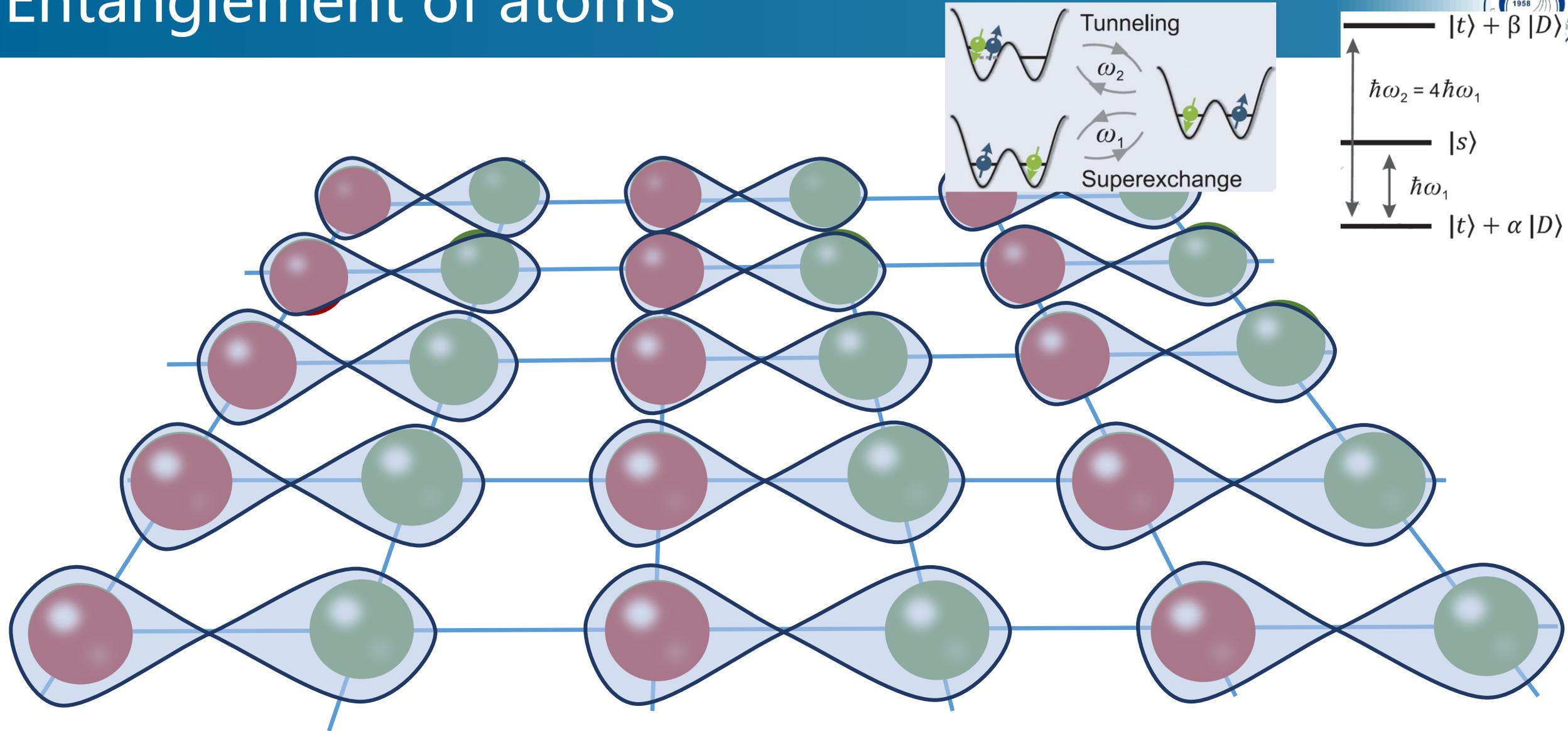
$$p=0.9, \frac{S}{N} \sim 0.2 k_B;$$

$$p=0.999, \frac{S}{N} \sim 0.008 k_B;$$

$$p=0.9997, \frac{S}{N} \sim 0.002 k_B;$$

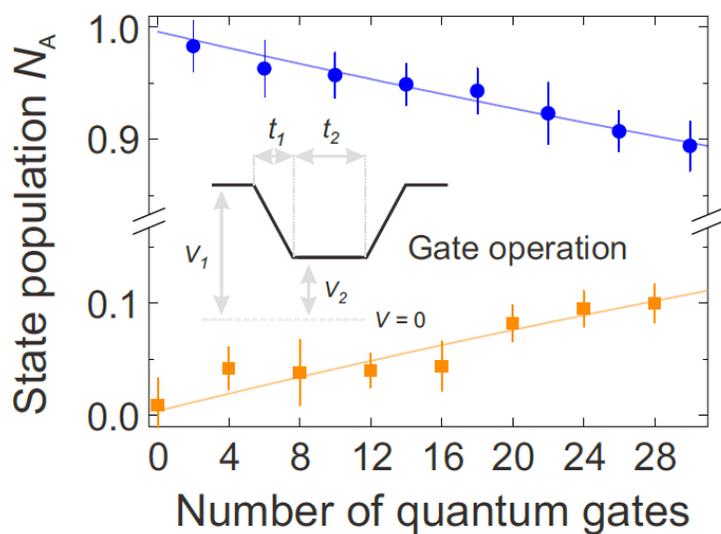
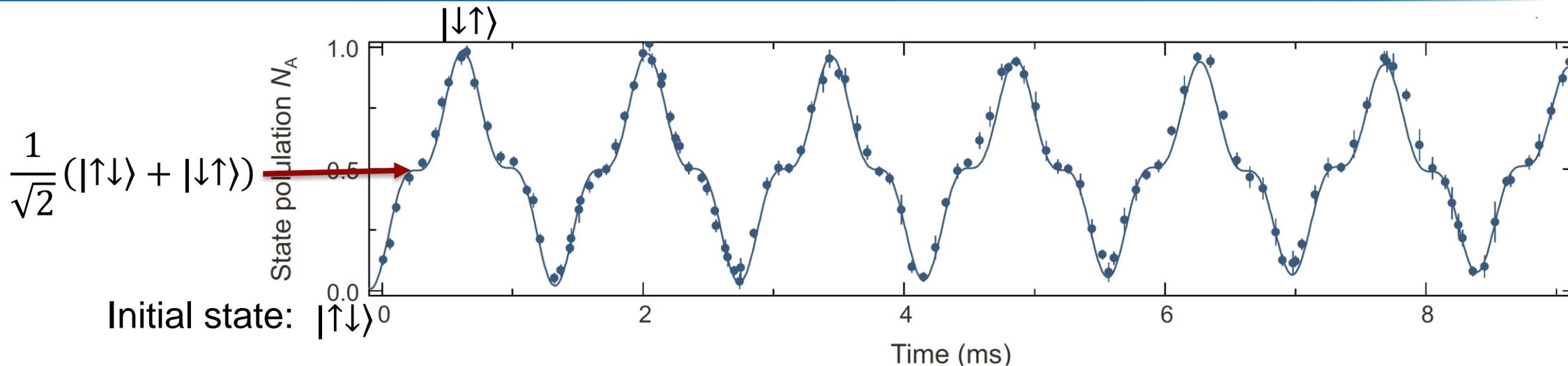
Yang et al, Science (2020)

Entanglement of atoms

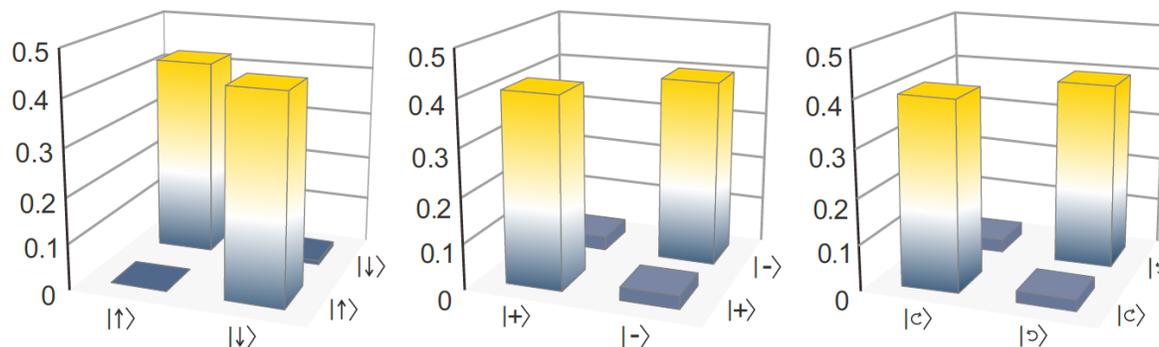


Fast entangling gate

Spin Entanglement

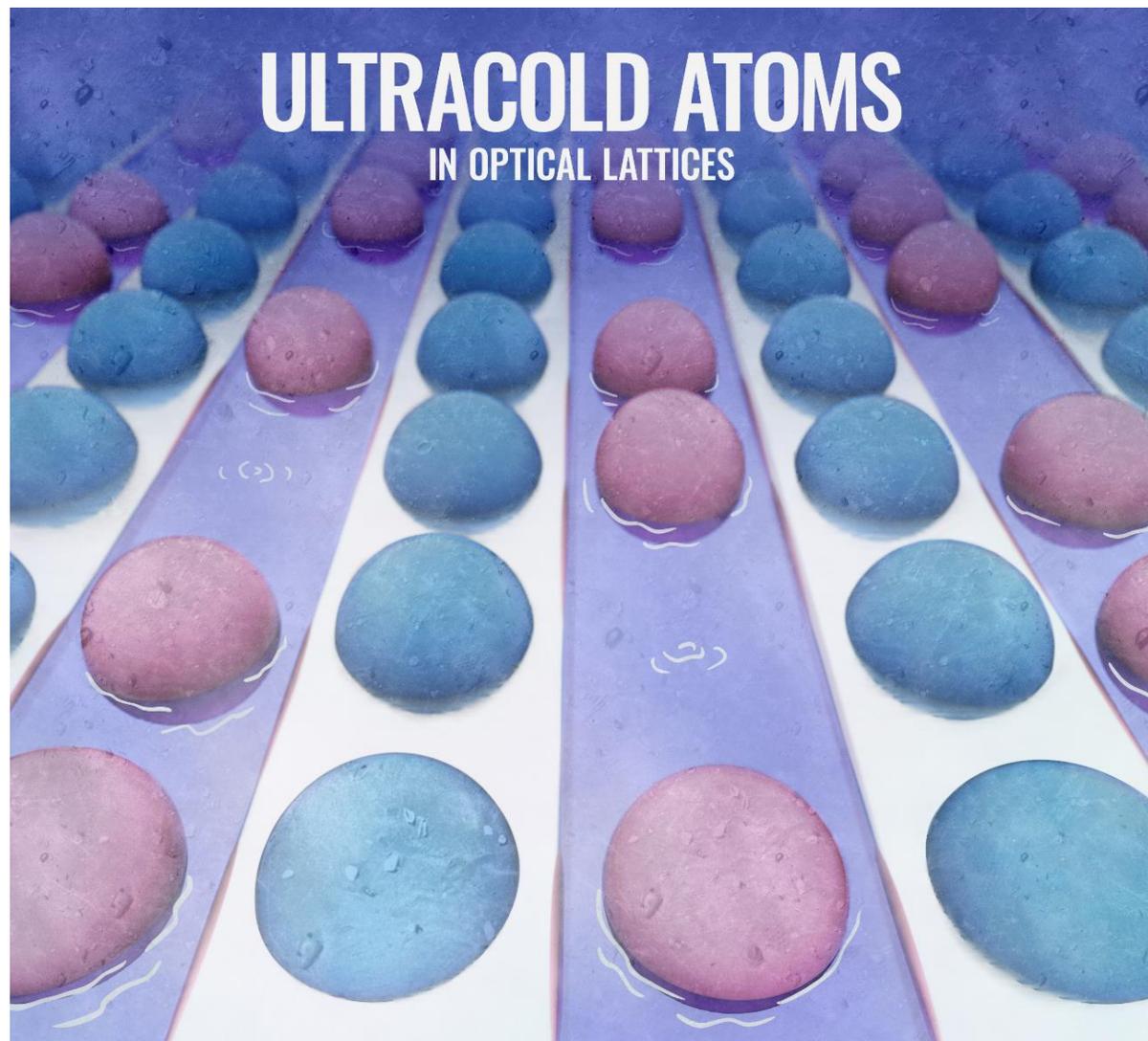


State tomography after 29 gate operations



Fast entangling gate $F=99.3\%$, 1250 pairs

原子的深度冷却和纠缠



Science (2020)

研究组成员



苑震生



潘建伟



杨兵



孙辉



黄春炯



王翰逸



戴汉宁



邓友金



Deep cooling in lattice and atom entanglement

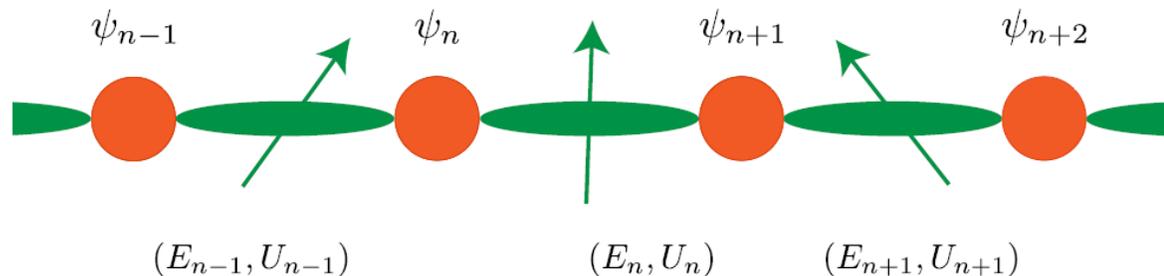


Yang B,Yuan Z -S, Pan J- W, Science 2020

动画：梁琰、石千惠、苑震生等

一维格点Schwinger方程

Schwinger Model
 (\hat{E}_n, \hat{U}_n) gauge field



$$\hat{H}_{\text{QED}} = \frac{a}{2} \sum_l (\hat{E}_{l,l+1}^2) - \frac{i}{2a} \sum_l (\hat{\psi}_l^\dagger \hat{U}_{l,l+1} \hat{\psi}_{l+1} - \text{H.c.}) + \frac{a}{2} \sum_l m(-1)^l \hat{\psi}_l^\dagger \hat{\psi}_l$$

Static electric field

Matter field—Gauge field coupling

Kogut & Susskind,
Phys. Rev. D 11,
 395(1975).

Target Hamiltonian Matter - gauge interaction

Effective mass; particle-hole

$$\hat{H}_{\text{QLM}} = \sum_l \left[-\frac{i\tilde{t}}{2} (\hat{\psi}_l \hat{U}_{l,l+1}^+ \hat{\psi}_{l+1} - \text{H.c.}) + m \hat{\psi}_l^\dagger \hat{\psi}_l \right]$$

1D lattice Schwinger model



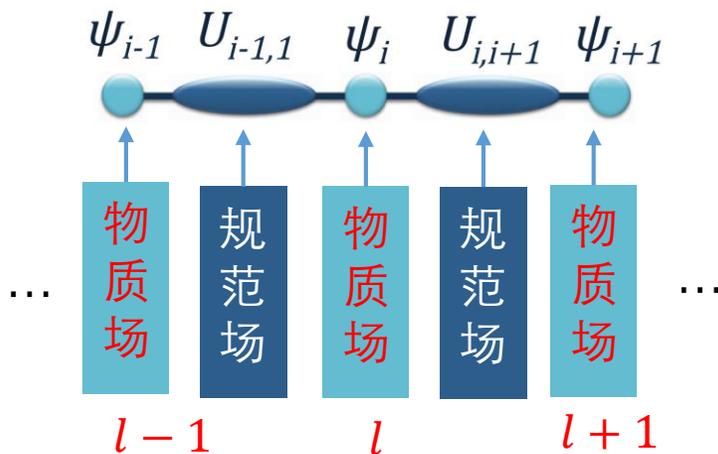
Target Hamiltonian

$$\hat{H}_{\text{QLM}} = \sum_l \left[-\frac{i\tilde{t}}{2} (\hat{\psi}_l \hat{U}_{l,l+1}^+ \hat{\psi}_{l+1} - \text{H.c.}) + m\hat{\psi}_l^\dagger \hat{\psi}_l \right]$$

Matter-gauge interaction

gauge field
matter field, fermionic

变换为实验中的
粒子数产生、湮灭算符



此即目标Hamiltonian

- \hat{a}_l 是物质场格点上的算符
- $\hat{d}_{l,l+1}$ 是规范场格点上的算符，也是单粒子算符，脚标 $(l, l+1)$ 仅代表这两个格点之间的链接

$$\hat{H}_{\text{QLM}} = \sum_l \left[\frac{\tilde{t}}{2\sqrt{2}} (\hat{a}_l (\hat{d}_{l,l+1}^+)^2 \hat{a}_{l+1} + \text{H.c.}) + m\hat{a}_l^\dagger \hat{a}_l \right]$$

A naïve picture



$$\hat{H} = -J \sum_{\langle i,j \rangle} \hat{a}_i^\dagger \hat{a}_j + \frac{U}{2} \sum_i \hat{n}_i (\hat{n}_i - 1) - \sum_i \mu_i \hat{n}_i,$$

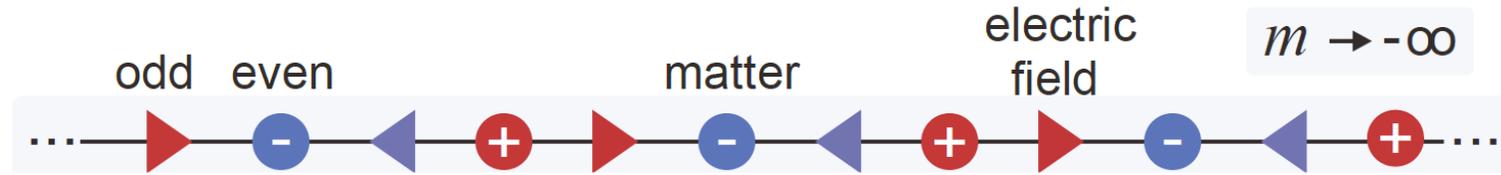


$$\hat{H}_{\text{QLM}} = \sum_l \left[\frac{\tilde{t}}{2\sqrt{2}} \left(\hat{a}_l (\hat{d}_{l,l+1}^+)^2 \hat{a}_{l+1} + \text{H. c.} \right) + m \hat{a}_l^\dagger \hat{a}_l \right]$$

Theo --- Exp mapping



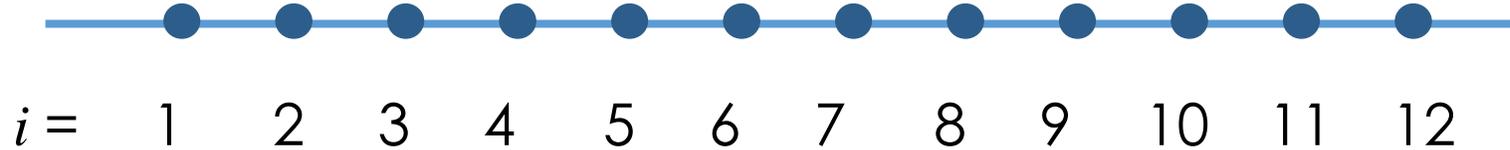
Theo:



Matter field: $l = 1 \quad 2 \quad 3 \quad 4 \quad 5 \quad 6$

Gauge field: $(l-1, l) = (0,1) \quad (1,2) \quad (2,3) \quad (3,4) \quad (4,5) \quad (5,6)$

Exp:

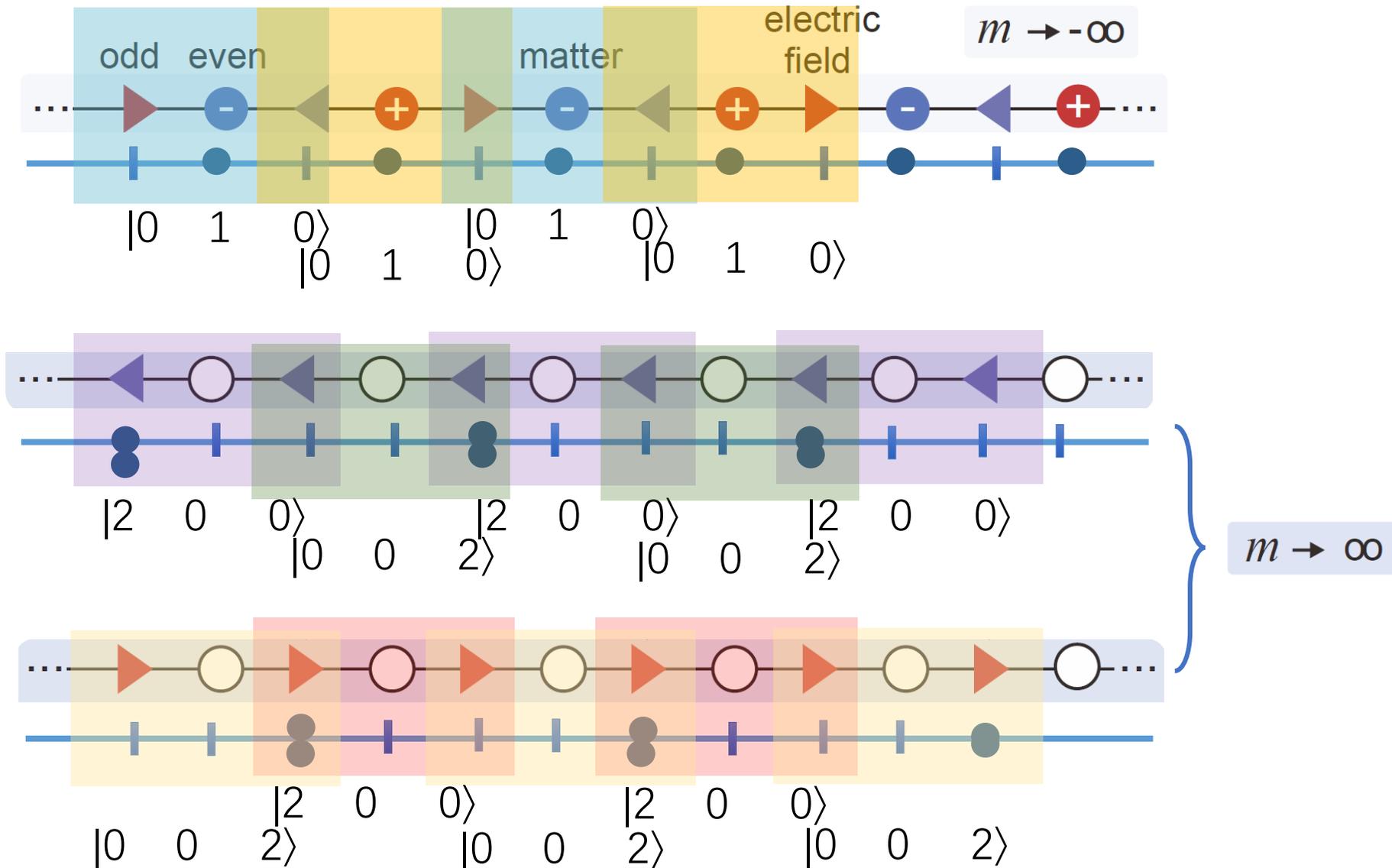


Theo --- Exp mapping

Matter field: $l = 1 \quad 2 \quad 3 \quad 4 \quad 5 \quad 6$

Theo:

Exp:



Experimental realization



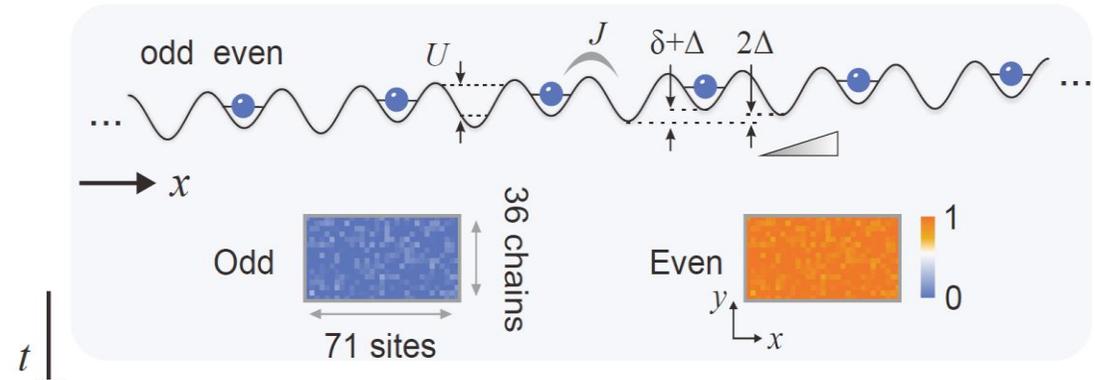
$$\hat{H}_{\text{QLM}} = \sum_l \left[\frac{\tilde{t}}{2\sqrt{2}} \left(\hat{a}_l (\hat{d}_{l,l+1}^+)^2 \hat{a}_{l+1} + \text{H. c.} \right) + m \hat{a}_l^\dagger \hat{a}_l \right]$$

□ 制备初态: $|010101010101\dots\rangle$

整条链加线性倾斜,

$$m = \delta - U/2 \quad \delta \text{ intra double well}$$

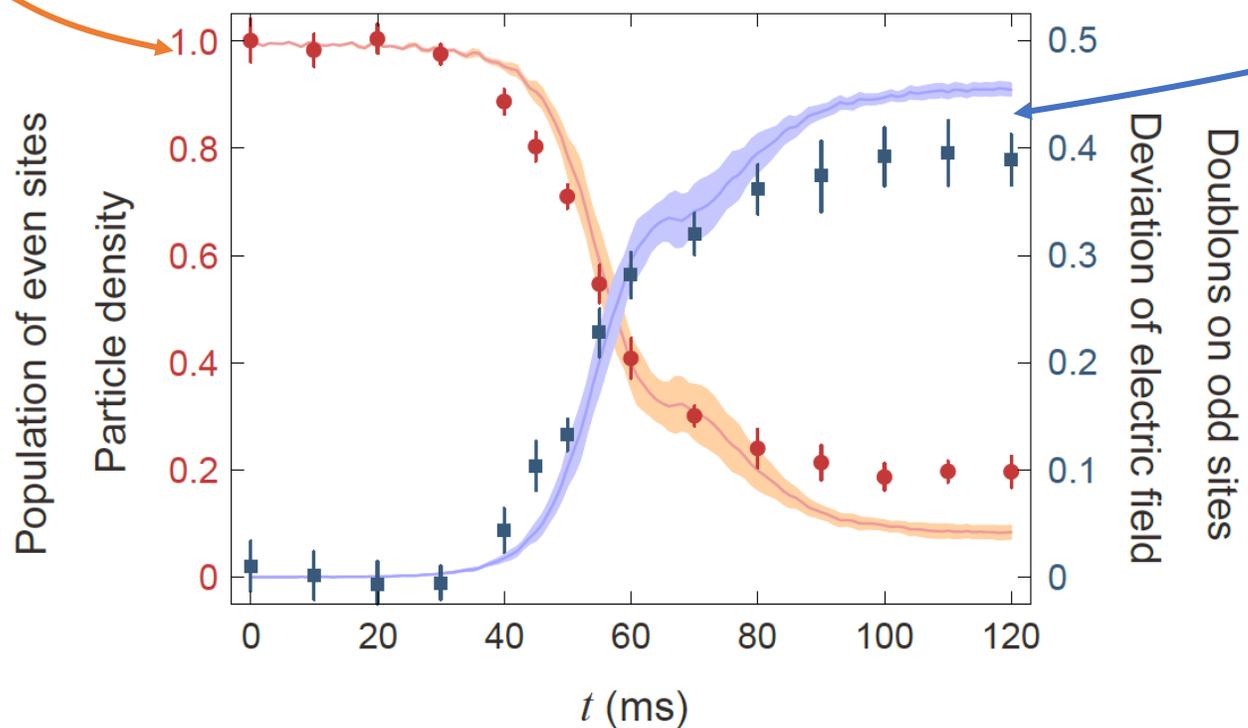
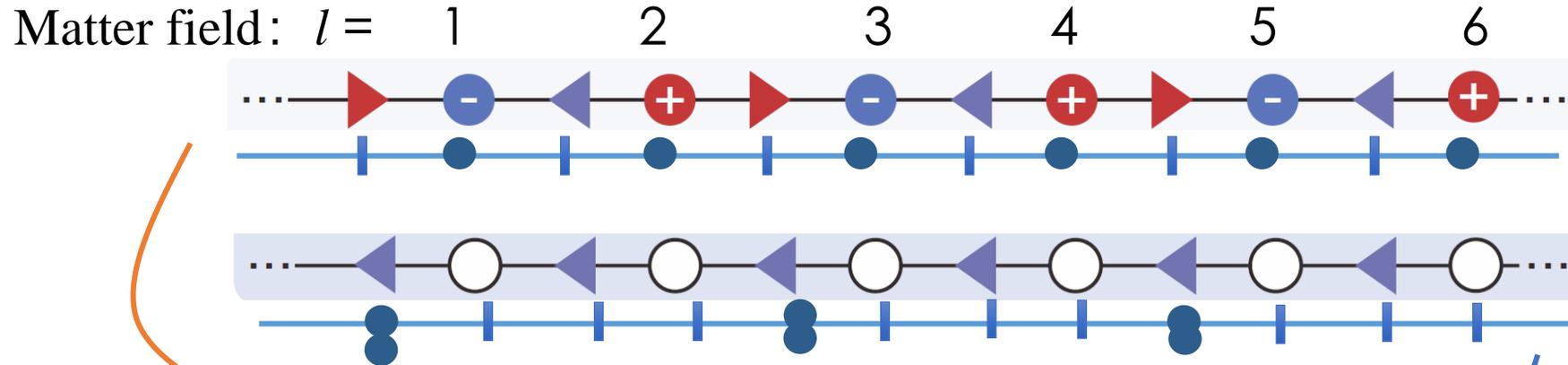
$$\tilde{t} = 8\sqrt{2}J^2/U \quad \Delta \text{ inter double well}$$



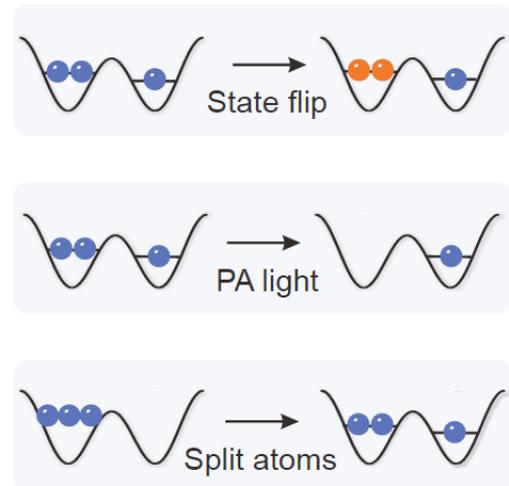
□ 在120 ms内绝热改变相互作用U

$$\frac{m}{\tilde{t}}: -\infty \rightarrow 0 \rightarrow \infty$$

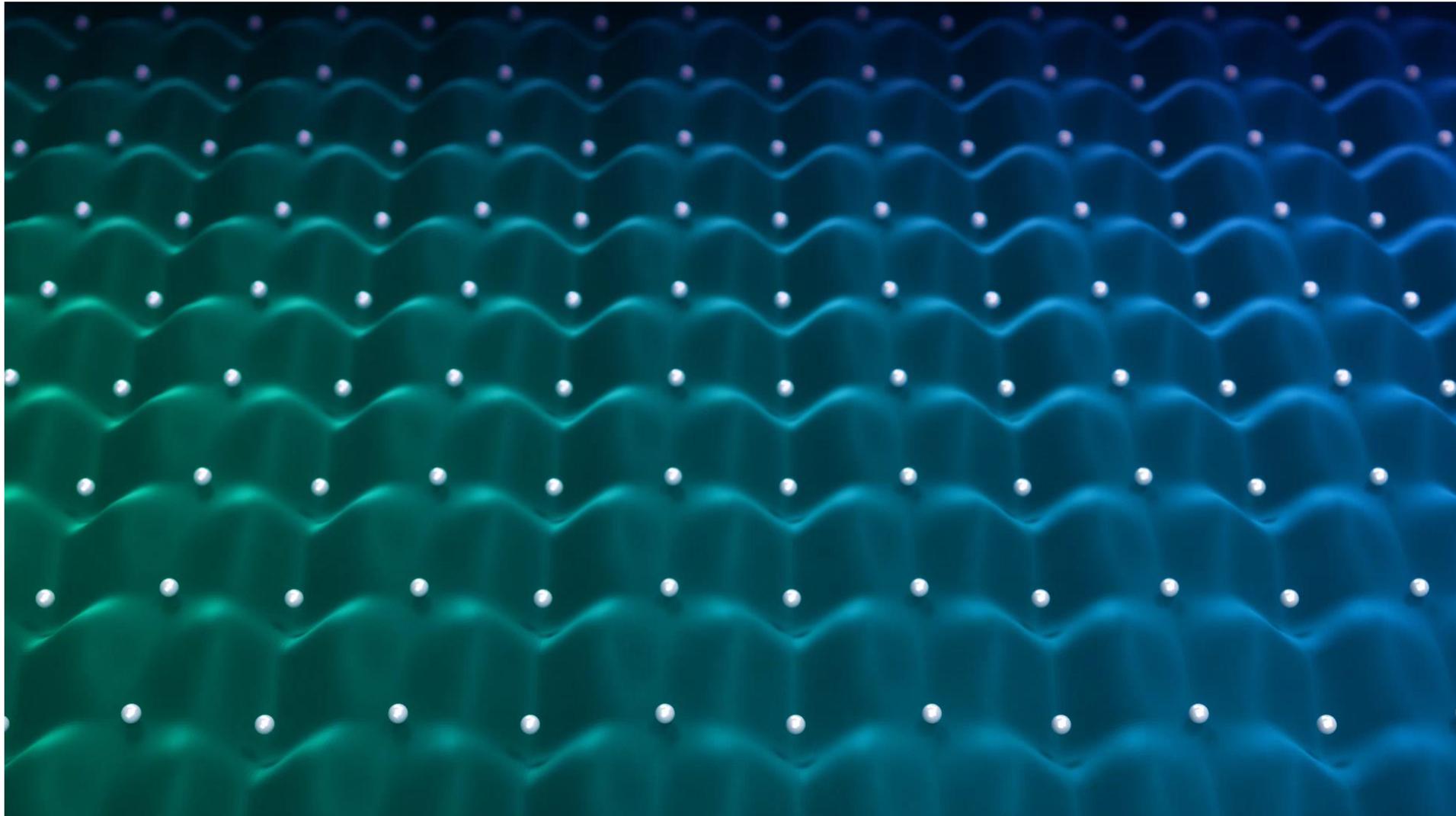
Experimental observation



通过自旋依赖、原子碰撞等方法测量奇偶格点上的原子占据数



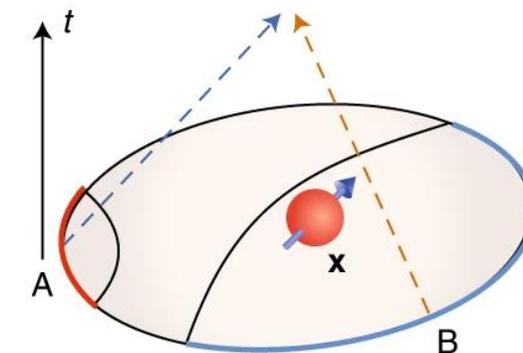
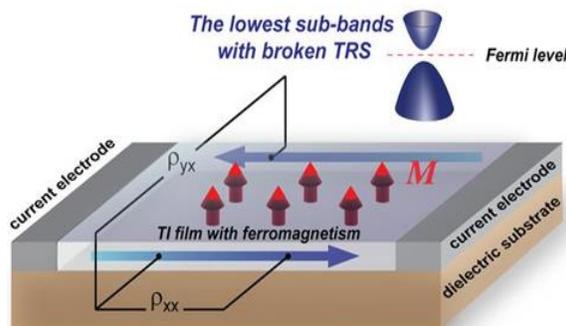
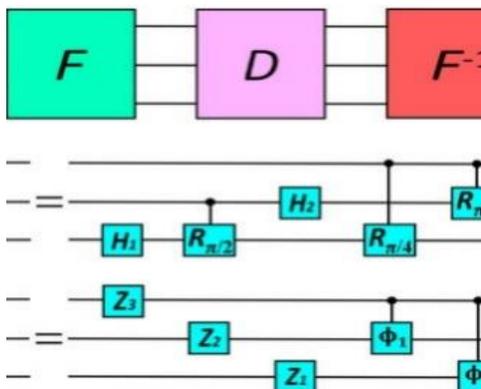
Simulation of lattice gauge field



Yang B,Yuan Z -S, Hauke P, Pan J- W, Nature 2020

动画：梁琰、石千惠、苑震生等

Outlook—Quantum computation and simulation



- Manipulating atomic qubits, Quantum computation, Demonstration of quantum advantage over classical supercomputers
- Simulation of quantum Hall effect, topological insulators, H-Tc superconductivity, physics of black hole and quantum gravity

Quantum computer quest, Nature 516, 25 (2014)

Does gravity come from quantum information? Nature Physics 14, 984 (2018)

Thanks to



Co-PI:



Jian-Wei Pan
(USTC)

Experiment:



Dr. Bing Yang
(UHEI/
Innsbruck)



Dr. Hui Sun
(USTC&
UHEI.)



Han-Yi Wang
(USTC&
UHEI.)



Prof. H.-N Dai
(USTC)



Prof. Y. Deng
(USTC)



Prof. Y.-A Chen
(USTC)

Theory:



Prof. P Hauke
(Trento)



Prof. J Berges
(UHEI)



Dr. J Halimeh
(UHEI)



Robert Ott
(UHEI)

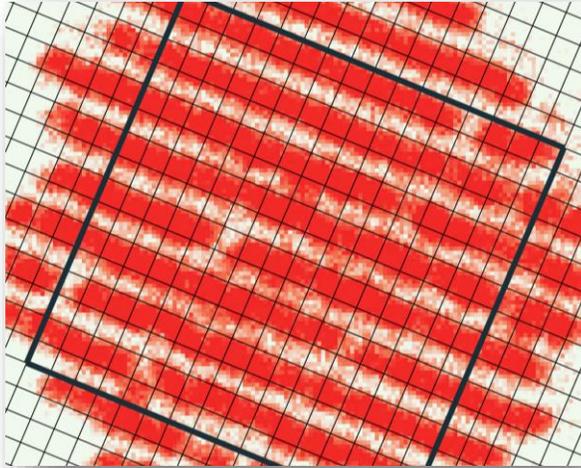


Dr. T Zache
(UHEI)

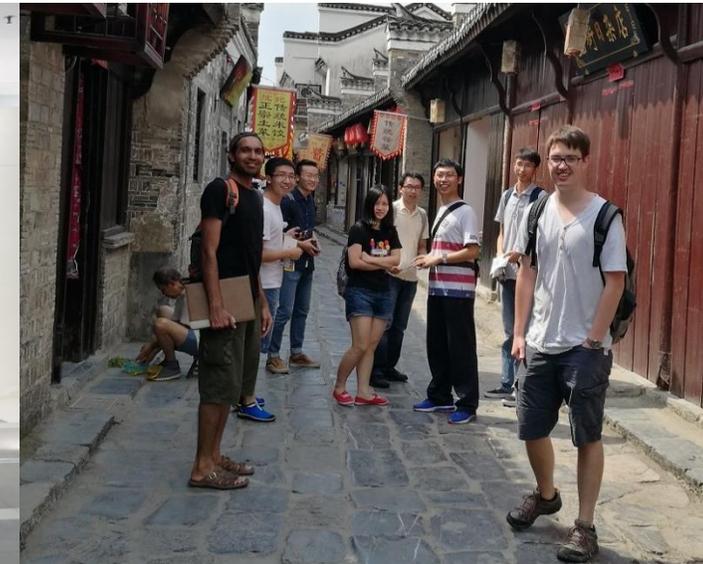
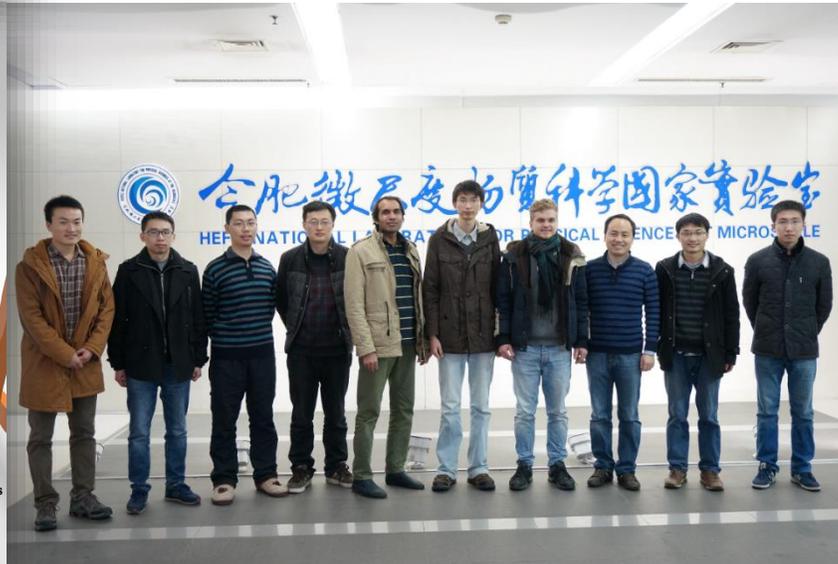
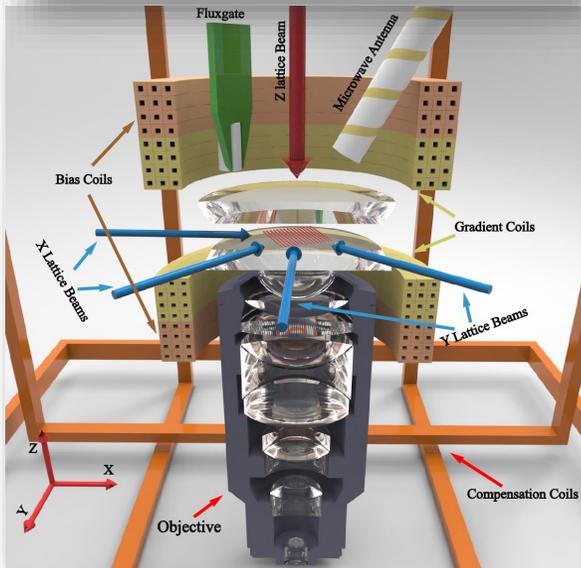


Prof. Xi-Wen Guan
(中科院物数所)

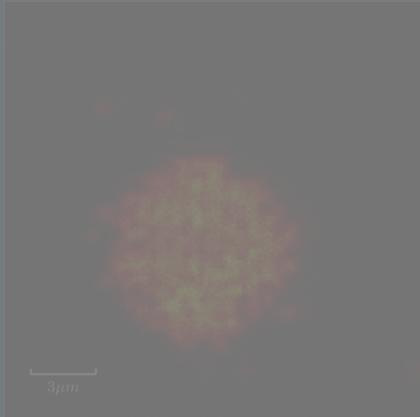
Thanks to—quantum gas microscope group



郑永光、章维勇、李梦达、肖波、谢虔、王宣恺、
周肇宇、王翰逸、骆安、林婉、刘颖、苏国贤、
禹松涛、朱子杭、何明根、Timo、



Ultracold Atoms



Application in Quantum Science



Our Team and Research

<http://quantum.ustc.edu.cn>

Hefei National Laboratory of Physical Sciences at the Microscale 中文 English

Division of Quantum Physics and Quantum Information

Explore quantum mystery, enable quantum applications!

Home

Research

Quantum Satellite

People

News

Research Progress

Talks

Publications

Notice

Admission

Links



Prof. Pan wins OSA 2019 Wood Prize



News

2020-06-07 It Broke Our Hearts to Lose You, Jon

2019-03-22 Prof. Pan wins OSA 2019 Wood Prize

2019-01-31 Chinese Study on Quantum Communication Wins Newcomb Cleveland Prize

2019-01-18 Collision Resonances between Ultracold Atom and Molecules Visualized fo...

2018-12-17 [Physics] Highlights of the Year

2018-07-04 [Global Times] Chinese Physicists' Quantum Achievement Signals Dawn of ...

2018-01-12 [Anhui News] Pan Jianwei Wins Willis E. Lamb Award

Progress

2019-07-01 Observation of Interference between Resonant and Detuned STIRAP in the...

2019-04-28 Experimental Demonstration of High-Rate Measurement-Device-Independ...

2019-04-08 Degenerate Bose gases near a d-wave shape resonance

2019-03-27 Synopsis: Entangled Photon Source Ticks All Boxes

Our team (>40 faculty members)

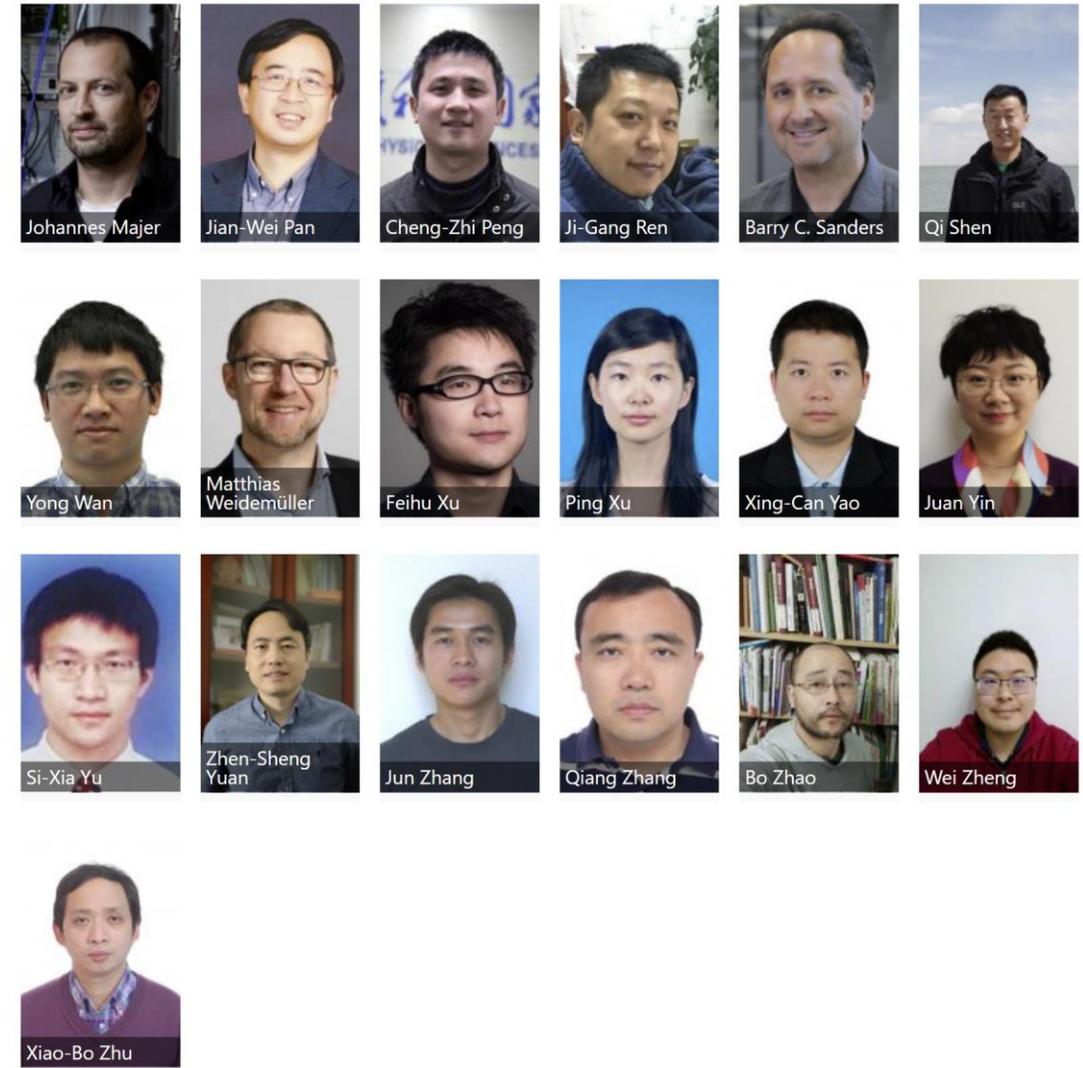
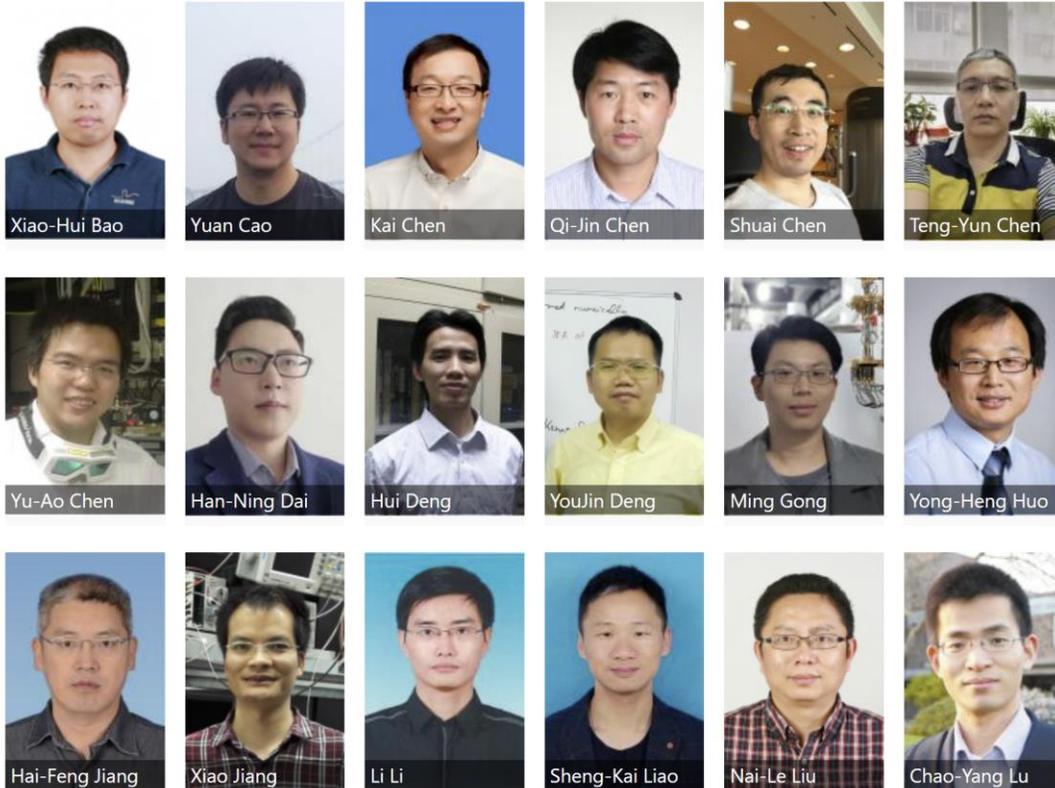


Division of Quantum Physics and Quantum Information

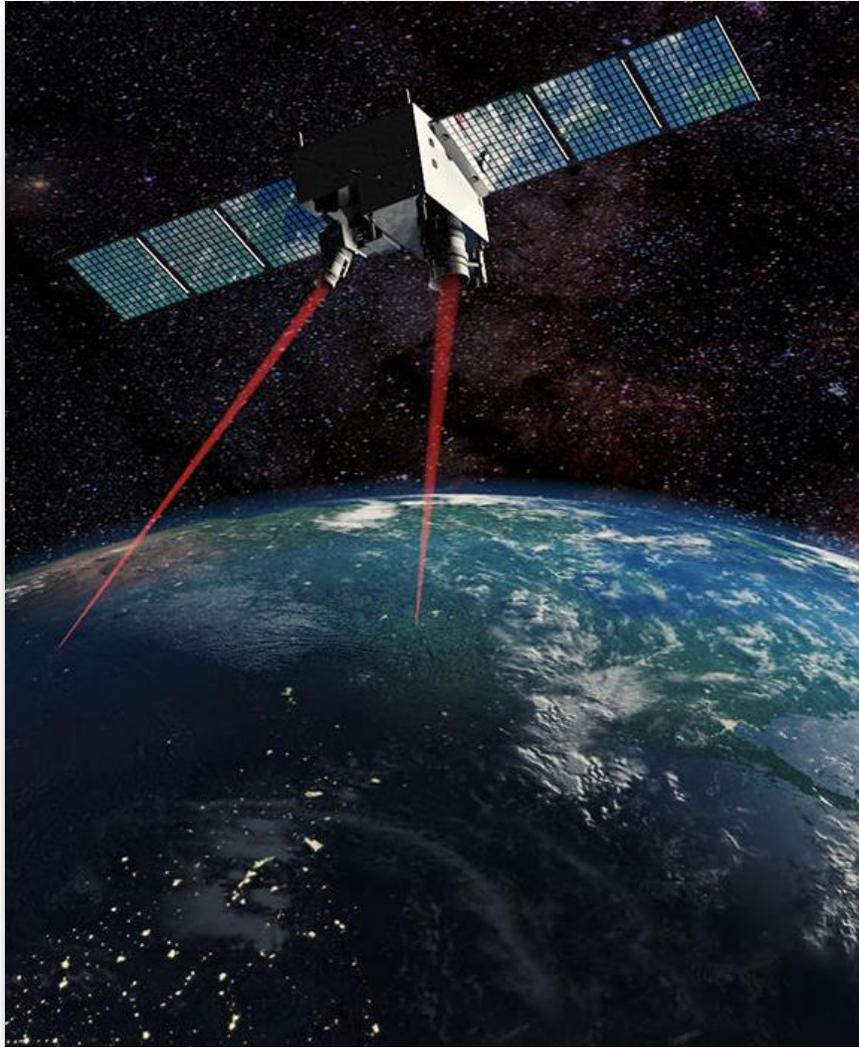
Explore quantum mystery, enable quantum applications!

Home Research Quantum Satellite People News Research Progress Talks Publications Notice Admission

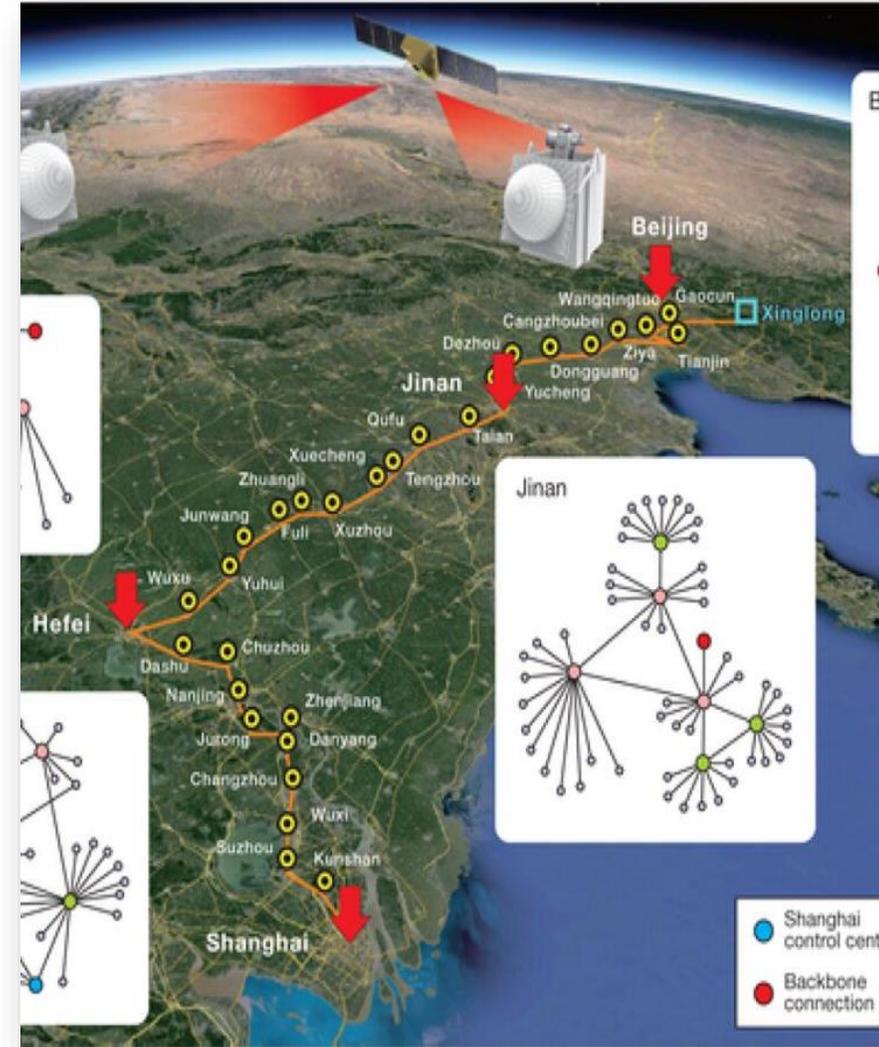
Faculty



Research topics—Quantum communication



Quantum satellite

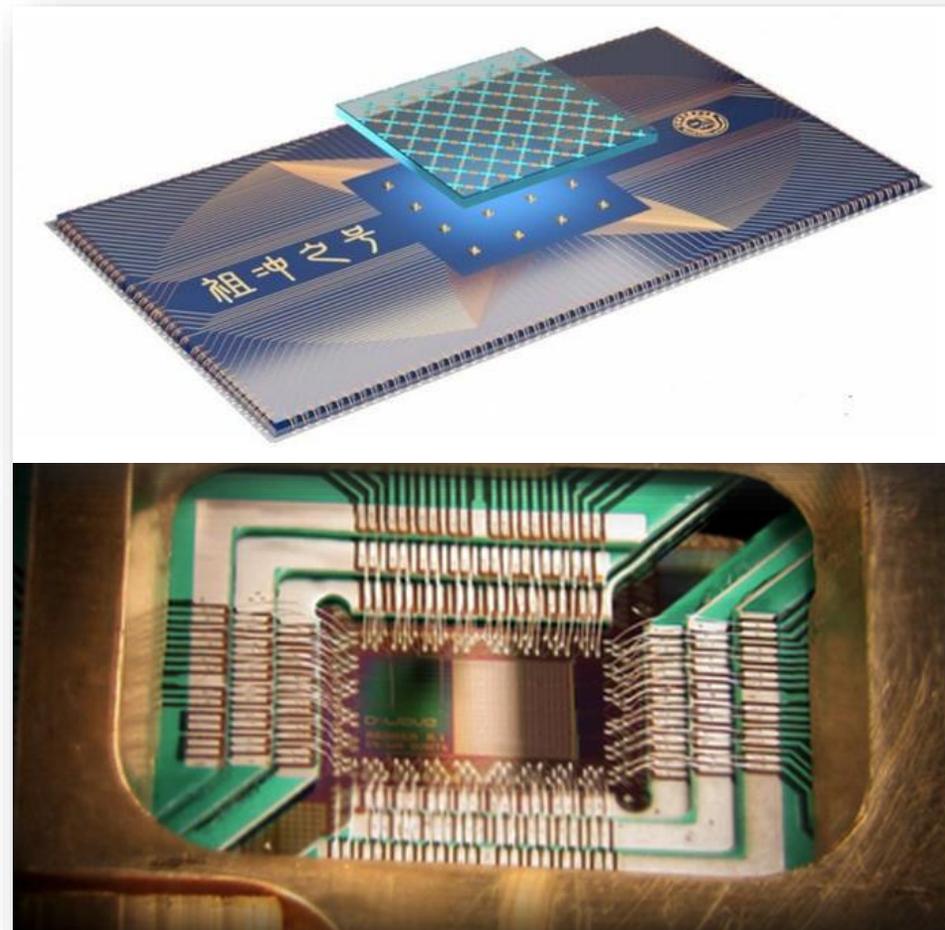


Fiber network

Quantum computation

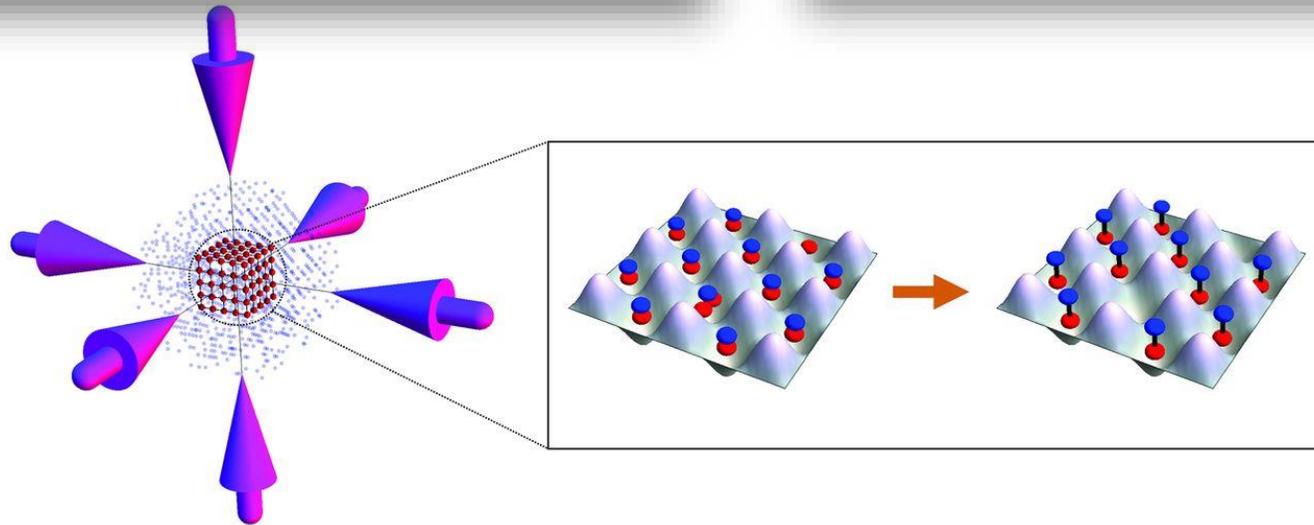
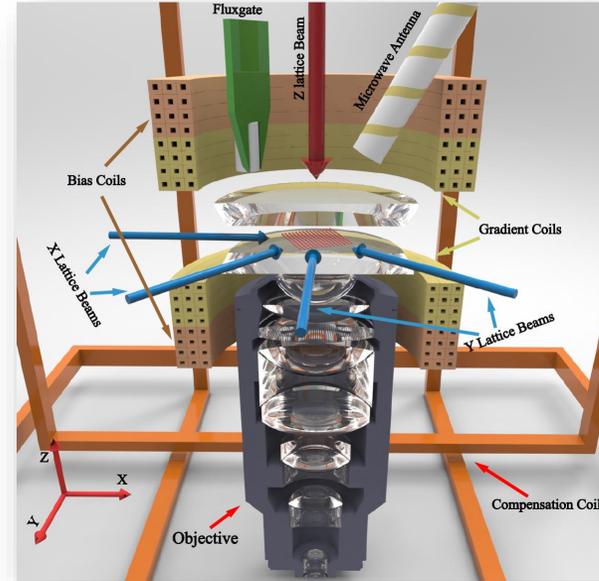
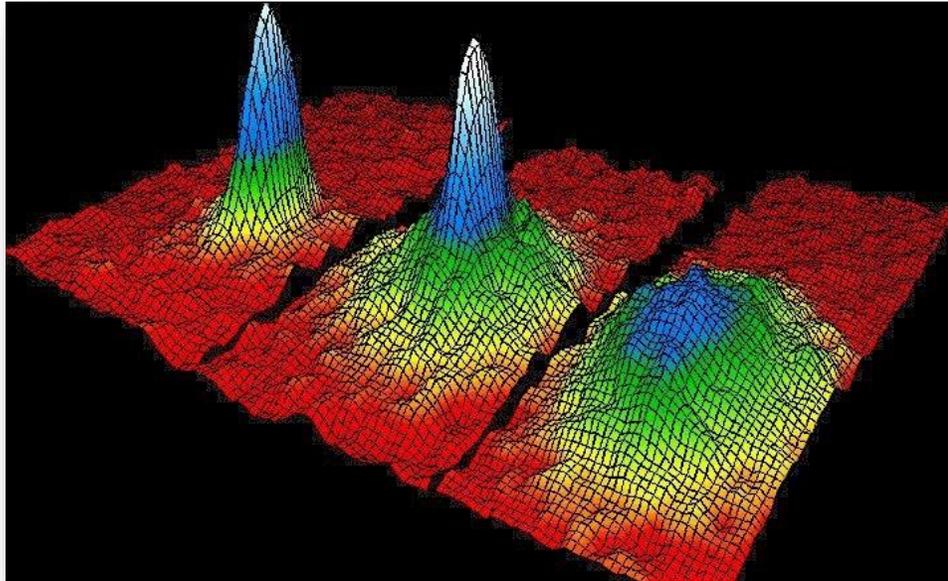


Photonic circuit



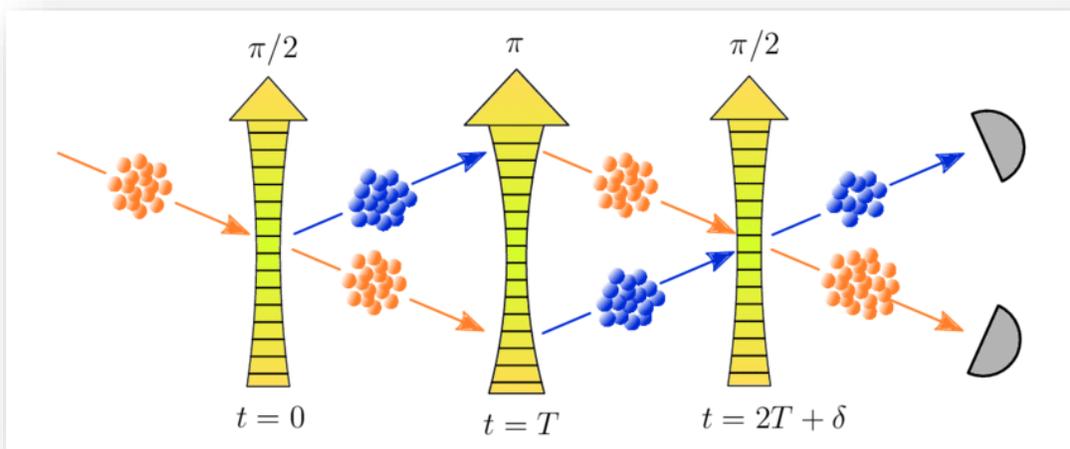
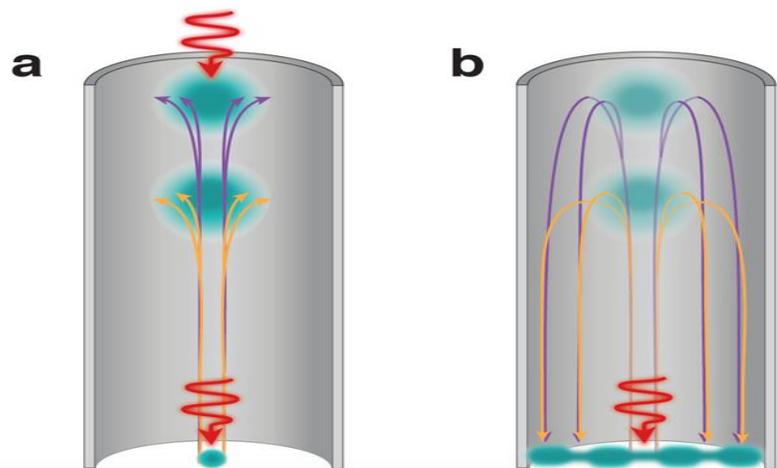
Superconducting circuit

Quantum simulation

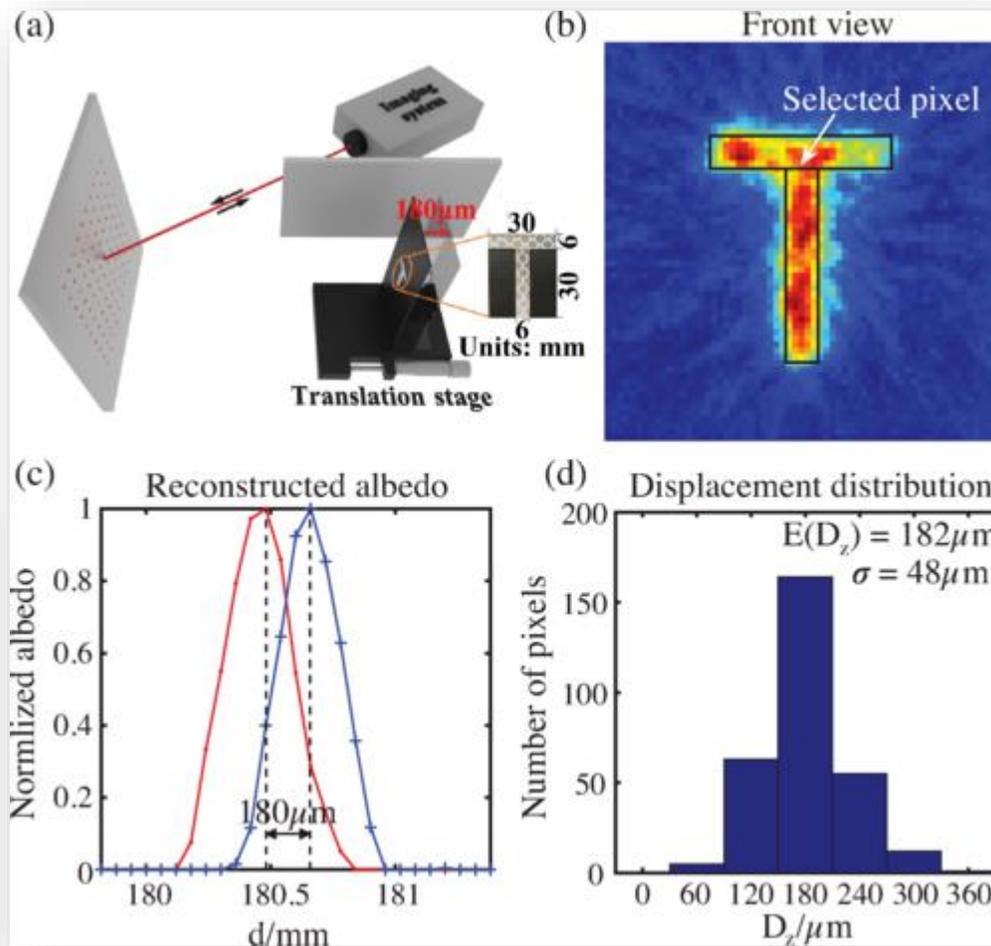


Ultracold atom quantum simulation

Quantum interferometry and imaging

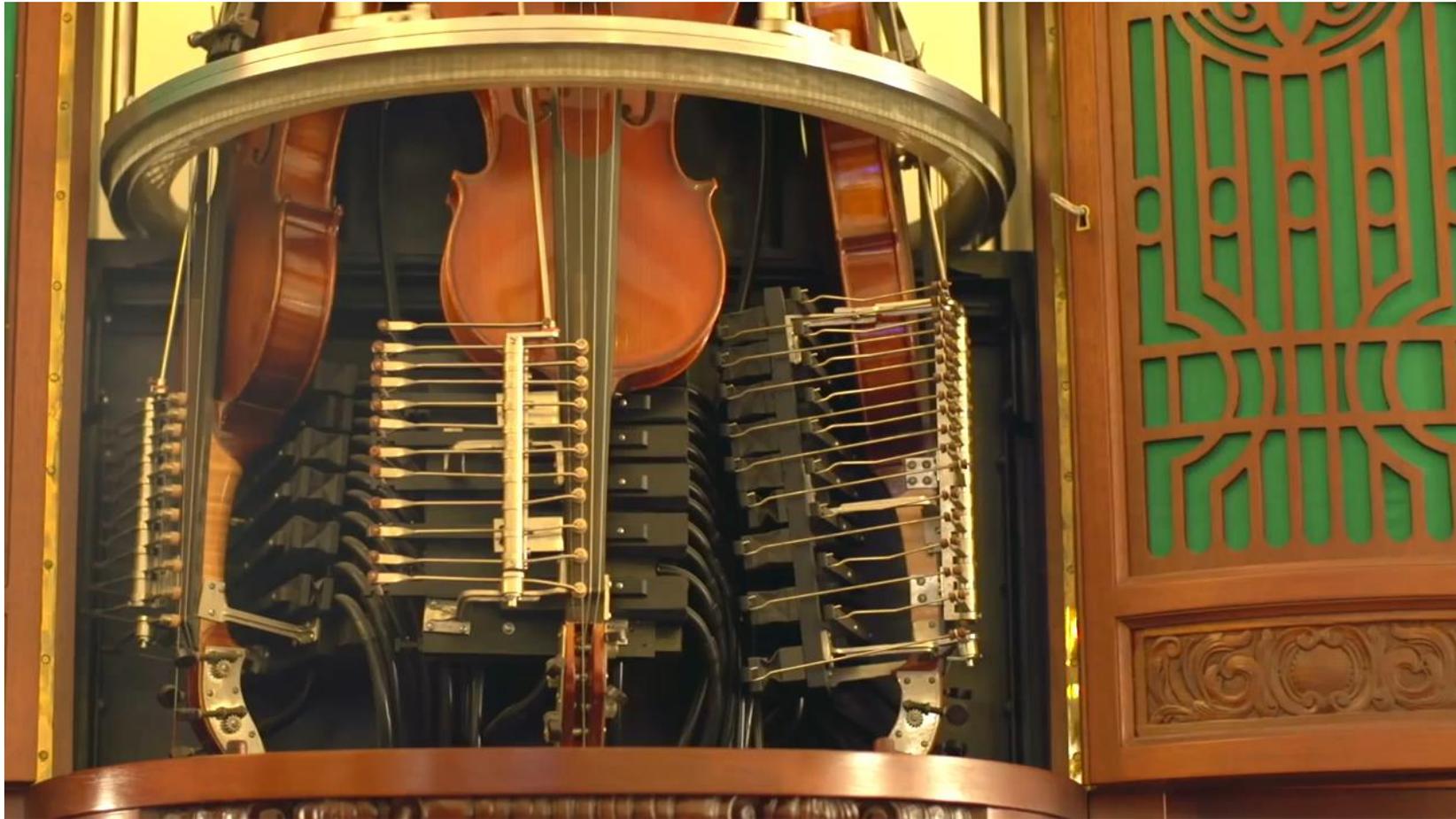


atom interferometer



single-photon imaging

Thanks for your attention



You are welcome to join us!